



New Ideas in Randall-Sundrum Phenomenology

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With M. Carena, E. Pontón and C. Wagner, [NPB759 \(06\)](#) and [hep-ph/0701055](#)

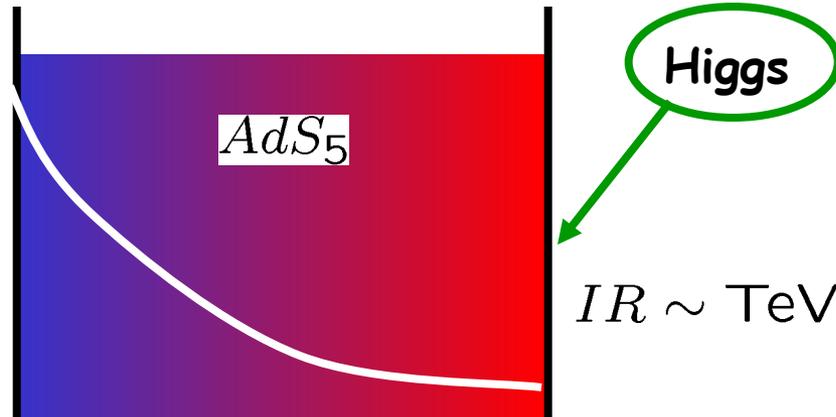
I
LOVE
SOMEONE
WITH
AUTISM





The goods of the old RS

$$UV \sim M_{\text{Pl}}$$



Solution to the gauge hierarchy problem

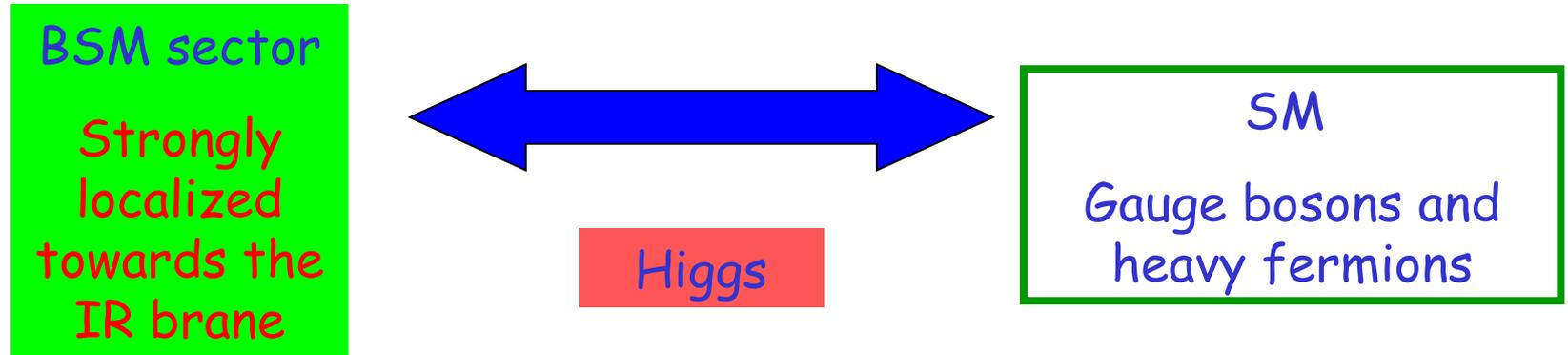
Bulk fermions: Hierarchical fermion masses with FCNC and higher dim. operators suppressed for light fermions

KK excitations of bulk fields: Rich phenomenology

AdS/CFT: New insight on QCD, strongly coupled theories, ...



The bads of the old RS



**VERY STRINGENT BOUNDS ON
THE SCALE OF NEW PHYSICS**

**New physics beyond
the LHC reach**

**Little hierarchy
reintroduced**



Outline

- The bads of RS:
 - ⊗ T parameter
 - ⊗ Zbb coupling
- New ideas: custodial protection of T and Zbb
- **Calculable** corrections to T and Zbb
- Models of gauge-Higgs unification
- Global fit to EW precision observables
- **Spectrum**
- Collider phenomenology
- **Conclusions**

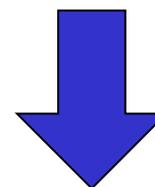


The bads of the old RS: T parameter

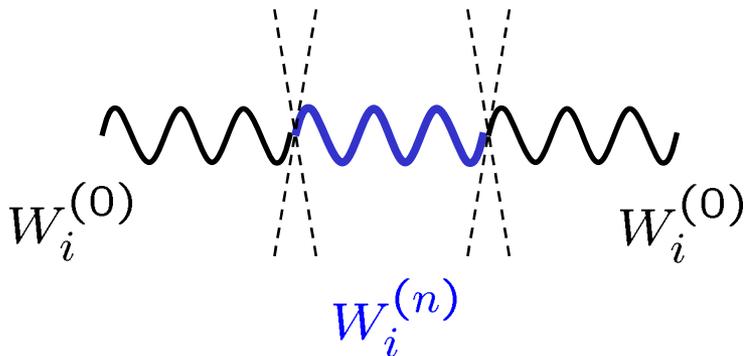
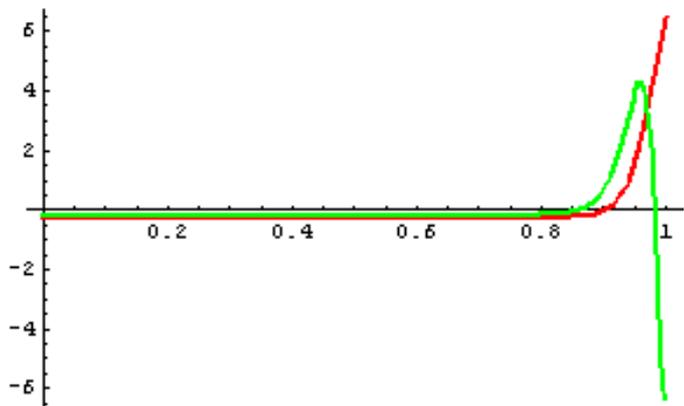
Gauge KK modes are localized near the IR brane



Large mixing with the Z and W zero modes through the Higgs



Large T parameter

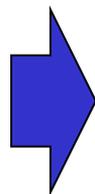


$$M_{KK} \gtrsim 5 - 10 \text{ TeV}$$

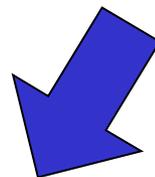


The bads of the old RS: Z_{bb} coupling

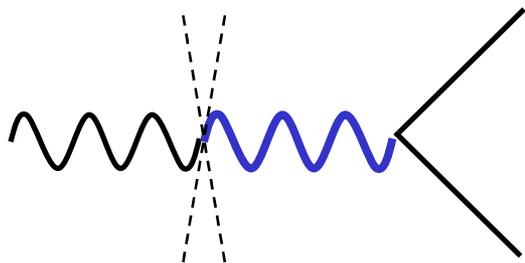
Top (bottom) zero modes are localized near the IR brane



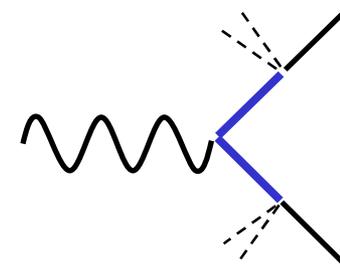
Large gauge and Yukawa couplings to GB and fermion KK modes



Large anomalous Z_{bb} coupling



$$M_{KK} \gtrsim 7 - 8 \text{ TeV}$$





New Ideas: custodial symmetry

- Custodial protection of Randall-Sundrum: Agashe, Delgado, May, Sundrum JHEP (03)

Ⓢ Bulk Gauge Symmetry: $SU(2)_L \times SU(2)_R \times U(1)_X \times P_{LR}$

$$T \propto \text{[Diagram 1]} - \text{[Diagram 2]} \sim 0$$

The diagram shows two Feynman diagrams representing the trace of the stress-energy tensor, T . The first diagram, on the left, shows a central blue wavy line (representing a gauge boson) connected to two external black wavy lines. Two vertical dashed lines cross the central blue line, representing a bulk interaction. The second diagram, on the right, shows a central red wavy line (representing a scalar field) connected to two external black wavy lines. Two vertical dashed lines cross the central red line, representing a bulk interaction. The two diagrams are subtracted, and the result is approximately zero, indicating that the trace of the stress-energy tensor is protected from quantum corrections by custodial symmetry.



New Ideas: custodial symmetry

- Custodial protection of Randall-Sundrum:

Agashe, Contino, Da Rold,
Pomarol PLB (06)

⊗ Bulk Gauge Symmetry: $SU(2)_L \times SU(2)_R \times U(1)_X \times P_{LR}$

$$T \propto \text{[Diagram 1]} - \text{[Diagram 2]} \sim 0$$

The diagram shows two Feynman diagrams representing the trace of the energy-momentum tensor, T . Each diagram consists of a central wavy line (representing a gauge boson) connected to two vertices. The vertices are represented by dashed lines that cross each other, forming an 'X' shape. In the first diagram, the central wavy line is blue. In the second diagram, the central wavy line is red. The two diagrams are subtracted, and the result is approximately zero, indicating that the trace of the energy-momentum tensor is protected by custodial symmetry.

$$\delta g_{b_L} \propto \text{[Diagram 3]} - \text{[Diagram 4]} \sim 0$$

The diagram shows two Feynman diagrams representing the variation of the gauge coupling, δg_{b_L} . Each diagram consists of a central wavy line (representing a gauge boson) connected to a vertex. The vertex is represented by a solid line that splits into two, forming a 'Y' shape. In the first diagram, the central wavy line is blue. In the second diagram, the central wavy line is red. The two diagrams are subtracted, and the result is approximately zero, indicating that the variation of the gauge coupling is protected by custodial symmetry.



Custodial protection of Z_{bb}

- Fermion coupling to Z at zero momentum

$$\frac{g}{\cos \theta_W} [Q_L^3 - Q \sin^2 \theta_W] Z_\mu \bar{\psi} \gamma^\mu \psi$$

- Q_L^3 can be protected by the following subgroup of the custodial symmetry $U(1)_L \times U(1)_R \times P_{LR} \rightarrow U(1)_V \times P_{LR}$

$$\left. \begin{array}{l} U(1)_V \Rightarrow \delta Q_L^3 + \delta Q_R^3 = 0 \\ P_{LR} \Rightarrow \delta Q_L^3 = \delta Q_R^3 \end{array} \right\} \Rightarrow \delta Q_L^3 = 0$$

$$\frac{\delta g_f}{g_f} = \frac{e^2}{s^2 c^2} \left[G_{++}^f - \frac{c^2 T_R^3 \frac{g_R^2}{g_L^2} + s^2 T_L^3 - s^2 Q}{T_L^3 - s^2 Q} G_{-+}^f \right] = \frac{e^2}{s^2 c^2} [G_{++}^f - G_{-+}^f]$$



Fermion Quantum Numbers

b_L has to be
eigenvector of P_{LR}

$$P_{LR} \Rightarrow T_R^3(b_L) = T_L^3(b_L)$$

The simplest option is
bidoublets under $SU(2)_L \times SU(2)_R$

$$SU(2)_L \begin{array}{c} \updownarrow \\ \left(\begin{array}{cc} \chi_L^u(-+) & t_L(+,+) \\ \chi_L^d(-+) & b_L(+,+) \end{array} \right)_X \end{array} \begin{array}{c} \xleftarrow{SU(2)_R} \\ \xrightarrow{SU(2)_R} \end{array} \sim (2, 2)_{2/3} \sim \begin{array}{c} U(1)_Q \\ \left(\begin{array}{cc} 5/3 & 2/3 \\ 2/3 & -1/3 \end{array} \right) \end{array}$$

The Higgs is also a bidoublet with $Q_X = 0$

$$t_R(+,+) \sim (1, 1)_{2/3}$$



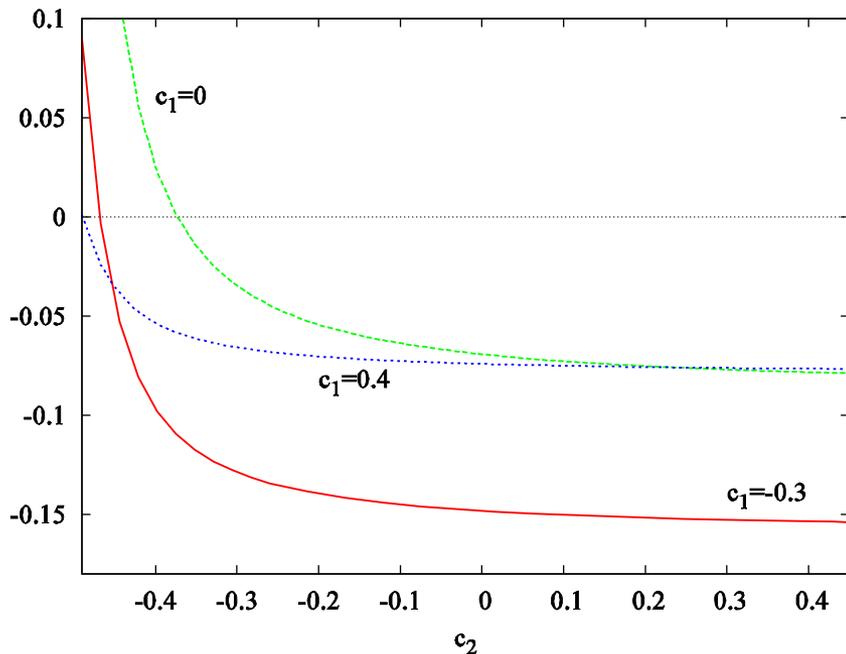
Calculable corrections to T and Z_{bb}

Carena, Pontón, J.S., Wagner NPB (06)

- T and Z_{bb} protected by custodial symmetry broken by b.c. only on the UV brane: *Insensitive to UV physics*
 - Ⓜ *Quantum corrections are calculable*
 - Ⓜ T and Z_{bb} *do not receive corrections above Λ*
- One loop corrections are typically sizable
 - Ⓜ Triplets contribute *negative* to T
 - Ⓜ Singlets contribute *positive* to T
 - Ⓜ Large positive T leads to large positive δg_{bL}



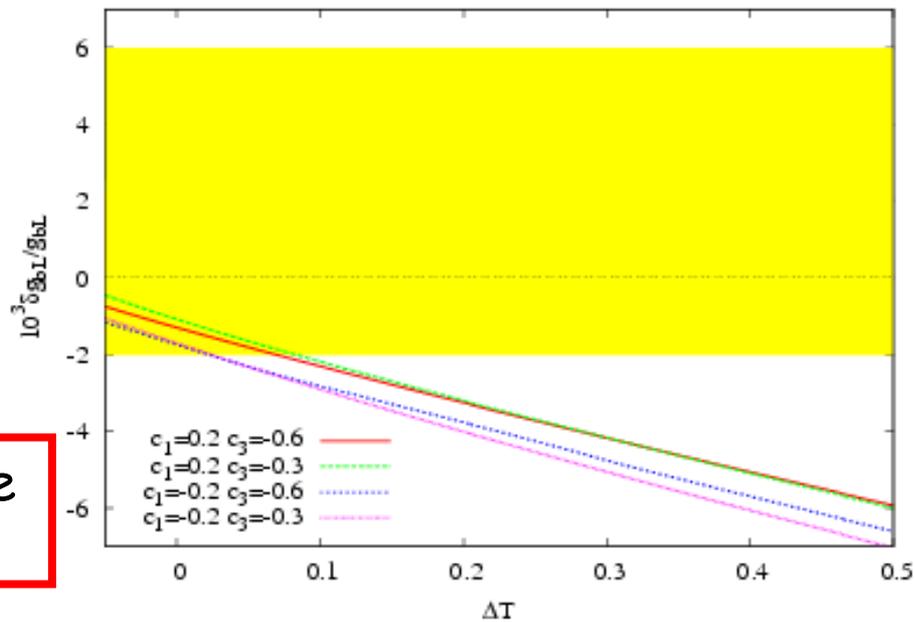
Quantum corrections to T and Zbb



T negative in most of parameter space: the RH top is almost flat (LH top/bottom near IR)

UV ← singlet localization → IR

Positive T leads to large deviations in Zbb





A model of gauge-Higgs unification

- Bulk gauge symmetry $SO(5) \times U(1)_X$, broken to $SO(4) \times U(1)_X$ at the IR brane and to the SM at the UV brane
- A_5 along $SO(5)/SO(4)$ has a zero mode, with the **Higgs quantum numbers**, exponentially localized toward the IR brane

Contino, Nomura, Pomarol NPB (03)

Agashe, Contino, Da Rold, Pomarol (05-06)

- **Calculable Higgs potential**

- **Ⓢ** Solution to the little hierarchy problem

- Yukawa couplings from gauge couplings: Fermion masses and mixing angles through non-trivial b.c. (brane masses)

- Bidoublets embedding:
$$5 = (2, 2) \oplus (1, 1)$$
$$SO(5) \quad (SU(2)_L, SU(2)_R)$$



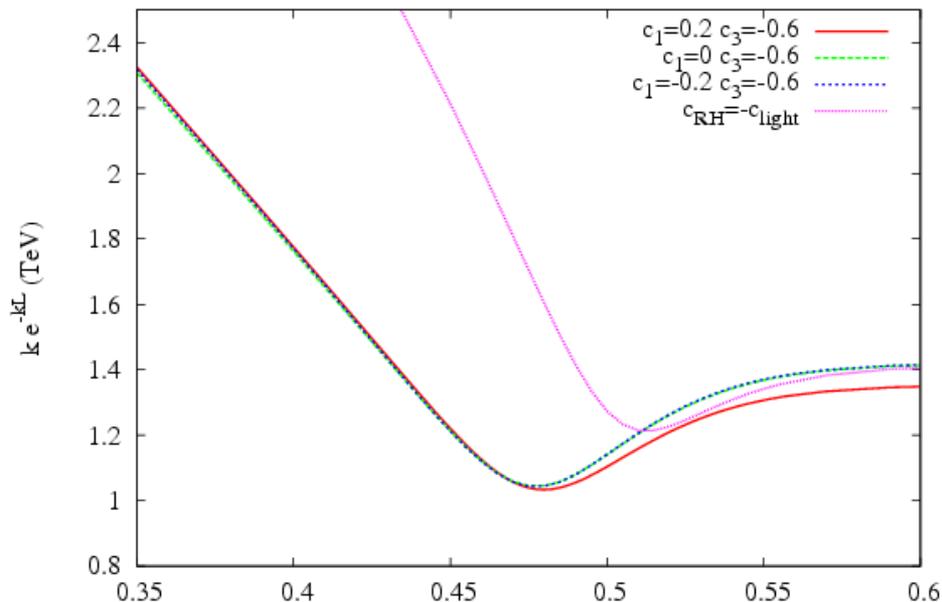
Global Fit to Electroweak Observables

Carena, Pontón, J.S., Wagner hep-ph/0701055

- We have performed a **global fit** to all relevant **electroweak precision observables** including:
 - Ⓜ All tree-level effects at leading order in $\mathcal{O}(v^2/\tilde{k}^2)$
 - Ⓜ Leading one loop effects: **S** and **T** parameters and **Zbb**
- We compute the χ^2 as a function of the localization parameter of the fermion zero modes: $t_L, t_R, b_R, q_{\text{light}}^{LH}, q_{\text{light}}^{RH}$
- **Zbb** coupling and the **S parameter** are the most restrictive observables when the **light fermions are near the UV** brane
- **Strong coupling to gauge KK modes** when **light fermions near IR**



Result of the Global Fit



IR \leftarrow light localization \rightarrow UV

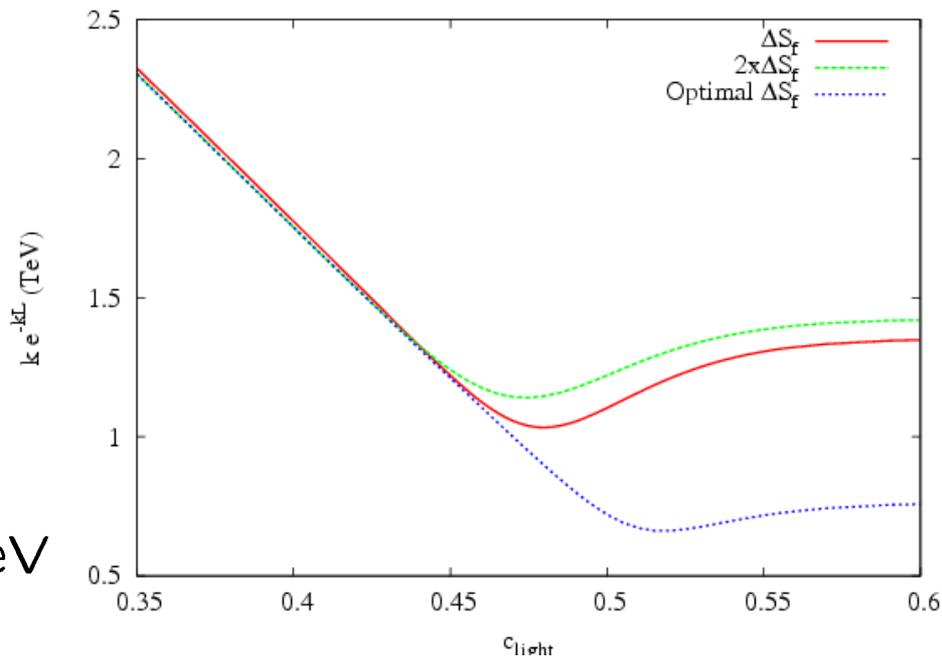
S can receive corrections from physics above the UV cut-off

$$\tilde{k} \sim 650 \text{ GeV} \Rightarrow M_{KK}^{\text{gauge}} \sim 1.6 \text{ TeV}$$

$$\tilde{k} \sim 1 - 1.4 \text{ TeV}$$

$$\Downarrow$$

$$M_{KK}^{\text{gauge}} \sim 2.5 - 3.5 \text{ TeV}$$





Typical Spectrum

First two generation KK modes

q'	Q	$m_{q'}$ (GeV)	decay
q_1^1	2/3	$\sim 200 - 500$	$q_1^1 \rightarrow Zu, (100\%)$
q_1^2	2/3	$\sim 200 - 500$	$q_1^2 \rightarrow Zc, (100\%)$
q_2^1	2/3	$\sim 200 - 500$	$q_2^1 \rightarrow Hu, (100\%)$
q_2^2	2/3	$\sim 200 - 500$	$q_2^2 \rightarrow Hc, (100\%)$
χ_2^{u1}	5/3	$\sim 200 - 500$	$\chi_2^{u1} \rightarrow Wu, (100\%)$
χ_2^{u2}	5/3	$\sim 200 - 500$	$\chi_2^{u2} \rightarrow Wc, (100\%)$
q'^{d1}	-1/3	$\sim 200 - 500$	$q'^{d1} \rightarrow Wu, (100\%)$
q'^{d2}	-1/3	$\sim 200 - 500$	$q'^{d2} \rightarrow Wc, (100\%)$

Not a necessary prediction



Typical Spectrum

Third generation
KK modes

Solid
prediction

q'	Q	$m_{q'}$ (GeV)	decay
q_1	2/3	369	$q_1 \rightarrow Zt$, (20%) $q_1 \rightarrow Ht$, (60%) $q_1 \rightarrow Wb$, (20%)
q_2	2/3	373	$q_2 \rightarrow Zt$, (9%) $q_2 \rightarrow Ht$, (70%) $q_2 \rightarrow Wb$, (21%)
u_2	2/3	504	$u_2 \rightarrow Zt$, (13%) $u_2 \rightarrow Ht$, (40%) $u_2 \rightarrow Wb$, (41%) $u_2 \rightarrow Zq_1$, (1.5%) $u_2 \rightarrow Wq'^{d3}$, (2.5%) $u_2 \rightarrow W\chi_2^{u3}$, (2.%)
χ_2^{u3}	5/3	369	$\chi_2^{u3} \rightarrow Wt$, (100%)
q'^{d3}	-1/3	369	$q_2^{d3} \rightarrow Wt$, (100%)



Collider Phenomenology

● Tevatron

Ⓢ Searches for new quarks (including multiplicity)

$$m_q \geq \begin{cases} 325 \text{ (410) GeV,} & W + j \text{ with } 0.76 \text{ (projected 8) fb}^{-1}, \\ 300 \text{ GeV,} & Z + j. \end{cases}$$

Ⓢ Interesting possibilities for Higgs physics

$$\sigma(pp \rightarrow q'\bar{q}' \rightarrow 2H2j) \sim \sigma(gg \rightarrow H)$$

● LHC

Ⓢ q' discovery up to 1 TeV

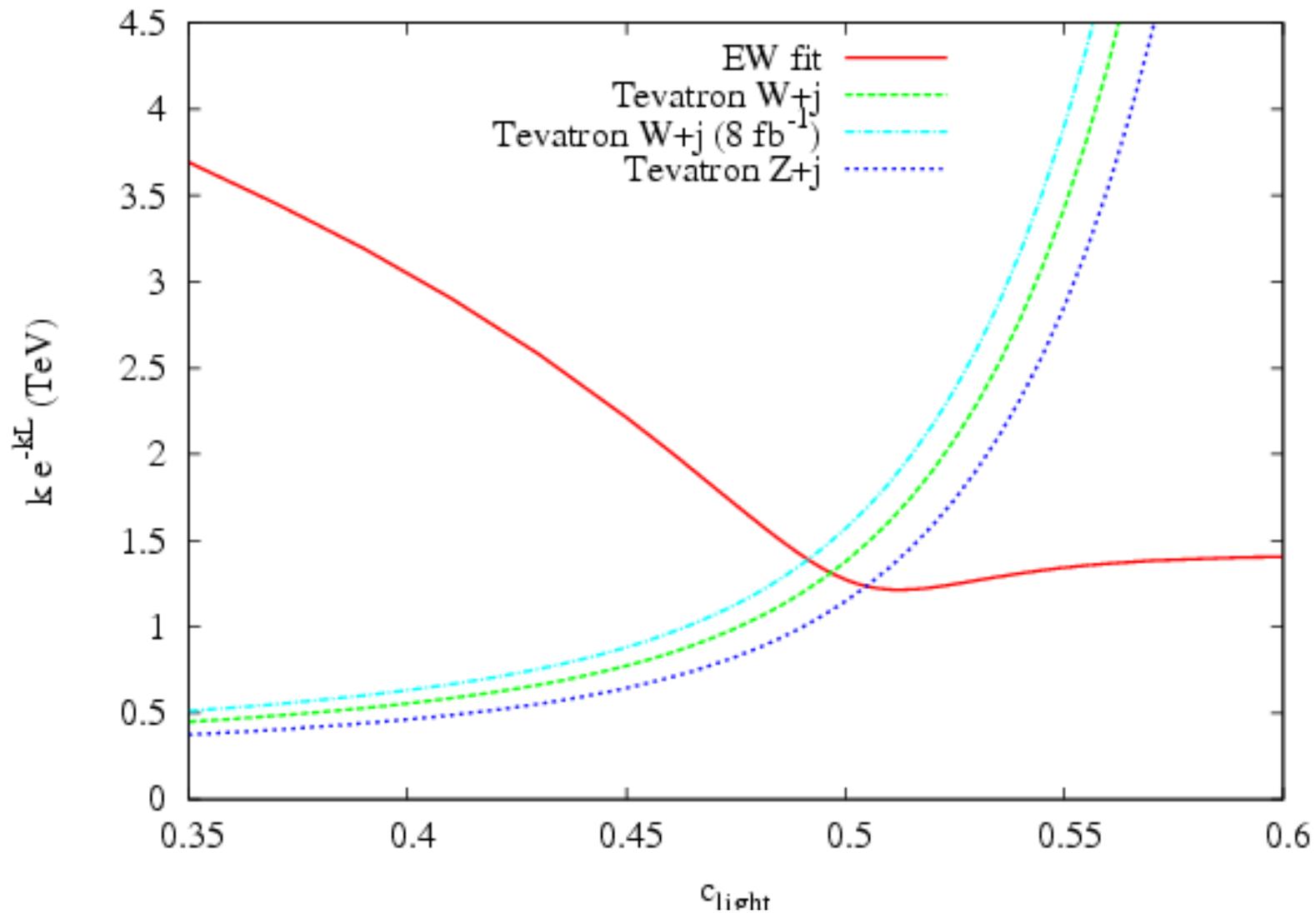
Ⓢ Exciting Higgs physics

Ⓢ Exotic decay channels

$$pp \rightarrow q'\bar{q}' \rightarrow W^+W^-t\bar{t} \rightarrow W^+W^+W^-W^-b\bar{b}$$



Tevatron searches





Conclusions

- Custodial protection T and Zbb in RS: Light gauge boson KK modes accessible at the LHC
- T and Zbb are insensitive to UV physics: calculable and relevant
 - Ⓜ Generic feature: **Higgs(less), gauge-Higgs unification, ...**
- Global fit to EW precision observables taking into account all relevant one loop corrections: $M_{KK}^{\text{gauge}} \sim 1.5 - 3.5 \text{ TeV}$
- **Light quarks** $\sim 200\text{-}1000 \text{ GeV}$ **accessible at Tevatron and LHC**
- New collider phenomenology:
 - Ⓜ Gauge KK mode production at LHC
 - Ⓜ Interesting **Higgs physics**
 - Ⓜ **Exotic channels** $pp \rightarrow q'\bar{q}' \rightarrow (W^+W^-)W^+W^+W^-W^-b\bar{b}$

New quarks at the Tevatron

