

Neutrino Oscillation Physics with a Beta Beam

E. Couce

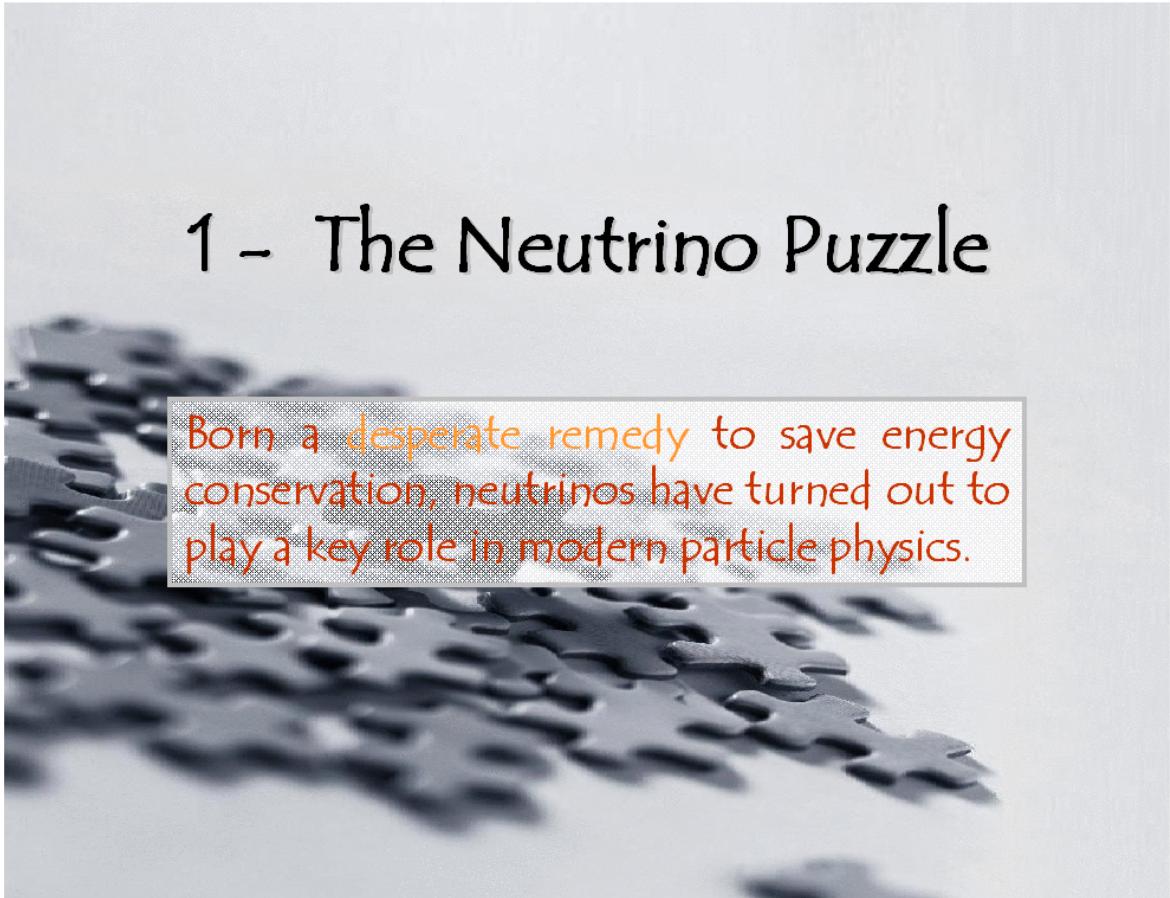
Fermilab Theory Seminar,

3rd of August, 2006

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- ◊ The Neutrino Puzzle
- ◊ The Experimental Challenge
- ◊ The Beta Beam concept
- ◊ Detector performance
- ◊ Physics Reach
- ◊ Outlook
- ◊ Conclusions

1 - The Neutrino Puzzle



Born a desperate remedy to save energy conservation, neutrinos have turned out to play a key role in modern particle physics.

The most fascinating particle



- ◊ 'Invisible' particle postulated by Pauli to save energy conservation



- ◊ Only a chiral gauge charge

- ◊ Only particle that can be its own antiparticle

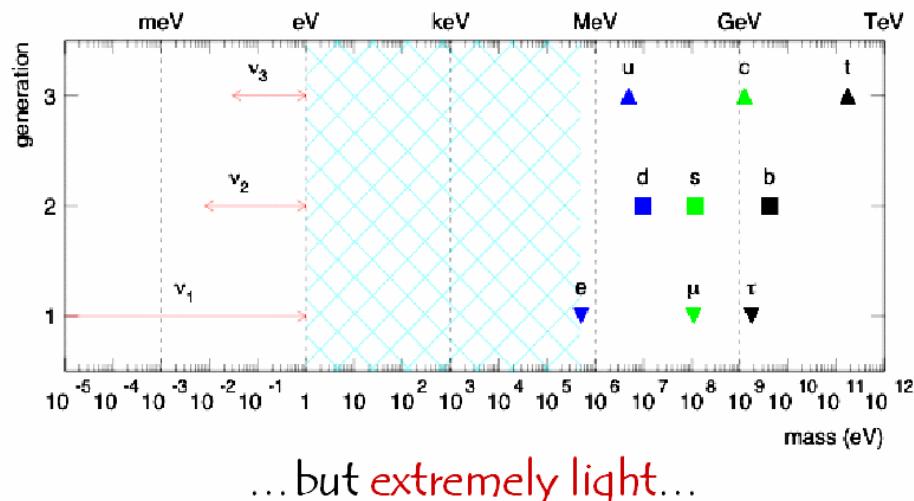


- ◊ The least massive of all
- ◊ Key to understanding weak interactions



Neutrino masses

- ◊ Atmospheric, solar, reactor and long baseline neutrino oscillation experiments have spectacularly shown us that neutrinos are massive.



...but extremely light...

Fundamental questions

- ◊ What are the neutrino masses? Why so small?
- ◊ Majorana or Dirac? Is L conserved?
- ◊ Are there only 3 neutrinos?
- ◊ Is there leptonic CP violation?
- ◊ What can neutrinos tell us about the Universe?
 - Baryogenesis
 - Dark matter
 - Large scale structure
 - Astrophysical sources

Neutrino masses in the SM

- ◊ The other helicity states:
 - At least 3 new fundamental Weyl fields without any charge:

Most general
renormalizable
lagrangian

$$\delta \mathcal{L}_m^\nu = \bar{L}_L \lambda_\nu \Phi N_R + \underbrace{\frac{1}{2} N_R^T C M N_R}_{L \text{ violating}} + h.c.$$

- What is the new physics scale M ?
 - ◊ $M = 0 \Leftrightarrow$ Dirac neutrino masses $\Leftrightarrow L$ conserved
 - ◊ $M \neq 0 \Leftrightarrow N_R$ Majorana $\Leftrightarrow L$ violated
 - $M \gg v ? \rightarrow$ decoupling physics
 - $M \sim v ? \rightarrow$ new sector around the corner

Neutrino masses in the SM

- ◊ A more general alternative:

Neutrino masses generated
by heavy hidden sector:

$$\mathcal{L}_{eff}^{d=5} = \frac{1}{2} L_L^T C \Phi^T \left(\lambda_\nu \frac{1}{M} \lambda_\nu^T \right) \Phi L_L + \dots$$

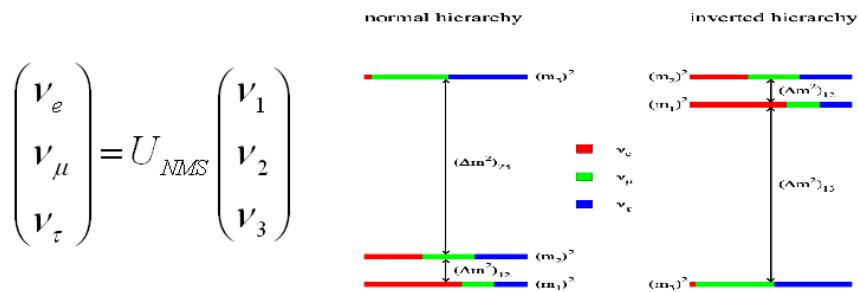
(Such as the previous case with $M \gg v$)

See-saw model

Standard 3 neutrino scenario

- Whatever the mechanism for neutrino mass generation (see-saw or more complicated physics), at low energies the neutrino mass matrix can be described in terms of 9 new parameters:

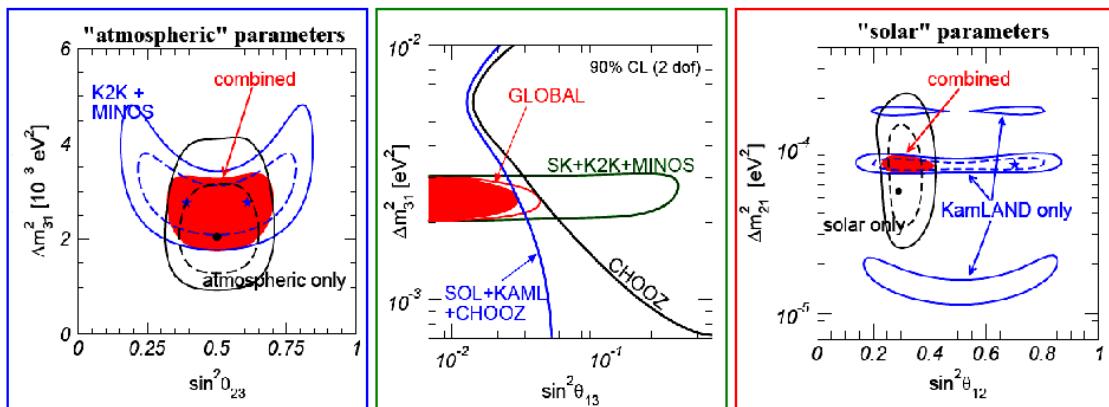
Masses	Angles	CP phases
m_1, m_2, m_3	$\theta_{12}, \theta_{23}, \theta_{13}$	$\delta, \alpha_1, \alpha_2$



Standard 3 neutrino scenario

$$V_{NMS}^{Dirac} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{i\delta} \\ 0 & 1 & 0 \\ -s_{13}e^{-i\delta} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

- What we know:



Standard 3 neutrino scenario

◆ However:

- Not much known about θ_{13} ...
 - Is θ_{23} maximal?
 - CP violation: δ , α_1 , α_2
 - What is the absolute mass scale?
 - Normal or inverted hierarchy?

Since discovered, neutrinos have taken us further and further in our understanding of the SM...

And still they offer to take us beyond...

2 - The Experimental Challenge

"Dare I say that experimental physicists will not have sufficient ingenuity to make neutrinos"

Sir Arthur Eddington, 1939



- ◊ The obvious next step in the field of ν Physics is the measurement of the unknown parameters:
 - θ_{13}
 - δ
 - Mass hierarchy
 - θ_{23} octant
 - Absolute masses
 - α_1, α_2
 - Majorana or Dirac
- ◊ Together with a more precise determination of the known ones:
 - Unitarity of the PMNS matrix
 - Is θ_{23} maximal?
 - Need to solve correlations!

New symmetries?
More Neutrinos?
New Physics!!

Oscillation

0v $\beta\beta$, $\beta\beta$, Cosmology

0v $\beta\beta$

Channel Tuning



$$P(\nu_\alpha \rightarrow \nu_\beta) = \delta_{\alpha\beta} - 4 \sum_{k>j} \text{Re}[W_{\alpha\beta}^{jk}] \sin^2\left(\frac{\Delta m_{jk}^2 L}{4E}\right) \pm \rightarrow \text{CP conserving}$$

$$\pm 2 \sum_{k>j} \text{Im}[W_{\alpha\beta}^{jk}] \sin\left(\frac{\Delta m_{jk}^2 L}{2E}\right) \rightarrow \text{CP violating}$$

with $W_{\alpha\beta}^{jk} \equiv U_{\alpha j} U_{\alpha k}^* U_{\beta j}^* U_{\beta k}$

- ◊ The sensitivity of a channel to a specific parameter can be enhanced by **tuning** the ratio **E/L**.
- ◊ For the measurement of the **unknowns**, the **best choice** is to stay at $E/L \approx \Delta m_{atm}^2$

Channel Tuning



◊ At $E/L \sim |\Delta m_{23}^2|$:

Unknowns:

Channel:	θ_{13}	δ	hierarchy	θ_{23} octant
$e \leftrightarrow e$:(-	-	-
$e \leftrightarrow \mu$:)	:)	:)	:)
$e \leftrightarrow \tau$:)	:)	-	:)
$\mu \leftrightarrow \mu$:(:(:(:(
$\mu \leftrightarrow \tau$:(:(:(:(

:) ~ 1

:) ~ ϵ

:(~ ϵ^2

$\epsilon \equiv$ small parameters:
 $\theta_{13}, \Delta m_{12}^2 / \Delta m_{23}^2$

Channel Tuning



◊ At $E/L \sim |\Delta m^2_{23}|$:

Knowns:

Channel:	$\sin^2 2\theta_{23}$	$ \Delta m^2_{23} $	$\sin^2 2\theta_{12}$	Δm^2_{12}
$e \leftrightarrow e$	-	?	?	?
$e \leftrightarrow \mu$	😊	😊	😊	😊
$e \leftrightarrow \tau$	😊	😊	😊	😊
$\mu \leftrightarrow \mu$	😊	😊	?	?
$\mu \leftrightarrow \tau$	😊	😊	?	?

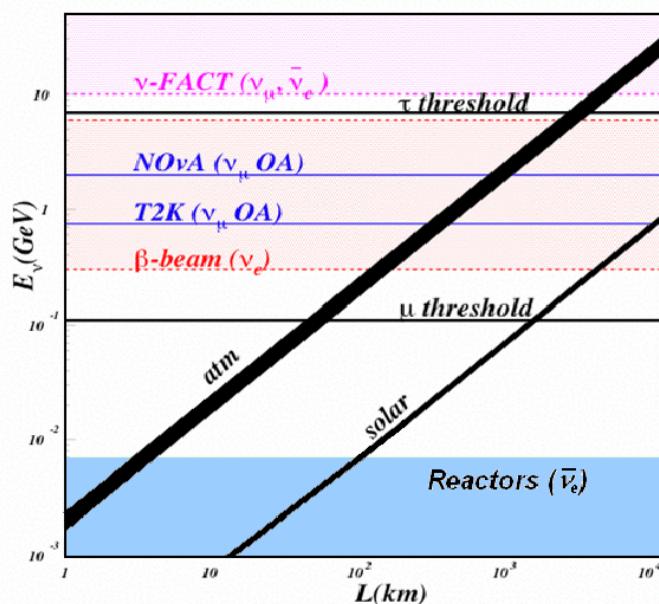
😊 ~ 1

⊖ ~ ε

?

ε ≡ small parameters:
 $\theta_{13}, \Delta m^2_{12}/\Delta m^2_{23}$

Channel Tuning

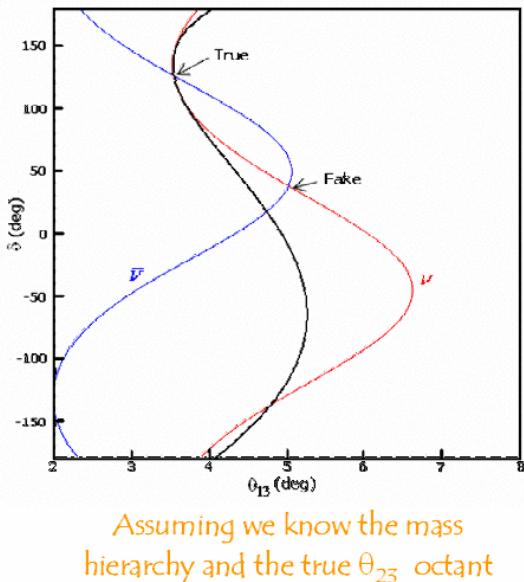


Correlation and degeneracies

◊ Intrinsic degeneracy:

- Keeping E/L fixed:
 - ◊ Curve of solutions for ν and $\bar{\nu}$ each.
 - ◊ They intersect at the "true" value of (θ_{13}, δ) , but also at another "fake" one.
- Changing E/L:
 - ◊ Different set of curves, intersecting the others only at the "true" value.

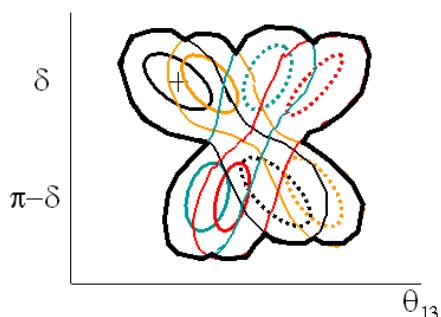
Burguet-Castell et al, hep-ph/0103258



Correlation and degeneracies

◊ Discrete degeneracies:

Minakata, Nunokawa, hep-ph/0108085
 Barger et al, hep-ph/0112119



2 intrinsic degeneracies
 \times 2 possible ν hierarchies
 \times 2 possible θ_{23} octants

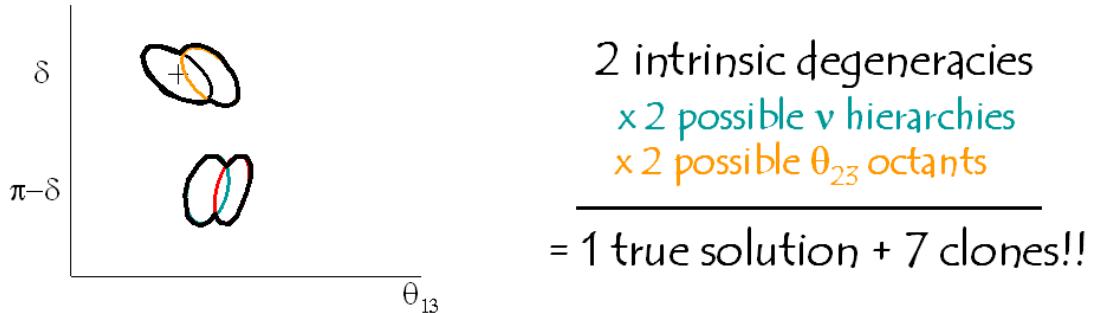
= 1 true solution + 7 clones!!

- ◊ Each color belongs to a different space.
- ◊ Intrinsic fake solution and its clones (represented by a series of colored circles) depend strongly on E/L ratio (unlike the clones of the true solution).
- ◊ The clones greatly increase the errors, particularly for δ .

Correlation and degeneracies

◊ Discrete degeneracies:

Minakata, Nunokawa, hep-ph/0108085
Barger et al, hep-ph/0112119



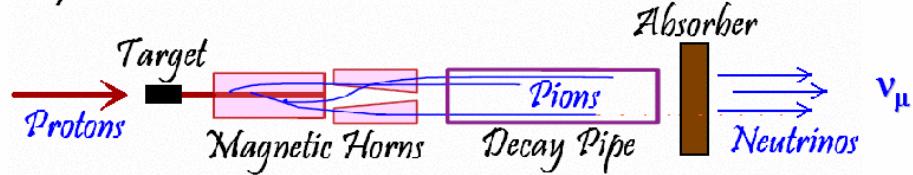
- ◊ Each color belongs to a different space.
- ◊ Intrinsic fake solution and its clones (orange circles with red lines) depend strongly on E/L ratio (unlike the clones of the true solution (blue circles)).
- ◊ Orange circles with red lines greatly increase the errors, particularly for δ.

The experimental challenge

- ◊ Need for precision measurements of very small oscillation probabilities at $E/L \approx \Delta m^2_{\text{atm}}$:
 - High Statistics: {
 - ◊ Very intense beams
 - ◊ Very large detectors
 - Low Systematics: {
 - ◊ Well-known beams
 - ◊ Control of detector systematics
 - ◊ Proposed beams: {
 - ◊ Superbeams
 - ◊ v -Factories
 - ◊ Beta beams

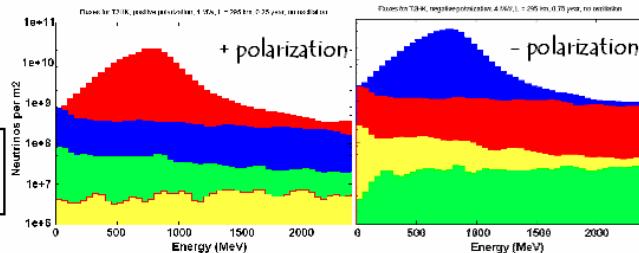
Superbeams (coming soon!)

- ◊ Very intense conventional ν beams:



- ◊ Off-axis to reduce ν_e contamination

- T2HK flux:
(4 MW)



Mostly ν_μ ...but contamination still present
(particularly wrong-sign)

Superbeams (coming soon!)

- ◊ Channels:

- **Golden:** $\nu_\mu \rightarrow \nu_e$ ($\bar{\nu}_\mu \rightarrow \bar{\nu}_e$) ■ Signal: detected e^\pm
- **Disappearance:** $\nu_\mu \rightarrow \nu_\mu$ ($\bar{\nu}_\mu \rightarrow \bar{\nu}_\mu$) ■ Signal: detected μ^\pm

- ◊ 2 of them in the near future! (hopefully)

- T2K (Japan)
- NOvA (here at Fermilab)

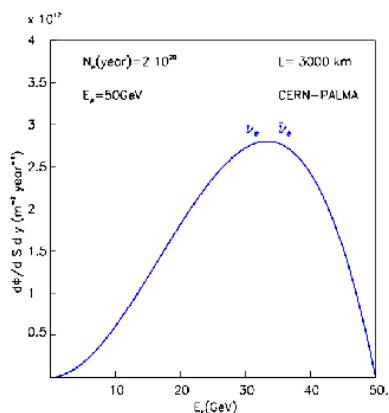
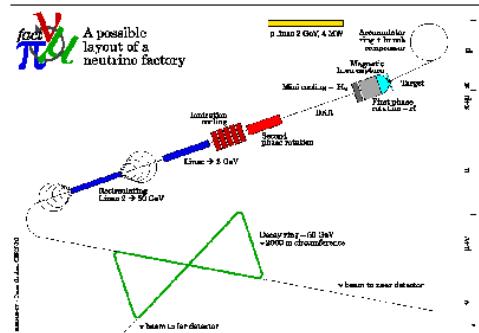
- ◊ Caveats:

- Sensitivity limited by **beam systematics**
(flavour and sign contamination)

ν -Factories (next generation!)

- Very intense and **pure** $\nu_\mu / \bar{\nu}_e$ or $\bar{\nu}_\mu / \nu_e$ beams from muon decay:

$$\begin{aligned}\mu^- &\rightarrow \nu_\mu + e^- + \bar{\nu}_e \\ \mu^+ &\rightarrow \bar{\nu}_\mu + e^+ + \nu_e\end{aligned}$$



- Flux spectrum and composition known to very high precision

$$\frac{d\Phi}{dS dy} \Big|_{y=0} \simeq \frac{N_\mu}{\pi L^2} 12 \gamma^2 y^2 (1-y) \quad y = \frac{E}{E_\mu}$$

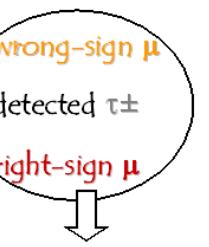
ν -Factories (next generation!)

- Channels:

- **Golden**:
- **Silver**:
- **Disappearance**:

→ Access to most interesting channels!

$\bar{\nu}_e \rightarrow \bar{\nu}_\mu$	$(\nu_e \rightarrow \nu_\mu)$	Signal: wrong-sign μ
$\bar{\nu}_e \rightarrow \bar{\nu}_\tau$	$(\nu_e \rightarrow \nu_\tau)$	Signal: detected τ^\pm
$\nu_\mu \rightarrow \nu_\mu$	$(\bar{\nu}_\mu \rightarrow \bar{\nu}_\mu)$	Signal: right-sign μ

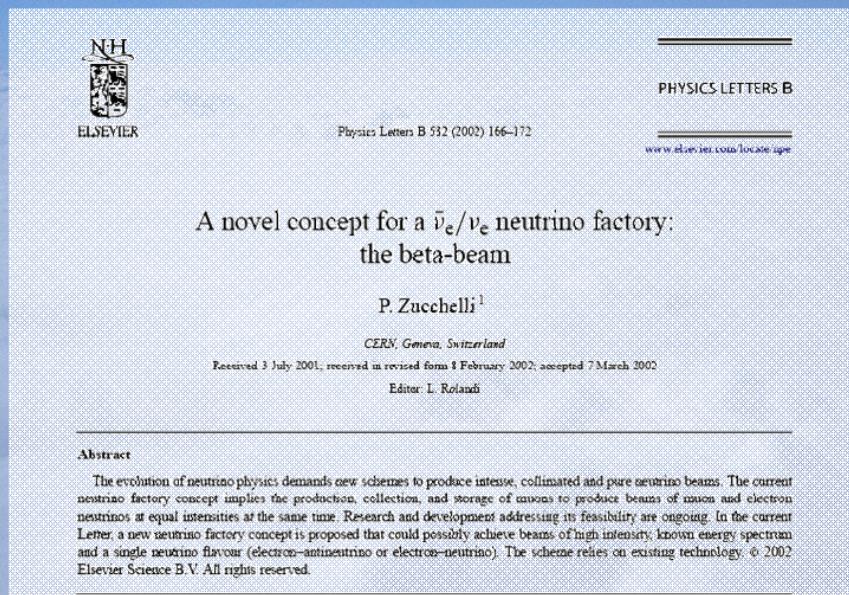


- Caveats:

- Technical challenge, requiring lots of R&D
- Cost issues

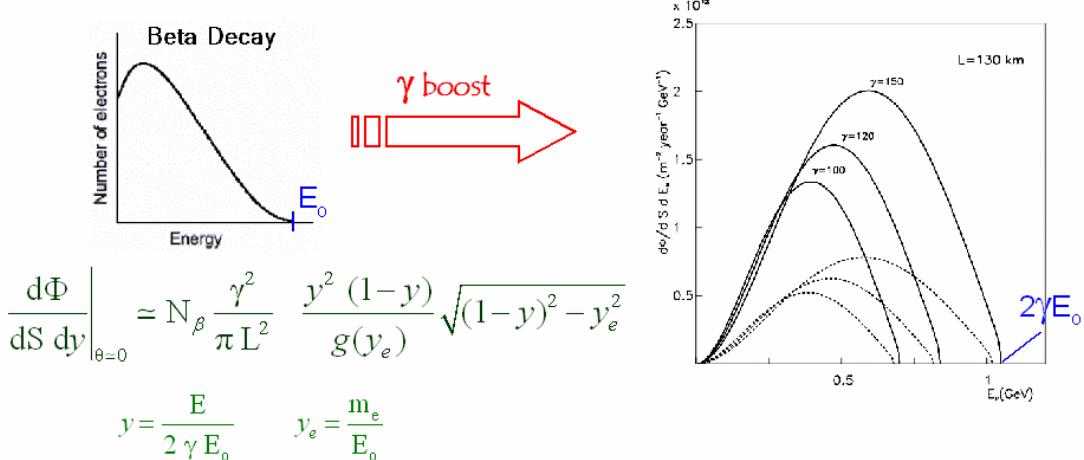
- It is believed by many to be the **ultimate facility**...

3 - The Beta Beam Concept



Beta Beam:

- ◊ Very intense and **pure** ν_e (or $\bar{\nu}_e$) beam from boosted β -radioactive ions.
- ◊ **Flux** spectrum and composition **know** to very high precision.



Beta Beam:

◊ Channels:

- Golden: $\nu_e \rightarrow \nu_\mu$ $(\bar{\nu}_e \rightarrow \bar{\nu}_\mu)$ ■ Signal: detected μ^\pm
- Disappearance: $\nu_e \rightarrow \nu_e$ $(\bar{\nu}_e \rightarrow \bar{\nu}_e)$ ■ Signal: detected e^\pm

◊ No need to detect the charge:

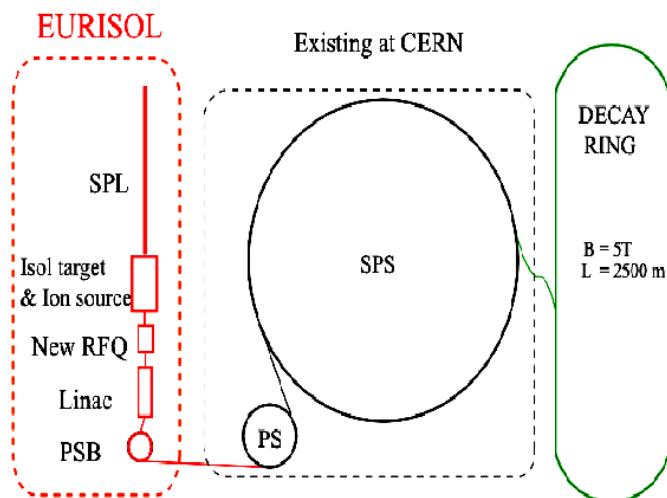
- Only one type of neutrino

◊ Caveats:

- No access to ν_μ disappearance.
- Technical challenge \Rightarrow R&D

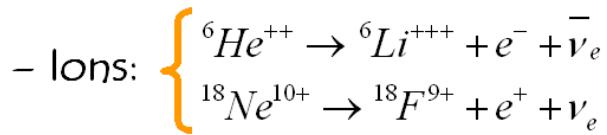
The Beta Beam's birth

◊ Original idea:



The Beta Beam's birth

- ◊ Baseline scenario:



- $L = 130 \text{ km}$ (CERN to Frejus)

- Boost: $\begin{cases} \gamma = 60 \text{ for } {}^6\text{He} \\ \gamma = 100 \text{ for } {}^{18}\text{Ne} \end{cases}$

- Detector: Megaton Water Cherenkov

M.Mezzetto et al, J. Phys. G 29, 2003

...growing up...

- ◊ However it soon became clear that those settings were **not optimal**:

- A large part of the **neutrinos**, particularly for ${}^6\text{He}$, were **under the muon threshold**
 - **Poor energy dependence** \Rightarrow Not good for degeneracies

- ◊ Moving to higher gammas and baselines:

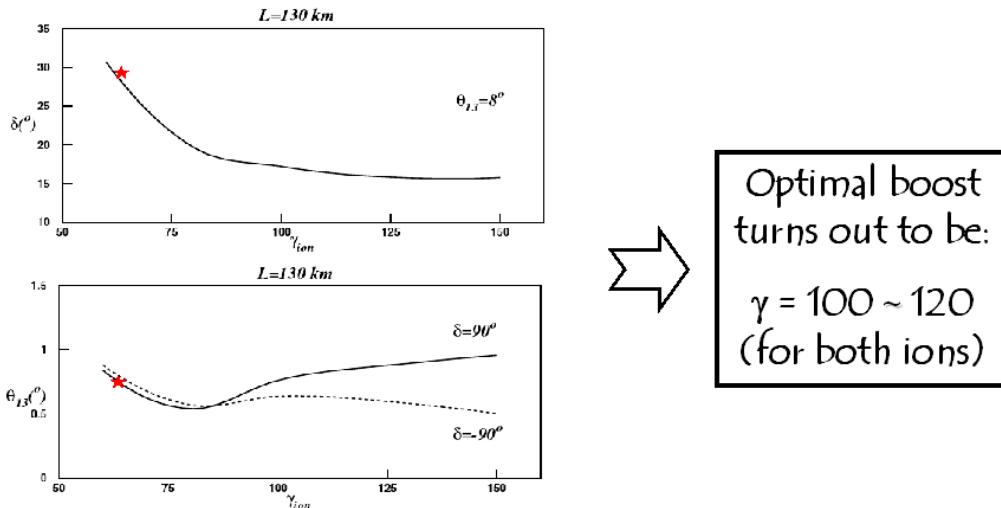
- Flux $\propto \left(\frac{\gamma}{L}\right)^2$
 - $\sigma \propto \gamma$

- ◊ Signal grows at least linearly with γ
- ◊ Energy dependence increases
- ◊ Matter effects increase

Burguet-Castell et al, hep-ph/0312068

...growing up...

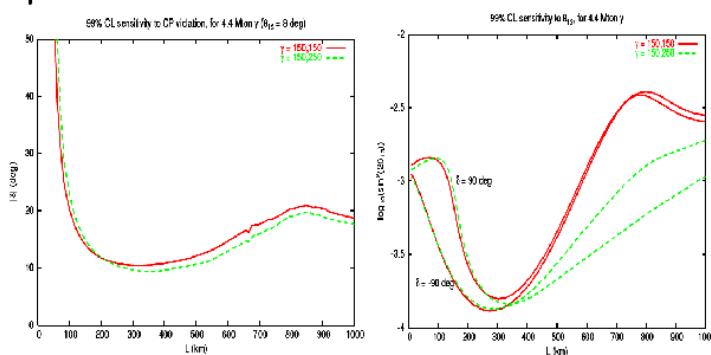
- ◊ CERN scenario:
 - For the Frejus baseline:



Burguet-Castell, Casper, E.C., Gomez-Cadenas, Hernandez, hep-ph/0503021

...growing up...

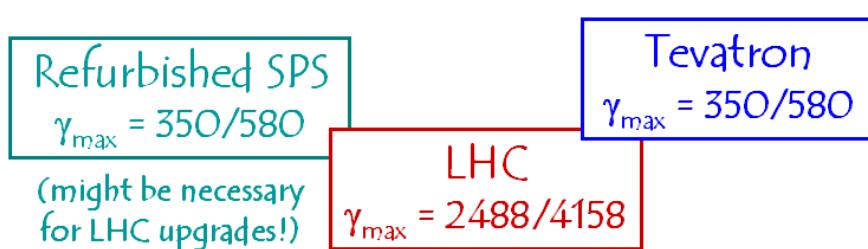
- ◊ CERN scenario:
 - But changing the baseline allows us to reach the **full potential of the SPS**:
 - ◊ SPS maximum boost: $\gamma = 150/250$
 - ◊ Optimal baseline: ~ 300 km



Burguet-Castell, Casper, E.C., Gomez-Cadenas, Hernandez, hep-ph/0503021

...and moving out

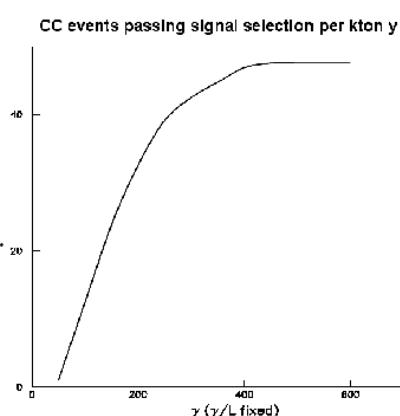
- ◊ What if we do not restrict ourselves to the CERN baseline scenario? What's the **optimal β -beam**? How good could it be?
- ◊ SPS is not the only choice:



...and moving out

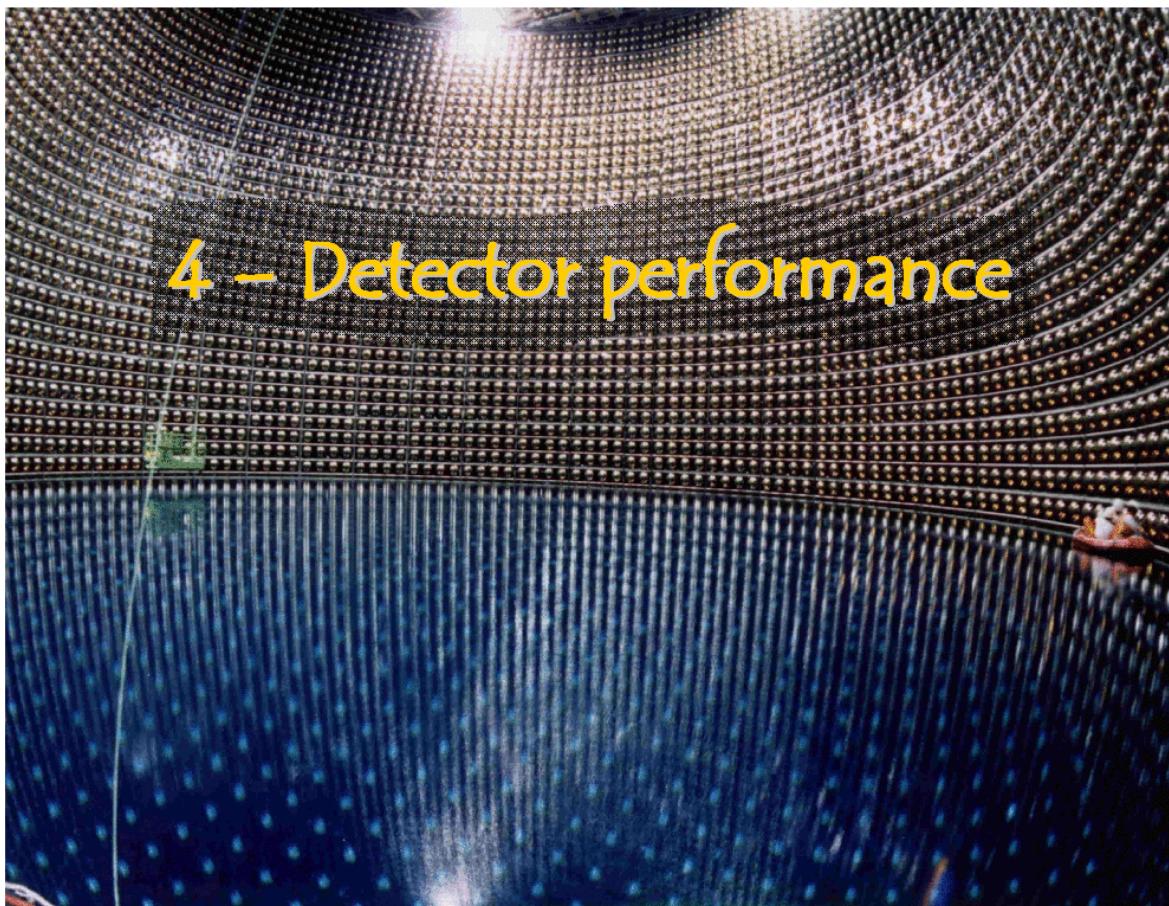
- ◊ If we stick to Water Cherenkov technology:

- ◊ Maximum boost: $\gamma \sim 350$
- Afterwards:
 - ◊ Non-elastic cross section begins to dominate...
 - ◊ Single-pion background increases...
- ◊ Optimal distance: $L \sim 700$ km
(atm. peak)



CERN to Canfranc or Gran Sasso

Fermilab to Soudan



4 – Detector performance

Why a Water Cherenkov Detector?

- ◊ For β -beams, unlike ν -Factories, we **don't need** to be able to tell the **charge** of the detected fermion.
- ◊ We **know how** to make Water Cherenkovs.
 - They've already told us a lot about neutrino oscillations!
- ◊ They are **versatile**:
 - atmospherics, proton decay, supernova...
- ◊ Water is **cheap**!
 - Detectors at least 10 times more massive than for any other technology...

Why not ... 20 x \approx 1 Megaton!



Studies on different detectors

- ◊ Scintillator a la NOvA Huber et al, hep-ph/0506257

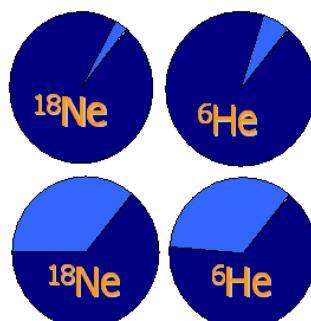
- ◊ Iron calorimeter Donini et al, hep-ph/0604229

- ◊ Better intrinsic performance for high γ option
- ◊ ... But not enough to compensate mass difference

Signal Issues

- ◊ Intrinsic energy resolution (Fermi motion)
- ◊ For a Water Cherenkov, energy reconstruction is done assuming QE dynamics...

– For $\gamma = 100$:



– For $\gamma = 350$:

But energy migrations can be studied and accounted for from Monte Carlo simulations

Background Issues

- ◊ Atmospheric background:

- Extremely large!

Negligible

- To deal with it: {

Intrinsic cuts

End point of spectrum

◦ Minimum energy cut

◦ Bunching of the parent ions

Around 100 times
less significant
than intrinsic bkg

- ◊ Intrinsic background:

- From the miss-id'ed electrons.

- To deal with it: {

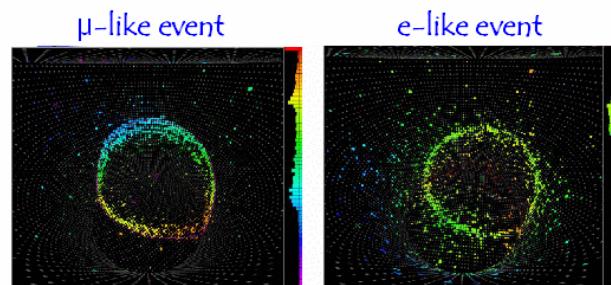
◦ ID cut

◦ Michel e- cut

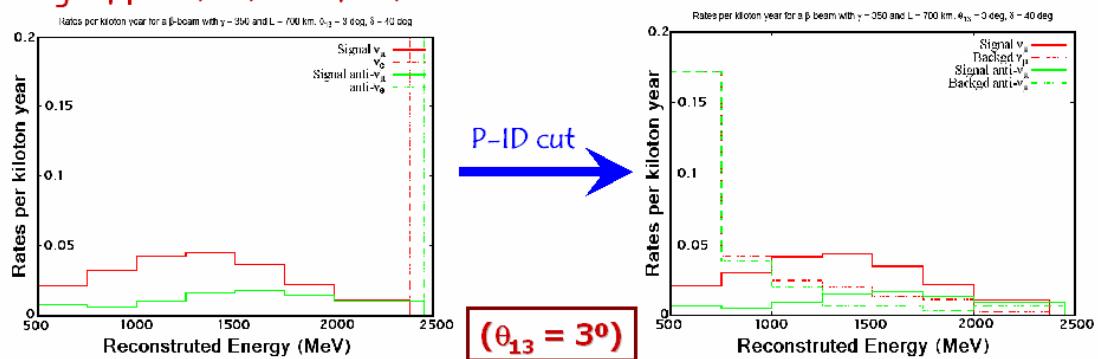
Let's take a closer look...

Signal/Background discrimination

- ◊ P-ID cut: μ/e separation

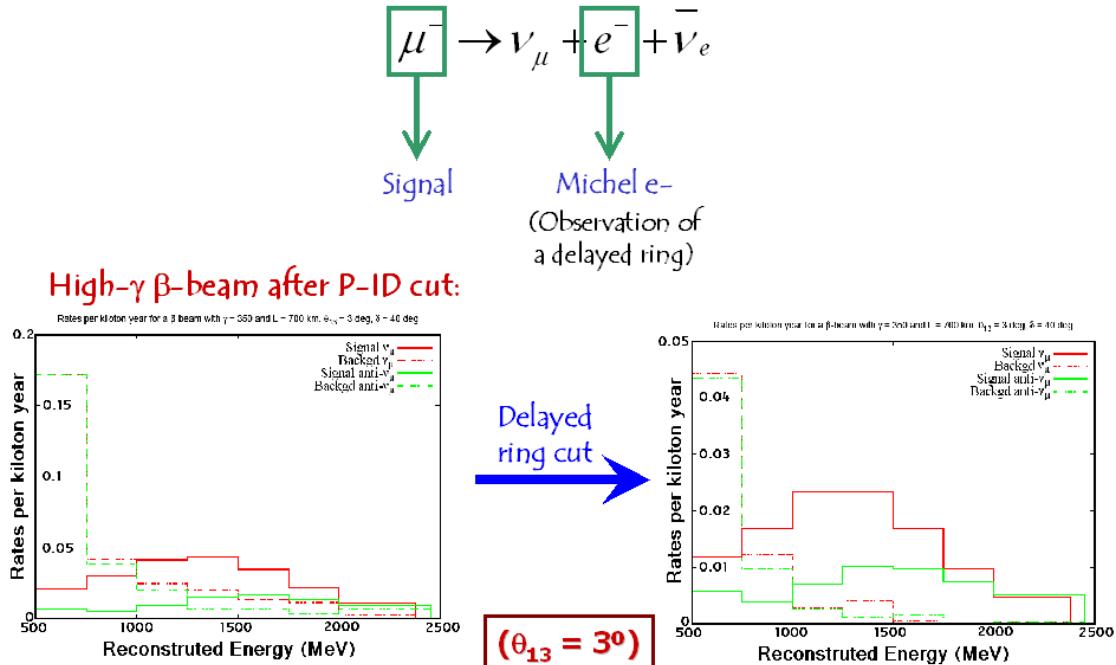


High- γ β -beam after fiducial cuts:



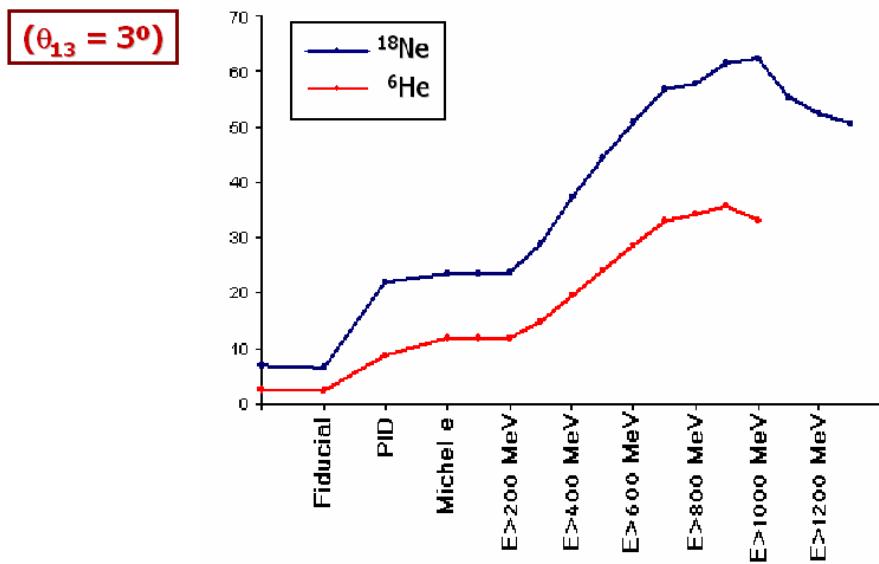
Signal/Background discrimination

- ◊ Michel e- cut: $\mu/e,\pi$ separation:



Signal to noise ratio

signal / sqrt(bkgnd)



High- γ β -beam

5 – Physics Reach

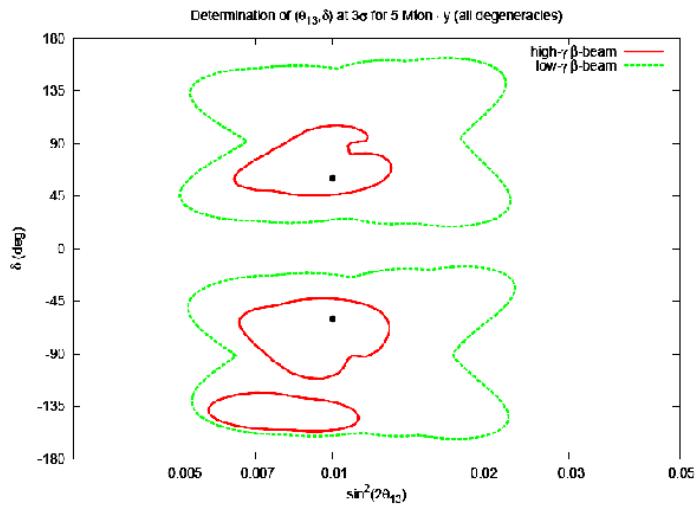
Assumptions:

- ◊ Atmospheric and solar parameters:
G.L. Fogli hep-ph/0506083
$$\left\{ \begin{array}{l} \Delta m_{12}^2 = 7.9 \times 10^{-3} \text{ eV}^2 \\ \theta_{12} = 33^\circ \\ \Delta m_{23}^2 = \begin{cases} 2.4 \times 10^{-3} \text{ eV}^2 \\ -2.45 \times 10^{-3} \text{ eV}^2 \end{cases} \\ \theta_{23} = \begin{cases} 41.5^\circ \\ 48.5^\circ \end{cases} \end{array} \right.$$
- ◊ Total run time: 5+5 years
- ◊ Intensities:
$$\left\{ \begin{array}{l} 2.9 \times 10^{18} {}^6\text{He decays per year} \\ 1.1 \times 10^{18} {}^{18}\text{Ne decays per year} \end{array} \right.$$
- ◊ 500 kton fiducial mass Water Cherenkov detector
- ◊ Systematic errors:
$$\left\{ \begin{array}{l} \diamond \text{Signal global norm. (fiducial vol.)} 5\% \\ \diamond \text{Background global norm.} 10\% \\ \diamond \nu \text{ to } \bar{\nu} \text{ xsection ratio} 1\% \end{array} \right.$$

Looking for θ_{13} and δ

Region of the θ_{13} - δ plane where we can expect, at 3σ or better, the real values of θ_{13} and δ .

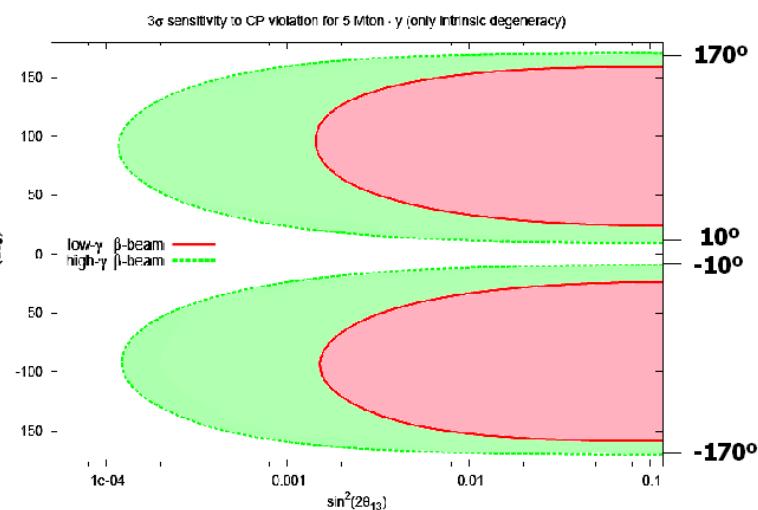
(The actual true values used to calculate the plot are indicated with black dots)



Looking for CP-vio

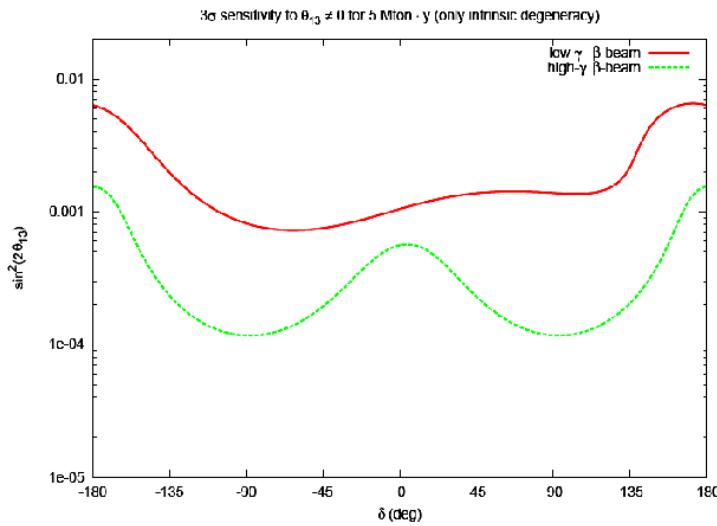
Region of the θ_{13} - δ plane where we can establish, at 3σ or better, that there is CP vio.

We can distinguish "true" δ from non-CP-violating δ (0° and 180°), for any best fit value of θ_{13}



Looking for θ_{13}

Region of the θ_{13} - δ plane where we can establish, at 3σ or better, that $\theta_{13} \neq 0$.

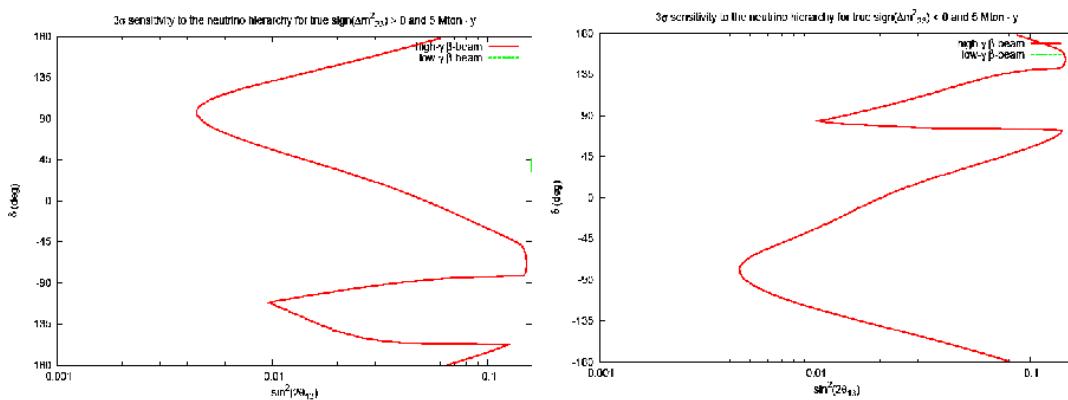


E.C, hep-ph/0607008

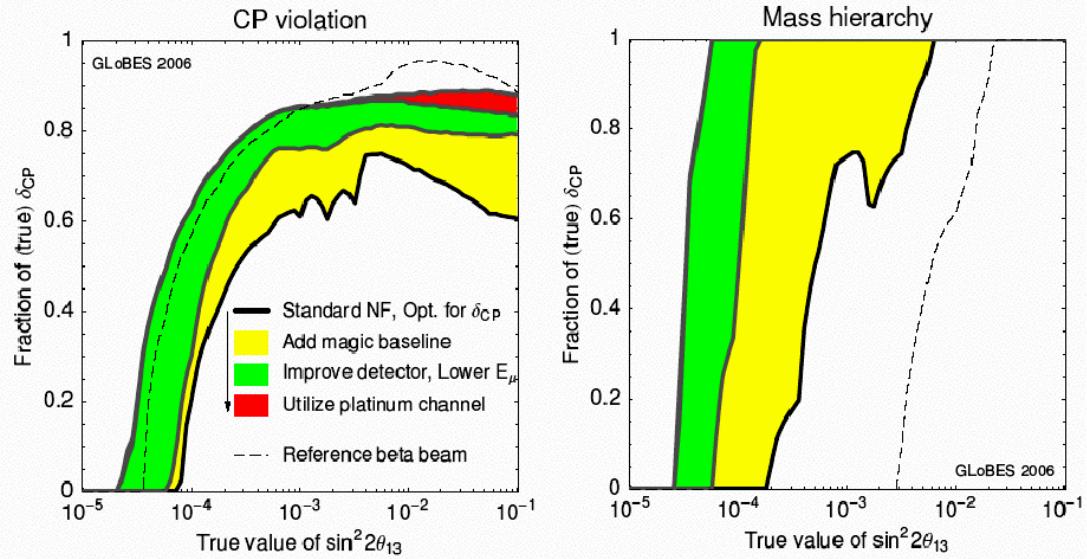
Looking for the mass hierarchy

Region of the θ_{13} - δ plane where we can establish, at 3σ or better, the sign of Δm^2_{23} .

We can distinguish the *true* sign from the *wrong* one for any best fit value of δ and θ_{13}



High- γ β -beam vs ν -Factory



Plots from P. Huber et al, hep-ph/0606119



Changing the ions

- ◊ Ions with **larger E_0** (and similar q/m ratio) have been proposed: Rubbia et al, hep-ph/0602032

${}^8\text{Li}^{3+}, {}^8\text{B}^{5+}$

⇒ Higher energies for same γ

- ◊ "High γ -like" β -beam at less powerful accelerators...
... say, the Main Injector at Fermilab, maybe?

- ◊ Combination with He and Ne to solve degeneracies

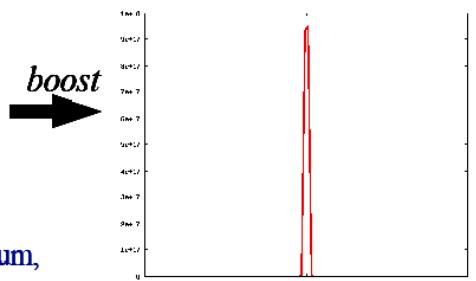
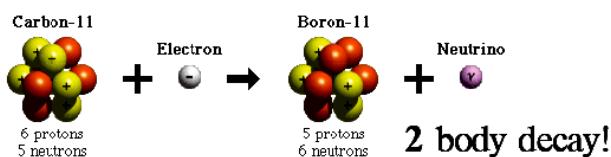
A. Donini, E. Fernandez-Martinez, hep-ph/0603261

e⁻ capture beams

- ◊ A very interesting idea:

J. Bernabeu et al, hep-ph/0602032

Electron capture:



From the **single energy** electron capture neutrino spectrum, we can get a **pure** and **monochromatic** beam by accelerating ec-unstable ions

J. Burquet-Castell, NuFact05

$$\frac{d^2N_\nu}{dSdE} = \frac{\Gamma_{ec}}{\Gamma} \frac{N_{ions}}{\pi L^2} \gamma^2 \delta(E - 2\gamma E_0)$$

– Monoenergetic neutrino beams!

e^- capture beams

◊ Advantages:

- All neutrinos at the energy of interest Not wasted flux
- Energy of interest can be changed \Rightarrow Solving degeneracies
- Extremely low detector backgrounds (energy reconstruction)

◊ Caveats:

- No anti-neutrino beams combination with a β^- -beam?
- Technical feasibility not clear yet

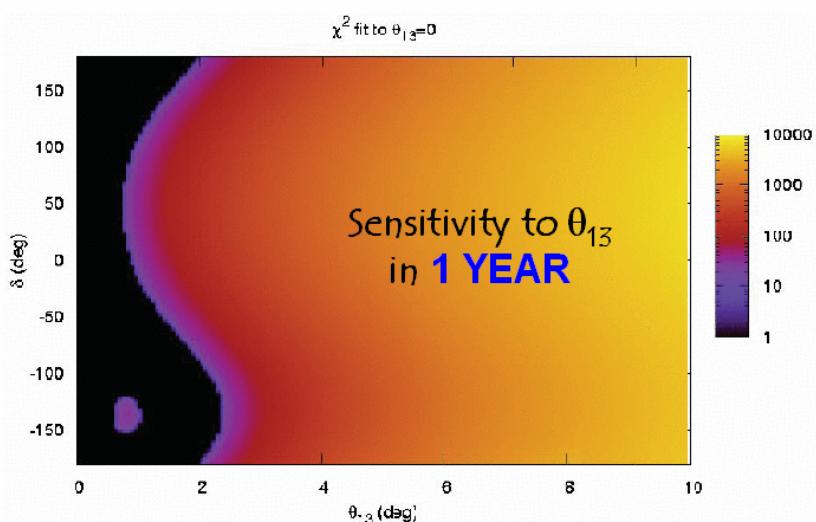
If flux similar to β^+ -beam, it would clearly outperform it

e^- capture beams

◊ Performance

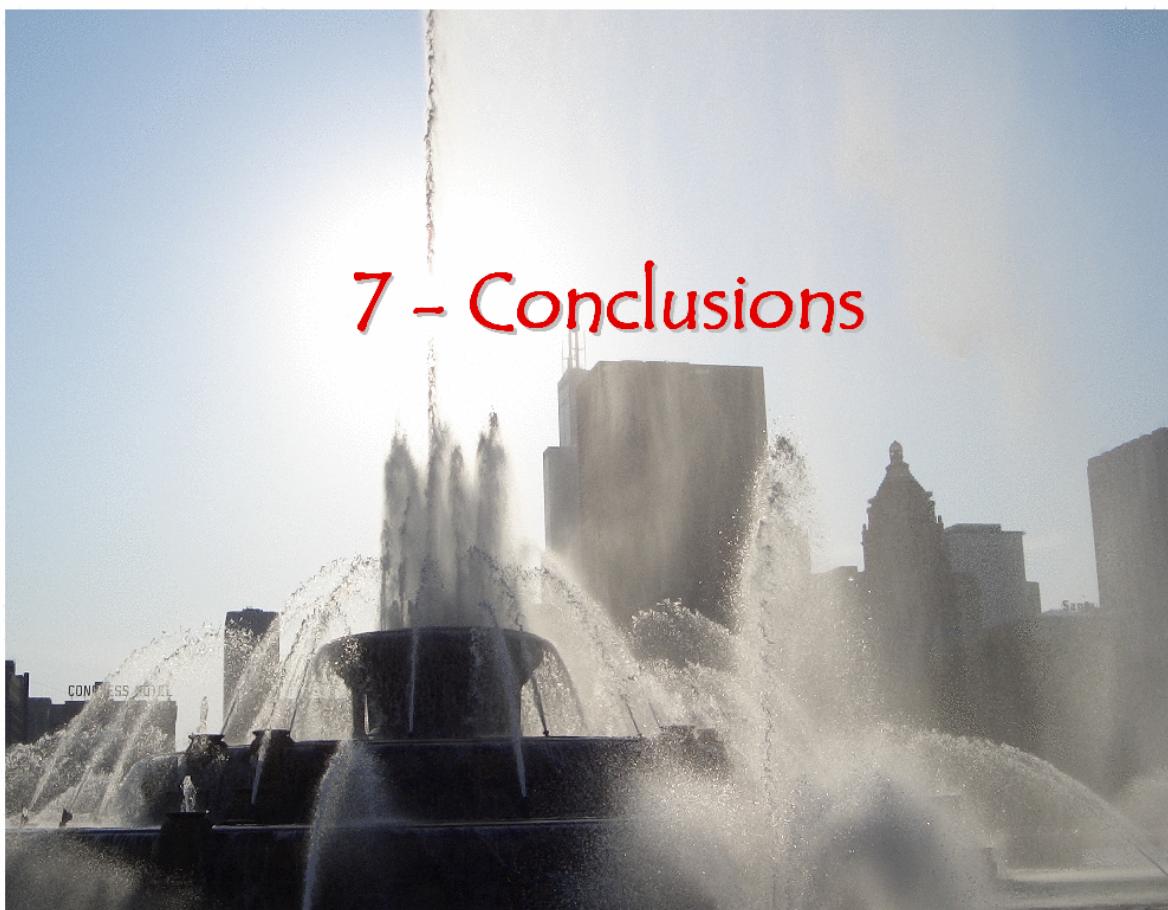
Assuming:

- ◊ 10^{18} ions/year
- ◊ $L = 130$ km
- ◊ $\gamma = 90/195$
- ◊ Megaton W. Chkov



Plot: J. Burguet-Castell @ NuFact O5

7 - Conclusions



Beta Beam:

- ◊ Elegant idea of using beta decay to produce pure ν_e ($\bar{\nu}_e$) beams.
- ◊ Most likely at energies beneath the τ -threshold:
 - Golden channel $\nu_e \rightarrow \nu_\mu$
 - ν_e disappearance (not very useful)
- ◊ No charge discrimination needed:
 - Water Cherenkov detector (massive and versatile)

Beta Beam:

- ◊ It has grown into a **serious competitor** of the **ν -Factory** as the “ultimate neutrino oscillation experiment”:

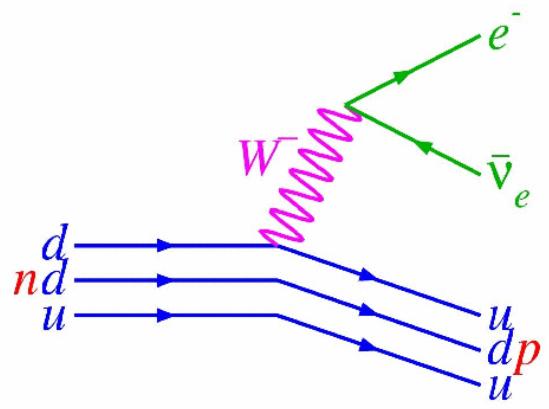
- Comparable sensitivities to θ_{13} and δ
 - Some sensitivity to the hierarchy, although not comparable:
 - ◊shorter baseline
 - ◊only golden channel
 - Not so good for the ‘known’ sector of the PMSN matrix:
 - ◊Needs Atmospheric + T2K data

Beta Beam:

- ◊ It has grown into a **serious competitor** of the **ν -Factory** as the “ultimate neutrino oscillation experiment”:

Bottom line:

- Given current global assumptions, their performances are comparable
 - Technical progress will probably be the key to the final choice:
 - ◊Fluxes
 - ◊Mton Water Cherenkov Facility ?
 - ◊Muon collider ?
 - ... Not to mention political and economic issues...



Beta decay gave the first word...
...may it also give the last one?