

# Measurements of the $\Lambda_b$ lifetime at DØ

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for the DØ Collaboration



# Layout

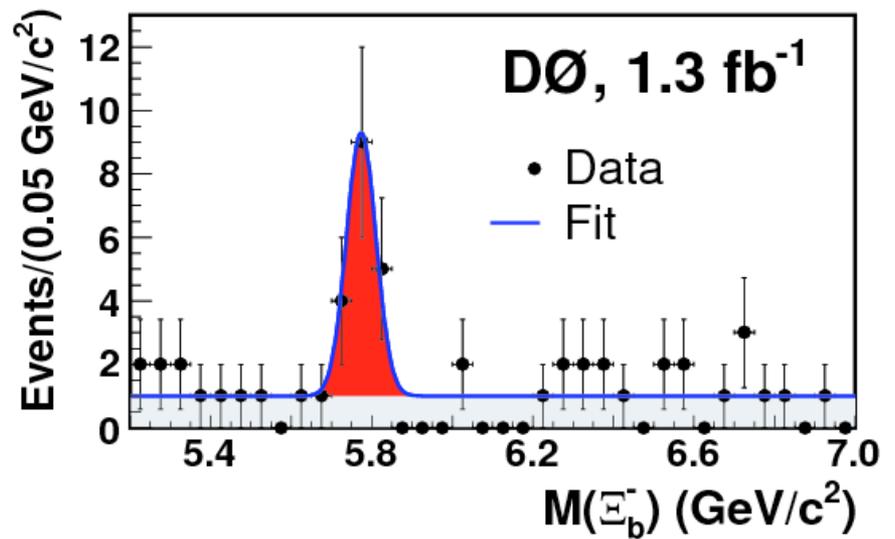
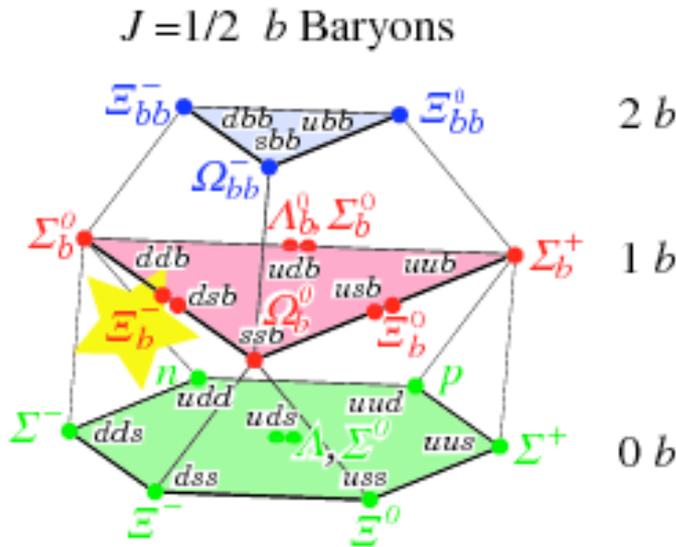
## $\Lambda_b$ Lifetime Measurements

- Motivation (status)
- Lifetime measurement using semi-reconstructed  
 $\Lambda_b \rightarrow \Lambda_c^+ \mu^- \nu$       [hep-ex/0706.2358](#)
- Lifetime measurement using fully-reconstructed  
 $\Lambda_b \rightarrow J/\psi \Lambda$       [hep-ex/0704.3909](#)
- Combined/Final result

Credits: The analyses presented today were performed by: Marcus Lewin and Guennadi Borissov (U. Lancaster); and Natalia Panikashvili and Eduard De La Cruz Burelo (U. Michigan)

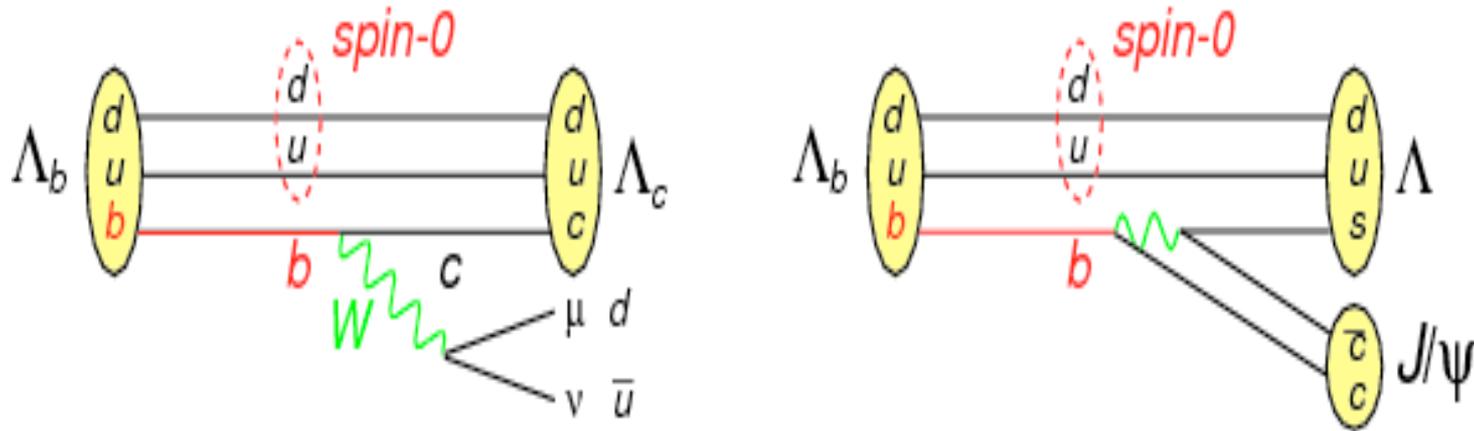


# Remember: Few weeks ago



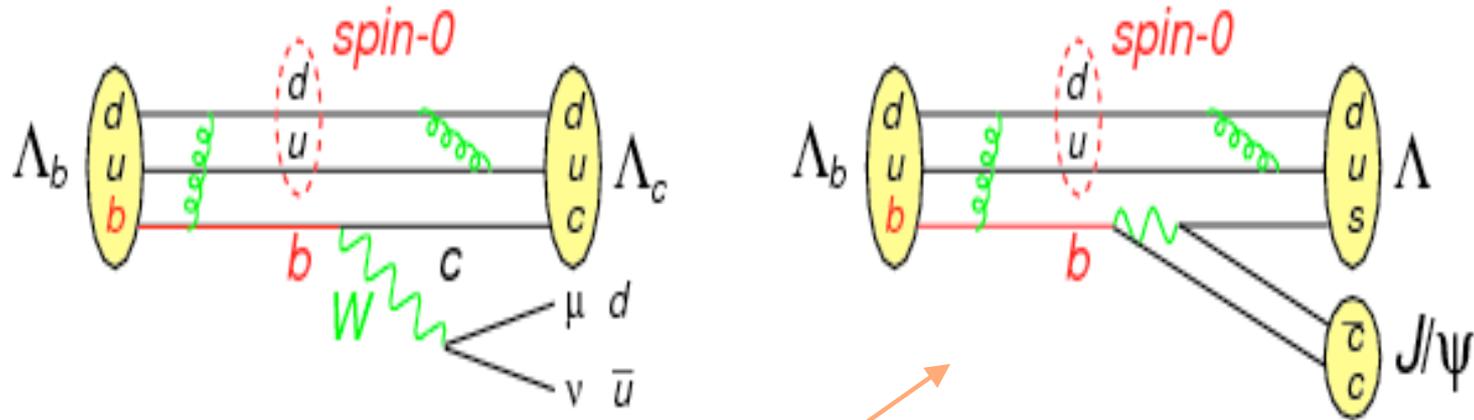
# Motivation: Lifetime

- Pattern of lifetime differences between B hadrons predicted by Heavy Quark Expansion, Spectator model



# Motivation: Lifetime

- Pattern of lifetime differences between B hadrons predicted by Heavy Quark Expansion, Spectator model messed up by interactions between quarks



- HQE: no leading order corrections a  $1/m_q$   
General feature of QCD gauge structure

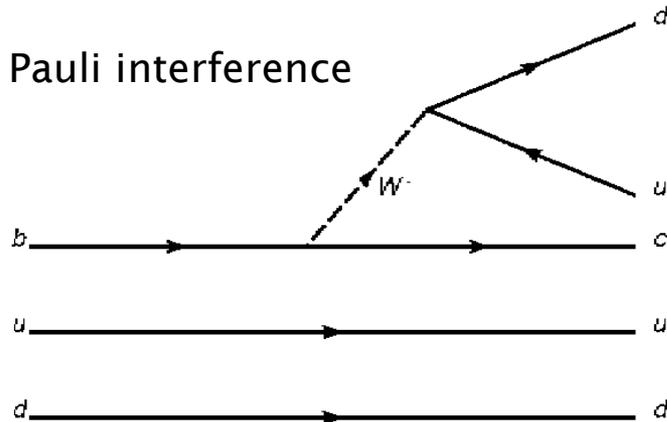
$$\delta\tau_{H_b} \sim O\left(\frac{\Lambda_{QCD}^2}{m_b^2}\right) + O\left(\frac{\Lambda_{QCD}^3}{m_b^3}\right) + \dots$$

$-\frac{1}{2} \frac{\mu_\pi^2}{m_b^2} - c_G \frac{\mu_G^2}{2m_b^2}$ 
 $\langle B | \bar{b} \Gamma q \cdot \bar{q} \Gamma' b | B \rangle$

e.g., Voloshin, Uraltsev, Kohze, Shifman

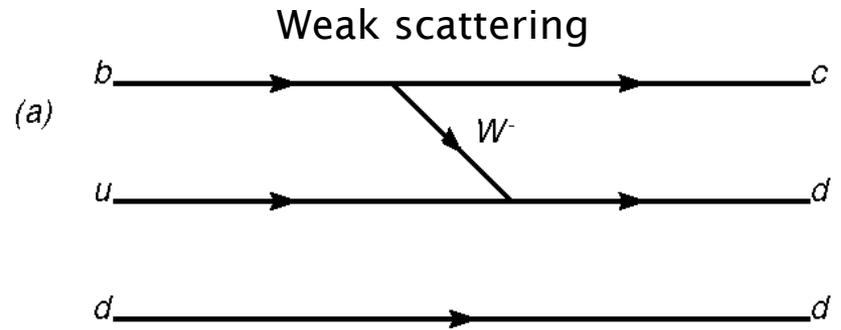


# Motivation: Lifetime differences



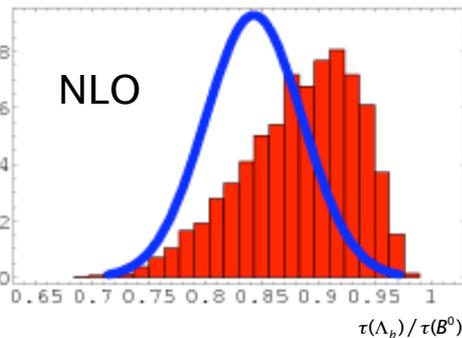
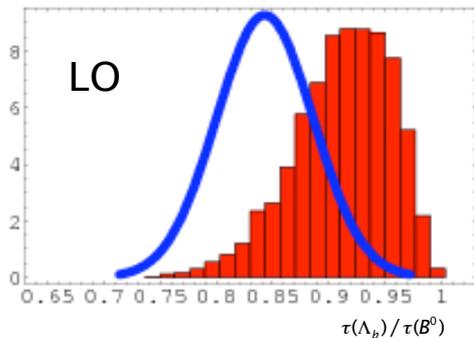
A lot of theoretical work:  
Lattice, QCD-NLO, etc.

$$O\left(\frac{\Lambda_{QCD}^3}{m_b^3}\right) \quad \text{enhanced by phase space}$$



NLO calculations: Tarantino, Franco, Lubicz, Mescia, Gabbiani, Onishchenko, Petrov among others.

experiment  
theory

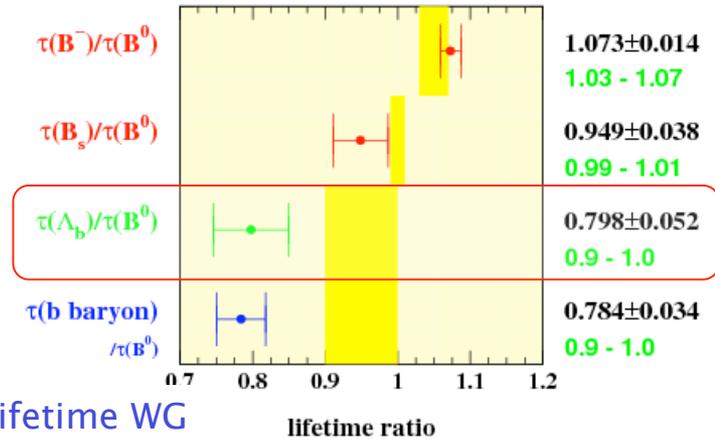
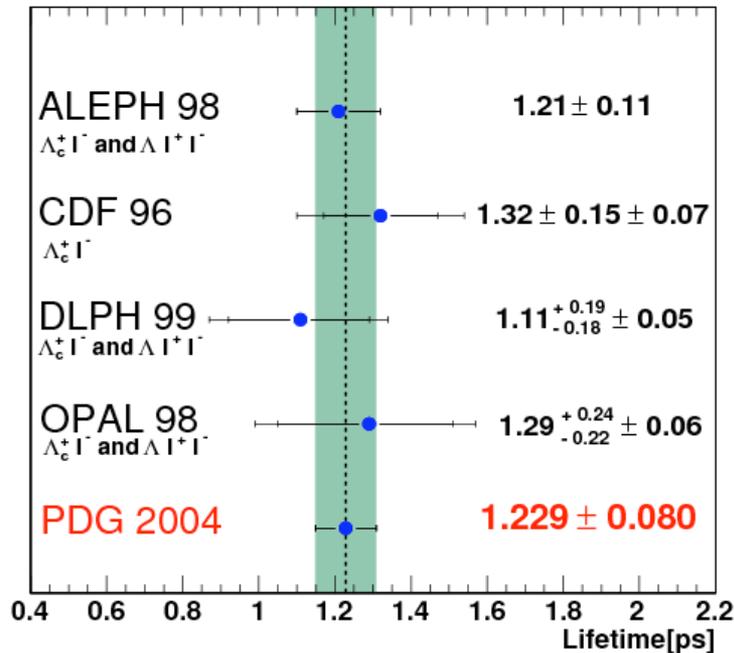


$$\frac{\tau(\Lambda_b)}{\tau(B^0)} = 0.88 \pm 0.05$$



# Motivation: $\Lambda_b$ Lifetime Puzzle

- Before RunII, theory and experiment did not agree  
 “ $\Lambda_b$  lifetime puzzle”
- World average was dominated by LEP semileptonic measurements



B Lifetime WG  
2002

- Significant improvement since then, theory has included NLO calculations, but experiments still have large uncertainties
- important to revisit this with data sets now available at the Tevatron



# Motivation: What is the status?

First  $\Lambda_b$  lifetime measurement in *exclusive* decay channel was done at D0 (250 pb<sup>-1</sup>):

$$\tau(\Lambda_b) = 1.22_{-0.18}^{+0.22} (stat) \pm 0.04 (syst) ps$$

$$\frac{\tau(\Lambda_b)}{\tau(B^0)} = 0.87_{-0.04}^{+0.17} (stat) \pm 0.03 (syst)$$

PRL 94,102001 (2005)

CDF latest result using 1 fb<sup>-1</sup>

$$\tau(\Lambda_b) = 1.593_{-0.078}^{+0.083} (stat) \pm 0.033 (syst) ps$$

$$\frac{\tau(\Lambda_b)}{\tau(B^0)} = 1.041 \pm 0.057$$

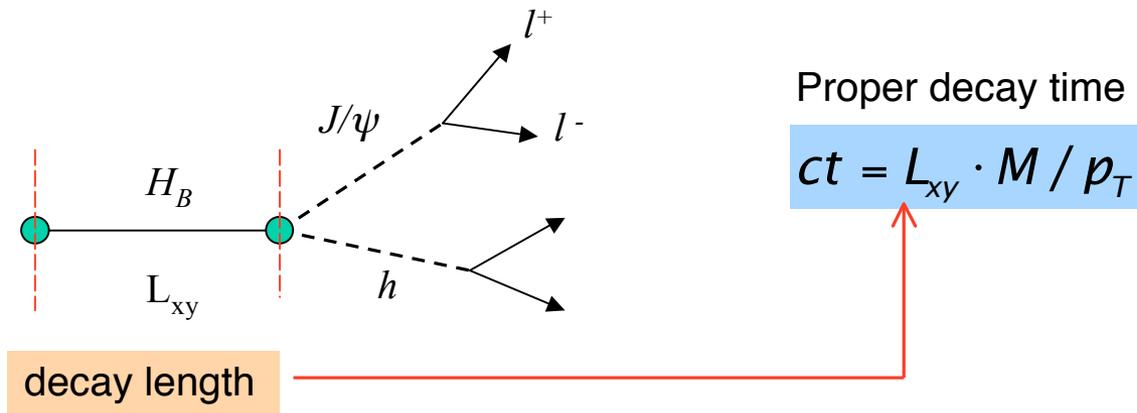
hep-ex/0609021, accepted by PRL

PDG 2006:

$$\frac{\tau(\Lambda_b)}{\tau(B^0)} = 0.803 \pm 0.049$$



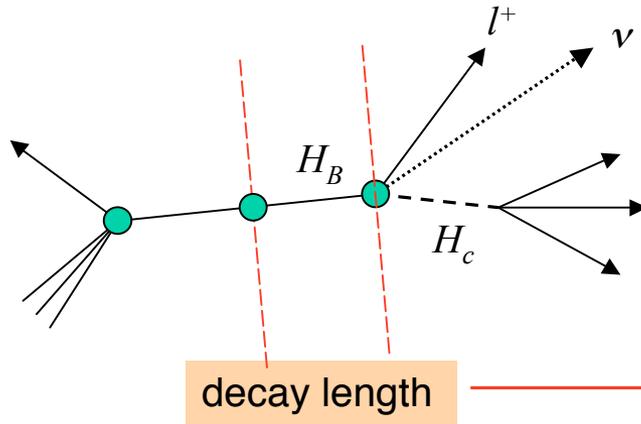
# Measuring the lifetime: hadronic channels



Pros: Full reconstructed, easy to trigger, know the boost

Cons: Low statistics

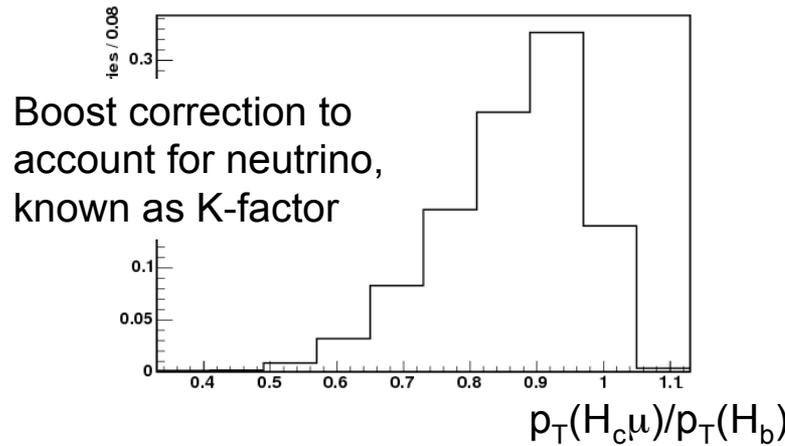
# Measuring the lifetime: Semileptonic channels



Proper decay time

$$ct = L_{xy} \cdot M / p_T$$

$p_T$  approx.



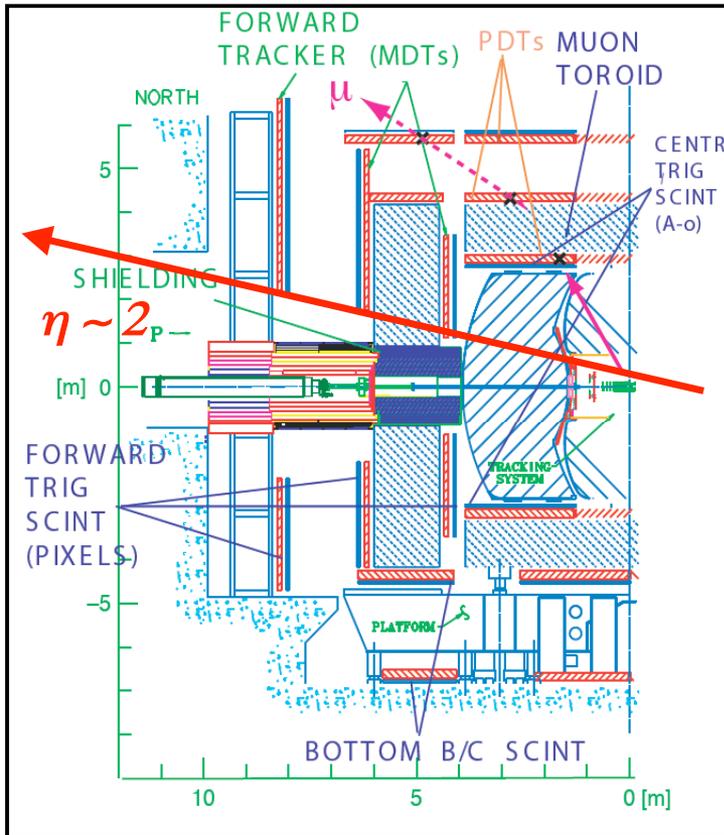
Pros: large statistics

Cons: more ambiguities, need to correct for missing neutrino

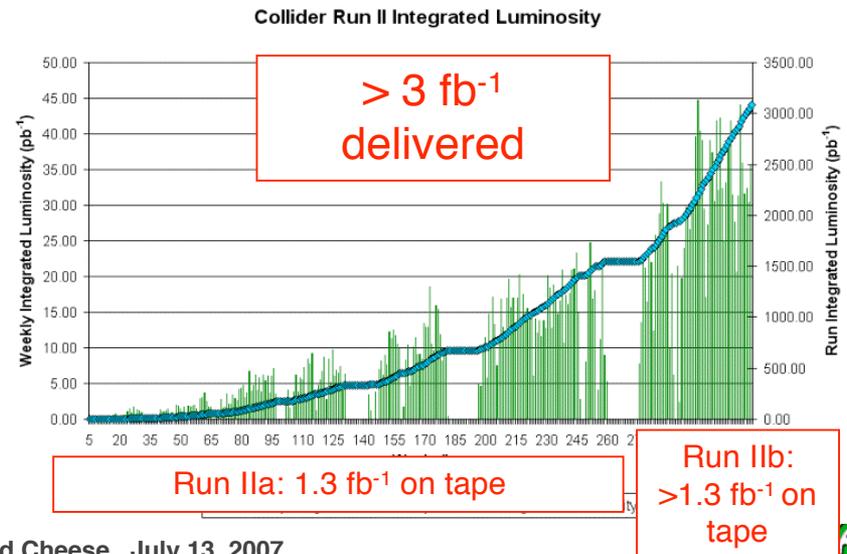
# DØ Detector and Dataset

Excellent, large angular acceptance, muon spectrometer and trigger

Large  $H_B \rightarrow \mu$  semileptonic and  $H_B \rightarrow J/\psi$  samples



	$ \eta $	$ \theta $
Muon ID	$\sim 2$	$\sim 15^\circ$
Tracking	$\sim 3$	$\sim 5^\circ$
EM and Hadronic calorimetry	$\sim 4$	$\sim 2^\circ$



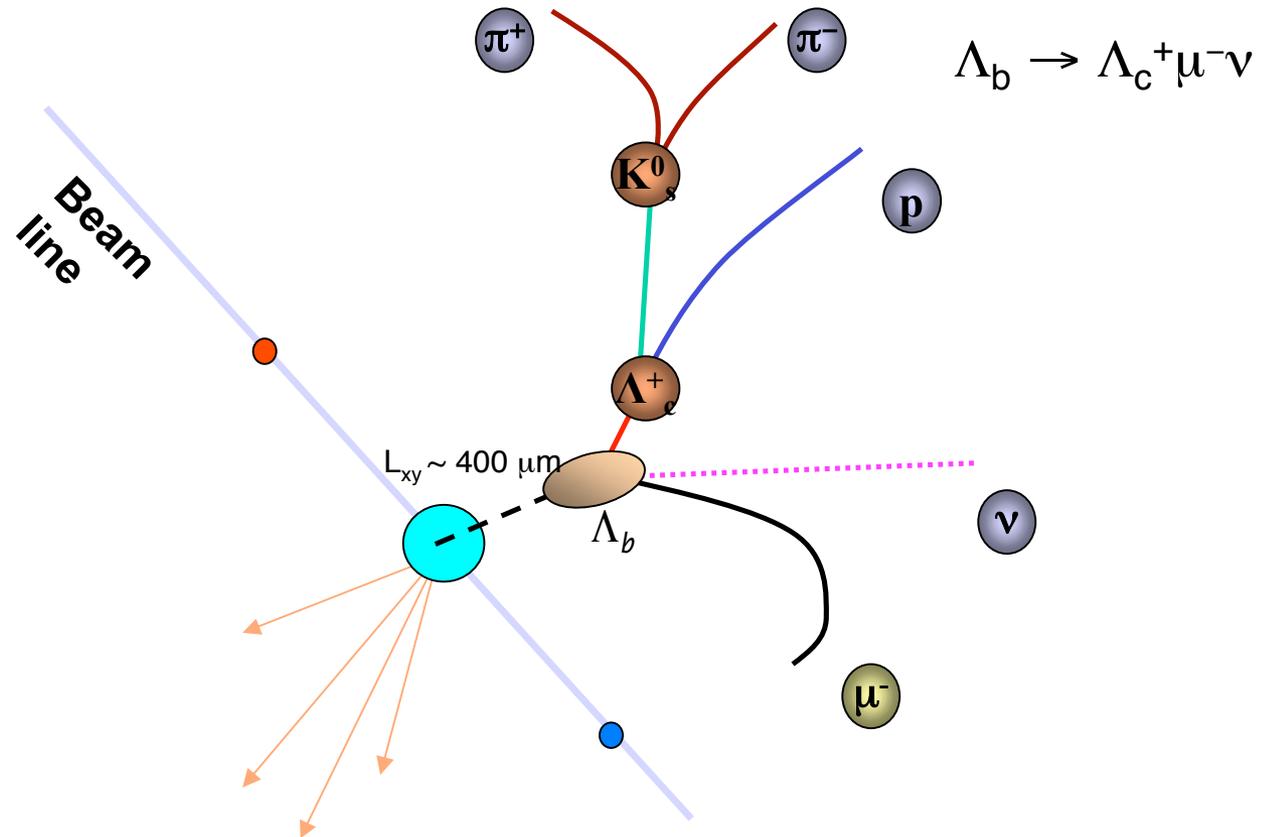
# Lifetime measurement with

$$\Lambda_b \rightarrow \Lambda_c^+ \mu^- \nu$$



# Semileptonic Decay channel

Using a large dataset, but not fully reconstructed

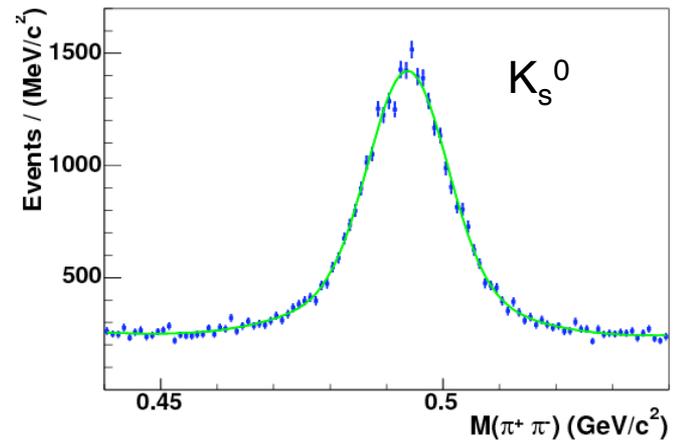


# Selection

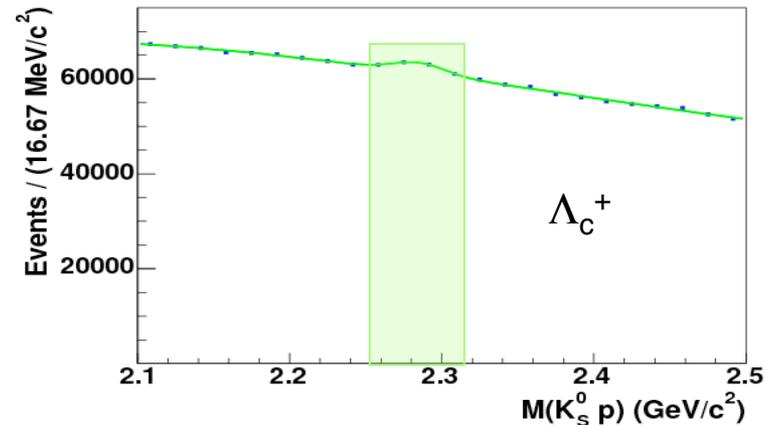
$\Lambda_b \rightarrow \Lambda_c^+ \mu^- \bar{\nu}$  followed by  $\Lambda_c^+ \rightarrow p K_s^0$

- Select events which fire a lifetime unbiased trigger

- $p_T(\mu) > 2.0$  GeV
- $p_T(K_s^0) > 0.7$  GeV
- $p_T(p) > 1.0$  GeV
- $3.4 < M(\Lambda_c^+ \mu) < 5.4$  GeV

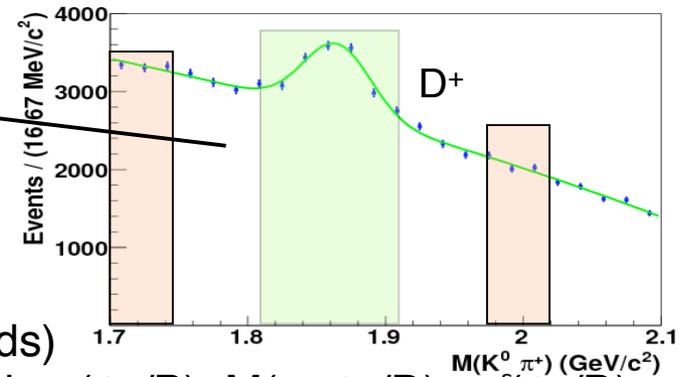
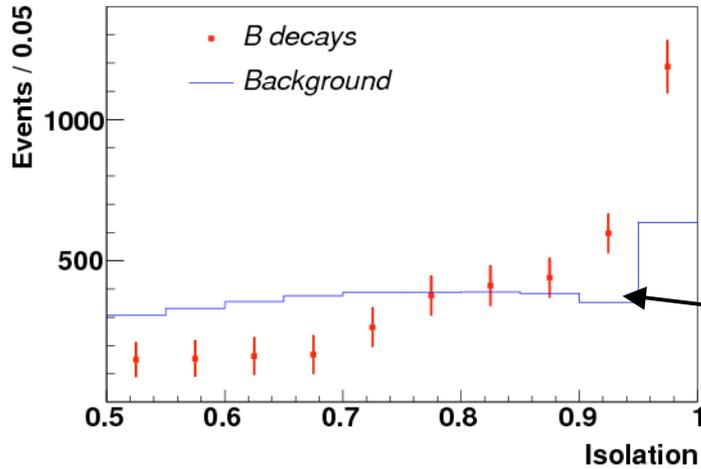
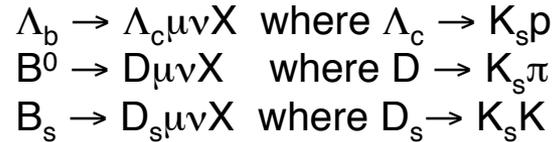


Background still very high,  
we use a likelihood ratio  
method to suppress it.



# Likelihood Ratios

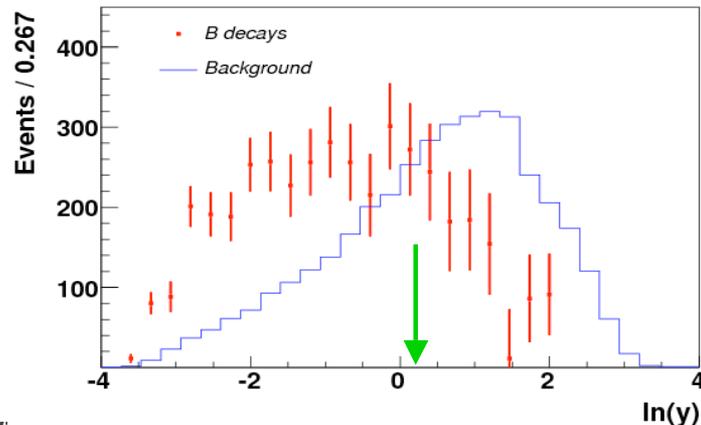
Use similar topological-kinematic decays:



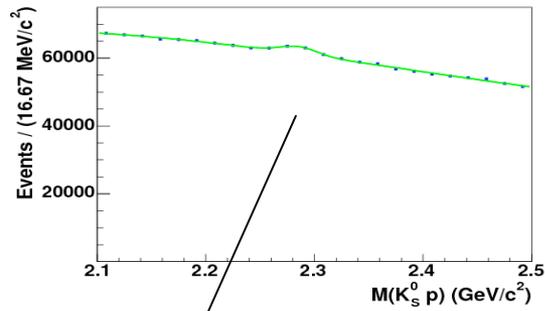
PDF(signal) = PDF(signal band) - PDF(sidebands)

Discriminating variables:  $p_T(K_s^0)$ ,  $p_T(p/\pi)$ , isolation ( $\Lambda_b/B$ ),  $M(\mu+\Lambda_c/D)$ ,  $p_T(\Lambda_c/D)$

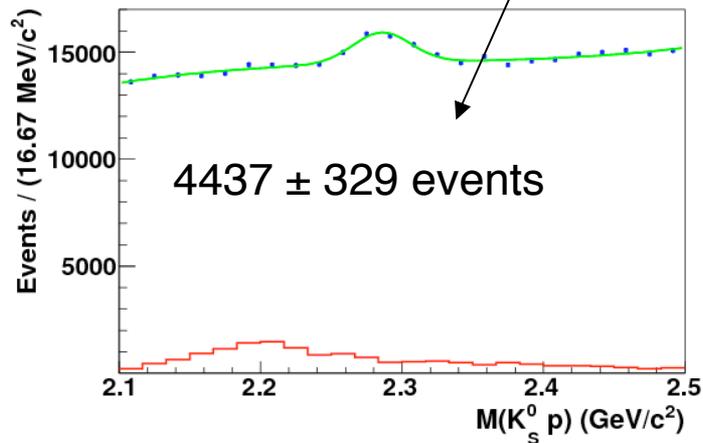
Cut on combined  $\ln(y)$ , for the maximum  $\Lambda_c$  signal significance:  $< 0.1$



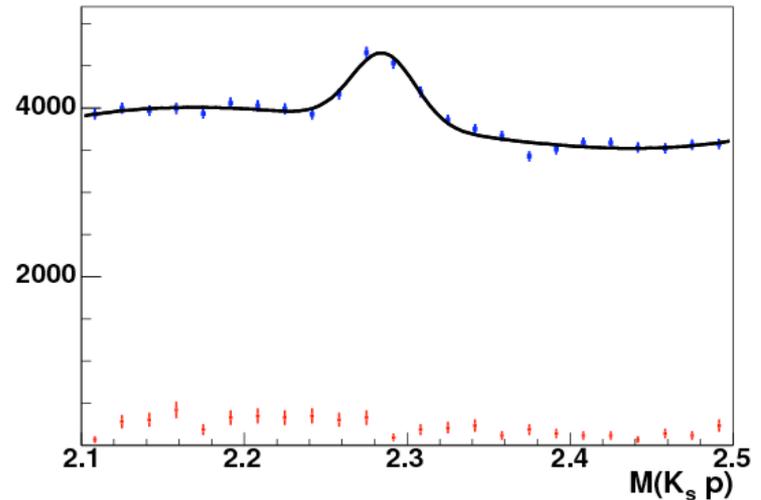
# Final Selection



Final sample:  $\Lambda_c + \mu$



Final sample with VPD > 200 μm



$B^0/B^+/B_s \rightarrow D^+\mu^-\nu$  ( $D^+ \rightarrow K_s^0 \pi$ ) reflections evaluated with MC (red)



# Lifetime fit

- Measure the transverse decay length  $L_{xy}$  and calculate the visible proper decay length (VPDL)  $\lambda$

$$\lambda = L_{xy} \frac{M}{p_T(\Lambda_c \mu)} = \frac{c\tau(\Lambda_b)}{K} \quad L_{xy} = \frac{\vec{X} \cdot \vec{p}_T(\Lambda_c \mu)}{p_T(\Lambda_c \mu)}$$

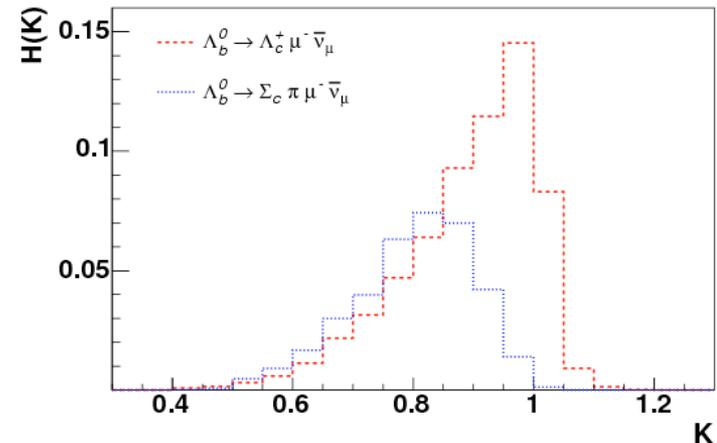
- $\Lambda_b$  not fully reconstructed so include a “K factor”

$$K = \frac{p_T(\Lambda_c \mu)}{p_T(\Lambda_b)}$$

- Distributions of K factors from MC

$$\Lambda_b \rightarrow \Lambda_c \mu \nu$$

$$\Lambda_b \rightarrow \Sigma_c \mu \pi \nu$$



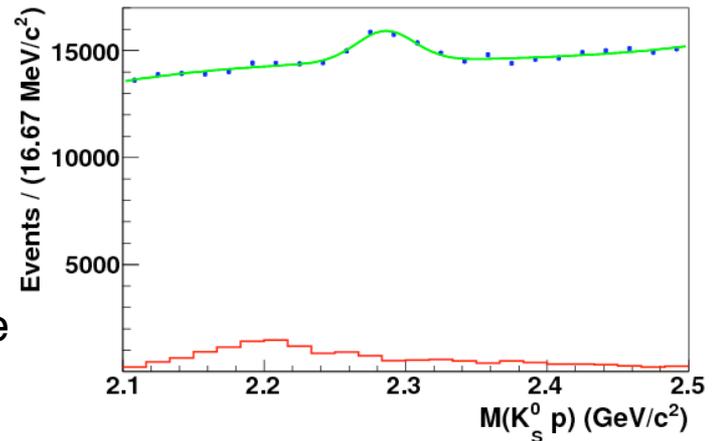
We found that other contributions such as:  $\Lambda_b \rightarrow \Lambda_c + D_s^{(*)-}$ ,  $\Xi_b \rightarrow \mu \nu \Lambda_c X$  and  $\Lambda_b \rightarrow \tau \nu \Lambda_c X$  are very suppressed (small Br and low eff.)

systematics include very large variation in the  $\Sigma_c$  fraction



# Lifetime Fit

- To get the lifetime we usually use an unbinned maximum likelihood fit; however, here the result would be completely dominated by uncertainties in the background model due to the small S/N, therefore we pursue a different procedure



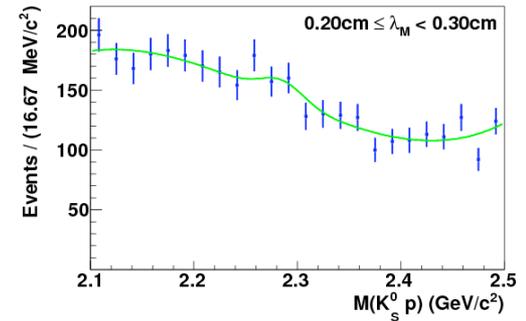
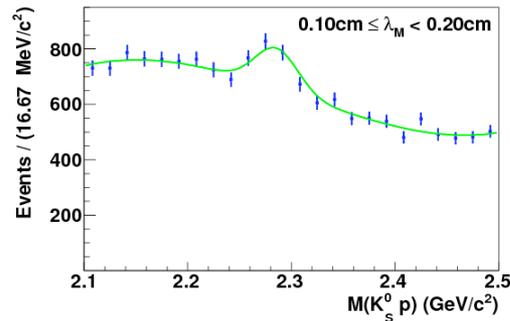
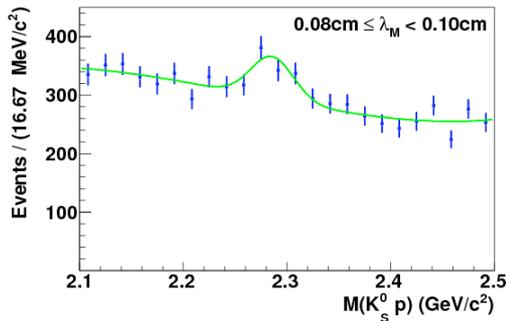
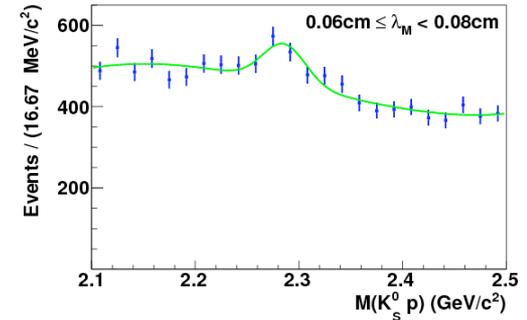
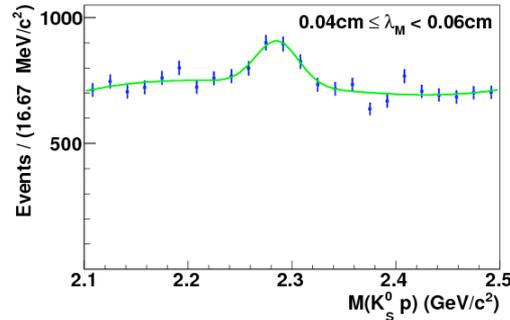
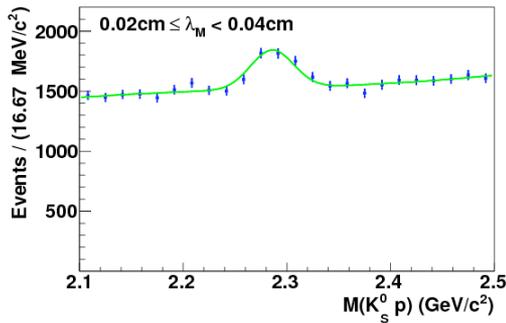
- We use a binned  $\chi^2$  fit
  - Split the sample into bins of visible proper decay length and fit the invariant mass distribution in each bin to obtain the yields  $n_i$  and their errors,  $\sigma_i$
  - Use signal PDF,  $F(\lambda_M)$  to calculate the expected numbers in each bin
  - Minimize  $\chi^2$ ,  $N_{TOT}$  is the total number of signal events

$$\chi^2 = \sum_{i=1}^{N_{bin}} \frac{\left( n_i - N_{TOT} * \int_{bin_i} F(\lambda_M) d\lambda_M \right)^2}{\sigma_i^2}$$



# Bins of Visual Proper Decay Length

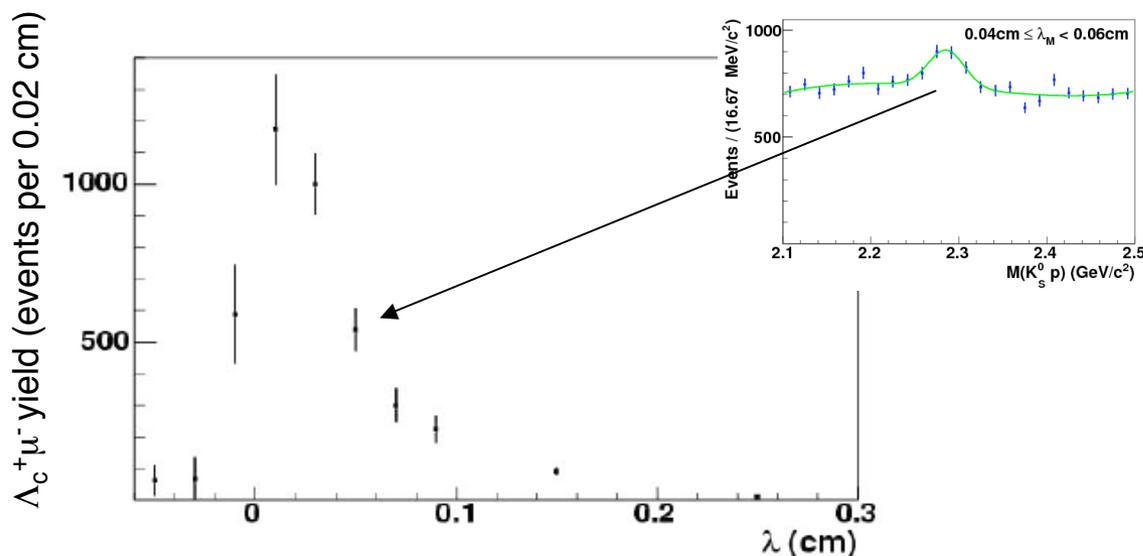
Mass and width are fixed to values found in the full sample, background is modeled by a 4th-degree polynomial



Systematic uncertainty will be dominated by this fitting procedure



# Lifetime Fit



- Distribution of measured VPDL for signal

$$F_s(\lambda_M) = \int d(K)H(K) \left[ \frac{K}{c\tau(\Lambda_b)} e^{-K\lambda/c\tau(\Lambda_b)} \otimes R_1(\lambda_M - \lambda, s) \right]$$

- Resolution function

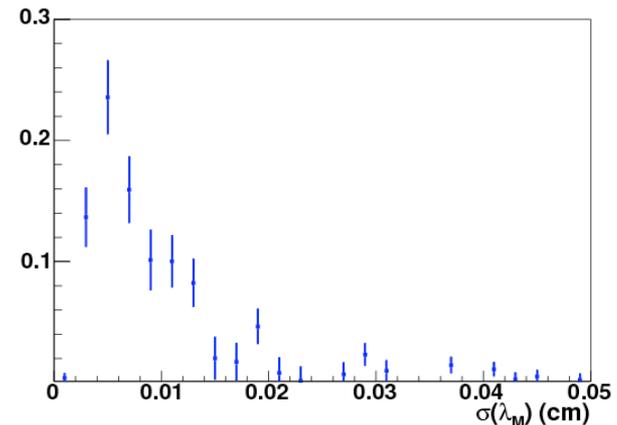
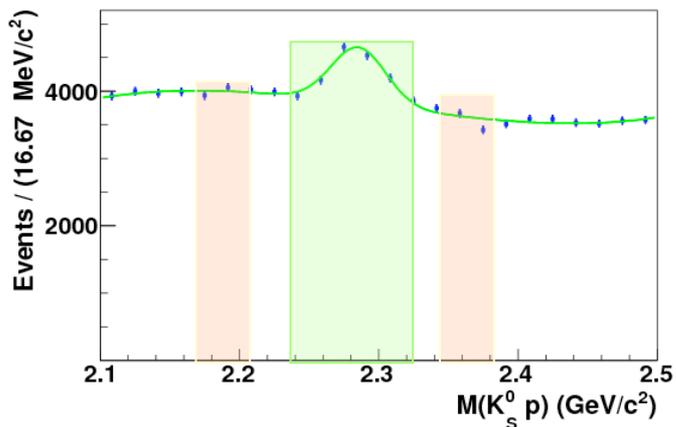
$$R(\lambda_M - \lambda, s) = \int P(\sigma)G(\lambda_M - \lambda, \sigma, s)d\sigma$$

- Scale factor  $s$  to take into account misestimate of error on VPDL



# Error Distribution

- Following a lifetime cut
- Use signal band and sidebands to estimate the signal error  
 $\text{PDF}(\text{signal}) = \text{PDF}(\text{signal-band}) - \text{PDF}(\text{sidebands})$

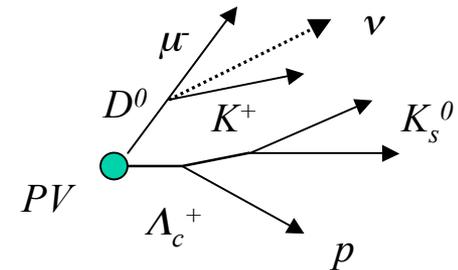


- We sum over the bins of normalized signal error distribution to do the integral



# Prompt/Direct c $\bar{c}$ Background

- The signal peak contains contributions from the signal as well as  $\Lambda_c$  produced at the primary vertex with muons from another charm decay - the c $\bar{c}$  background

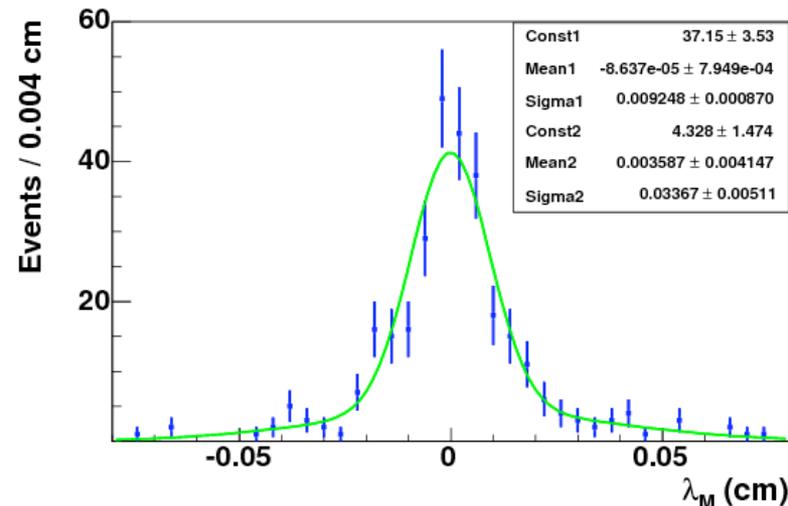


- VPDL distribution centered at zero
- Then the full PDF for the signal peak is

$$F_{TOT}(\lambda_M) = (1 - f_{CC})F_s(\lambda_M) + f_{CC}G(\lambda_M)$$

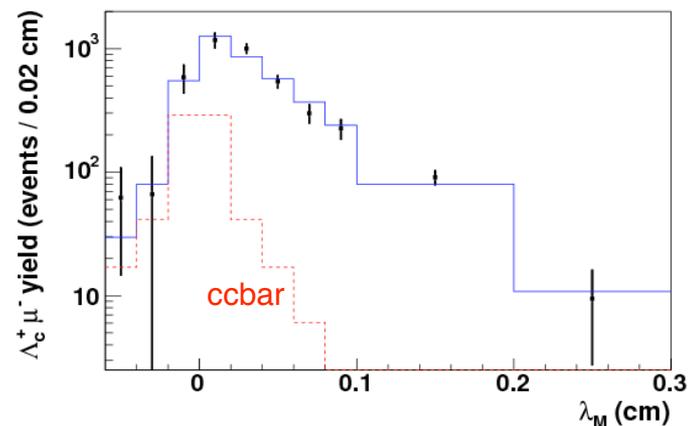
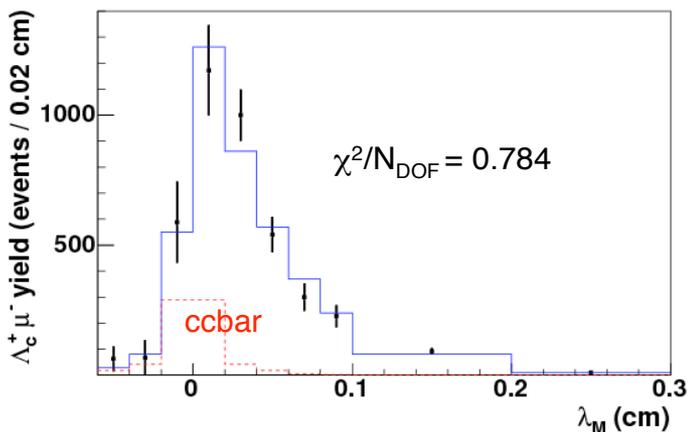
- We float the  $f_{CC}$  fraction of c $\bar{c}$  in the signal peak
- MC is used to get the distribution
- To parameterize it, we use a double Gaussian centered at zero with the widths and relative fractions from the fit to MC distribution

VPDL distribution for c $\bar{c}$  MC



# Lifetime Fit

- 3 parameters go into the fit:  $N_{TOT}$ ,  $c\tau$ , and  $f_{cc}$
- Resolution scale factor,  $s$ , is fixed, it was found in another study to be  $1.19 \pm 0.06$



Parameter	Fitted value	stat. error	units
$N_{TOT}$	4471	296	hep-ex/0706.2358
$f_{cc}$	0.160	+0.068 -0.074	
$c\tau(\Lambda_b)$	387.0	+35.6 -33.0	$\mu\text{m}$

- Consistent with world average:  $369 \pm 22 \mu\text{m}$  (PDG2006)

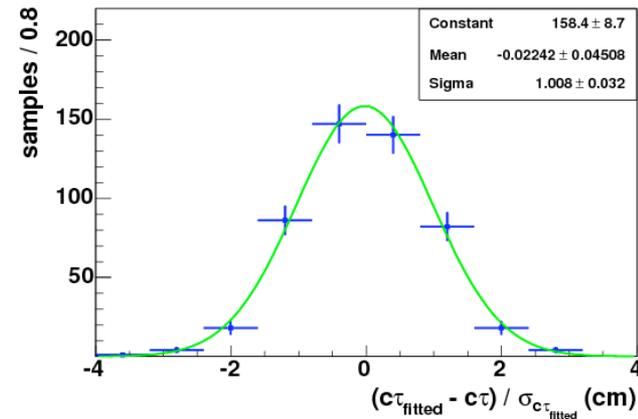
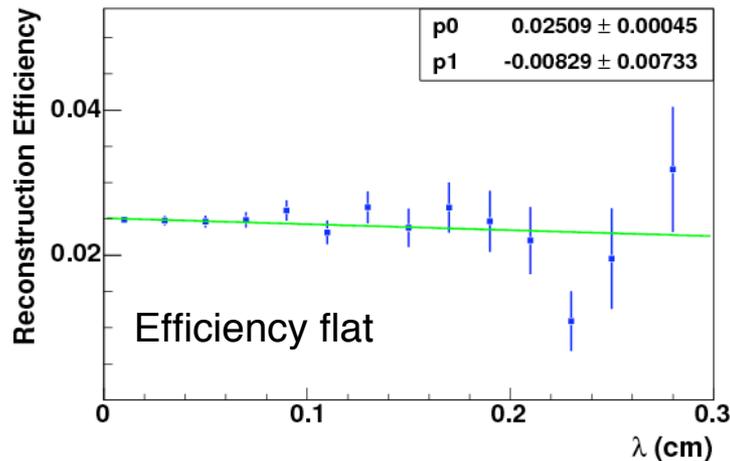


# Consistency Checks

We test our fitting procedure and selection using MC signal events  $\Lambda_b \rightarrow \Lambda_c^+ \mu^- \nu$  :

- get  $369.3 \pm 5.5 \mu\text{m}$  when input  $368 \mu\text{m}$
- fitted scale factor,  $0.976 \pm 0.054$

Toy MC studies indicate no significant bias



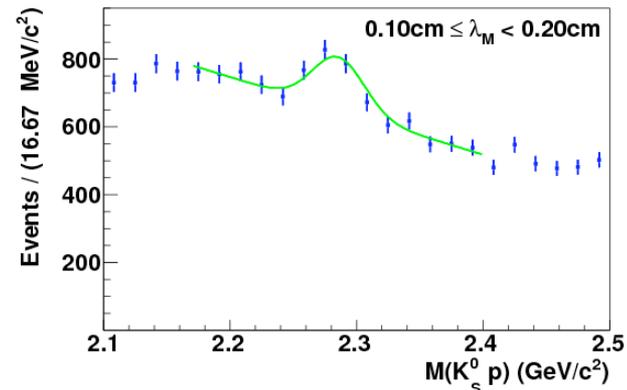
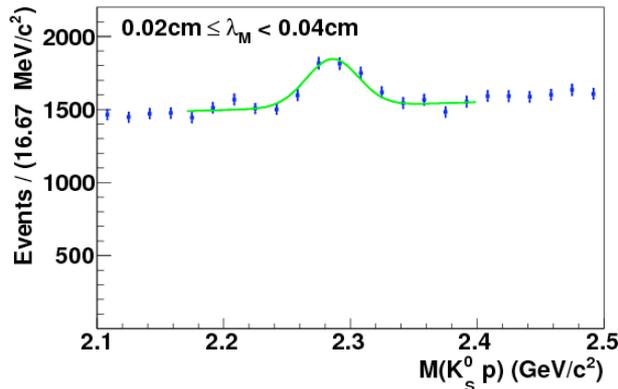
Split sample tests, consistent

Sample	$c\tau$ ( $\mu\text{m}$ )
Run < 196000	$419 \pm 54$
Run > 196000	$358 \pm 57$
$\eta(\mu) > 0$	$381 \pm 48$
$\eta(\mu) < 0$	$406 \pm 56$
$q(\mu) > 0$	$381 \pm 50$
$q(\mu) < 0$	$378 \pm 49$



# Systematic Uncertainties

- Mass fitting
  - Redo the mass fits with different background model, over small range
  - shift bins by half bin width, remove end bins, half width bins
  - Largest observed shift of 20  $\mu\text{m}$



- Prompt/Direct c $\bar{c}$ 
  - Vary widths and fractions by errors
  - Increase widths by 20% for resolution underestimates
- K-factor distributions
  - vary branching fractions over wide range, pT cut, differences due to kinematics/decay model estimated from previous studies - 2% change to K-factors
- Scale factor - vary by 20% to take into account errors from the study and its value when it is allowed to float
- Alignment



# Systematic Uncertainty

- Possible background  $B \rightarrow \Lambda_c \mu \nu X$ 
  - Decay has not yet been observed
  - Measured upper limit:  
$$\text{Br}(B \rightarrow \Lambda_c e \nu X) < 3.2 \times 10^{-3} \text{ (90\% CL)}$$
  - This channel would reduce the measured lifetime since we overestimate the boost
  - Should be suppressed by branching ratio and low mass of  $(\mu \Lambda_c)$  system (another baryon must be present)
  - The upper 90% CL limit on the fraction of this decay translates to a 5% contamination in this sample
  - This would reduce the  $\Lambda_b$  lifetime by 0.027 ps



# Systematic Uncertainties

Source	Uncertainty in $\tau(\Lambda_b)$ [ps]
Detector alignment	0.018
Mass fitting	0.067
K-factor	0.036
peaking background	0.012
resolution scale factor	0.036
$B \rightarrow \mu\nu\Lambda_c X$	+0.000 -0.027
Total	+0.087 -0.091



# Semileptonic Lifetime Result

- We measure the lifetime in the  $\Lambda_b \rightarrow \Lambda_c \mu \nu X$  decay channel to be:

$$\tau(\Lambda_b) = 1.290_{-0.110}^{+0.119} (\text{stat})_{-0.091}^{+0.087} (\text{syst}) \text{ ps}$$

hep-ex/0706.2358

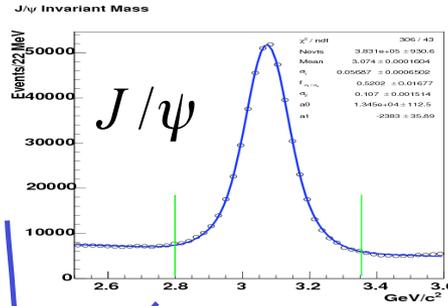


# Lifetime measurement with $\Lambda_b \rightarrow J/\psi \Lambda$



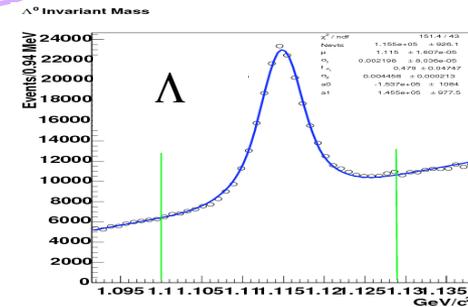
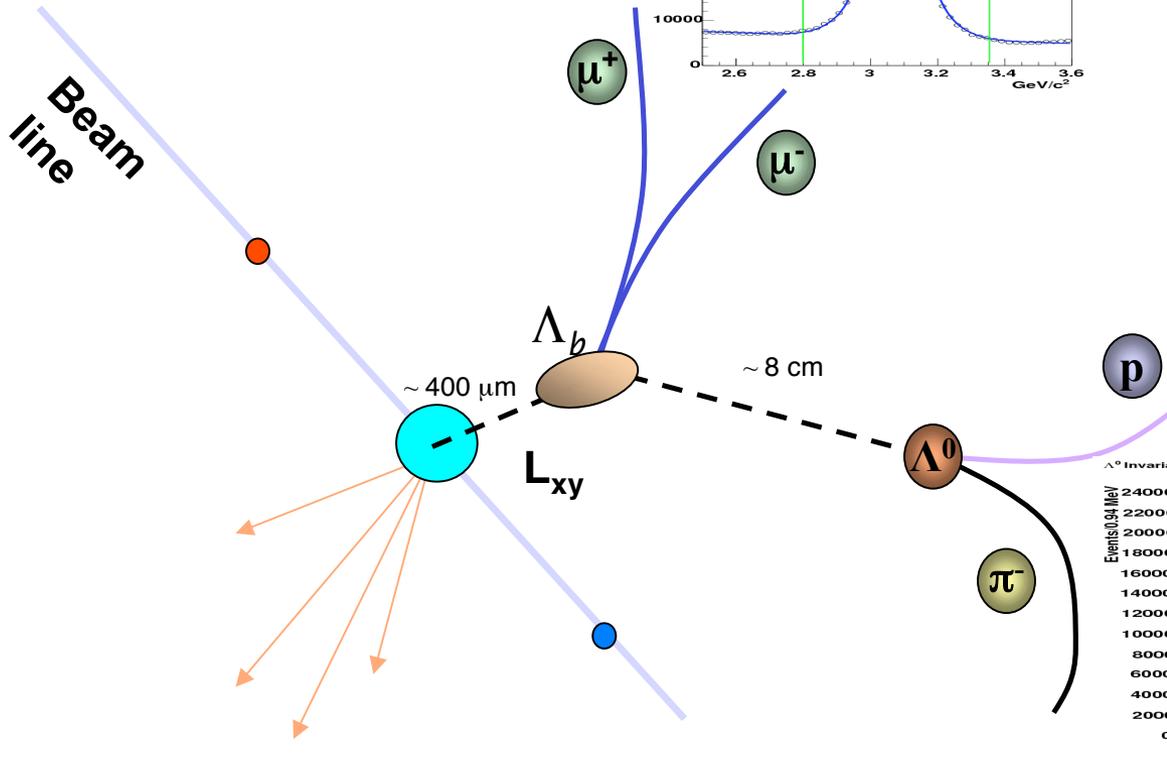
# $\Lambda_b \rightarrow J/\psi \Lambda$ Reconstruction

- we reconstruct  $\Lambda_b \rightarrow J/\psi \Lambda$  optimizing the ratio  $S / \sqrt{S + B}$

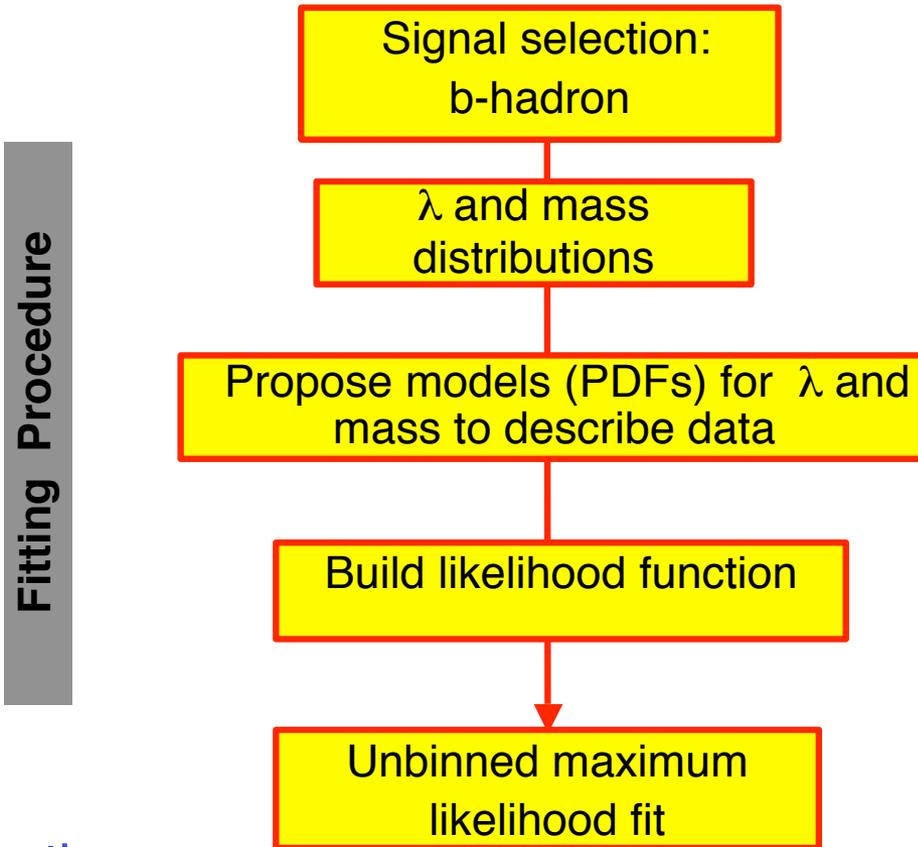


$$L_{xy} = \frac{\vec{L}_{xy} \cdot \vec{p}_T}{|\vec{p}_T|}$$

$$\lambda = \frac{L_{xy}}{(\beta\gamma)_T} = L_{xy} \frac{M_B}{p_T^B}$$



# Strategy



Likelihood function:

$$L = N_S S_M S_\lambda S_E + N_b \left( f_P B_{M(sh)} B_{\lambda(sh)} + (1 - f_P) B_{M(lg)} B_{\lambda(lg)} \right) B_E$$



# Mass PDF

$S_M$  – single Gaussian distribution

$$S_M(M_j) = \left( \frac{1}{\sqrt{2\pi\sigma}} \right) e^{-\frac{(M_j - \mu)^2}{2\sigma^2}}$$

$B_{M[sh]}$  – flat distribution for prompt background

$$B_{M[sh]}(M_j) = 1/(M_{\max} - M_{\min})$$

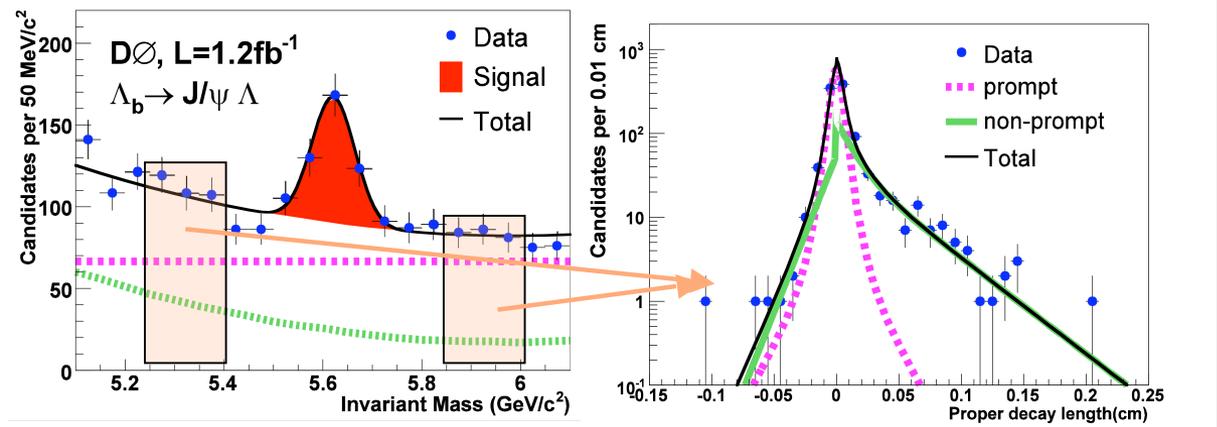
$B_{M[lg]}$  – second-order polynomial function for non-prompt background

$$B_{M[lg]}(M_j) = \frac{1}{M_{\max} - M_{\min}} \left( 1 - \frac{1}{2} A_1 (M_{\max}^2 - M_{\min}^2) - \frac{1}{3} A_2 (M_{\max}^3 - M_{\min}^3) \right) + A_1 M_j + A_2 M_j^2$$

Where  $m, s, A_1, A_2$  are free parameters of the fit;

--- Prompt component of the background,  $J/\psi$  direct production

--- Non-prompt component of the background (partial reco heavy hadrons)



# Proper Decay Length PDF

- $S_\lambda$  – Convolution of exponential decay and resolution function

$$S_{LF}(\lambda_j, \sigma_{\lambda_j}) = \frac{1}{\lambda_B \sqrt{2\pi s \sigma_j}} \int_0^\infty \text{Exp}\left(-\frac{(x - \lambda_j)^2}{2(s\sigma_j)^2}\right) \text{Exp}\left(-\frac{x}{\lambda_B}\right) dx$$

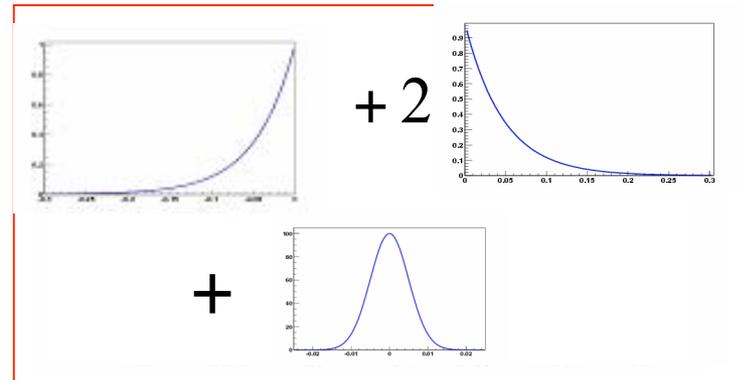
Where  $\lambda_B = c\tau(\Lambda_b)$ , s-scale factor,  $\sigma_j$  is event-per-event uncertainty

- $B_\lambda$  – Prompt component
- Resolution function

Non-prompt component

- Short - lived component
  - Negative and Positive exp. Decay
- Long - lived component
  - Positive exp. decay

Models:

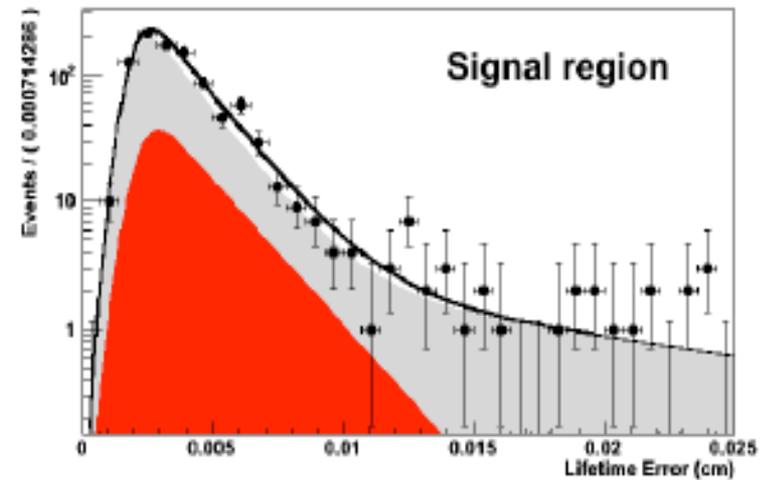
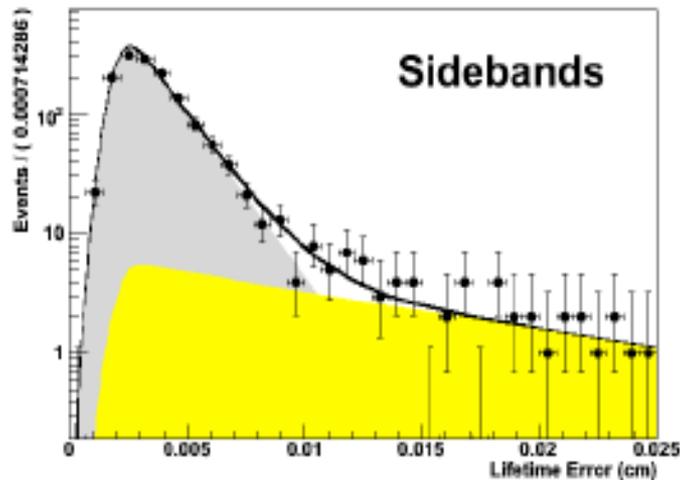


$$B_{\lambda[\text{lg}]}(\lambda_j, \sigma_j) = \begin{cases} \frac{f_1^+}{\lambda_1^+} e^{-\frac{\lambda_j}{\lambda_1^+}} + \frac{f_2^+}{\lambda_2^+} e^{-\frac{\lambda_j}{\lambda_2^+}} & (\lambda_j \geq 0) \\ \frac{(1 - f_0 - f_1^+ - f_2^+)}{\lambda_2^+} e^{-\frac{\lambda_j}{\lambda_2^+}} & (\lambda_j < 0) \end{cases}$$



# PDF of $\sigma(\lambda)$ uncertainty

- Distribution of uncertainty of  $\lambda$  for Signal and Background looks different

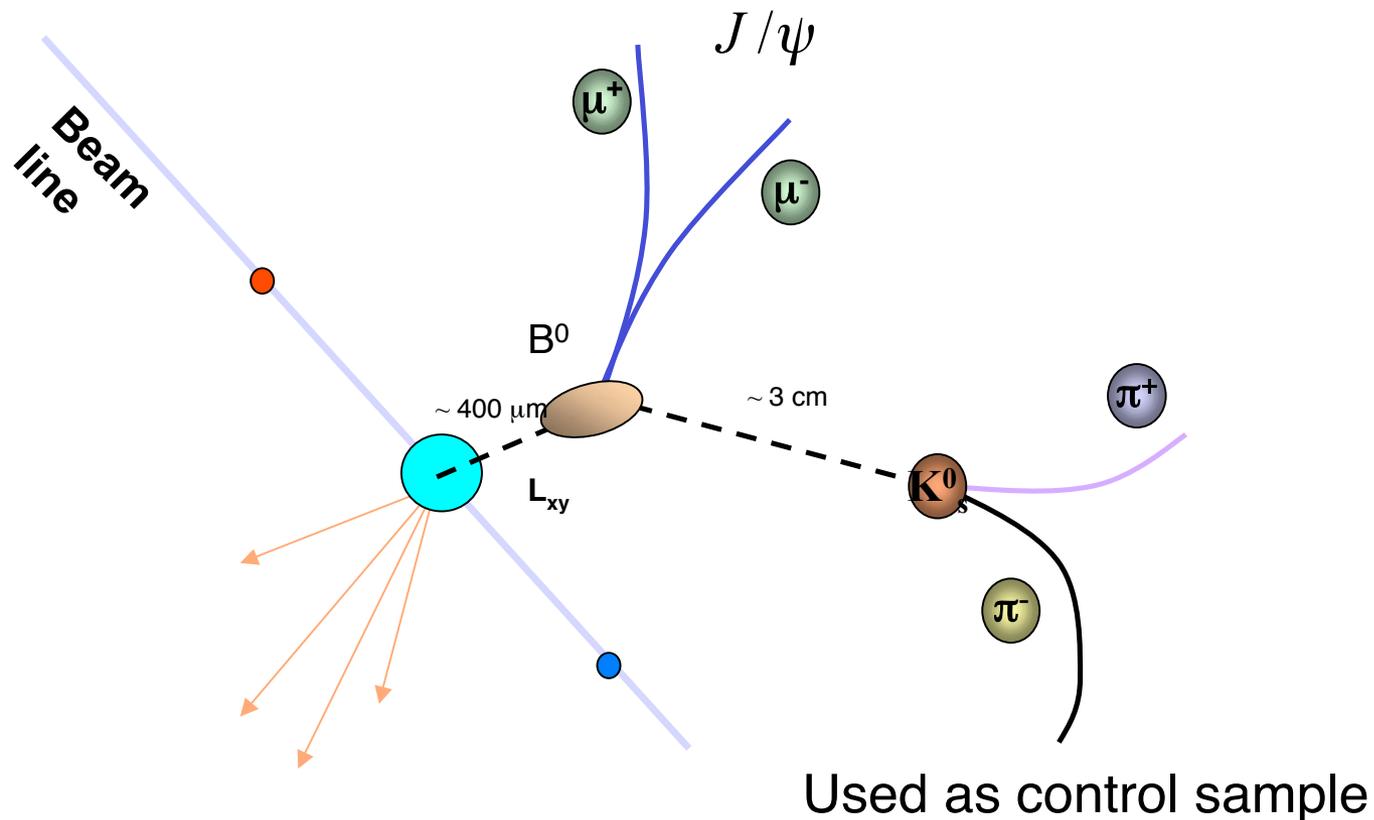


- First, the  $\sigma(\lambda)$  uncertainty distribution of the background region is fitted  $\rightarrow$  fix all parameters and fit signal region (Ns – from the fit of mass distribution)  $\rightarrow$  fix all parameters to fit data



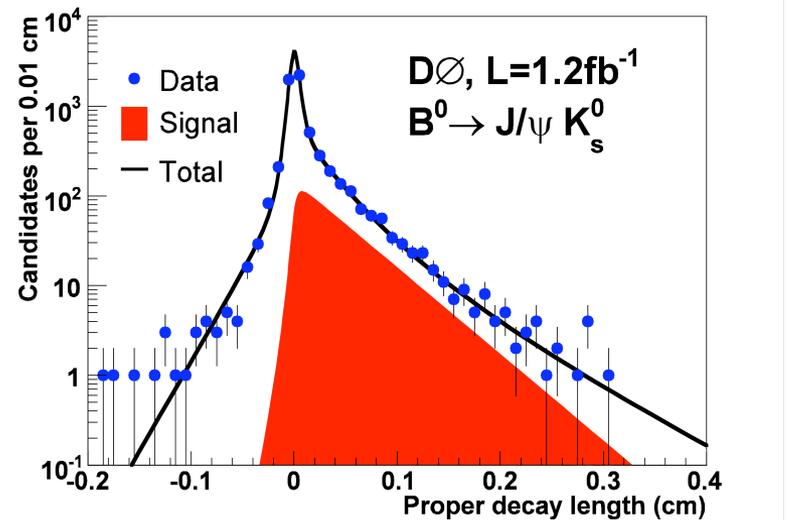
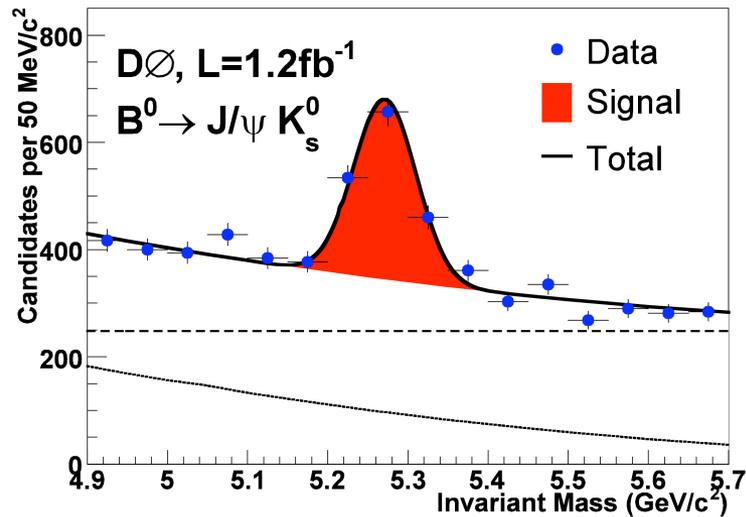
# Lifetime of $B^0$

Similar topology:  $B^0 \rightarrow J/\psi(\mu^+\mu^-) K_s^0(\pi^+\pi^-)$   
just replace  $\Lambda$  with  $K_s^0$



# Lifetime of $B^0$

Similar topology:  $B^0 \rightarrow J/\psi(\mu^+\mu^-) K_s^0(\pi^+\pi^-)$



For  $B^0$  in the decay channel  $B^0 \rightarrow J/\psi K_s^0$ :  $N_s = 717.1 \pm 37.7$

$$c\tau(B^0) = 450.0_{-22.1}^{+23.5}(\text{stat}) \pm 14.9(\text{syst}) \mu\text{m}$$

$$\tau(B^0) = 1.501_{-0.074}^{+0.078}(\text{stat}) \pm 0.050(\text{syst}) \text{ps}$$

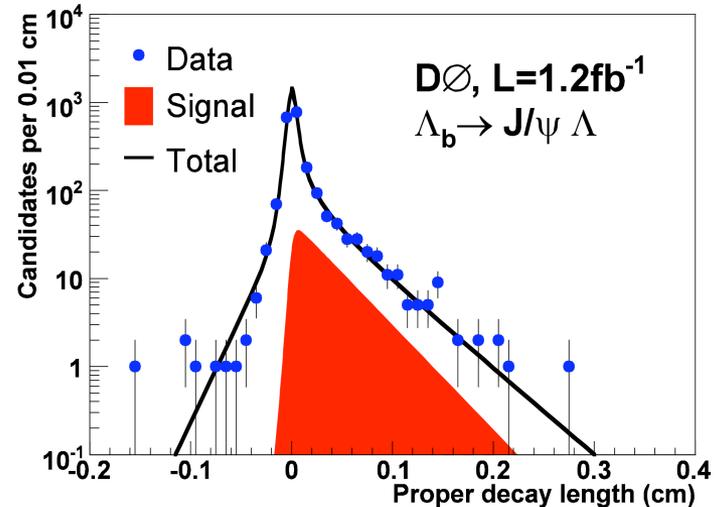
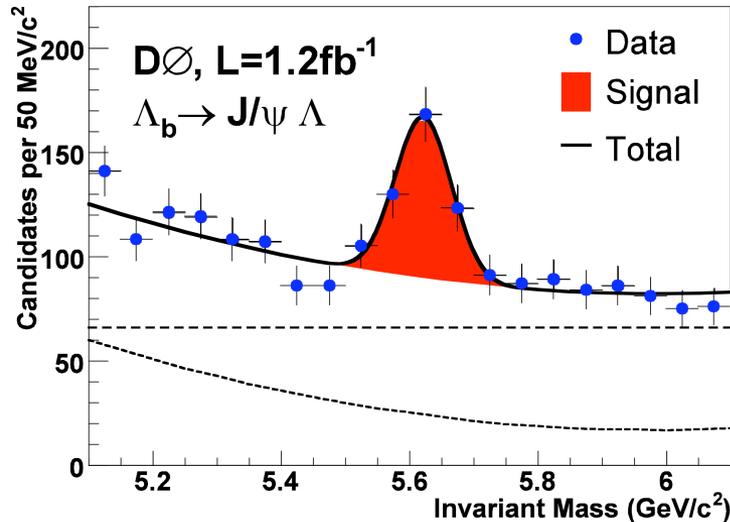
hep-ex/0704.3909

PDG 2006:

$$\tau(B^0) = 1.530 \pm 0.009 \text{ps}$$



# Exclusive $\Lambda_b$ Lifetime



For  $\Lambda_b$  in the decay channel  $\Lambda_b \rightarrow J/\psi \Lambda$ :  $N_s = 171.3 \pm 20.0$

$$c\tau(\Lambda_b) = 365.1_{-34.7}^{+39.1}(\text{stat}) \pm 12.7(\text{syst}) \mu\text{m}$$

$$\tau(\Lambda_b) = 1.218_{-0.115}^{+0.130}(\text{stat}) \pm 0.042(\text{syst}) \text{ps}$$

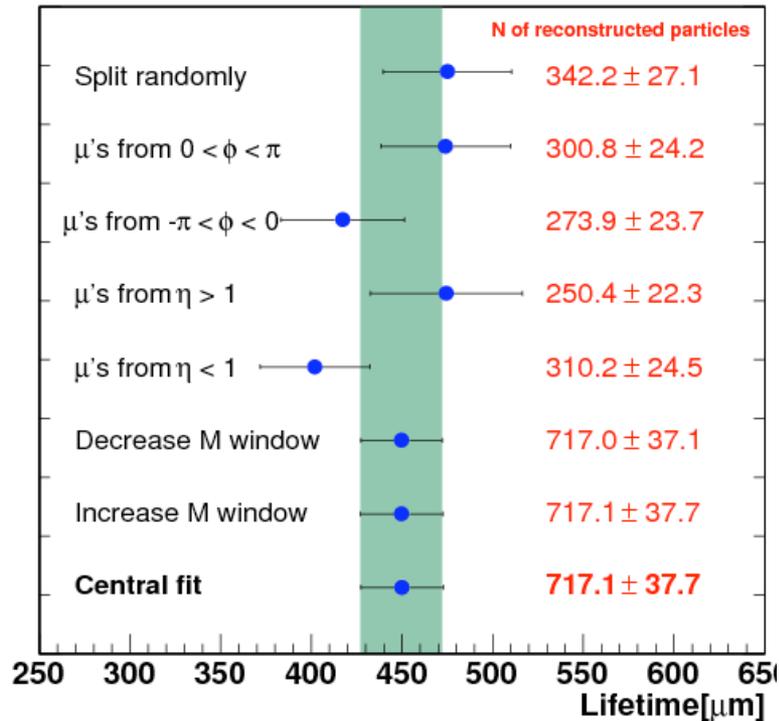
hep-ex/0704.3909

PDG 2006:

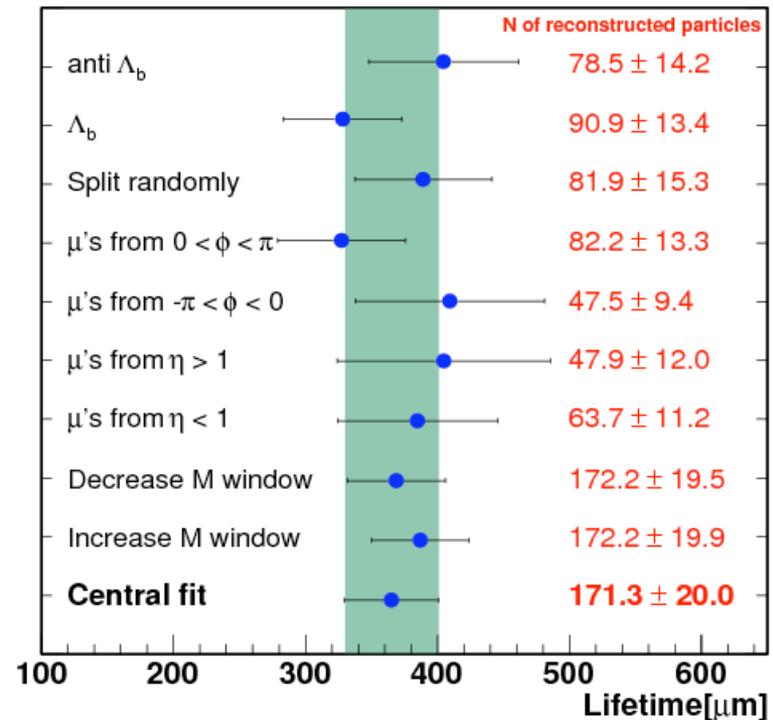
$$\tau(\Lambda_b) = 1.230 \pm 0.074 \text{ps}$$



# Consistency Checks



Split sample technique, all tests are consistent



# Systematic Uncertainties

Sources	$B^0$ ( $\mu m$ )	$\Lambda_b$ ( $\mu m$ )	Ratio
Alignment	5.4	5.4	0.002
Distribution models	2.8	6.6	0.020
Long-lived components	13.6	6.0	0.022
Contamination	-	7.2	0.016
Total syst.	14.9	12.7	0.034
Stat.	+23.5 -22.1	+39.1 -34.7	+0.096 -0.087

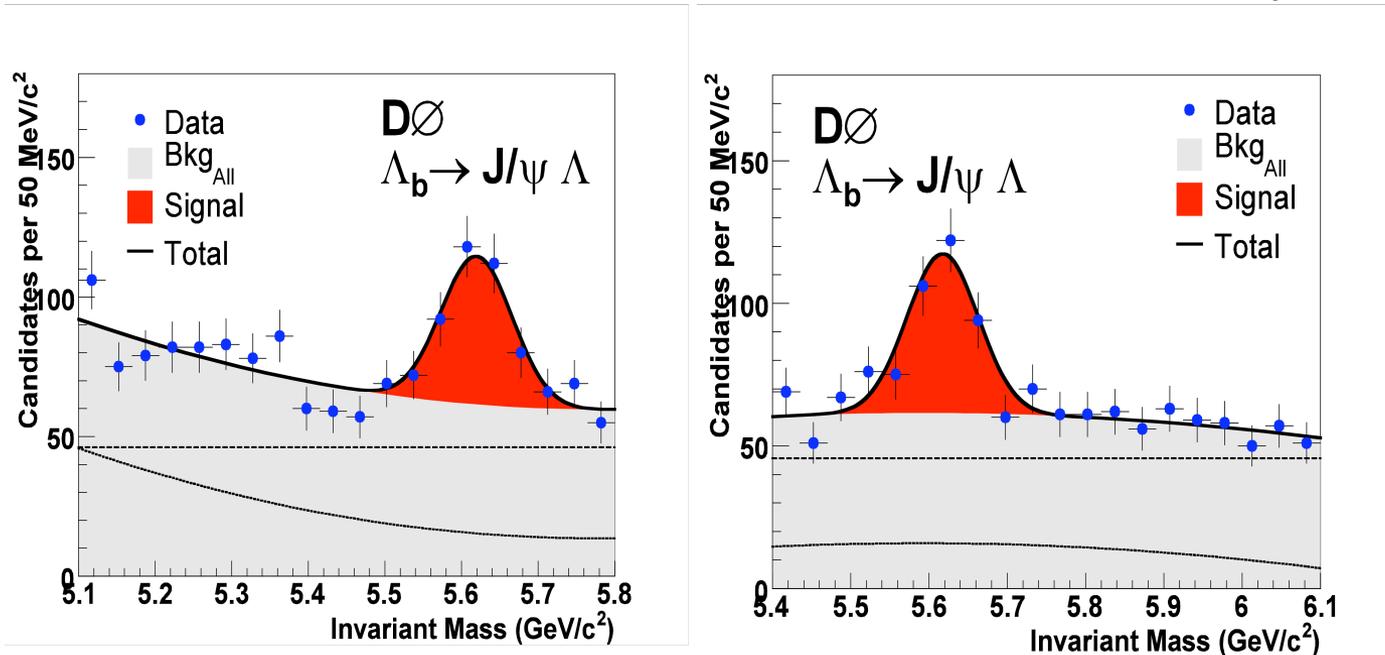
Lifetime ratio  $\tau(\Lambda_b)/\tau(B^0)$  is also evaluated since very similar topology, many systematic uncertainties will tend to cancel out

Uncertainties on the lifetime ratio  $\tau(\Lambda_b)/\tau(B^0)$  are propagated using standard methods



# Long-lived Background Composition

- Difference between the events in the low and high mass background regions:
  - Separate fit to each mass regions of 5.1-5.8 and 5.4-6.1 GeV ( $\Lambda_b$ )



Mass regions (GeV/c <sup>2</sup> )	Value ( $\mu m$ )
5.1-5.8	$359.1 \pm 34.2$
5.4-6.1	$365.8 \pm 37.2$

- As systematic uncertainty, take the largest difference to the central fit in absolute value



# $\Lambda_b/B^0$ lifetime measurement

$B^0$  and  $\Lambda_b$  measurement using full reconstructed decay channels are:

$$\tau(\Lambda_b) = 1.218_{-0.115}^{+0.130} (stat) \pm 0.042(syst) ps$$

$$\tau(B^0) = 1.501_{-0.074}^{+0.078} (stat) \pm 0.050(syst) ps$$

While the lifetime ratio is:

$$\frac{\tau(\Lambda_b)}{\tau(B^0)} = 0.811_{-0.087}^{+0.096} (stat) \pm 0.034(syst)$$



# Combined DØ Measurements and Comparisons



# Lifetime results

- We measured the lifetime in the  $\Lambda_b \rightarrow \Lambda J/\psi$  decay channel to be: [hep-ex/0704.3909](#)

$$\tau(\Lambda_b) = 1.218_{-0.115}^{+0.130} (stat) \pm 0.042 (syst) ps$$

- Consistent with the Dzero measurement in the  $\Lambda_b \rightarrow \Lambda_c \mu \nu X$  decay channel

$$\tau(\Lambda_b) = 1.290_{-0.110}^{+0.119} (stat)_{-0.091}^{+0.087} (syst) ps$$

- The two measurements of the  $\Lambda_b$  lifetime presented are statistically independent and the correlation of systematics between them is very small, combine:

$$\tau(\Lambda_b) = 1.251_{-0.096}^{+0.102} ps$$

[hep-ex/0706.2358](#)

- Consistent with world average (PDG 2006):

$$\tau(\Lambda_b) = 1.230 \pm 0.074 ps$$

- CDF 1fb<sup>-1</sup> result:

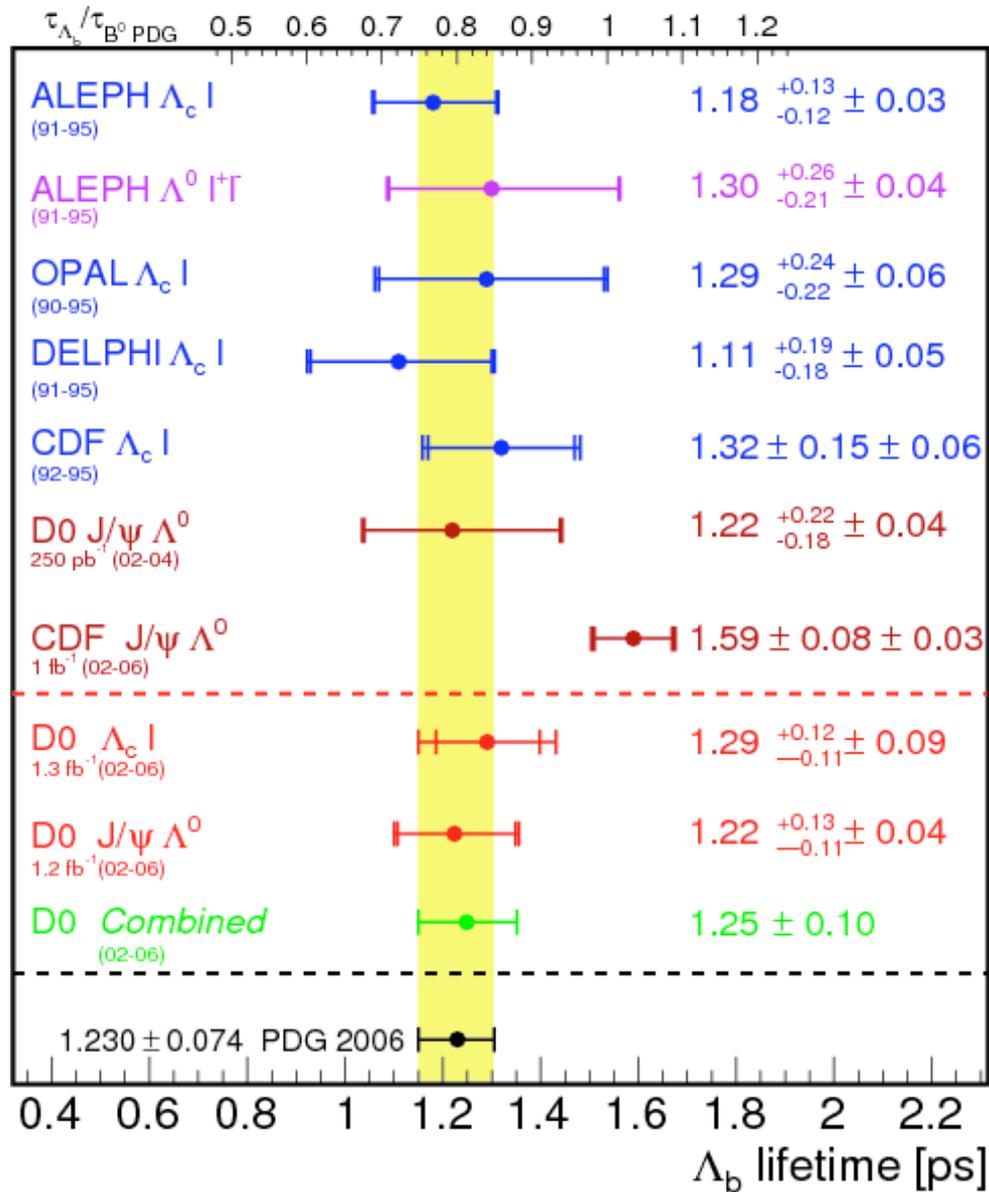
[hep-ex/0609021](#) accepted by PRL

$$\tau(\Lambda_b) = 1.593_{-0.078}^{+0.083} (stat) \pm 0.033 (syst) ps$$

2.6 $\sigma$  above our combined measurement



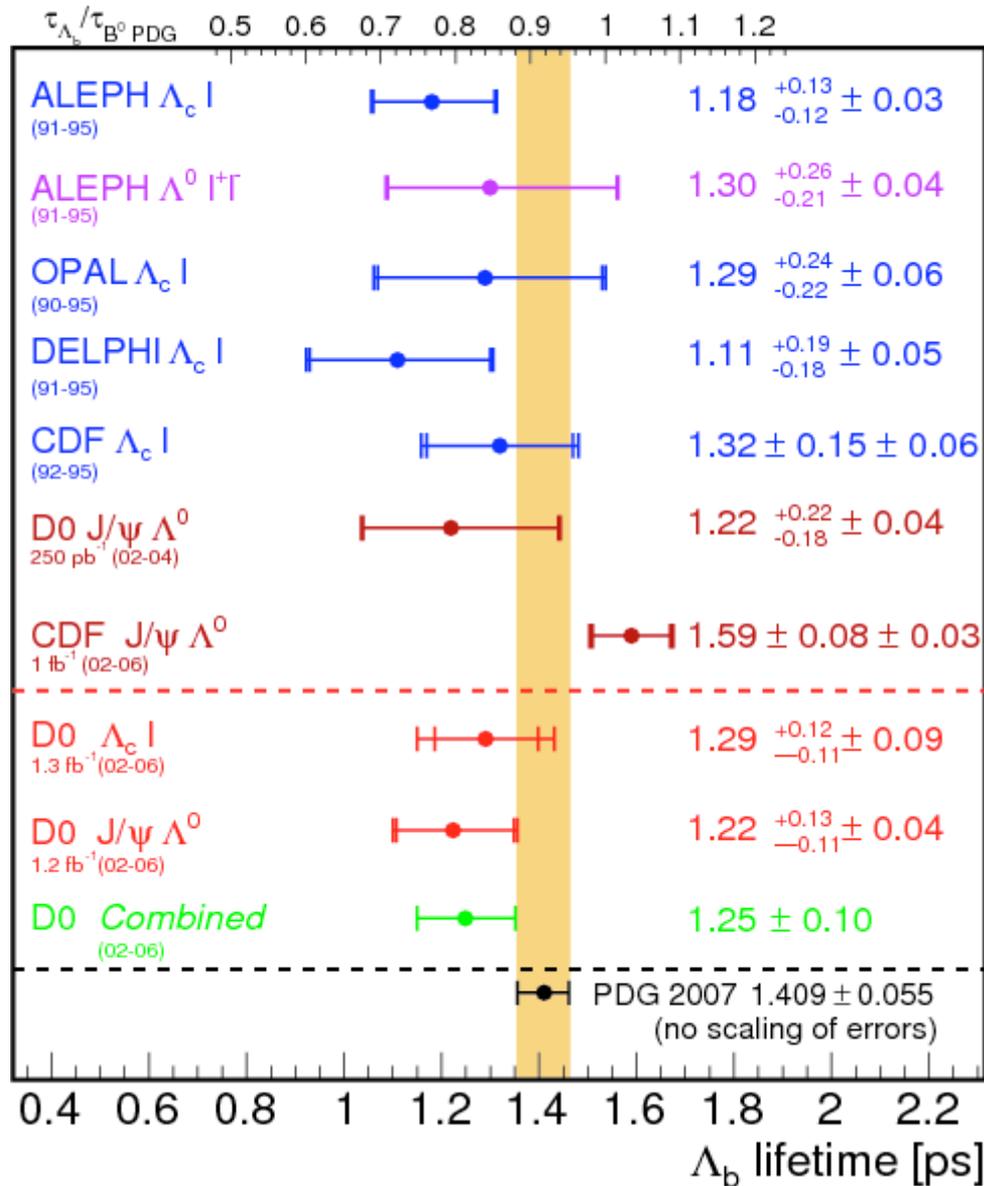
# $\Lambda_b$ Lifetime Measurements



Not in  
PDG  
averages



# $\Lambda_b$ Lifetime Measurements



Not in  
PDG  
averages



# Summary

- We have measured the lifetime of the  $\Lambda_b$  baryon using two different decay channels

-  $J/\psi\Lambda$

hep-ex/0704.3909

$$\tau(\Lambda_b) = 1.218_{-0.115}^{+0.130} (stat) \pm 0.042 (syst) ps$$

-  $\Lambda_c \mu \nu$

$$\tau(\Lambda_b) = 1.290_{-0.110}^{+0.119} (stat)_{-0.091}^{+0.087} (syst) ps$$

- combined Dzero result

hep-ex/0706.2358

$$\tau(\Lambda_b) = 1.251_{-0.096}^{+0.102} ps$$

- Consistent with World average measurement (PDG 2006)

$$\tau(\Lambda_b) = 1.230 \pm 0.074 ps$$

