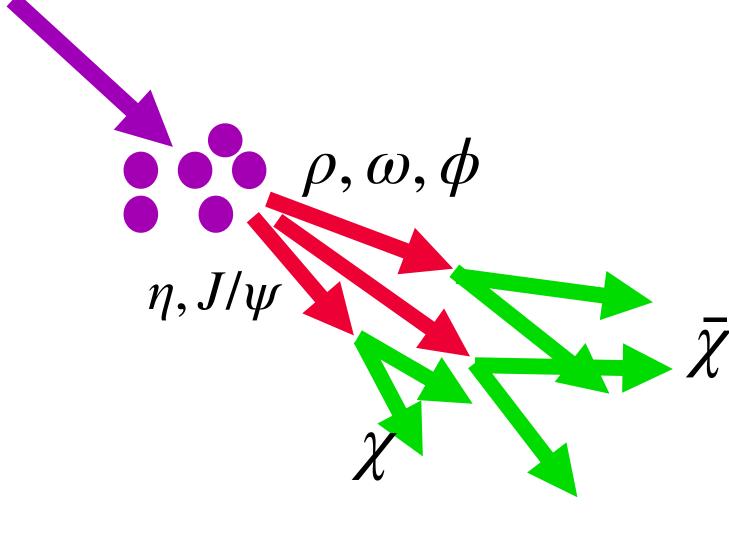
### Weaker than Weak physics at the intensity frontier Theory Seminar - Fermilab - March 5th 2020

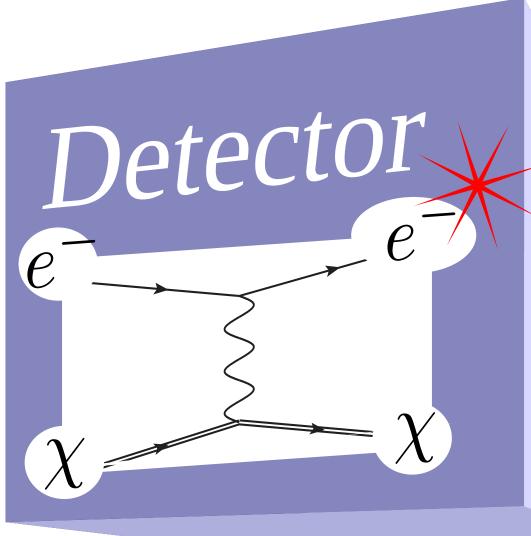
Postdoctoral Scholar @ U. Kentucky @ Fermilab Intensity Frontier Fellow (formerly @ McMaster and Perimeter)

> arXiv:2002.11732 arXiv:1806.03310 arXiv:1803.03262 arXiv:1710.08431 arXiv:1612.05642

In collaboration with: Gabriel Magill, Maxim Pospelov, Yu-Dai Tsai Torsten Bringmann, Alexander Kusenko, Volodymyr Takhistov



### **Ryan Plestid**

















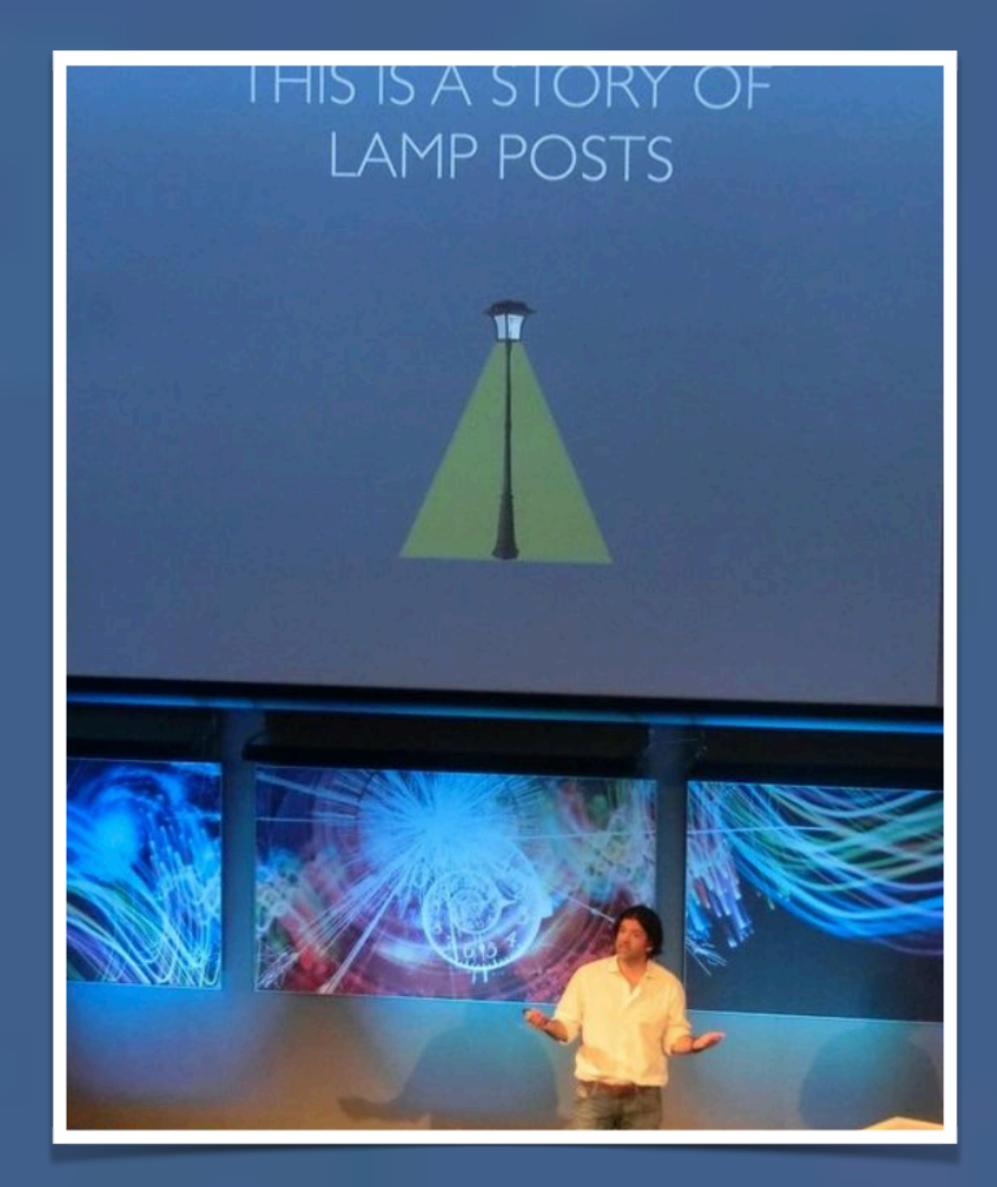
2









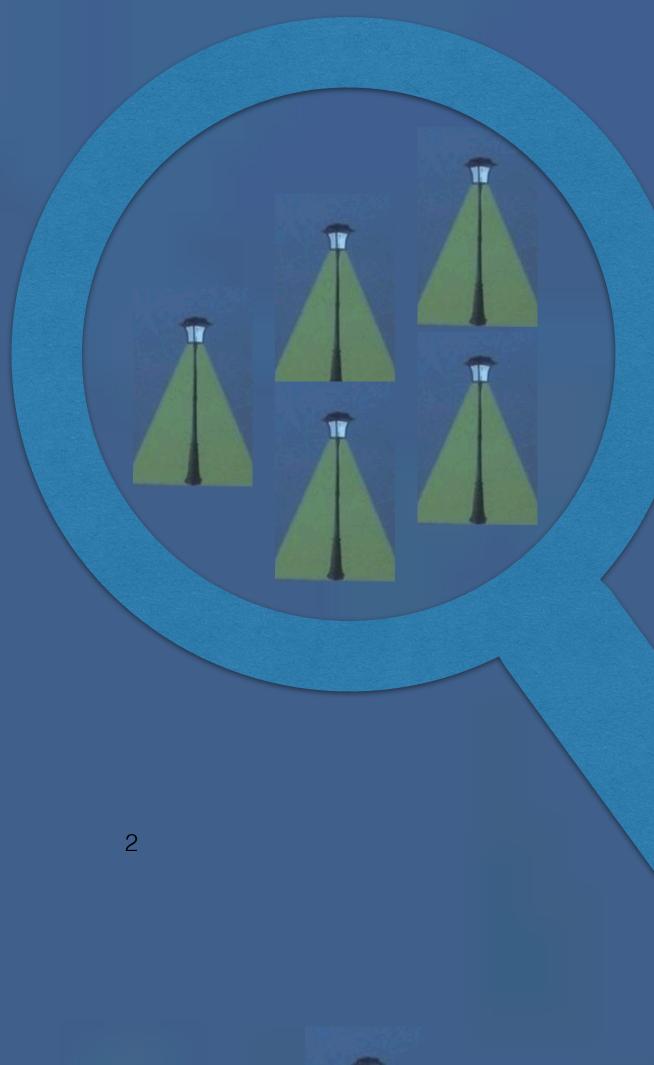


### Neil Weiner circa 2015...ish

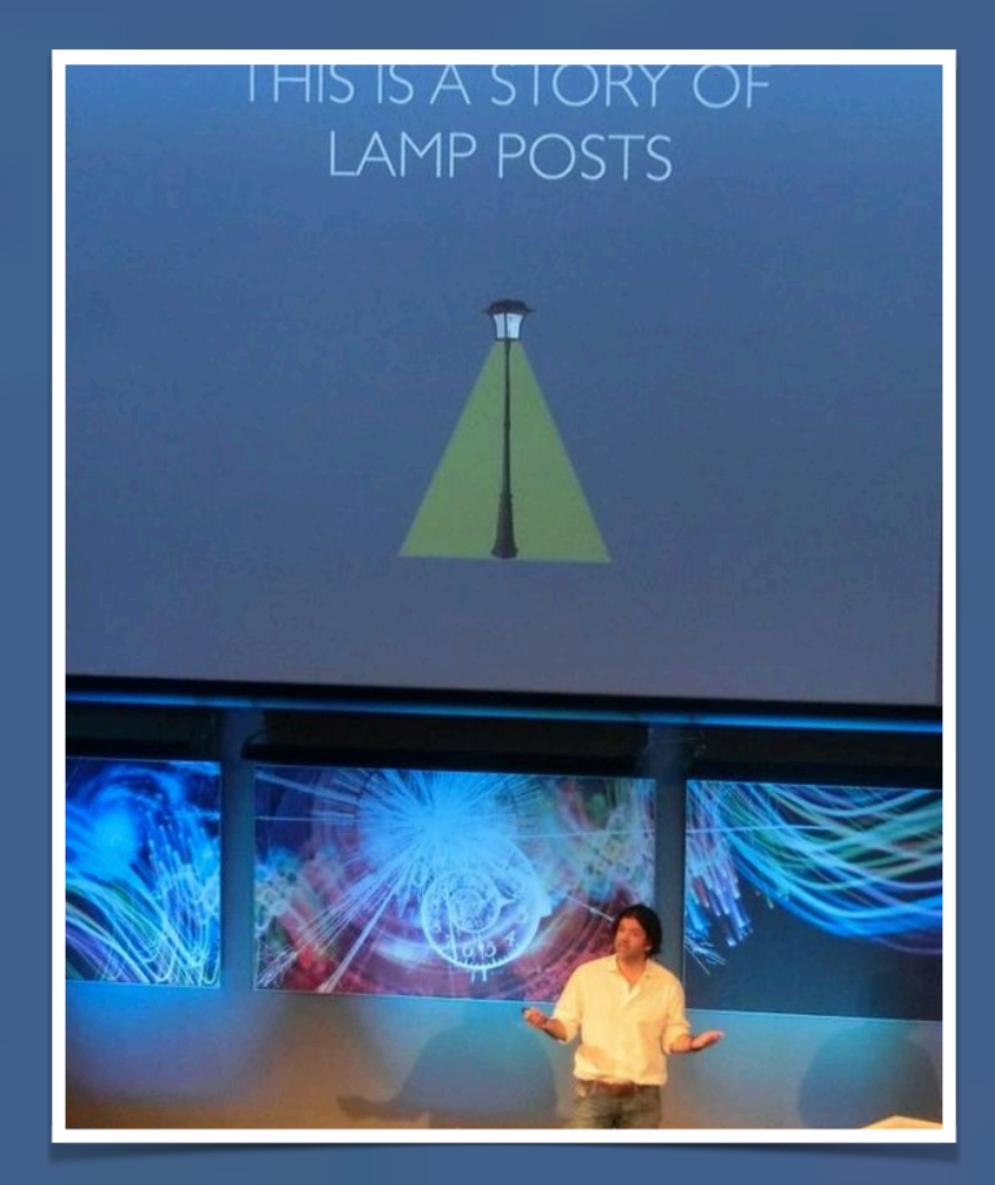












### Neil Weiner circa 2015...ish

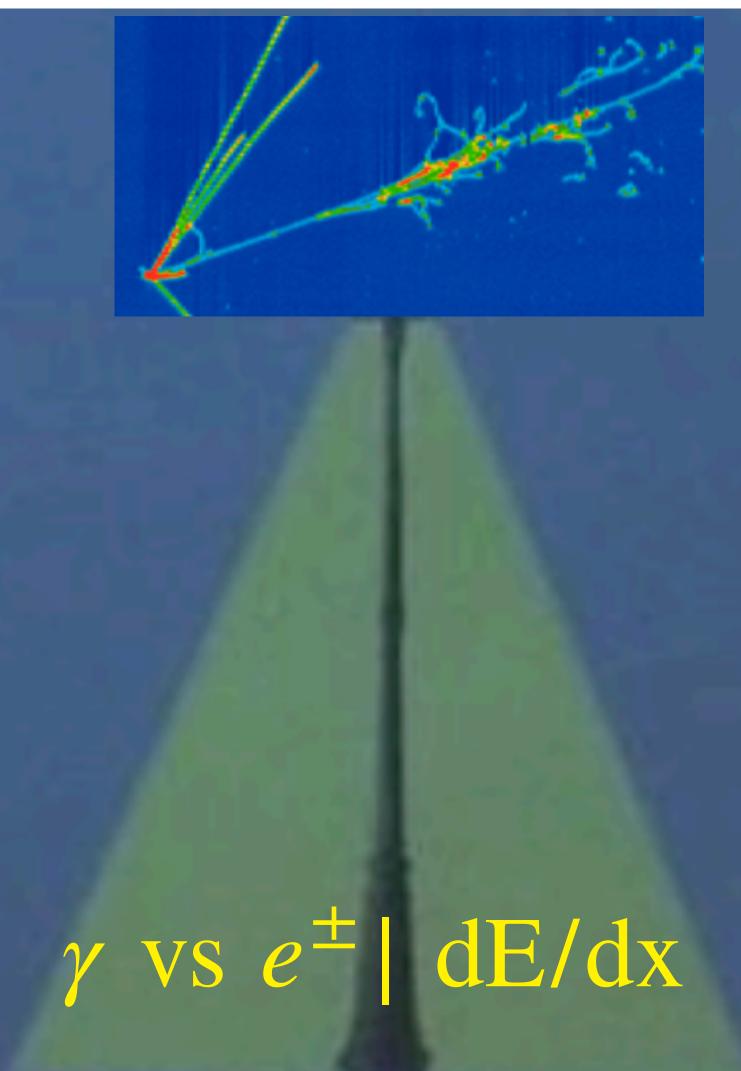








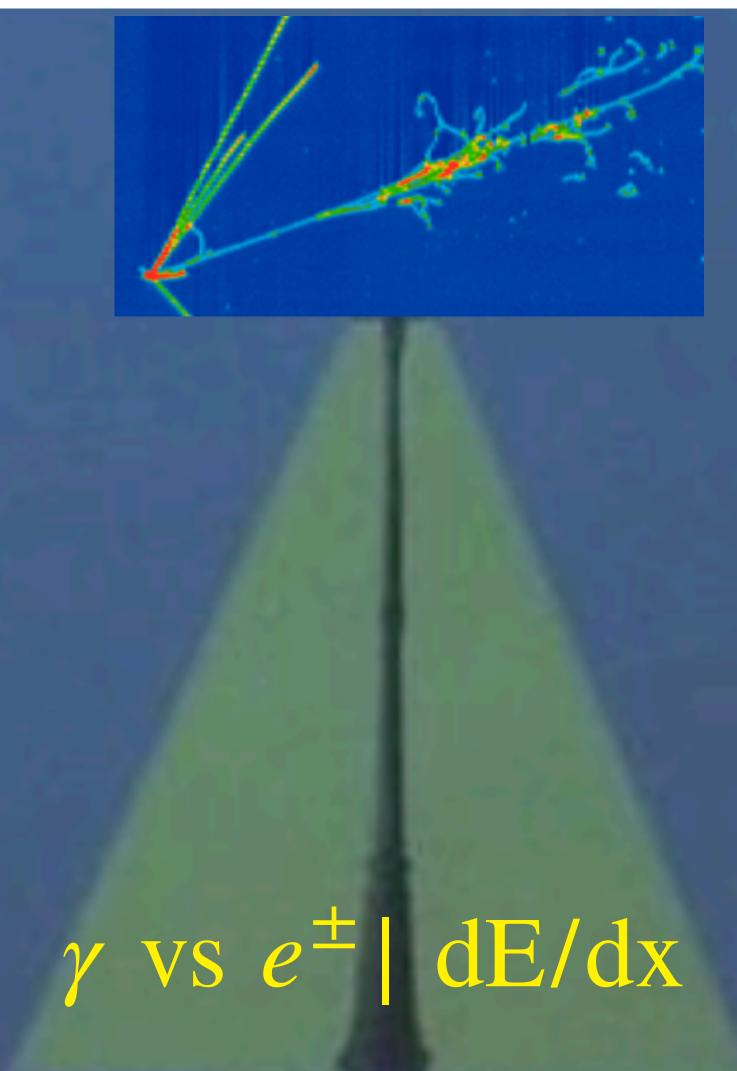




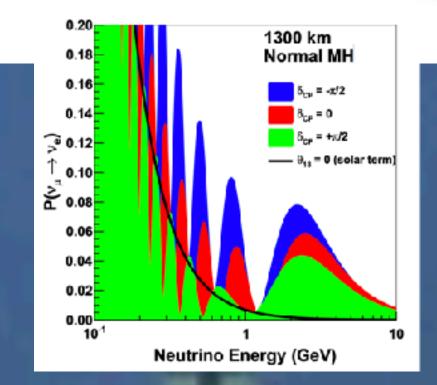








## Precision



## ratio $\sigma_{\nu_{\mu}}$ : $\sigma_{\nu_{\mu}}$









4



### HNLs



4



 $(\nu n \rightarrow \ell p \gamma)$ 





4



 $(\nu n \rightarrow \ell p \gamma)$ 



 $\nu\gamma^* \to \ell^+ \ell^- \nu$ 



4



 $(\nu n \rightarrow \ell p \gamma)$ 





 $\nu\gamma^* \to \ell^+ \ell^- \nu$ 



- Weak + Electromagnetic
   Standard Model processes
- Weakly coupled, light new physics



 $\nu n \rightarrow$ 





 $\nu\gamma^* \to \ell^+ \ell^- \nu$ 



- Weak + Electromagnetic
   Standard Model processes
- Weakly coupled, light new physics

### This Talk

- Neutrino trident production
- Millicharged particles
- Dipole portal to HNL
- Outlook/future work





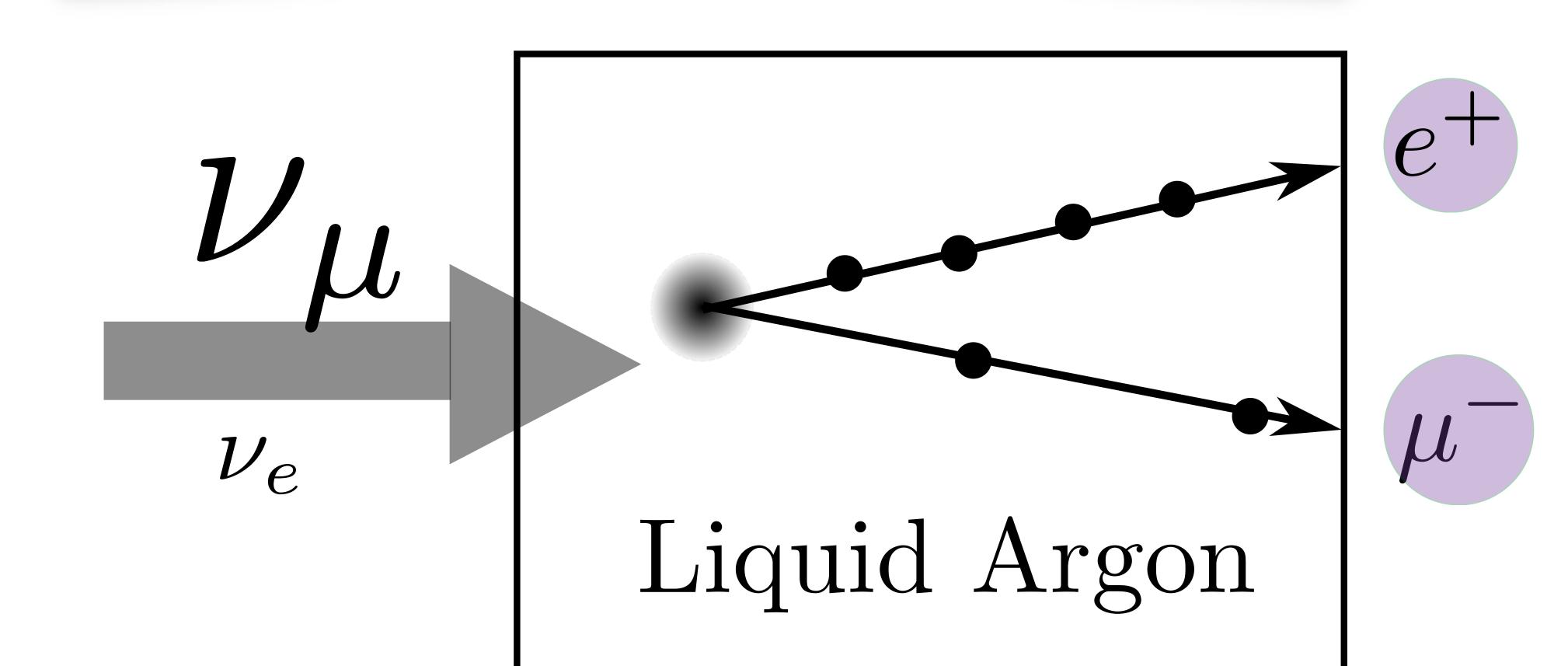




## **Neutrino Trident Production**

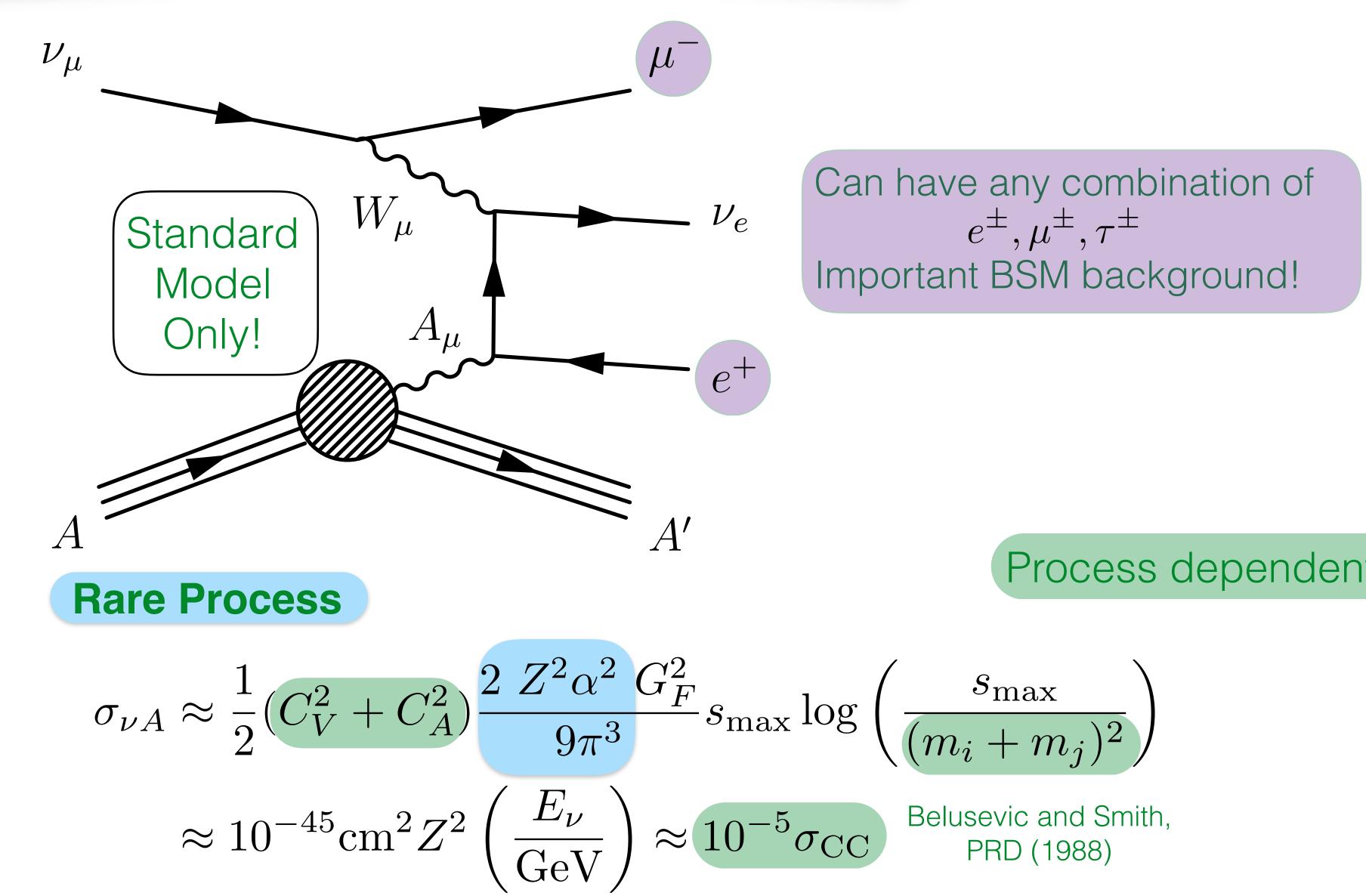
<u>arXiv:1710.08431</u> <u>arXiv:1612.05642</u>

## **Neutrino Trident Production**



Lepton Flavour Violation?

## Neutrino Trident Standard Model





Process dependent

$$\approx \frac{10^{2} F}{10^{-5} \sigma_{\rm CC}} \log \left( \frac{s_{\rm max}}{(m_i + m_j)^2} \right)$$

$$\approx 10^{-5} \sigma_{\rm CC} \qquad \text{Belusevic and Smith,} \\ \text{PRD (1988)} \end{cases}$$

## Neutrino Trident arXiv:1612.05642, PRD 2017 (RP, Gabriel Magill)

$\nu$ Process	$\overline{\nu}$ Process	$V_{ijk}$	$A_{ijk}$	Mediat
$ u_e  ightarrow  u_e e^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_e e^+ e^-$	$\frac{1}{2} + 2\sin^2\theta_w$	$\frac{1}{2}$	W,Z
$ u_{\mu}  ightarrow  u_{\mu} \mu^{+} \mu^{-}$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} \mu^{+} \mu^{-}$	$rac{1}{2} + 2\sin^2 heta_w$	$\frac{1}{2}$	W,Z
$ u_e  ightarrow  u_\mu \mu^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_\mu e^+ \mu^-$	1	1	W
$ u_{\mu}  ightarrow  u_e e^+ \mu^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{e} \mu^{+} e^{-}$	1	1	W
$ u_e  ightarrow  u_e \mu^+ \mu^-$	$\overline{\nu}_e  ightarrow \overline{\nu}_e \mu^+ \mu^-$	$-\frac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu} e^+ e^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} e^+ e^-$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu}  au^+  au^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu}  au^-  au^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{ au} \mu^-  au^+$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{ au} \mu^+  au^-$	1	1	W
$ u_{ au}  ightarrow  u_{\mu}  au^{-} \mu^{+}$	$\overline{ u}_ au  o \overline{ u}_\mu  au^+ \mu^-$	1	1	W
$ u_ au  o  u_ au \mu^+ \mu^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} \mu^- \mu^+$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_ au  o  u_ au e^+ e^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} e^- e^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$

TABLE I: Modified vector and axial coupling constants for different combinations of incident neutrino flavours and final states

ator

Z

Ζ

$\nu$ Process	$\overline{\nu}$ Process	$V_{ijk}$	$A_{ijk}$	Mediat
$ u_e  ightarrow  u_e e^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_e e^+ e^-$	$\frac{1}{2} + 2\sin^2\theta_w$	$\frac{1}{2}$	W,Z
$ u_{\mu}  ightarrow  u_{\mu} \mu^{+} \mu^{-}$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} \mu^{+} \mu^{-}$	$rac{1}{2} + 2\sin^2 heta_w$	$\frac{1}{2}$	W,Z
$ u_e  ightarrow  u_\mu \mu^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_\mu e^+ \mu^-$	1	1	W
$ u_{\mu}  ightarrow  u_e e^+ \mu^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{e} \mu^{+} e^{-}$	1	1	W
$ u_e  ightarrow  u_e \mu^+ \mu^-$	$\overline{\nu}_e  ightarrow \overline{\nu}_e \mu^+ \mu^-$	$-\frac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu} e^+ e^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} e^+ e^-$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu}  au^+  au^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu}  au^-  au^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{ au} \mu^-  au^+$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{ au} \mu^+  au^-$	1	1	W
$ u_{ au}  ightarrow  u_{\mu}  au^{-} \mu^{+}$	$\overline{ u}_ au  o \overline{ u}_\mu  au^+ \mu^-$	1	1	W
$ u_ au  o  u_ au \mu^+ \mu^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} \mu^- \mu^+$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_ au  o  u_ au e^+ e^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} e^- e^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$



ator

Ζ

### Given (then current) DUNE CDR we projected ~100 events at DUNE

$\nu$ Process	$\overline{\nu}$ Process	$V_{ijk}$	$A_{ijk}$	Mediat
$ u_e  ightarrow  u_e e^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_e e^+ e^-$	$\frac{1}{2} + 2\sin^2\theta_w$	$\frac{1}{2}$	W,Z
$ u_{\mu}  ightarrow  u_{\mu} \mu^{+} \mu^{-}$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} \mu^{+} \mu^{-}$	$rac{1}{2} + 2\sin^2 heta_w$	$\frac{1}{2}$	W,Z
$ u_e  ightarrow  u_\mu \mu^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_\mu e^+ \mu^-$	1	1	W
$ u_{\mu}  ightarrow  u_e e^+ \mu^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{e} \mu^{+} e^{-}$	1	1	W
$ u_e  ightarrow  u_e \mu^+ \mu^-$	$\overline{\nu}_e  ightarrow \overline{\nu}_e \mu^+ \mu^-$	$-\frac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu} e^+ e^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} e^+ e^-$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu}  au^+  au^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu}  au^-  au^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{ au} \mu^-  au^+$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{ au} \mu^+  au^-$	1	1	W
$ u_{ au}  ightarrow  u_{\mu}  au^{-} \mu^{+}$	$\overline{ u}_ au  o \overline{ u}_\mu  au^+ \mu^-$	1	1	W
$ u_ au  o  u_ au \mu^+ \mu^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} \mu^- \mu^+$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_ au  o  u_ au e^+ e^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} e^- e^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$



ator

 $\mathbf{Z}$ Ζ

### Given (then current) DUNE CDR we projected ~100 events at DUNE

**Ballet et.al. arXiv:1807.10973** found certain approximation breaks. We overestimated production by ~ O(few)



$\nu$ Process	$\overline{\nu}$ Process	$V_{ijk}$	$A_{ijk}$	Mediat
$ u_e  ightarrow  u_e e^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_e e^+ e^-$	$\frac{1}{2} + 2\sin^2\theta_w$	$\frac{1}{2}$	W,Z
$ u_{\mu}  ightarrow  u_{\mu} \mu^{+} \mu^{-}$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} \mu^{+} \mu^{-}$	$rac{1}{2} + 2\sin^2 heta_w$	$\frac{1}{2}$	W,Z
$ u_e  ightarrow  u_\mu \mu^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_\mu e^+ \mu^-$	1	1	W
$ u_{\mu}  ightarrow  u_e e^+ \mu^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{e} \mu^{+} e^{-}$	1	1	W
$ u_e  ightarrow  u_e \mu^+ \mu^-$	$\overline{\nu}_e  ightarrow \overline{\nu}_e \mu^+ \mu^-$	$-\frac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu} e^+ e^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} e^+ e^-$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu}  au^+  au^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu}  au^-  au^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{ au} \mu^-  au^+$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{ au} \mu^+  au^-$	1	1	W
$ u_{ au}  ightarrow  u_{\mu}  au^{-} \mu^{+}$	$\overline{ u}_ au  o \overline{ u}_\mu  au^+ \mu^-$	1	1	W
$ u_ au  o  u_ au \mu^+ \mu^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} \mu^- \mu^+$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_ au  o  u_ au e^+ e^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} e^- e^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$



ator

Ζ Ζ

Given (then current) DUNE CDR we projected ~100 events at DUNE

Ballet et.al. arXiv:1807.10973 found certain approximation breaks. We overestimated production by ~ O(few)

**DUNE** has increased the planned size of the Near Detector



$\nu$ Process	$\overline{\nu}$ Process	$V_{ijk}$	$A_{ijk}$	Mediat
$ u_e  ightarrow  u_e e^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_e e^+ e^-$	$\frac{1}{2} + 2\sin^2\theta_w$	$\frac{1}{2}$	W,Z
$ u_{\mu}  ightarrow  u_{\mu} \mu^{+} \mu^{-}$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} \mu^{+} \mu^{-}$	$rac{1}{2} + 2\sin^2 heta_w$	$\frac{1}{2}$	W,Z
$ u_e  ightarrow  u_\mu \mu^+ e^-$	$\overline{ u}_e  ightarrow \overline{ u}_\mu e^+ \mu^-$	1	1	W
$ u_{\mu}  ightarrow  u_e e^+ \mu^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{e} \mu^{+} e^{-}$	1	1	W
$ u_e  ightarrow  u_e \mu^+ \mu^-$	$\overline{\nu}_e  ightarrow \overline{\nu}_e \mu^+ \mu^-$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu} e^+ e^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu} e^+ e^-$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{\mu}  au^+  au^-$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{\mu}  au^-  au^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_{\mu}  ightarrow  u_{ au} \mu^-  au^+$	$\overline{ u}_{\mu}  ightarrow \overline{ u}_{ au} \mu^+  au^-$	1	1	W
$ u_{ au}  ightarrow  u_{\mu}  au^{-} \mu^{+}$	$\overline{ u}_ au  o \overline{ u}_\mu  au^+ \mu^-$	1	1	W
$ u_ au  o  u_ au \mu^+ \mu^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} \mu^- \mu^+$	$-rac{1}{2}+2\sin^2 heta_w$	$-\frac{1}{2}$	$\mathbf{Z}$
$ u_ au  o  u_ au e^+ e^-$	$\overline{ u}_{ au}  ightarrow \overline{ u}_{ au} e^- e^+$	$-\frac{1}{2}+2\sin^2\theta_w$	$-\frac{1}{2}$	$\mathbf{Z}$



ator

Ζ Ζ

Given (then current) DUNE CDR we projected ~100 events at DUNE

**Ballet et.al. arXiv:1807.10973** found certain approximation breaks. We overestimated production by ~ O(few)

**DUNE** has increased the planned size of the Near Detector

Recent study (arXiv:1902.06765) including full **DUNE Geant-4 simulation predicts** ~ 1600 events / year at DUNE near detector in certain channels.

**Determination of dimuon cross section at 40%** 









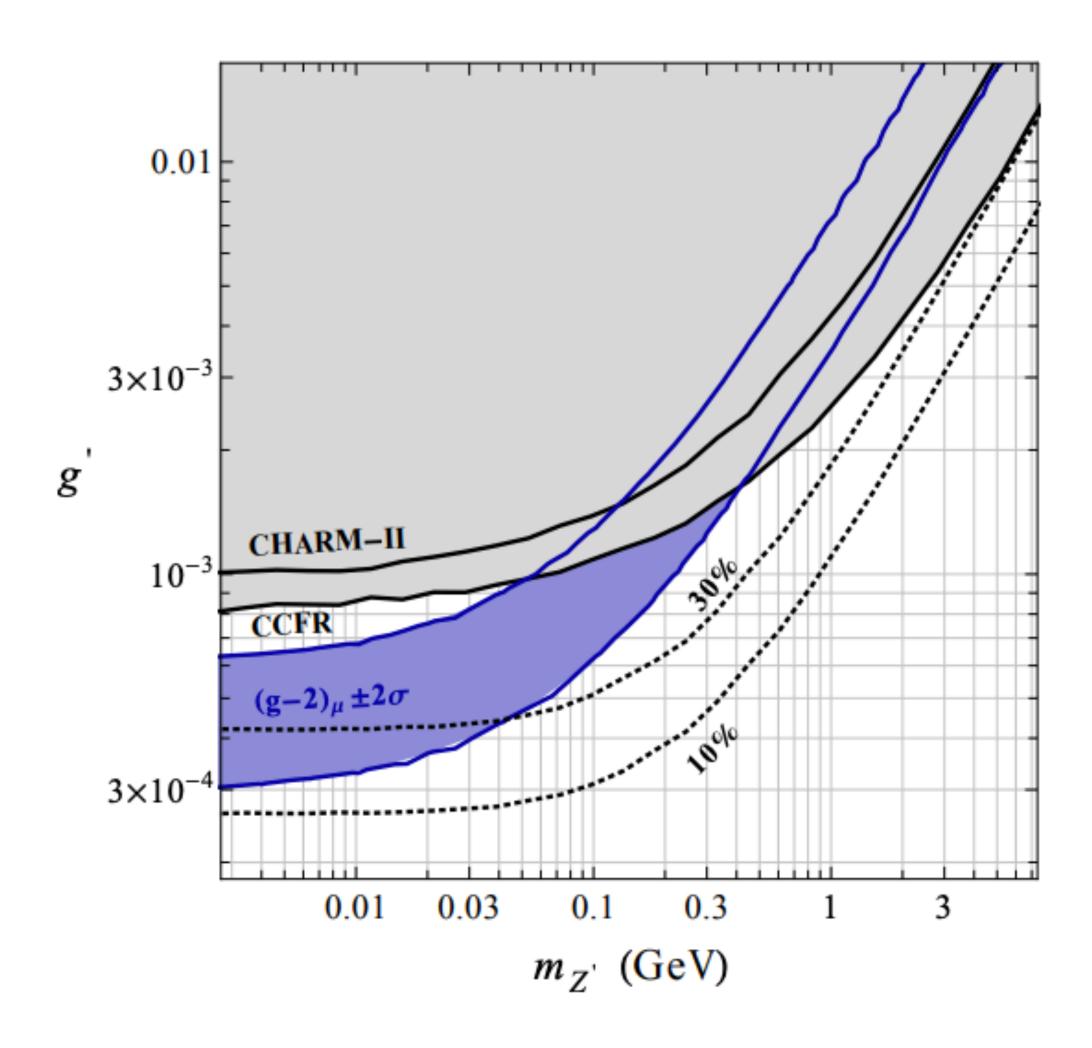


## **Neutrino Trident**

Altmannshofer, Gori, Pospelov, Yavin arXiv:1406.2332

$$\sigma_{\nu A} \approx \frac{1}{2} (C_V^2 + C_A^2) \frac{2 \ Z^2 \alpha^2 \ G_F^2}{9\pi^3}$$

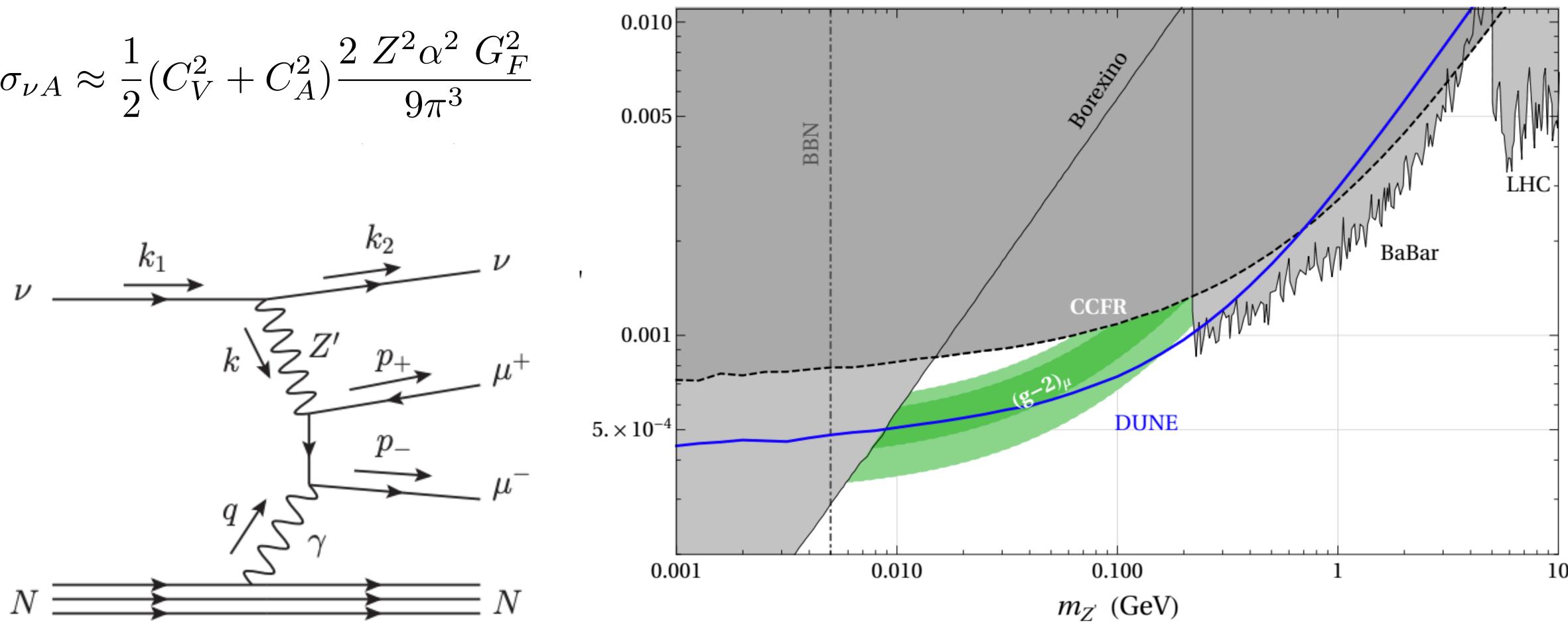




## **Neutrino Trident**

### Altmannshofer, Gori, Pospelov, Yavin arXiv:1406.2332

 $\sigma_{\nu A} \approx \frac{1}{2} (C_V^2 + C_A^2) \frac{2 \ Z^2 \alpha^2 \ G_F^2}{9\pi^3}$ 

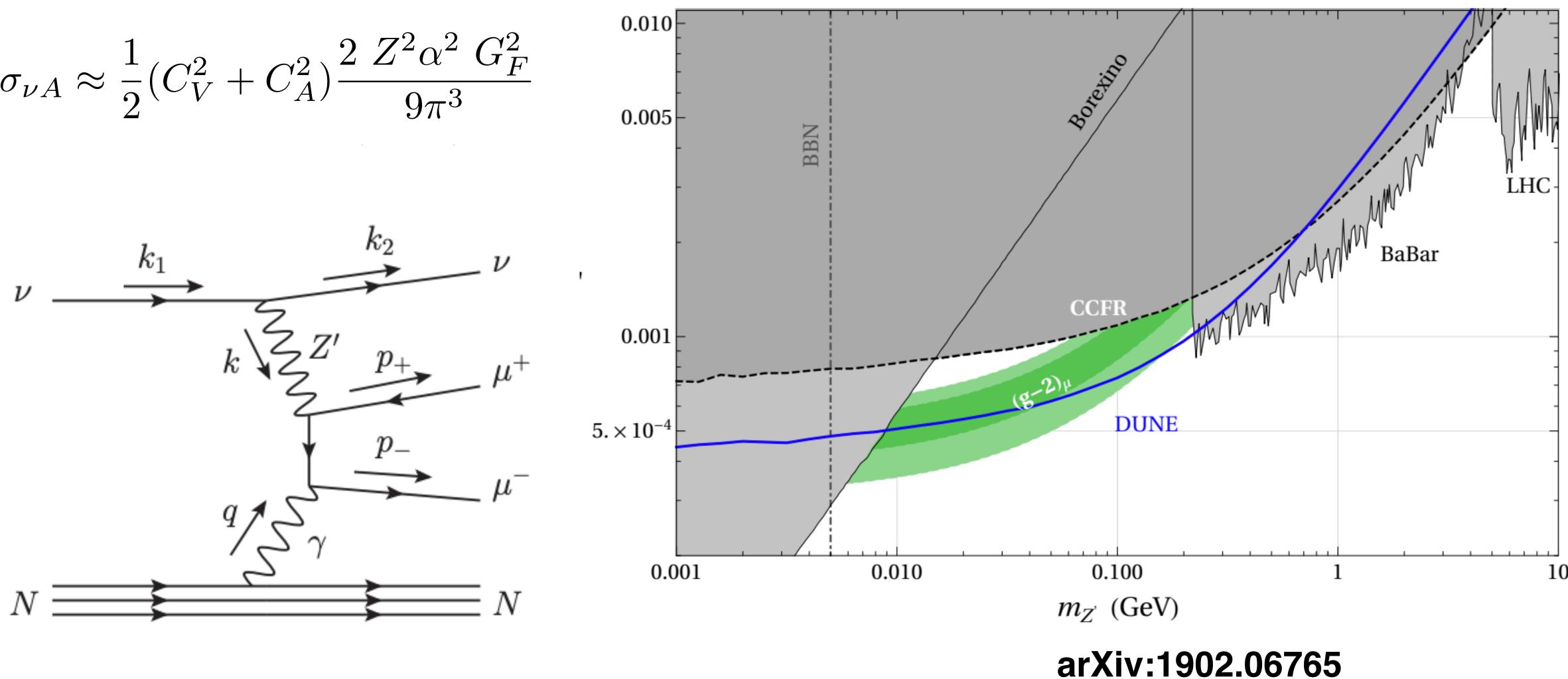




## **Neutrino Trident**

### Altmannshofer, Gori, Pospelov, Yavin arXiv:1406.2332

 $\sigma_{\nu A} \approx \frac{1}{2} (C_V^2 + C_A^2) \frac{2 \ Z^2 \alpha^2 \ G_F^2}{9\pi^3}$ 

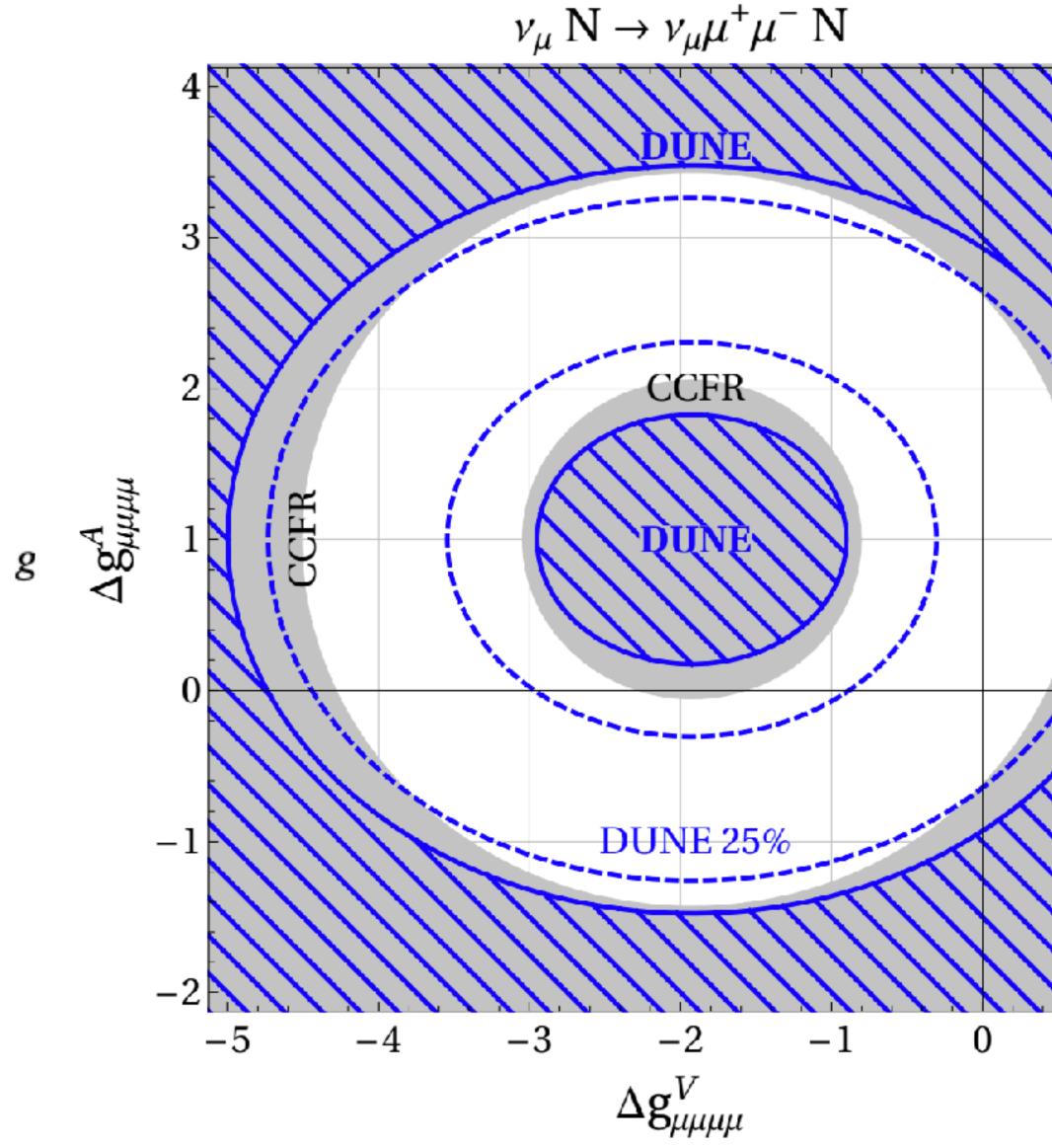


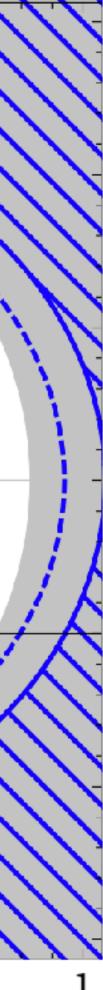


## Neutrino Trident New Physics

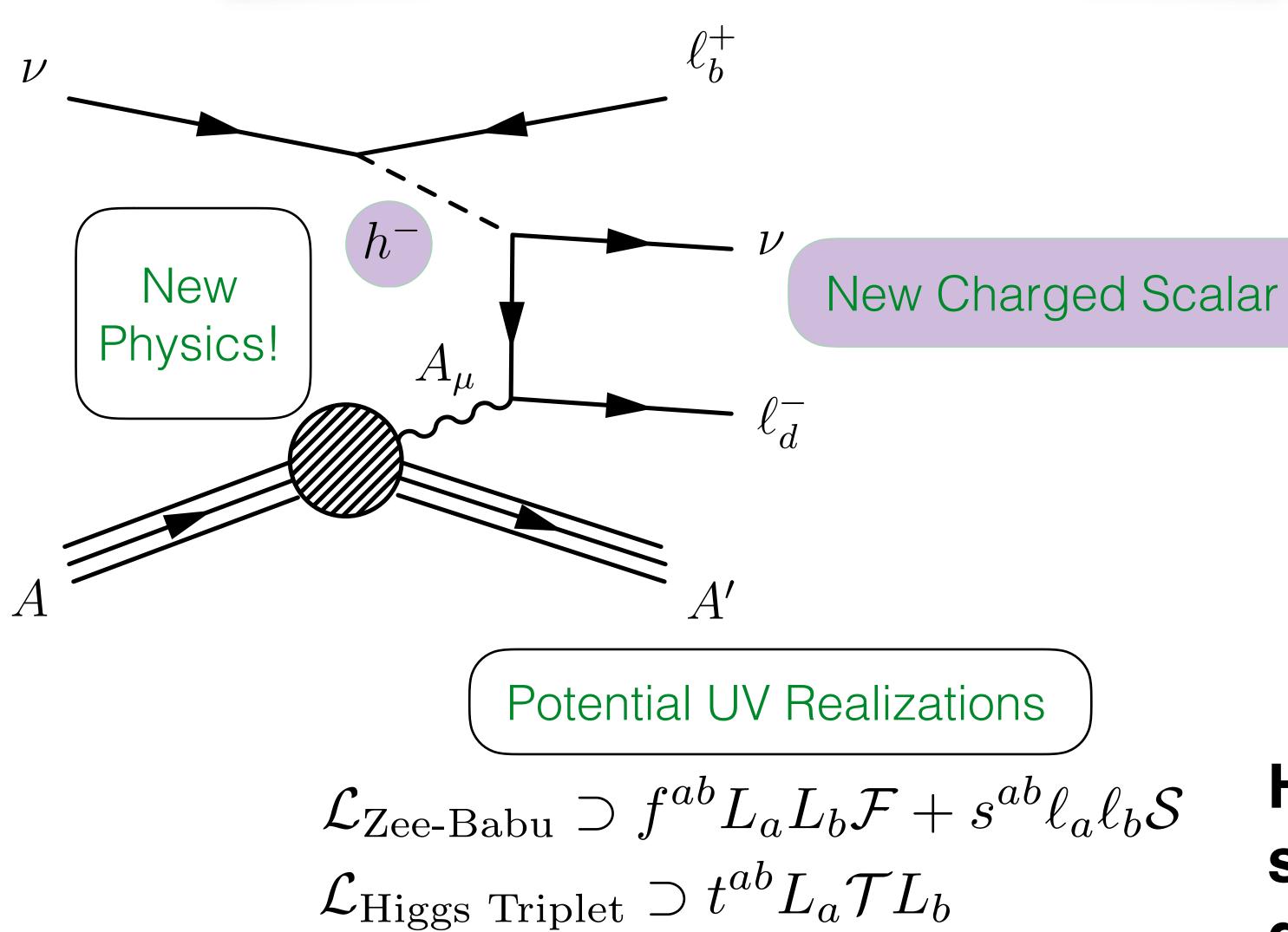
Altmannshofer, Gori, Pospelov, Yavin arXiv:1406.2332

$$\sigma_{\nu A} \approx \frac{1}{2} (C_V^2 + C_A^2) \frac{2 \ Z^2 \alpha^2 \ G_F^2}{9\pi^3}$$





### **Neutrino Trident New Physics**



**Probing allowed** parameter space requires a 1% measurement of cross section.

Zee-Babu model tends to have many accidental cancellations

$$\frac{d}{db} \int db \delta db$$

**Higgs Triplet model has** stronger bounds from doubly-charged scalars's LFV signatures





# **Three Things to Remember**

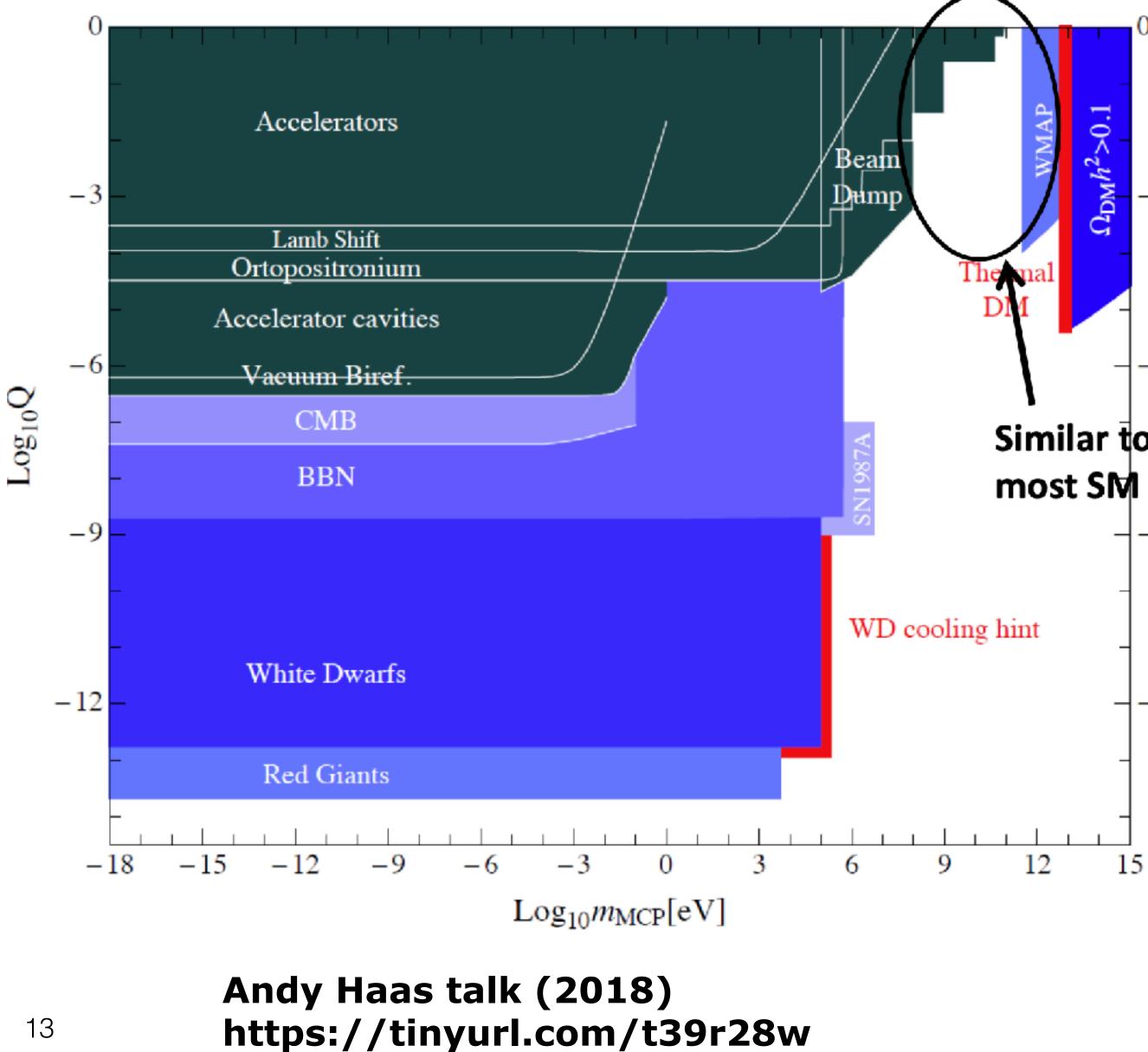
- 1. Neutrino trident production has only been measured in the di-muon channel.
- 2. Intensity + Technology = multi flavor tridents. Cross section is small, but enhanced by
  - Coherent effects
  - Large logarithms
- 3. Understanding these "new" Standard Model signals gives as a new tool for searching for new physics.



 $Z^2 \times \log(Q_{\rm max}/m_{\ell})$ 

## **Millicharged Particles**

arXiv:2002.11732 arXiv:1806.03310

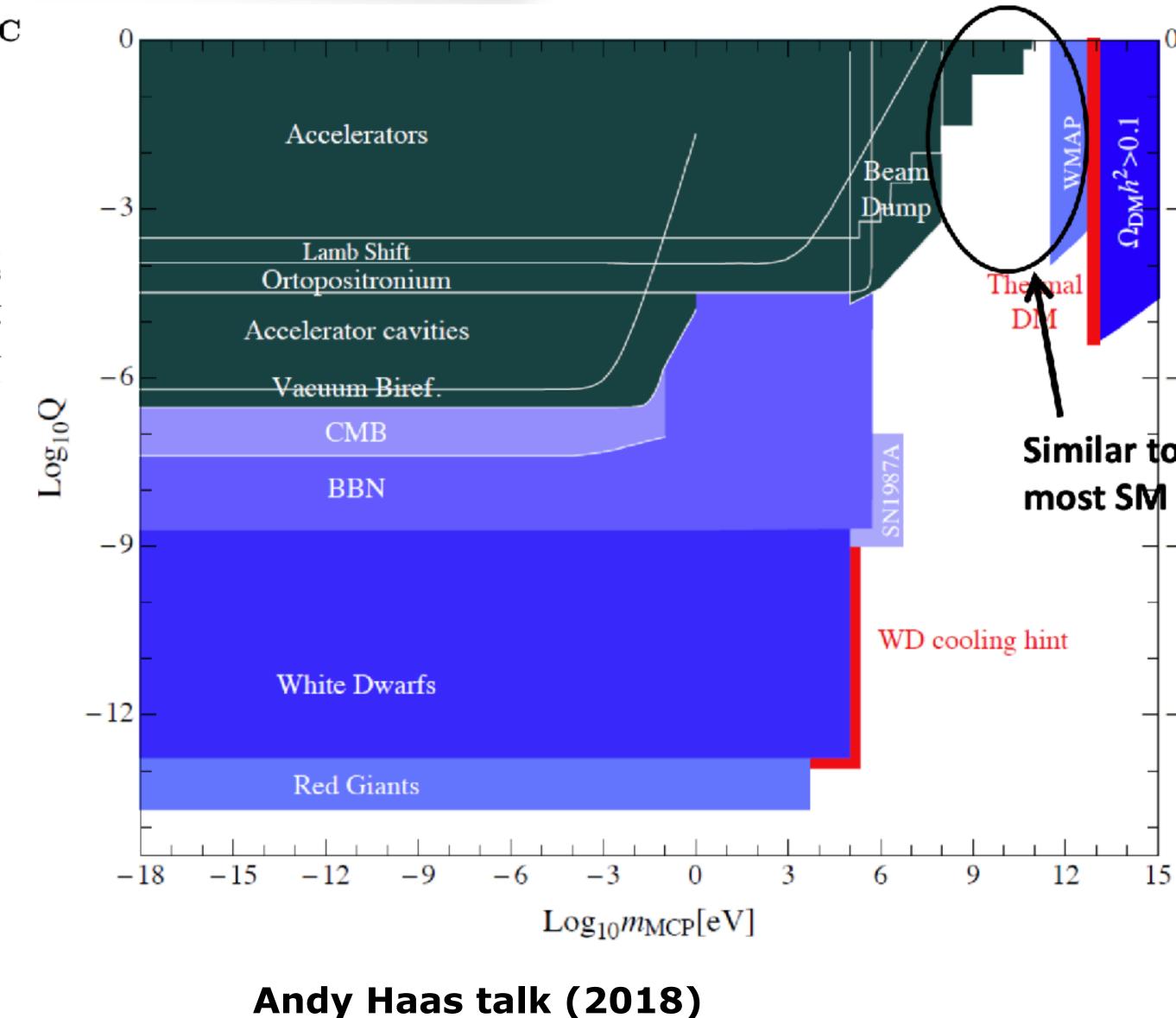


### Looking for milli-charged particles with a new experiment at the LHC

Andrew Haas,<sup>1</sup> Christopher S. Hill,<sup>2</sup> Eder Izaguirre,<sup>3</sup> and Itay Yavin<sup>3,4</sup>

<sup>1</sup>Department of Physics, New York University, New York, NY, USA <sup>2</sup>Department of Physics, The Ohio State University, Columbus, OH, USA <sup>3</sup>Perimeter Institute for Theoretical Physics, Waterloo, Ontario, Canada <sup>4</sup>Department of Physics, McMaster University, Hamilton, ON, Canada

We propose a new experiment at the Large Hadron Collider (LHC) that offers a powerful and model-independent probe for milli-charged particles. This experiment could be sensitive to charges in the range  $10^{-3}e - 10^{-1}e$  for masses in the range 0.1 - 100 GeV, which is the least constrained part of the parameter space for milli-charged particles. This is a new window of opportunity for exploring physics beyond the Standard Model at the LHC. The key new ingredients of the proposal are the identification of an optimal location for the detector and a telescopic/coincidence design that greatly reduces the background



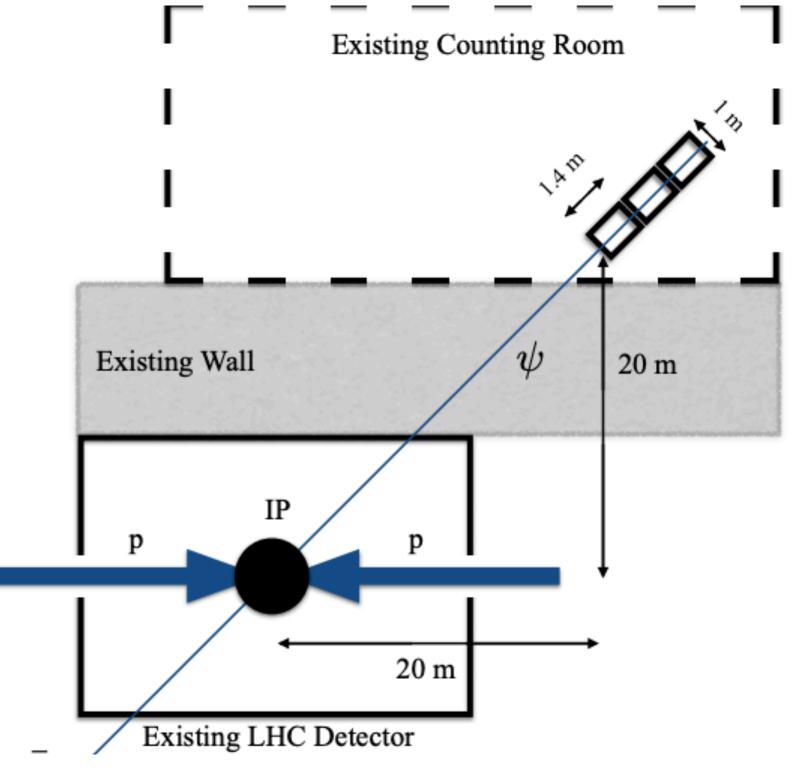
https://tinyurl.com/t39r28w

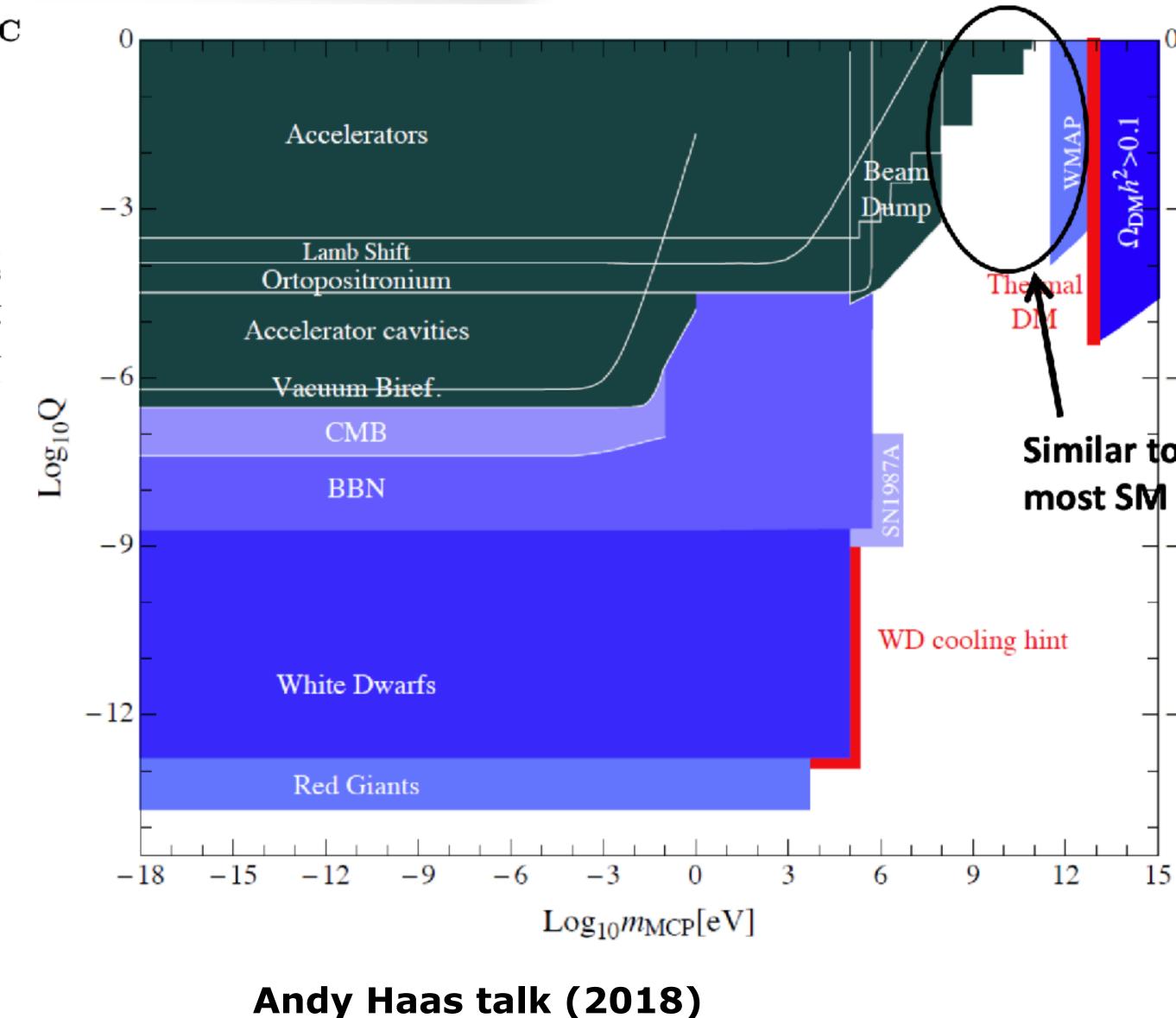
### Looking for milli-charged particles with a new experiment at the LHC

Andrew Haas,<sup>1</sup> Christopher S. Hill,<sup>2</sup> Eder Izaguirre,<sup>3</sup> and Itay Yavin<sup>3,4</sup>

<sup>1</sup>Department of Physics, New York University, New York, NY, USA <sup>2</sup>Department of Physics, The Ohio State University, Columbus, OH, USA <sup>3</sup>Perimeter Institute for Theoretical Physics, Waterloo, Ontario, Canada <sup>4</sup>Department of Physics, McMaster University, Hamilton, ON, Canada

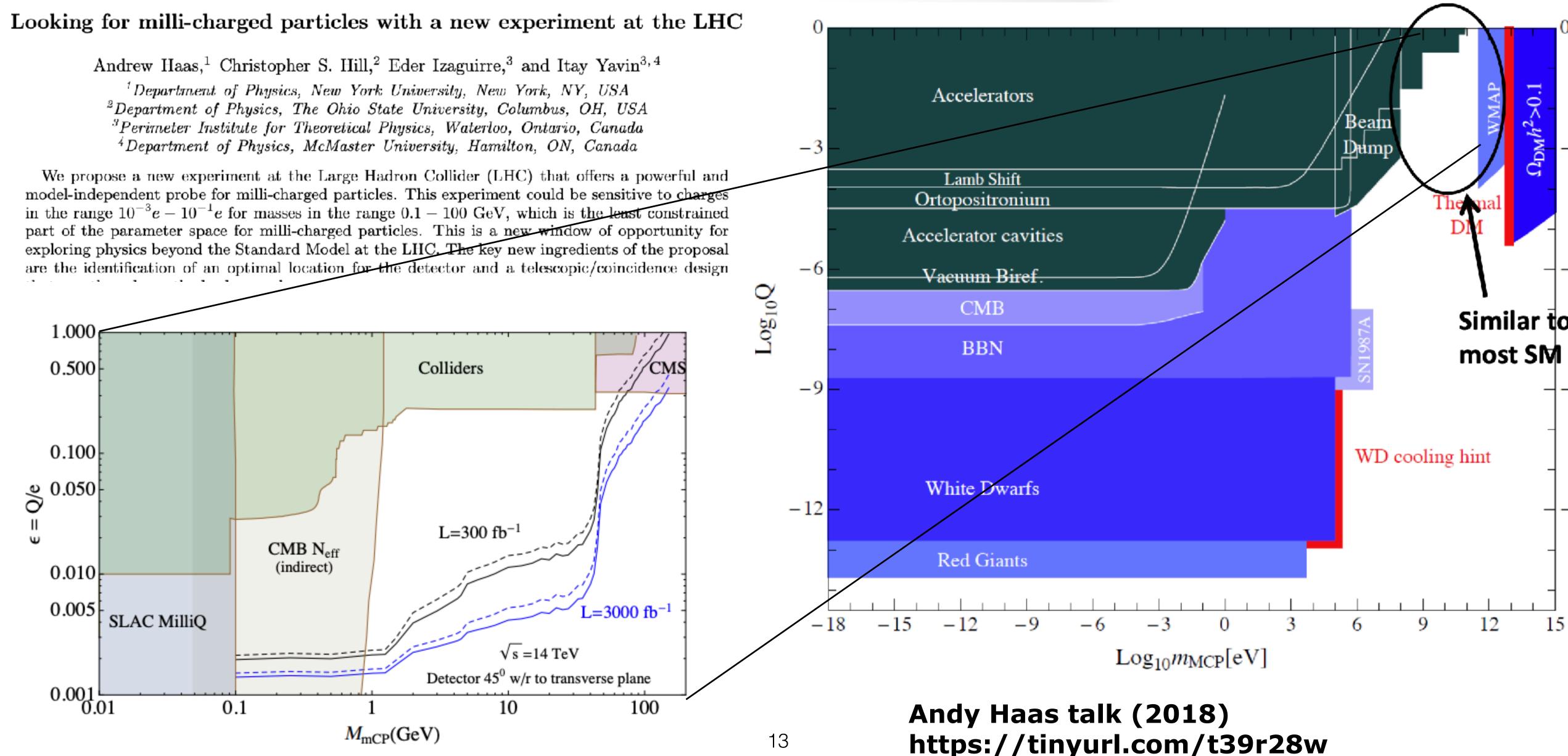
We propose a new experiment at the Large Hadron Collider (LHC) that offers a powerful and model-independent probe for milli-charged particles. This experiment could be sensitive to charges in the range  $10^{-3}e - 10^{-1}e$  for masses in the range 0.1 - 100 GeV, which is the least constrained part of the parameter space for milli-charged particles. This is a new window of opportunity for exploring physics beyond the Standard Model at the LHC. The key new ingredients of the proposal are the identification of an optimal location for the detector and a telescopic/coincidence design that greatly reduces the background

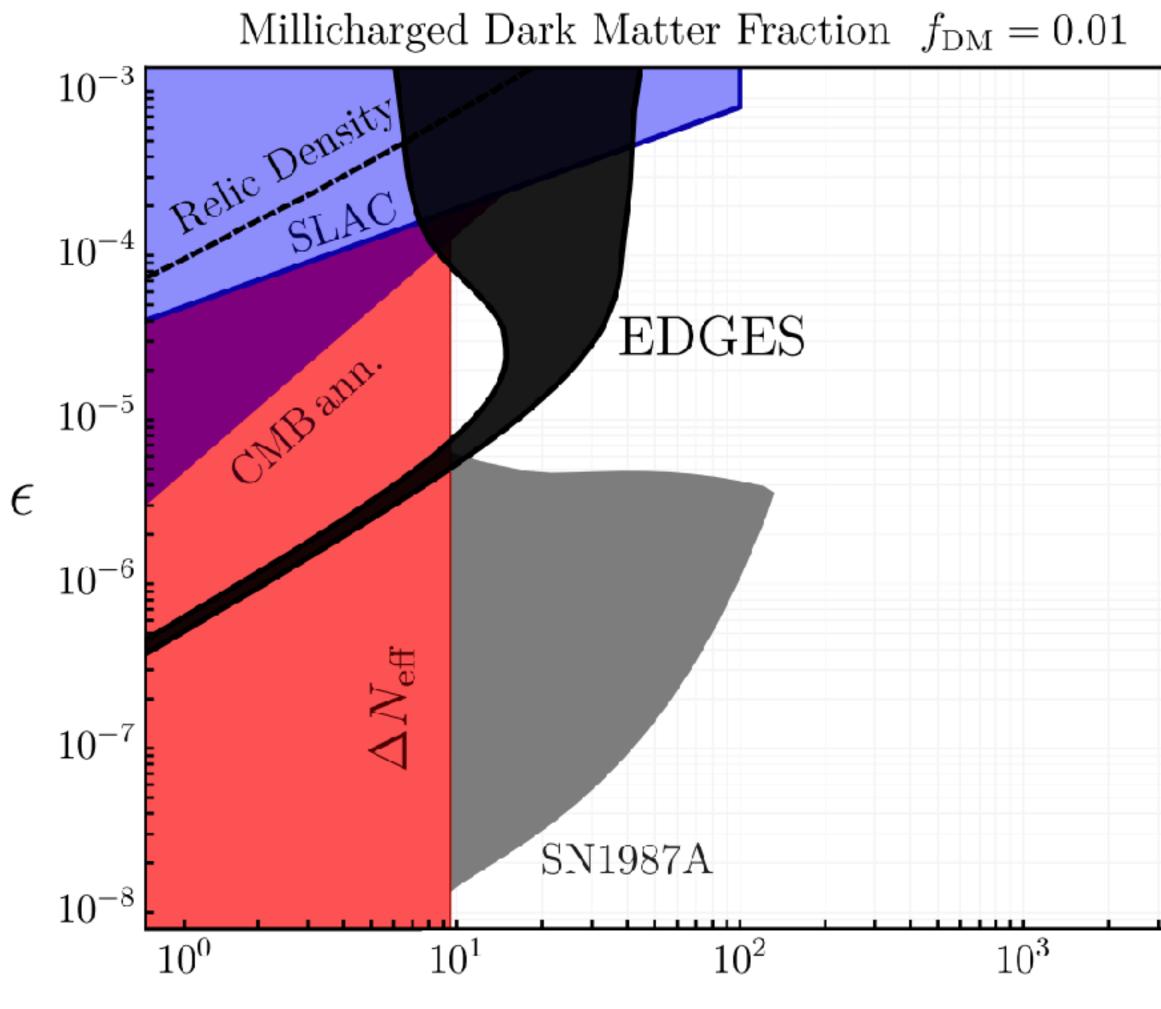




https://tinyurl.com/t39r28w

<sup>1</sup>Department of Physics, New York University, New York, NY, USA <sup>3</sup>Perimeter Institute for Theoretical Physics, Waterloo, Ontario, Canada <sup>4</sup>Department of Physics, McMaster University, Hamilton, ON, Canada





Berlin, Hooper, Krnjaic, McDermott arXiv:1803.02804



### Insights on Dark Matter from Hydrogen during Cosmic Dawn

Julian B. Muñoz\*

Department of Physics, Harvard University, 17 Oxford St., Cambridge, MA 02138

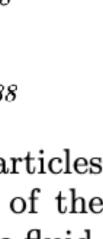
Abraham Loeb

Astronomy Department, Harvard University, 60 Garden St., Cambridge, MA 02138 (Dated: March 28, 2018)

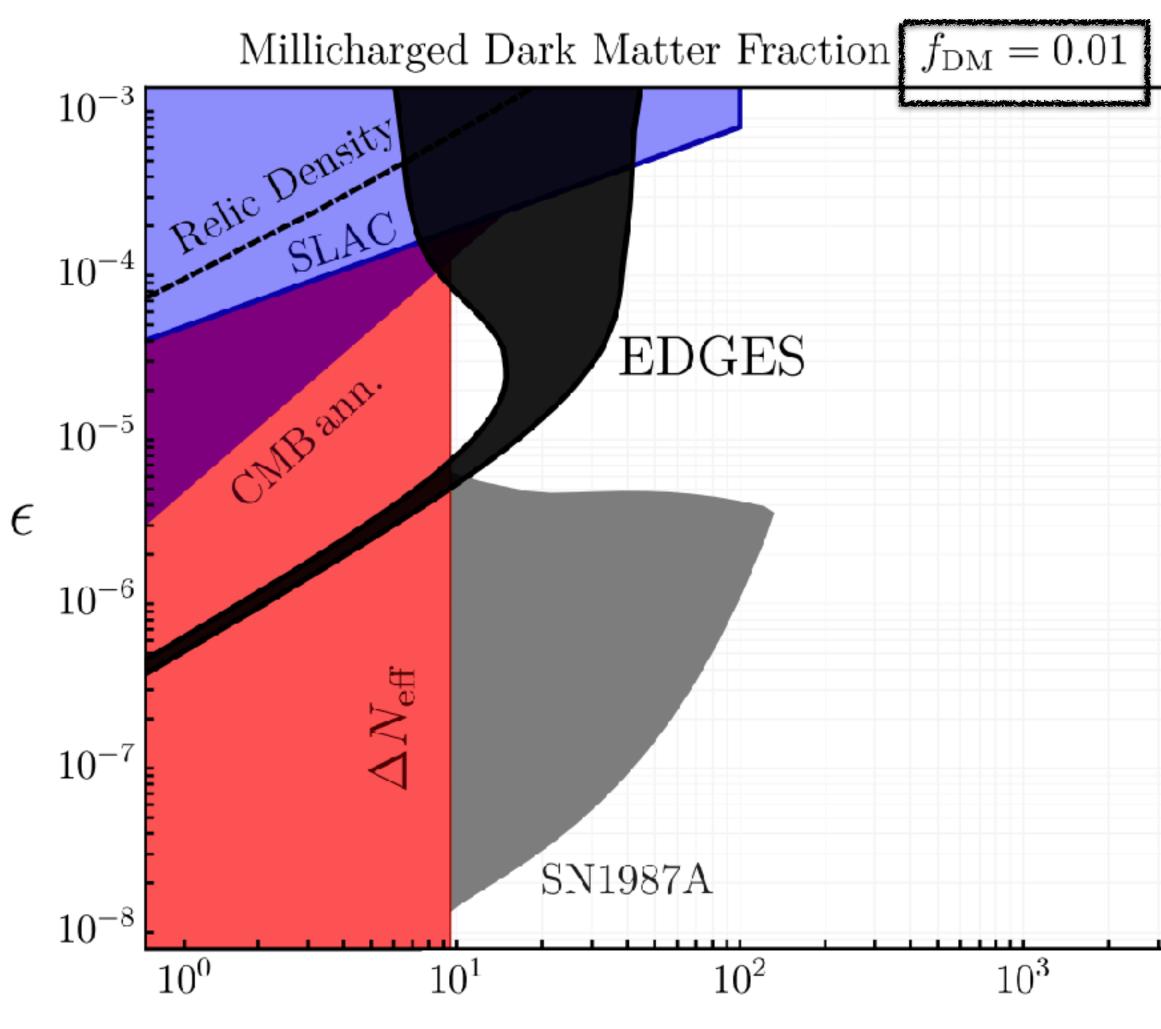
and extragalactic magnetic fields. However, if minicharged particles ion of the dark matter, and have charges  $\epsilon \sim 10^{-6}$ —in units of the  $m_{\chi} \sim 1-60$  MeV, they can significantly cool down the baryonic fluid,

$$T_{21} = T_{\text{hyperfine}} - T_{\text{CMB}}$$
$$T_{21}^{\text{EDGES}} \sim 2 \times T_{21}^{\text{SM}}$$





### Who cares about a millicharge?



Berlin, Hooper, Krnjaic, McDermott arXiv:1803.02804



### Insights on Dark Matter from Hydrogen during Cosmic Dawn

Julian B. Muñoz\*

Department of Physics, Harvard University, 17 Oxford St., Cambridge, MA 02138

Abraham Loeb

Astronomy Department, Harvard University, 60 Garden St., Cambridge, MA 02138 (Dated: March 28, 2018)

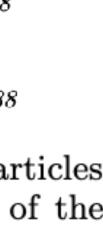
and extragalactic magnetic fields. However, if minicharged particles ion of the dark matter, and have charges  $\epsilon \sim 10^{-6}$ —in units of the  $m_{\chi} \sim 1-60$  MeV, they can significantly cool down the baryonic fluid,

$$\sigma_T^{\rm bm} \simeq rac{2\pi Q^2 lpha_{\rm EM}^2}{\mu_{\rm m}^2 v_{
m rel}^4} \log\left(rac{T_{
m b} m_p \mu^2 v_{
m rel}^4}{Q^2 lpha_{
m EM}^3 
ho_{
m b}}
ight)$$

 $T_{21} = T_{\text{hyperfine}} - T_{\text{CMB}}$ 

 $\sim 2 \times T_{21}^{\text{SM}}$ TEDGES



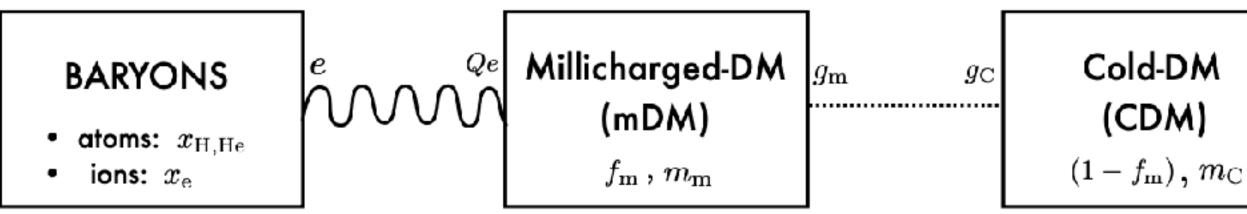


### Who cares about a millicharge?

### **Reviving Millicharged Dark Matter for 21-cm Cosmology**

Hongwan Liu,<sup>1</sup> Nadav Joseph Outmezguine,<sup>2</sup> Diego Redigolo,<sup>2,3</sup> and Tomer Volansky<sup>2</sup>

<sup>1</sup>Center for Theoretical Physics, Massachusetts Institute of Technology, Cambridge, MA 02139, U.S.A. <sup>2</sup>Raymond and Beverly Sackler School of Physics and Astronomy, Tel-Aviv University, Tel-Aviv 69978, Israe <sup>3</sup>Department of Particle Physics and Astrophysics, Weizmann Institute of Science, Rehovot 7610001, Israel





### Insights on Dark Matter from Hydrogen during Cosmic Dawn

Julian B. Muñoz\*

Department of Physics, Harvard University, 17 Oxford St., Cambridge, MA 02138

Abraham Loeb

Astronomy Department, Harvard University, 60 Garden St., Cambridge, MA 02138 (Dated: March 28, 2018)

and extragalactic magnetic fields. However, if minicharged particles ion of the dark matter, and have charges  $\epsilon \sim 10^{-6}$ —in units of the  $m_{\chi} \sim 1-60$  MeV, they can significantly cool down the baryonic fluid,

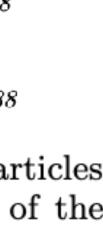
$$\sigma_T^{\rm bm} \simeq \frac{2\pi Q^2 \alpha_{\rm EM}^2}{\mu_{\rm m}^2 v_{\rm rel}^4} \log\left(\frac{T_{\rm b} m_p \mu^2 v_{\rm rel}^4}{Q^2 \alpha_{\rm EM}^3 \rho_{\rm b}}\right)$$

$$T_{21} = T_{\text{hyperfine}} - T_{\text{CMB}}$$

$$T_{21}^{\text{EDGES}} \sim 2 \times T_{21}^{\text{SM}}$$

(CDM)

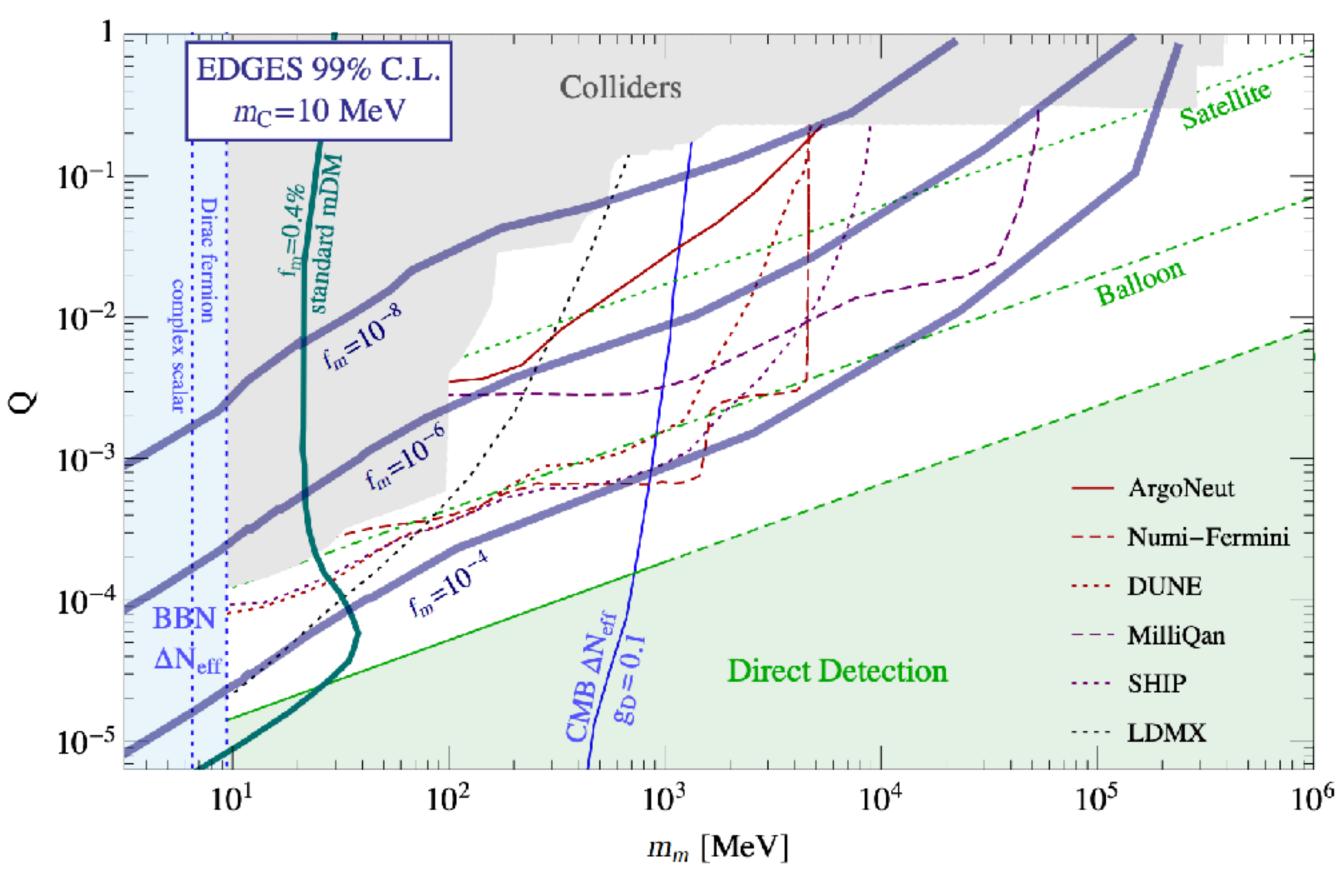




### Who cares about a millicharge?

### **Reviving Millicharged Dark Matter for 21-cm Cosmology**

Hongwan Liu,<sup>1</sup> Nadav Joseph Outmezguine,<sup>2</sup> Diego Redigolo,<sup>2,3</sup> and Tomer Volansky<sup>2</sup> <sup>1</sup>Center for Theoretical Physics, Massachusetts Institute of Technology, Cambridge, MA 02139, U.S.A. <sup>2</sup>Raymond and Reverly Sackler School of Physics and Astronomy Tel-Aviv University Tel-Aviv 69978 Israe





### Insights on Dark Matter from Hydrogen during Cosmic Dawn

Julian B. Muñoz\*

Department of Physics, Harvard University, 17 Oxford St., Cambridge, MA 02138

Abraham Loeb

Astronomy Department, Harvard University, 60 Garden St., Cambridge, MA 02138 (Dated: March 28, 2018)

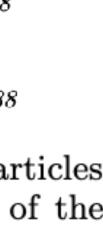
and extragalactic magnetic fields. However, if minicharged particles ion of the dark matter, and have charges  $\epsilon \sim 10^{-6}$ —in units of the  $m_{\chi} \sim 1-60$  MeV, they can significantly cool down the baryonic fluid,

$$\sigma_T^{\rm bm} \simeq \frac{2\pi Q^2 \alpha_{\rm EM}^2}{\mu_{\rm m}^2 v_{\rm rel}^4} \log\left(\frac{T_{\rm b} m_p \mu^2 v_{\rm rel}^4}{Q^2 \alpha_{\rm EM}^3 \rho_{\rm b}}\right)$$

$$T_{21} = T_{\rm hyperfine} - T_{\rm CMB}$$

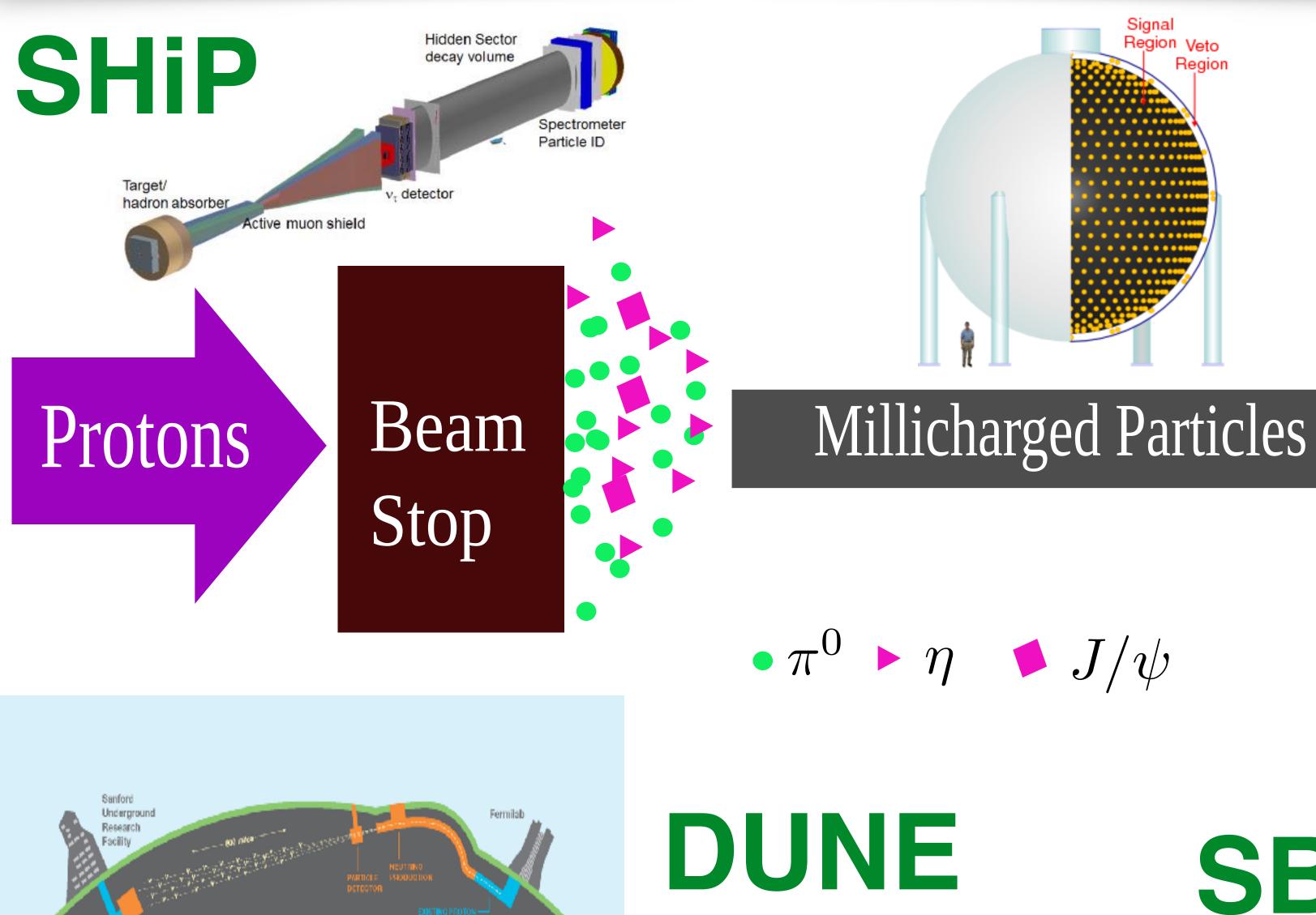
$$T_{21}^{\text{EDGES}} \sim 2 \times T_{21}^{\text{SM}}$$



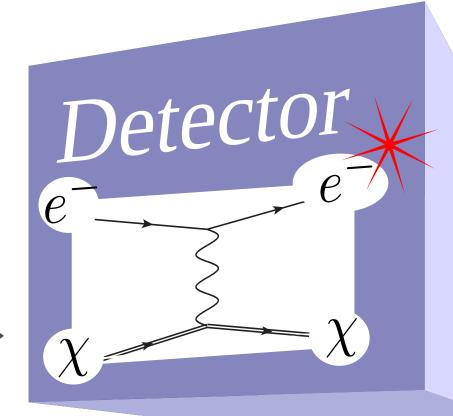


### **MCPs from Proton Beams**

# **MCPs at Fixed Target Experiments**

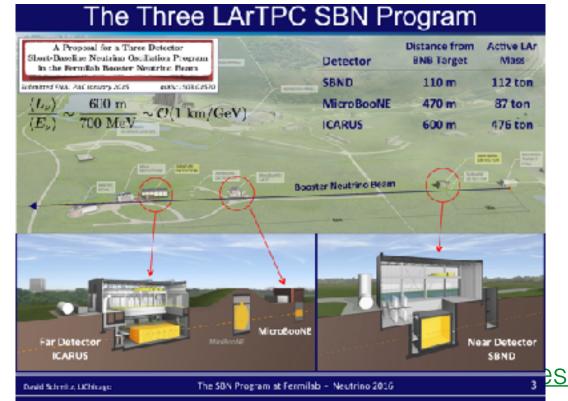


# MiniBooNE



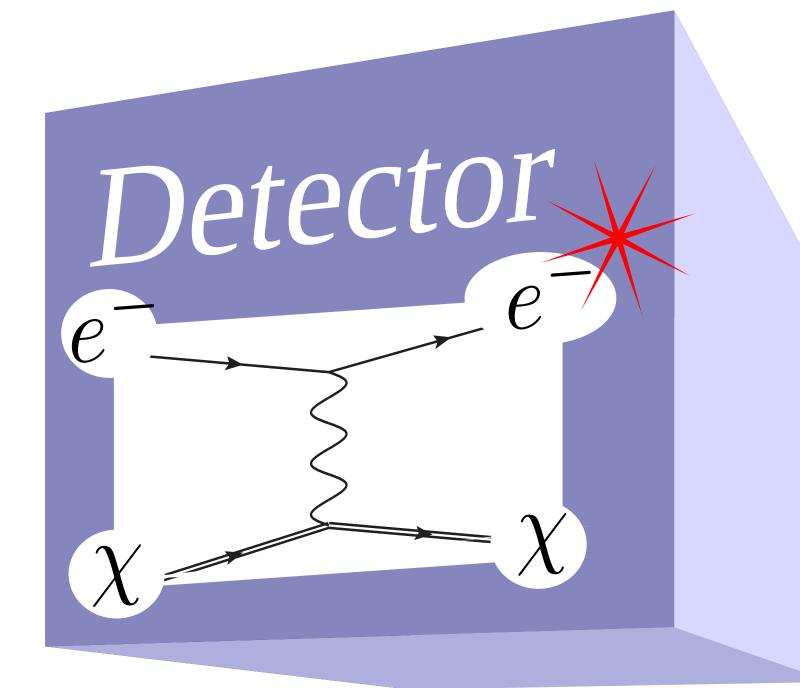
### Detection Signal is Soft Electron Recoil

### SBN





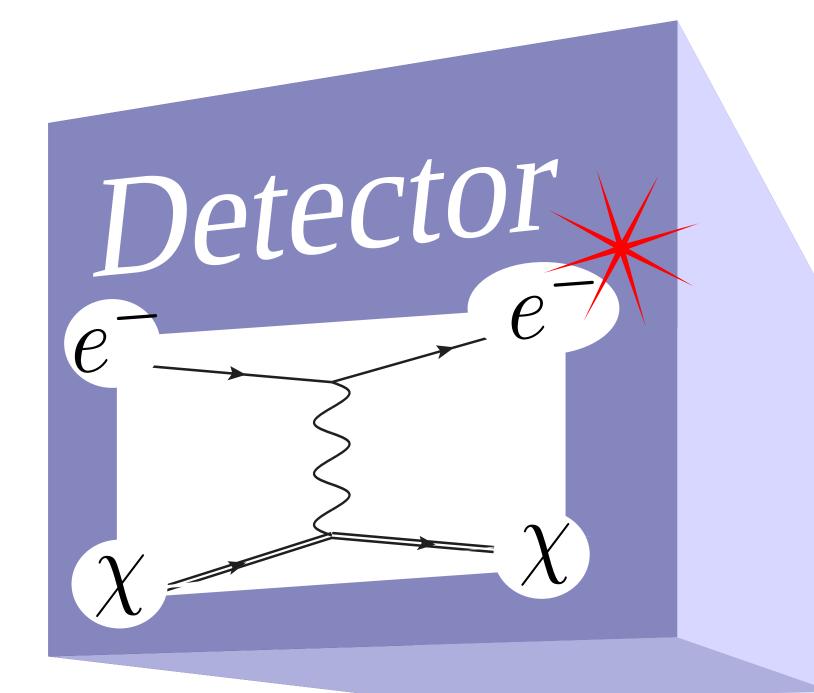
stid@gmail.com





 $\frac{d\sigma_{e\chi}}{dQ^2} = 2\pi\alpha^2\epsilon^2 \times \frac{2(s - m_{\chi}^2)^2 - 2sQ^2 + Q^4}{(s - m_{\chi}^2)^2Q^4}$ 

IR Sensitive Cross Section (Rutherford Scattering)



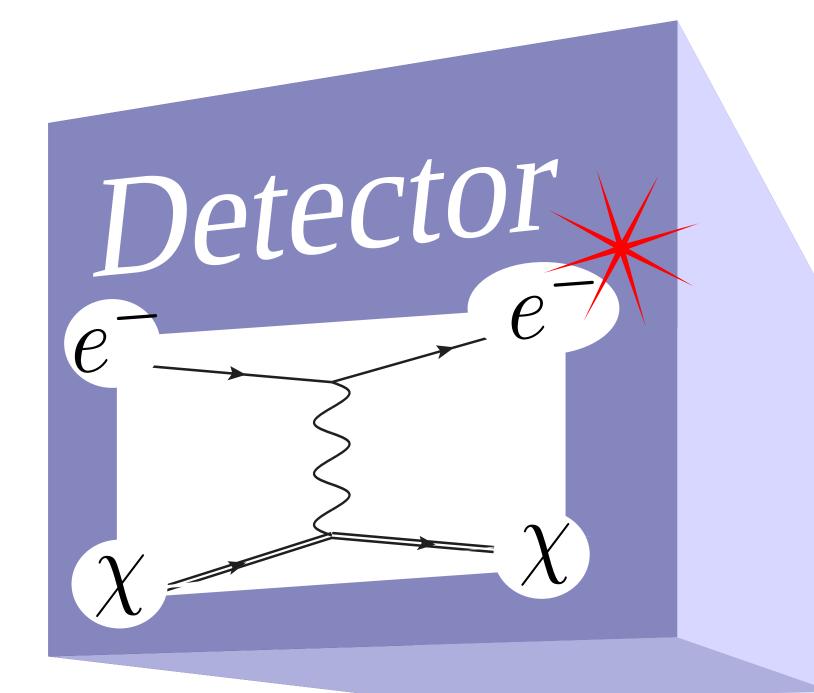


$$\frac{\mathrm{d}\sigma_{e\chi}}{\mathrm{d}Q^2} = 2\pi\alpha^2\epsilon^2 \times \frac{2(s-m_\chi^2)^2 - 2sQ}{(s-m_\chi^2)^2Q}$$

IR Sensitive Cross Section (Rutherford Scattering)

$$Q^2 = 2m_e(E_e - m_e)$$

 $\frac{Q^2 + Q^4}{Q^4}$ 





$$\frac{\mathrm{d}\sigma_{e\chi}}{\mathrm{d}Q^2} = 2\pi\alpha^2\epsilon^2 \times \frac{2(s-m_\chi^2)^2 - 2sQ}{(s-m_\chi^2)^2Q}$$

IR Sensitive Cross Section (Rutherford Scattering)

$$Q^2 = 2m_e(E_e - m_e)$$

Prefers scattering with lightest particle.

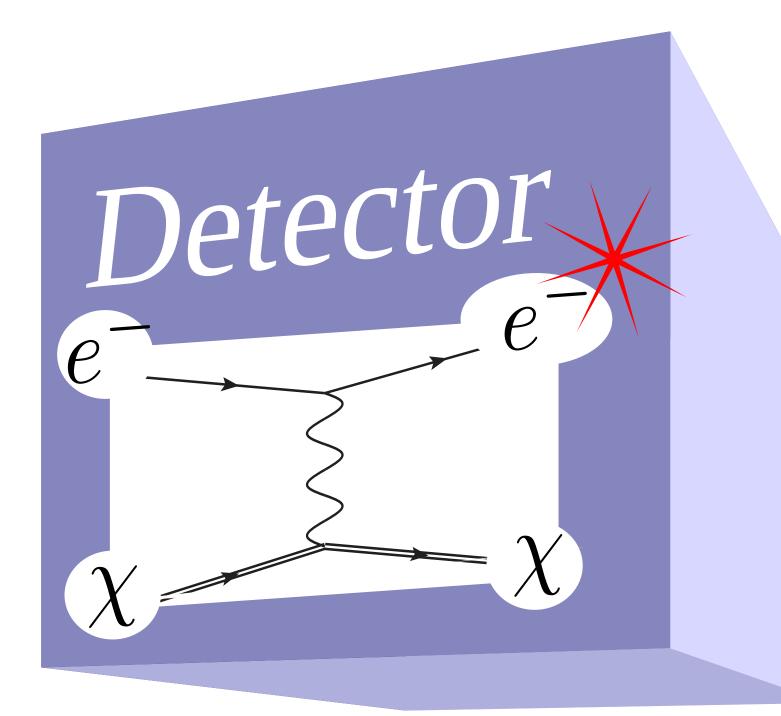
Small detection threshold means bigger cross sections

$$\sigma_{e\chi} = 2.6 \times 10^{-25} \text{cm}^2 \times \epsilon^2 \times \frac{1}{E_e^{(\text{min})}}$$

 $\frac{Q^2 + Q^4}{Q^4}$ 

MeV

 $-m_e$ 





$$\frac{\mathrm{d}\sigma_{e\chi}}{\mathrm{d}Q^2} = 2\pi\alpha^2\epsilon^2 \times \frac{2(s-m_\chi^2)^2 - 2sQ}{(s-m_\chi^2)^2Q}$$

IR Sensitive Cross Section (Rutherford Scattering)

$$Q^2 = 2m_e(E_e - m_e)$$

Prefers scattering with lightest particle.

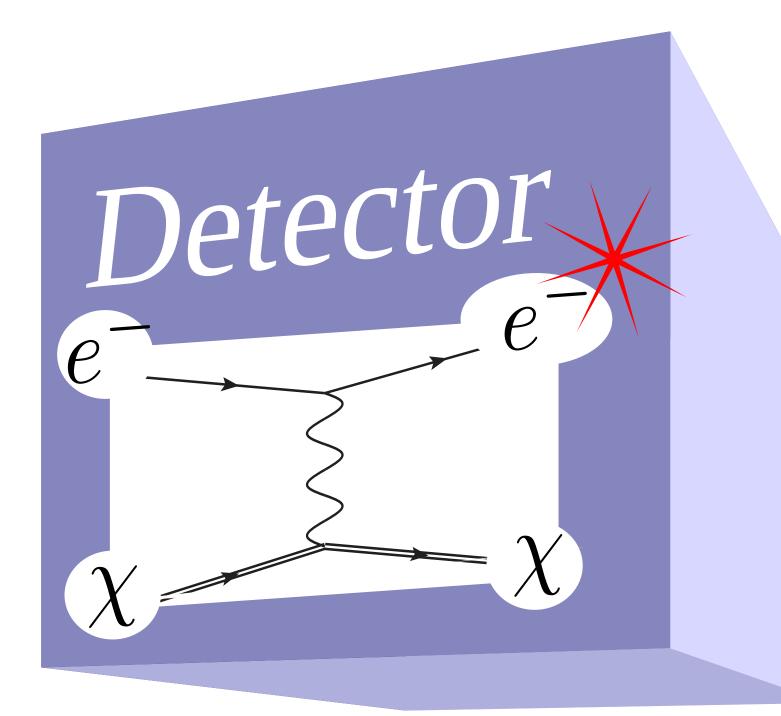
Small detection threshold means bigger cross sections

$$\sigma_{e\chi} = 2.6 \times 10^{-25} \text{cm}^2 \times \epsilon^2 \times \frac{1}{E_e^{(\text{min})}}$$

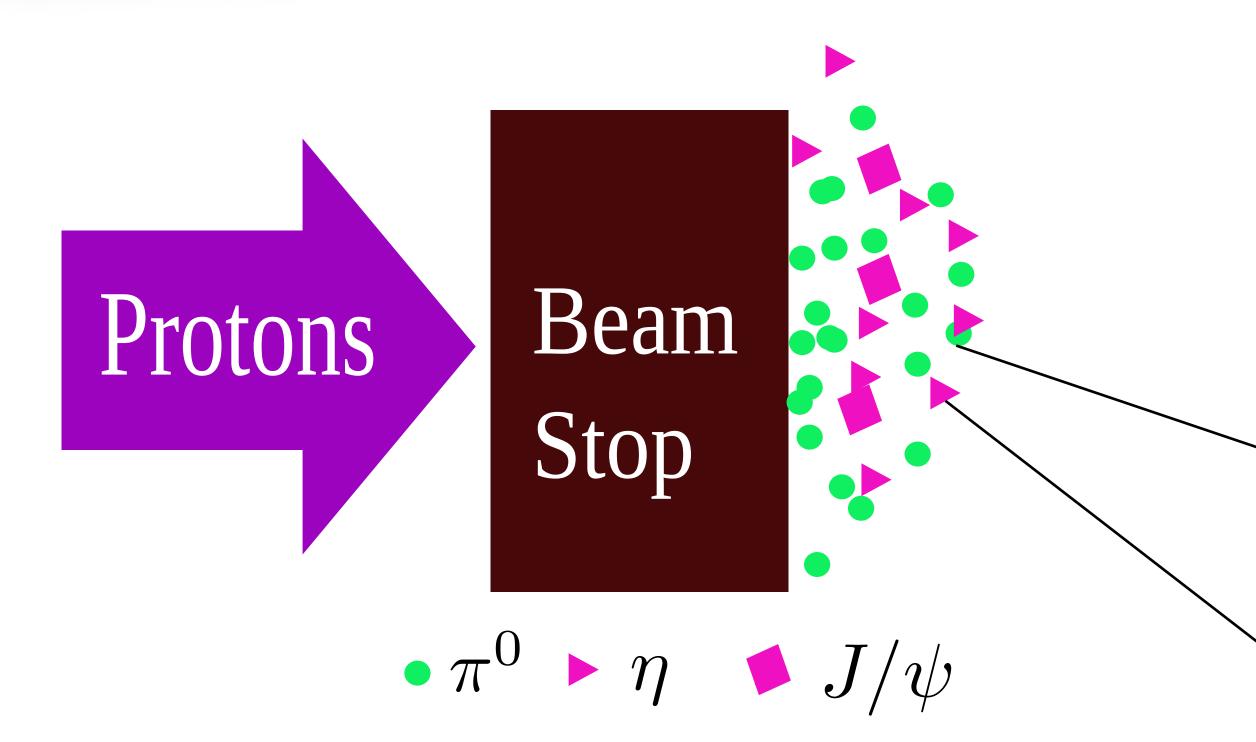
 $\frac{Q^2 + Q^4}{Q^4}$ 

MeV

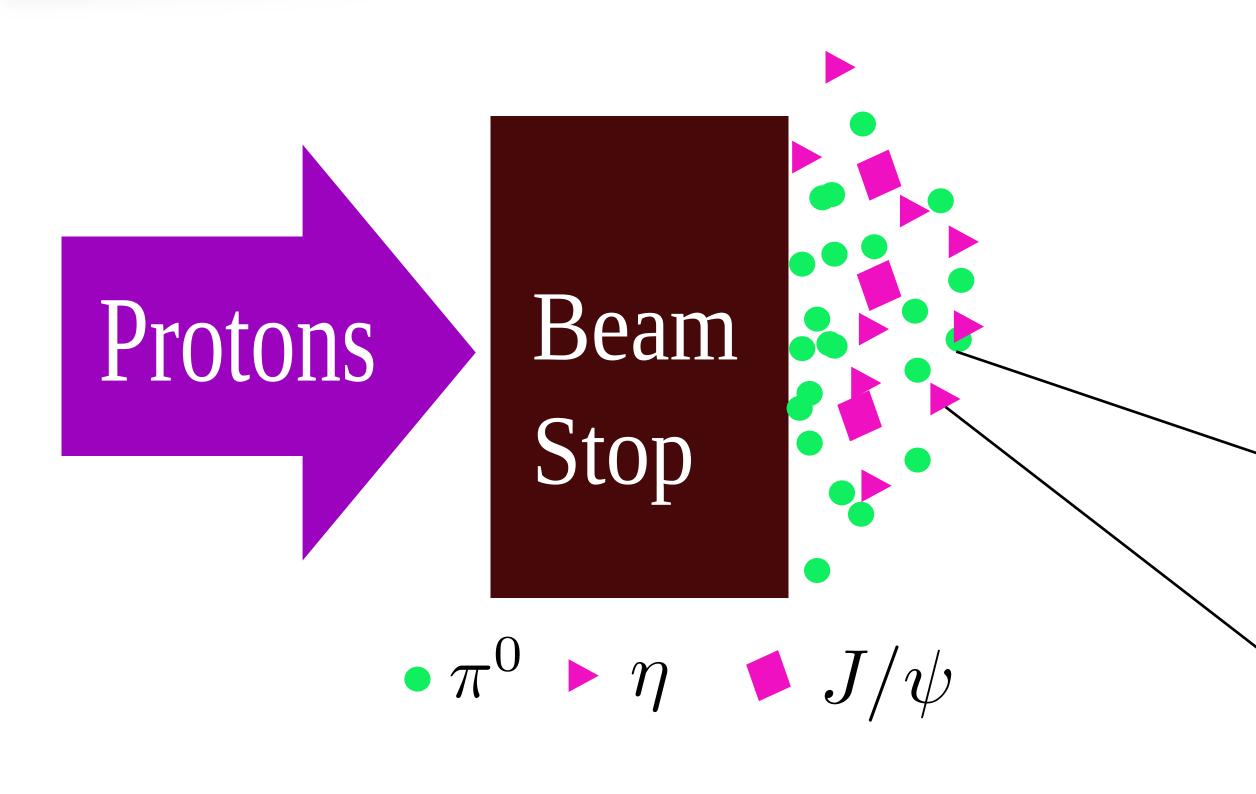
 $-m_e$ 





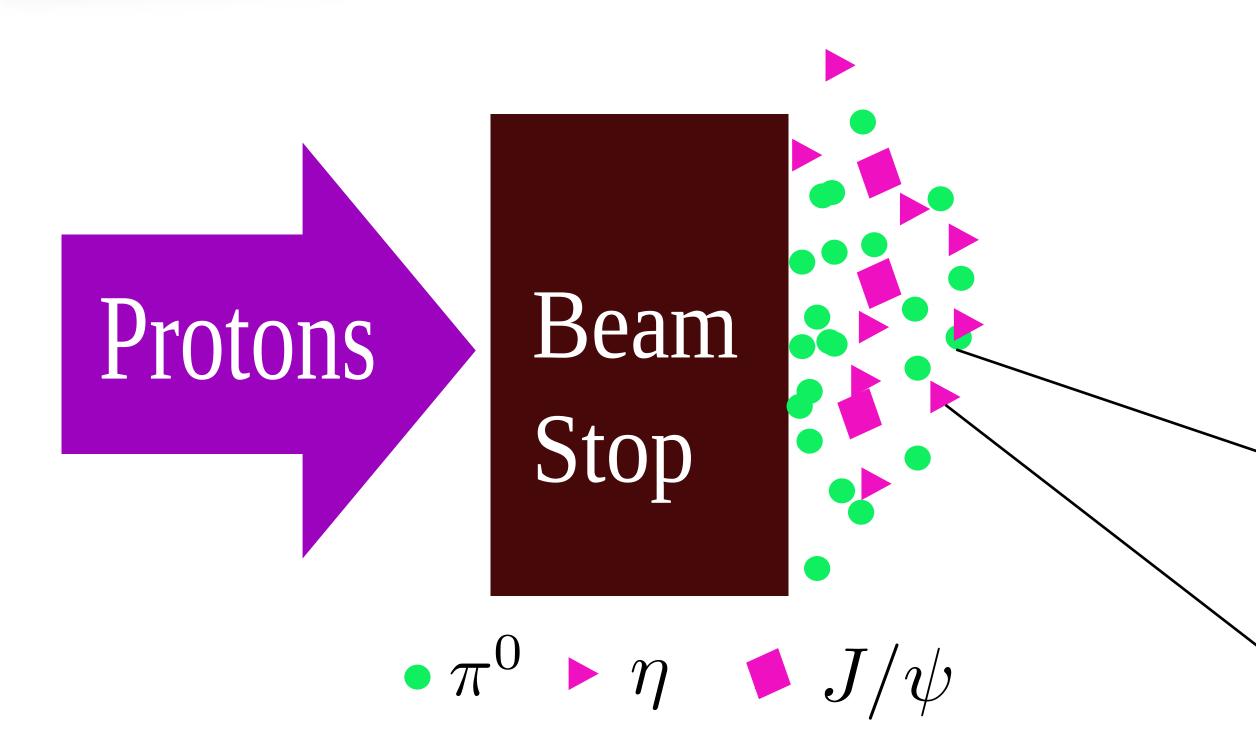


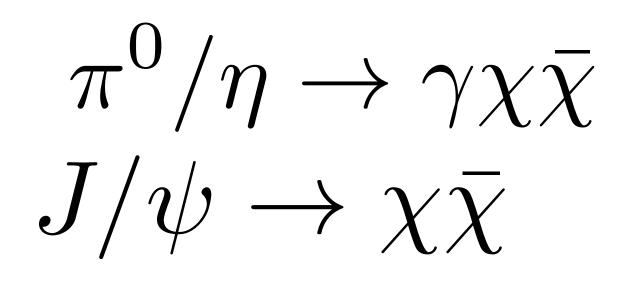




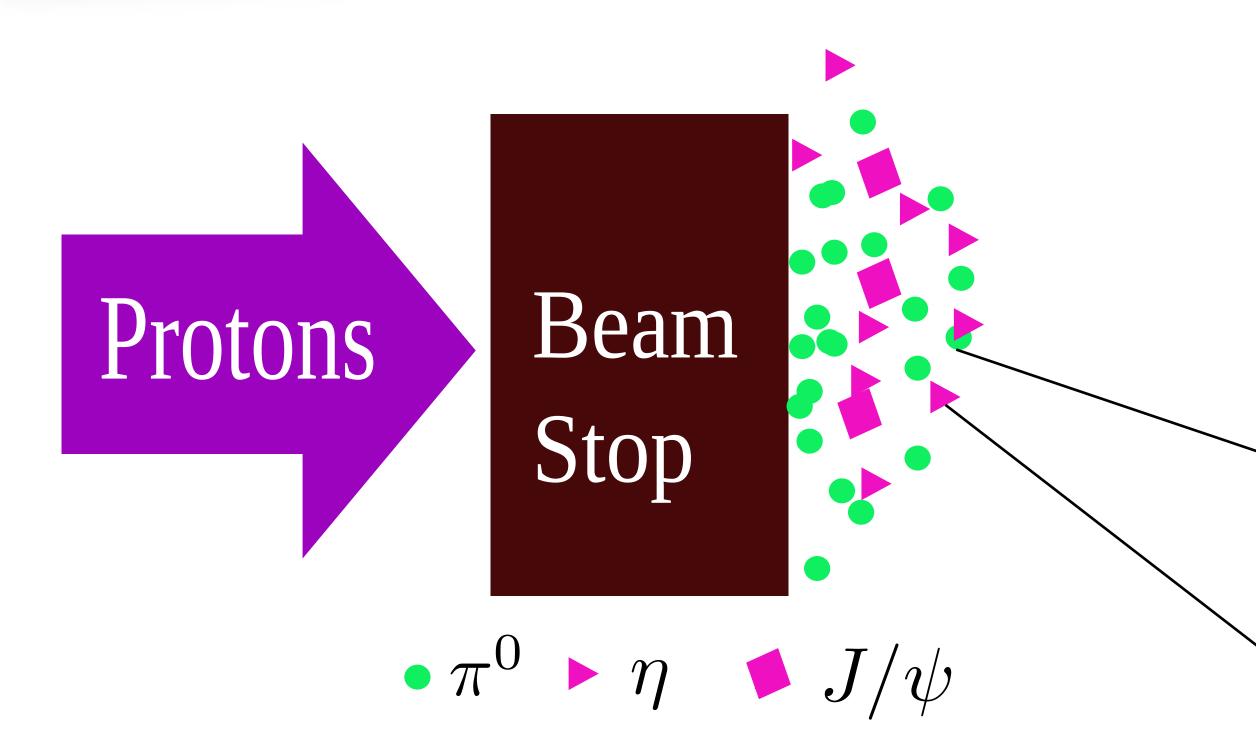
 $\pi^0/\eta \to \gamma \chi \bar{\chi}$ 







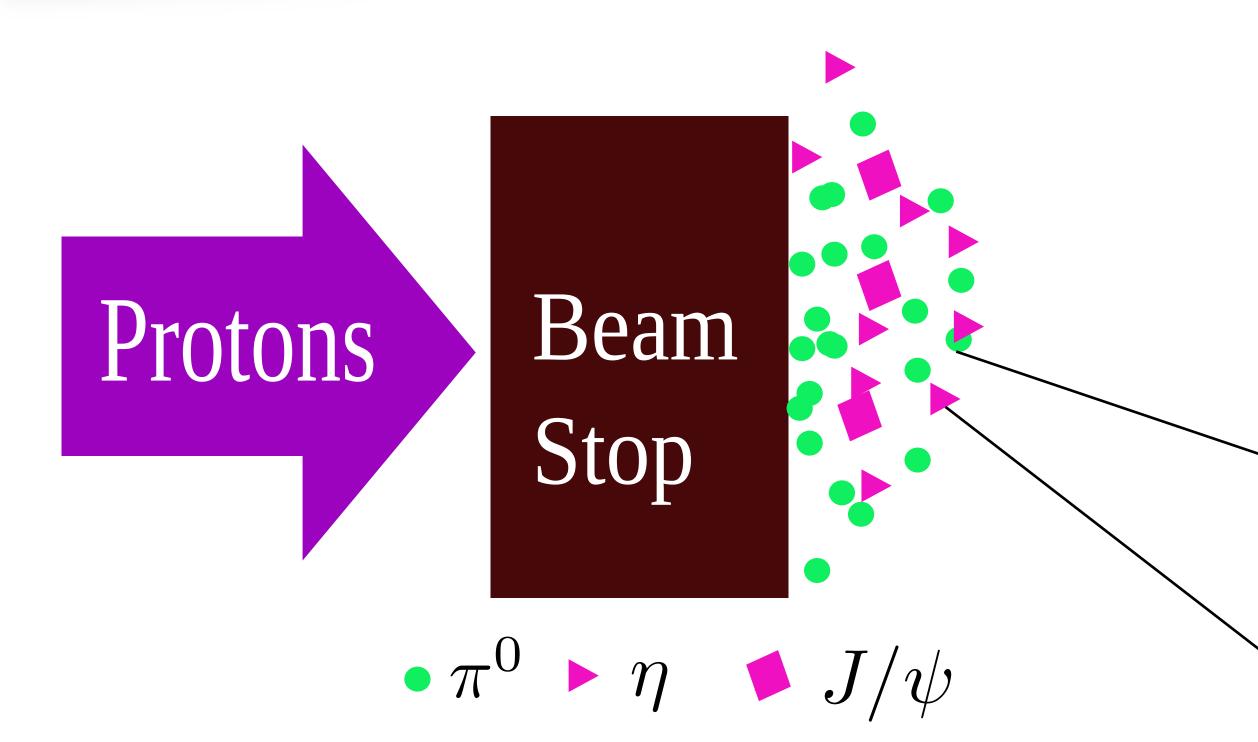




 $\pi^0/\eta \to \gamma \chi \bar{\chi}$  $J/\psi \to \chi \bar{\chi}$ 

 $q\bar{q} \to \chi\bar{\chi}$ 





 $\frac{\pi^0}{\eta \to \gamma \chi \bar{\chi}} J/\psi \to \chi \bar{\chi}$  $BR(\chi\bar{\chi}) \sim \epsilon^2 \times BR(e^+e^-)$  $q\bar{q} \to \chi\bar{\chi}$ 

### Detector

ryan.piestia@gmail.com



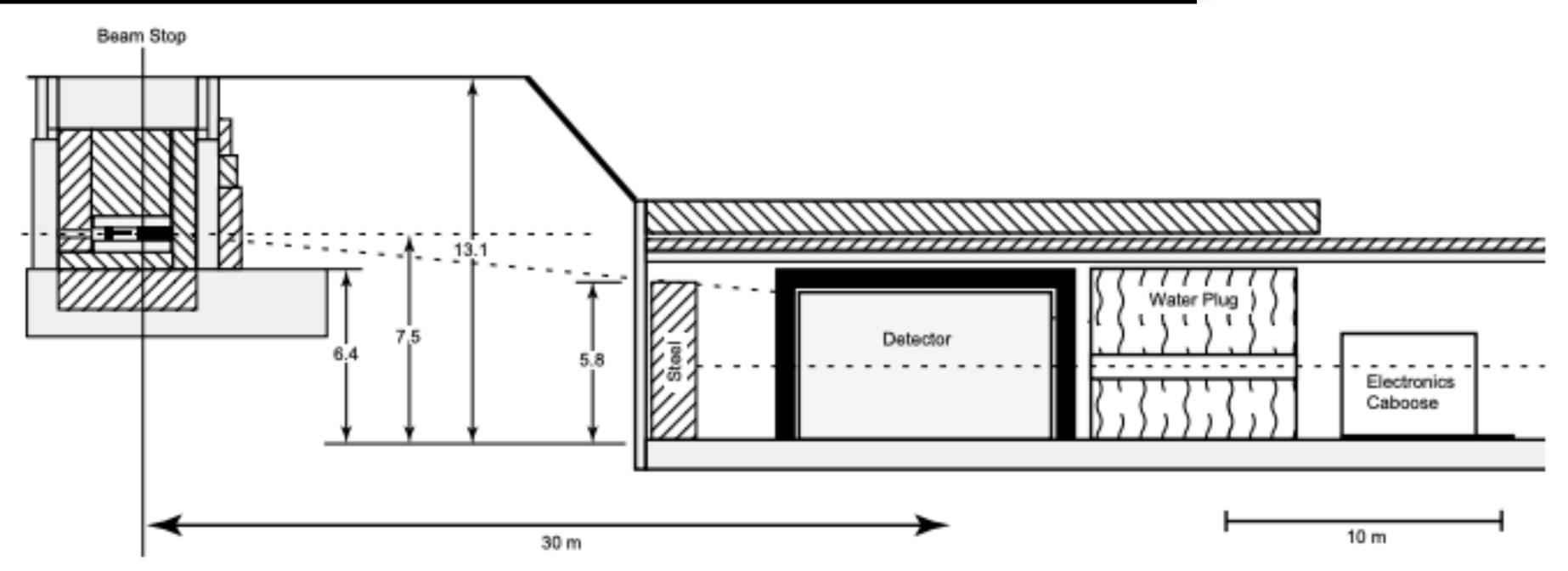
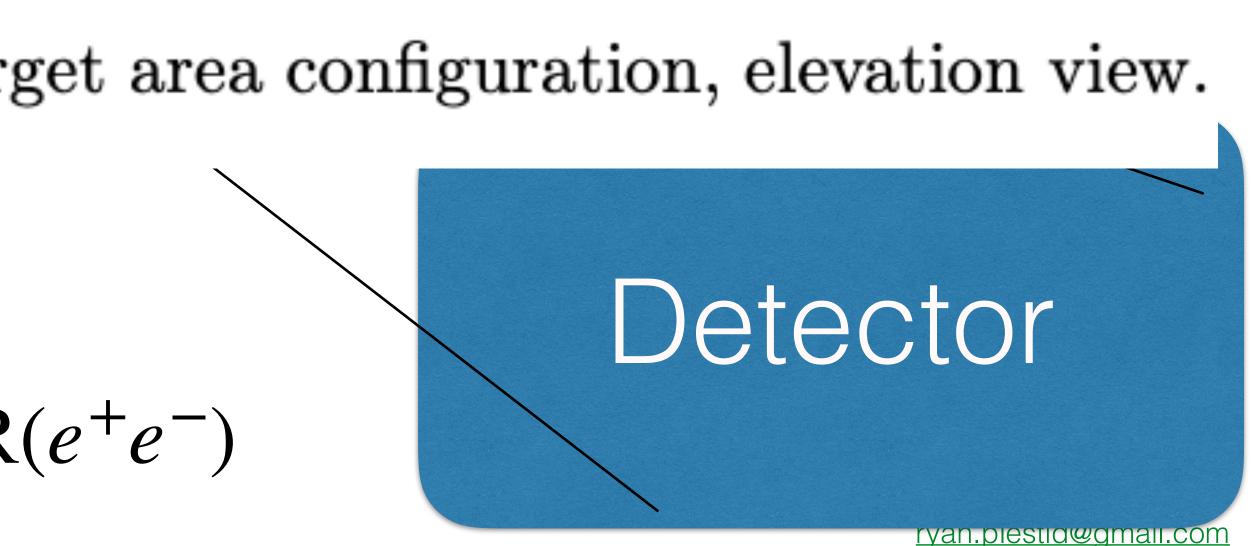
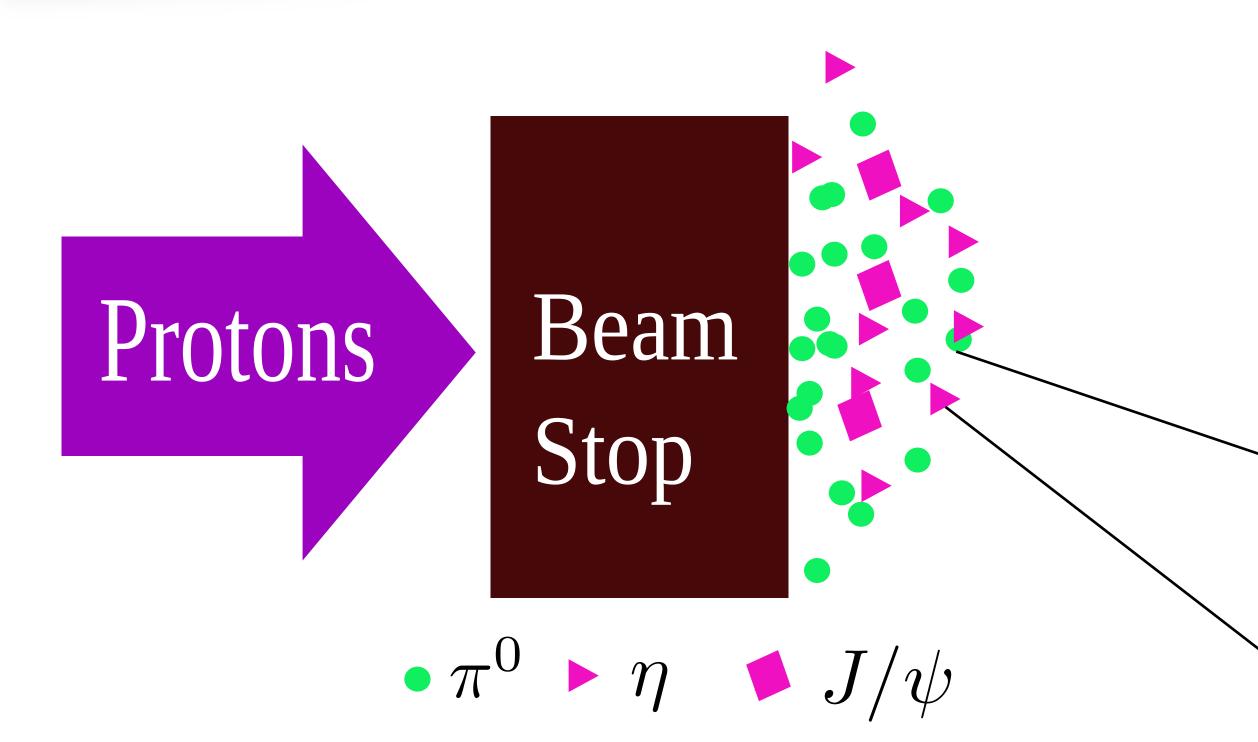


Figure 2: Detector enclosure and target area configuration, elevation view.  $\pi \gamma \eta \to \gamma \chi \chi$  $J/\psi \to \chi \bar{\chi}$ Dtoctor σγΨ  $BR(\chi\bar{\chi}) \sim \epsilon^2 \times BR(e^+e^-)$  $q\bar{q} \to \chi\bar{\chi}$ 





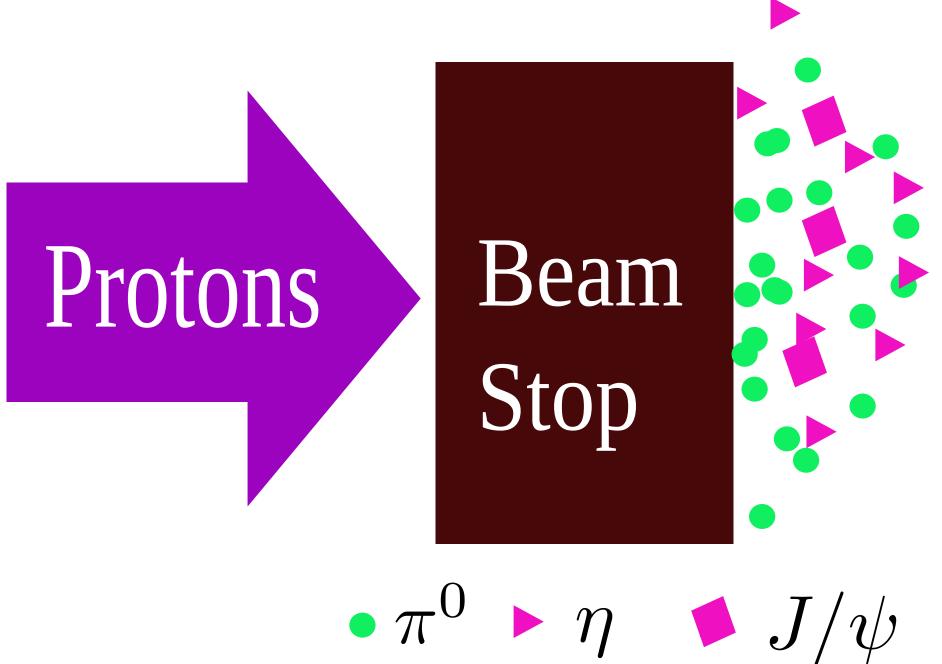


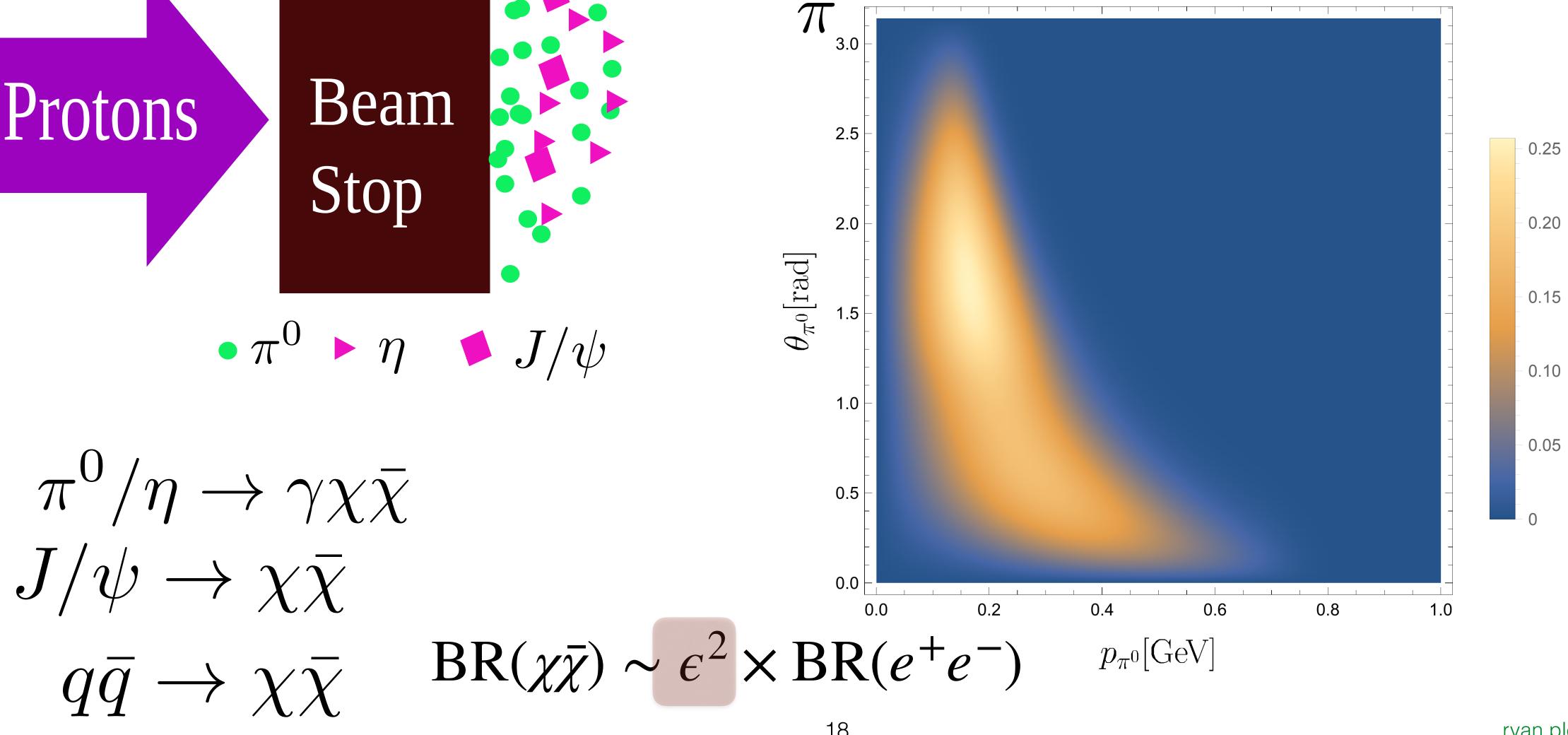
 $\frac{\pi^0}{\eta \to \gamma \chi \bar{\chi}} J/\psi \to \chi \bar{\chi}$  $BR(\chi\bar{\chi}) \sim \epsilon^2 \times BR(e^+e^-)$  $q\bar{q} \to \chi\bar{\chi}$ 

### Detector

ryan.piestia@gmail.com



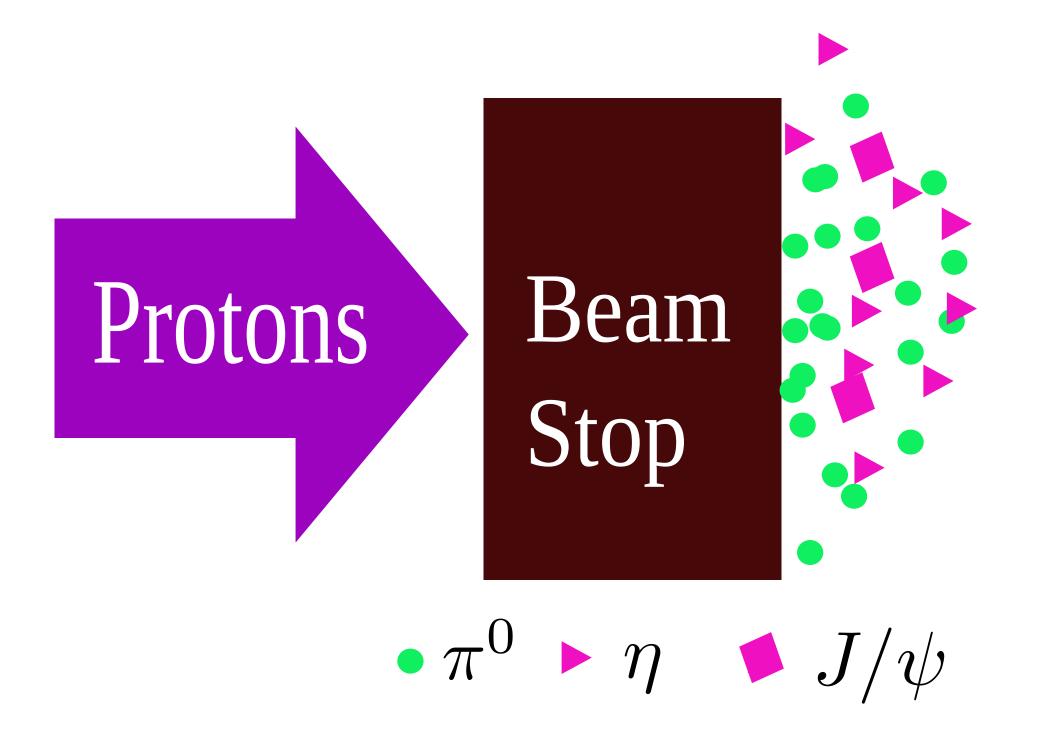






### **LSND: Burman-Smith**

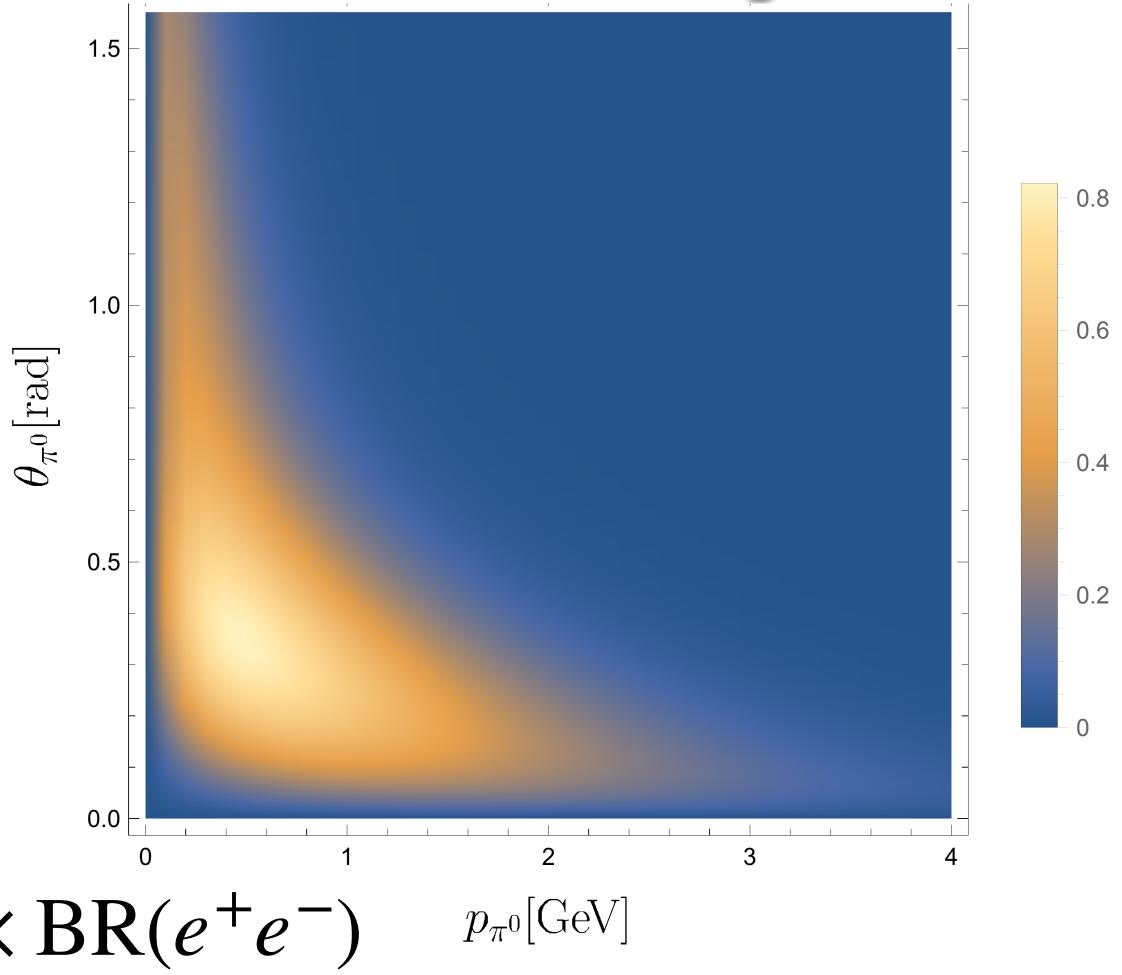




 $\pi^0/\eta \to \gamma \chi \bar{\chi}$  $J/\psi \to \chi \bar{\chi}$  $BR(\chi\bar{\chi}) \sim \epsilon^2 \times BR(e^+e^-)$  $q\bar{q} \to \chi\bar{\chi}$ 



### **Booster Experiments:** Sanford-Wang



ryan.plestid@gmail.com



### See also: Dipole portal to HNLs

 $\mathcal{L}_{dim} \ 5 \supset d_a \overline{\nu_L}_a \sigma_{\mu\nu} F^{\mu\nu} N - m \bar{N} N$ 

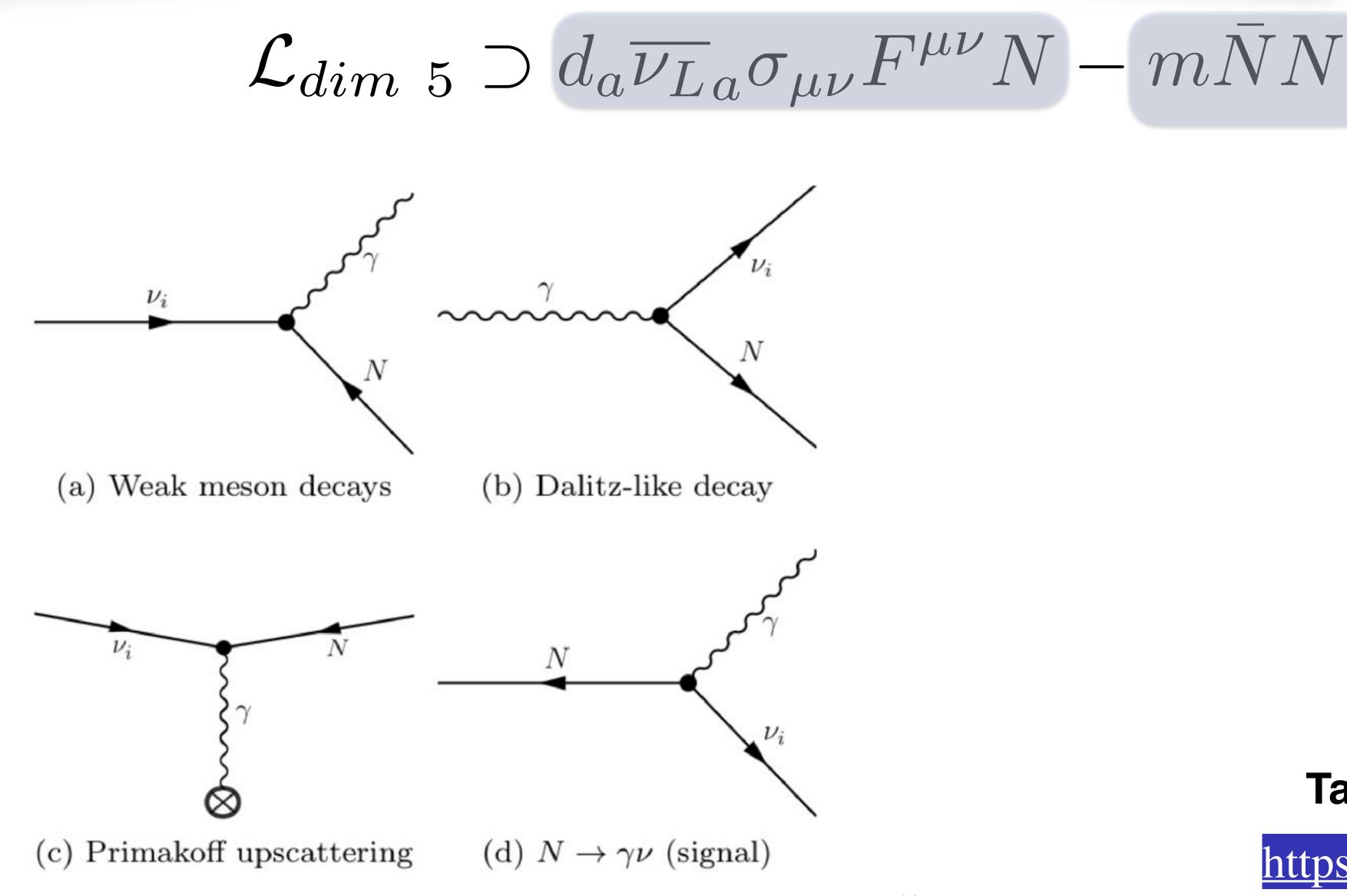


### arXiv:1803.03262

### Talk at PONDD 2018



## See also: Dipole portal to HNLs



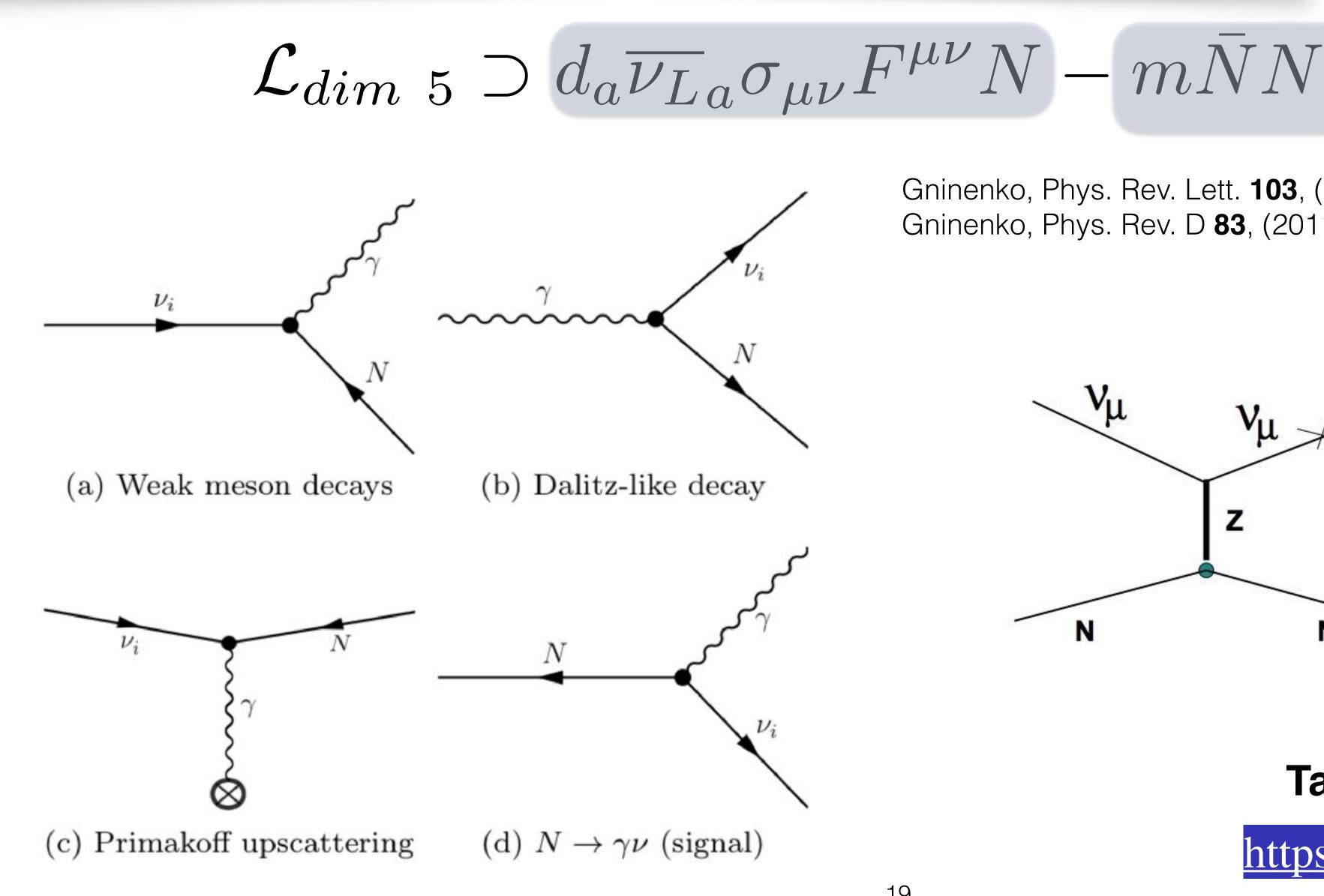


### arXiv:1803.03262

### Talk at PONDD 2018



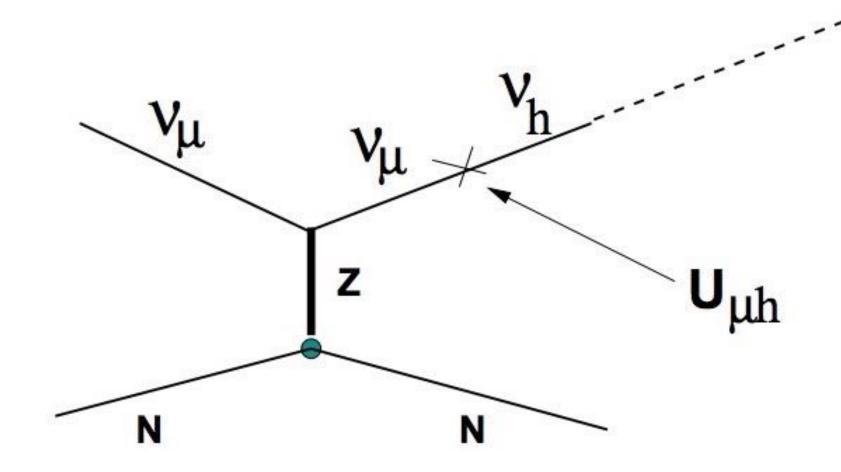
## See also: Dipole portal to HNLs



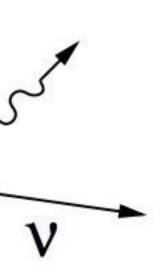


arXiv:1803.03262

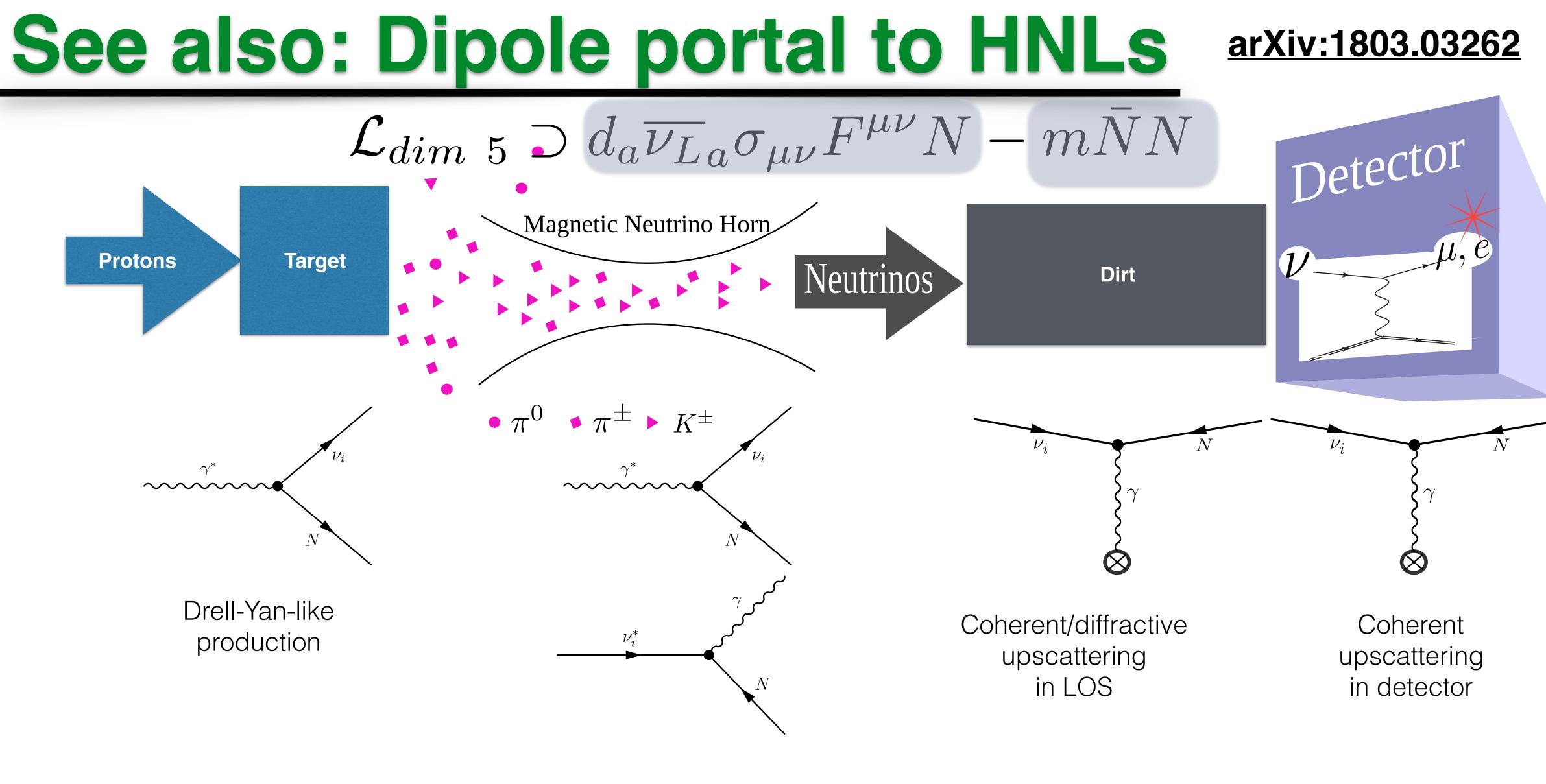
Gninenko, Phys. Rev. Lett. **103**, (2009), arXiv:0902.3802 Gninenko, Phys. Rev. D 83, (2011), arXiv:1009.5536



### Talk at PONDD 2018





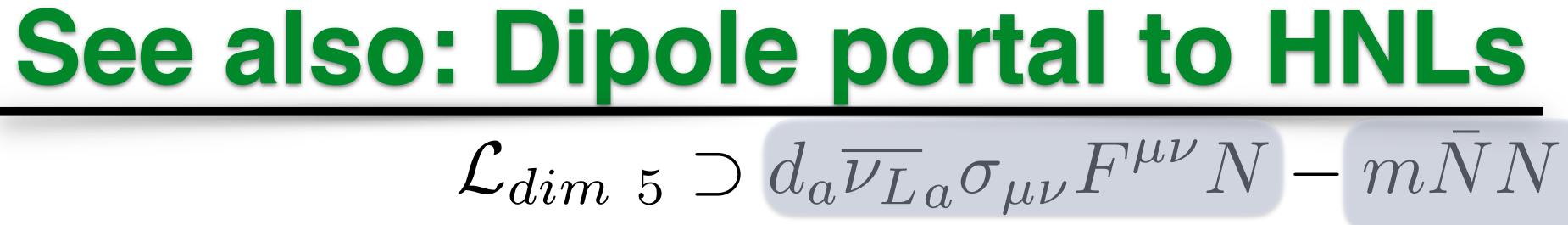


Dalitz-like & weak meson decays

### Talk at PONDD 2018





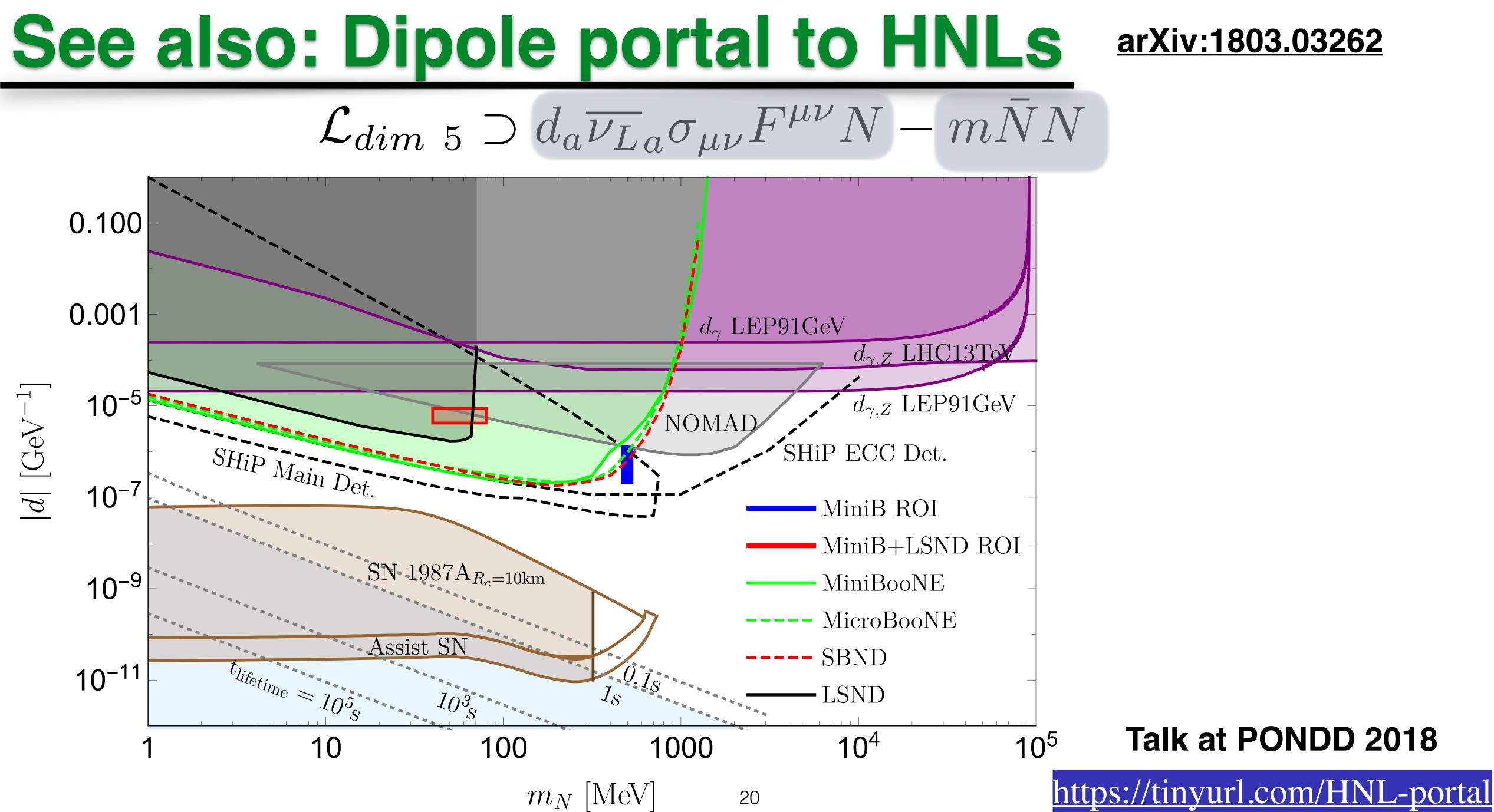


### Talk at PONDD 2018

arXiv:1803.03262



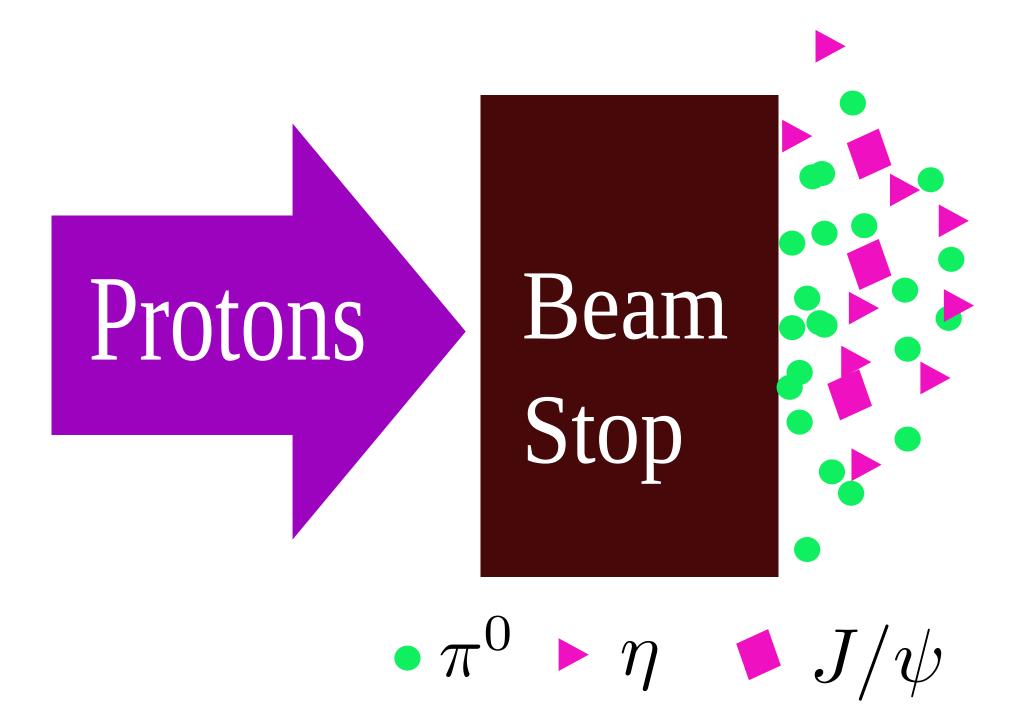








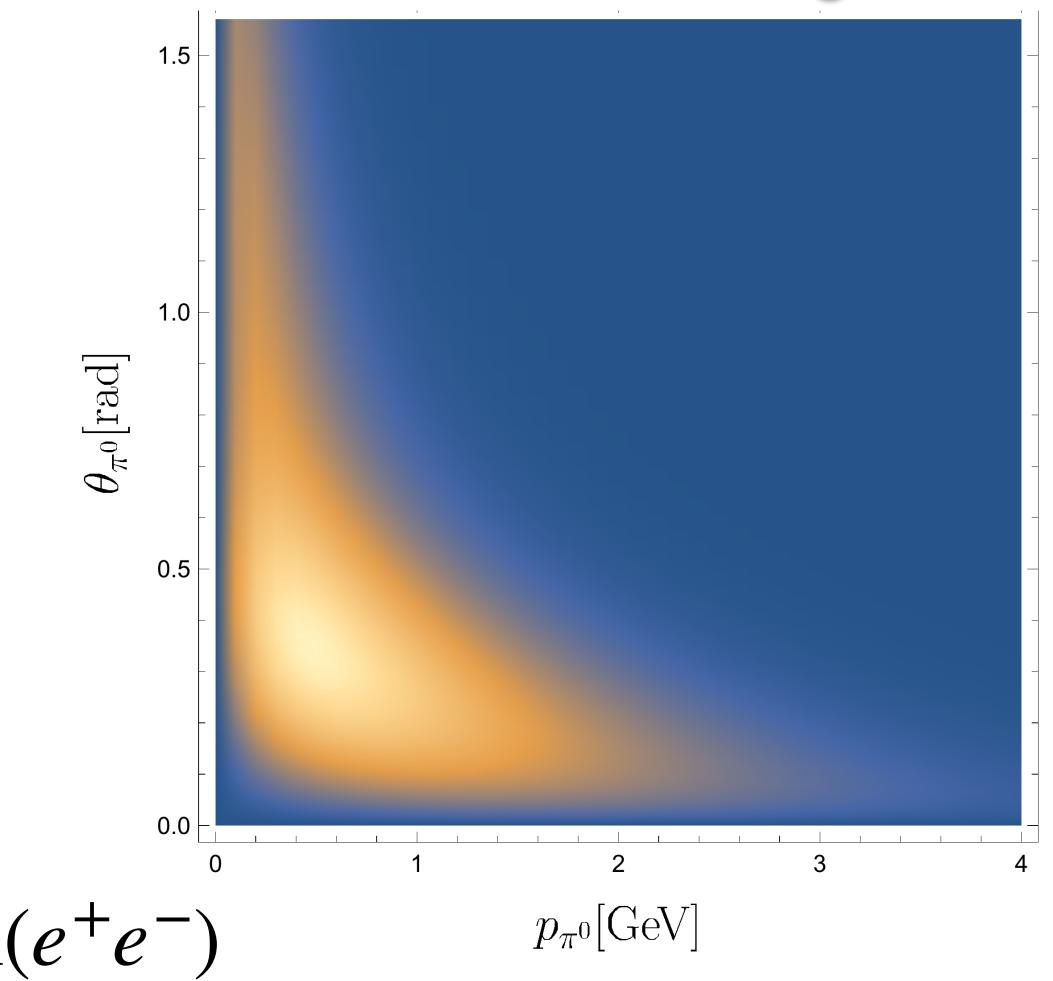
### **Back to millicharged particles**



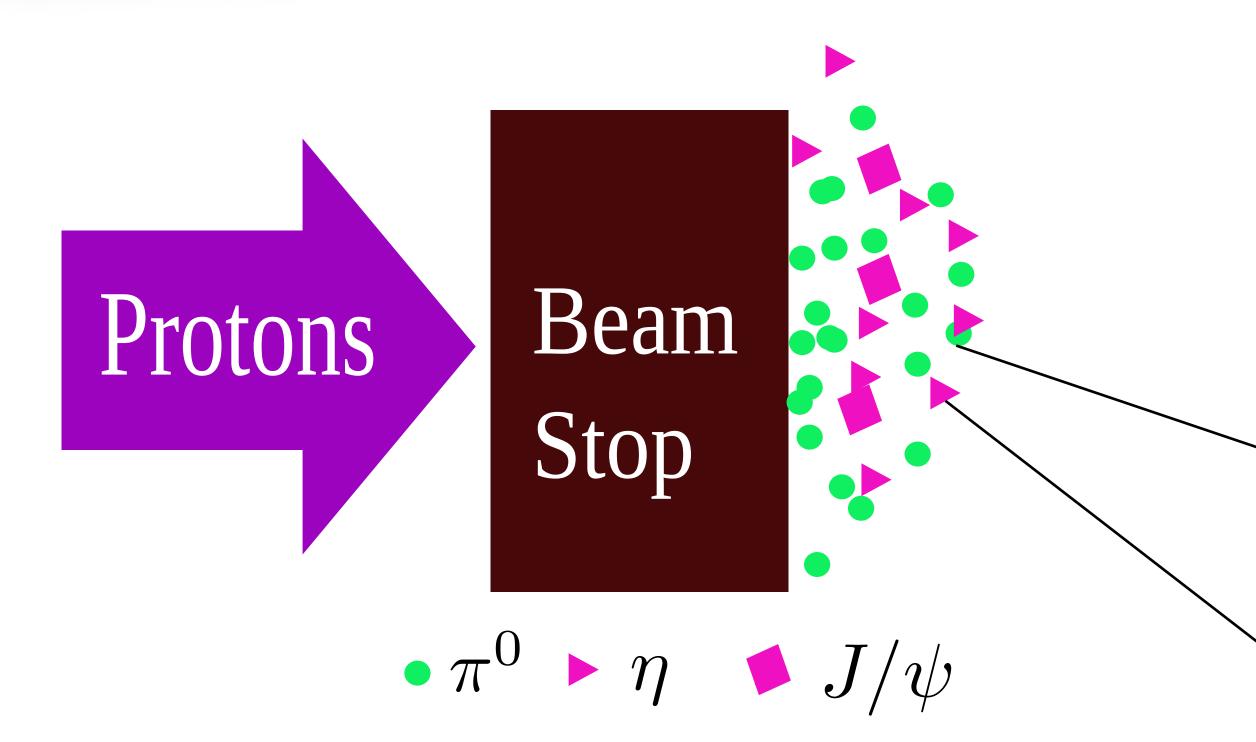
 $\pi^0/\eta \to \gamma \chi \bar{\chi}$  $J/\psi \to \chi \bar{\chi}$  $BR(\chi\bar{\chi}) \sim \epsilon^2 \times BR(e^+e^-)$  $q\bar{q} \to \chi\bar{\chi}$ 



### **Booster Experiments:** Sanford-Wang





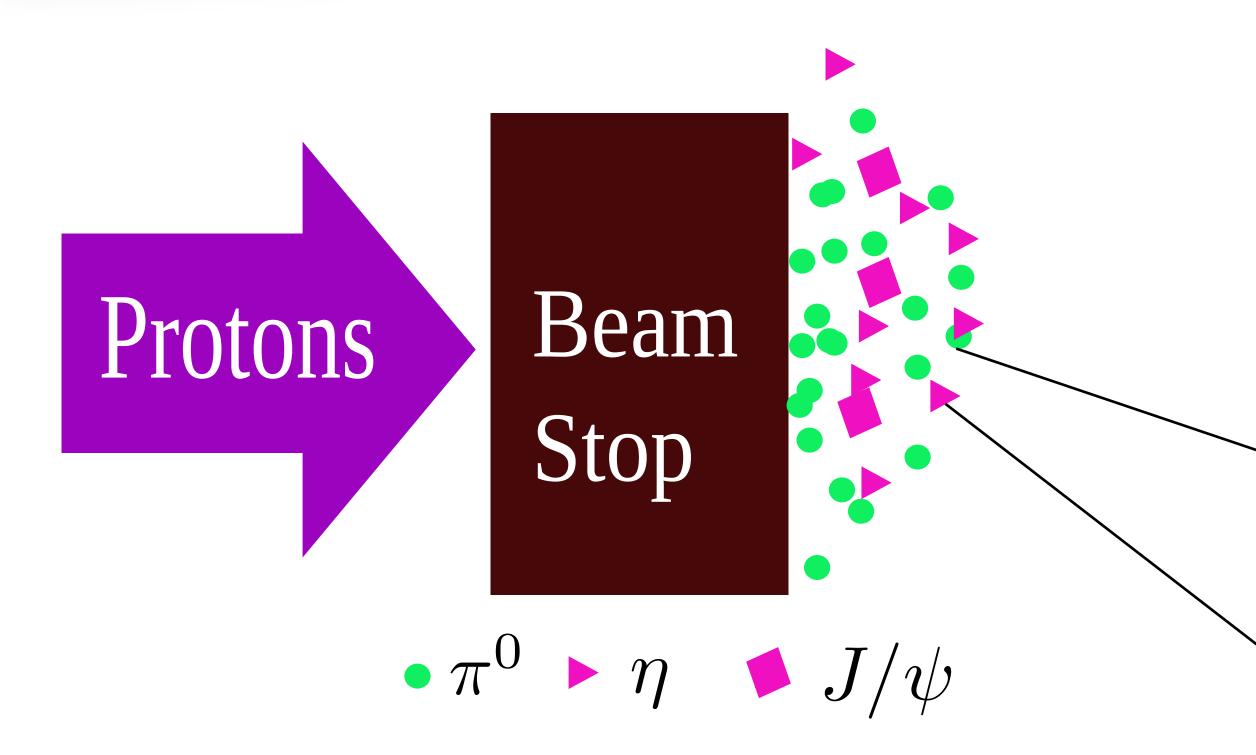




### At fixed target experiments geometry determines angular losses.

### $t \Delta \cap$



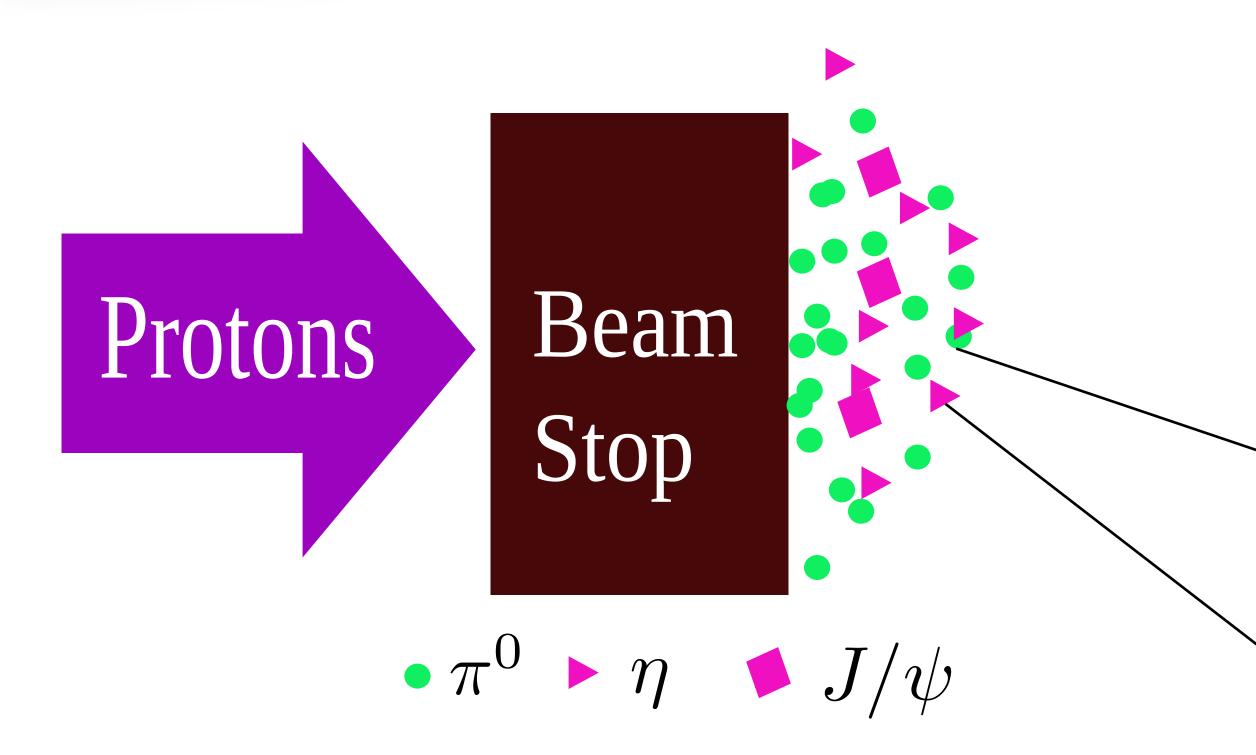


### This is a big effect



### At fixed target experiments geometry determines angular losses.





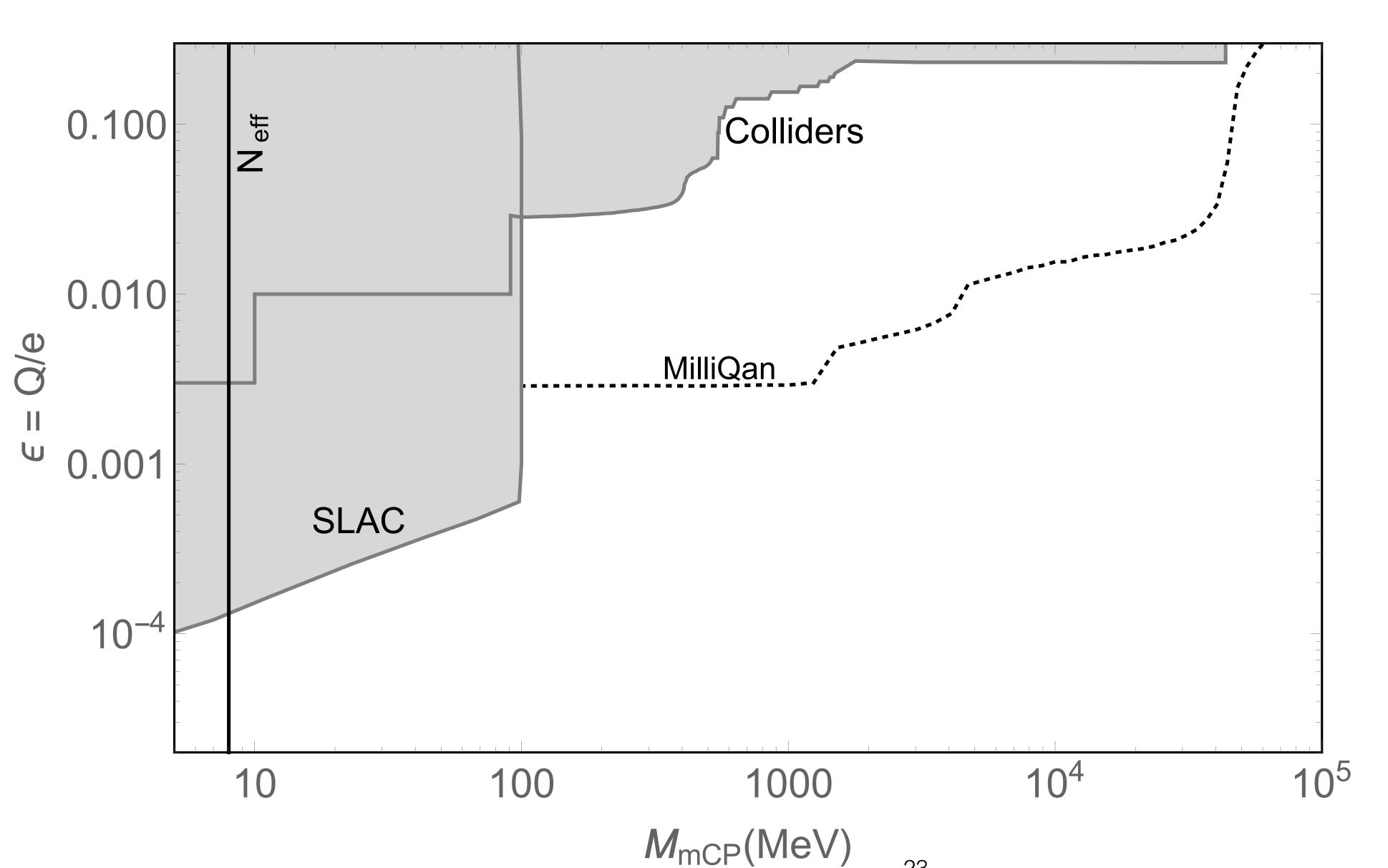
### This is a big effect.

	N [>	$< 10^{20}$ ]	$\underline{A_{\text{geo}}(m_{\chi})[\times 10^{-3}]}$		Cuts [MeV]		
Exp.	$\pi^0$	$\eta$	$1 { m MeV}$	$100 {\rm MeV}$	$E_e^{\min}$	$E_e^{\max}$	Bkg
LSND	130		20		18	52	300
mBooNE	17	0.56	1.2	0.68	130	530	$2\mathbf{k}$
mBooNE*	1.3	0.04	1.2	0.68	75	850	$0^*$
$\mu \mathrm{BooNE}$	9.2	0.31	0.09	0.05	2	40	16
SBND	4.6	0.15	4.6	2.6	2	40	230
DUNE	830	16	3.3	5.1	2	40	19 <b>k</b>
SHiP	4.7	0.11	130	220	100	300	140

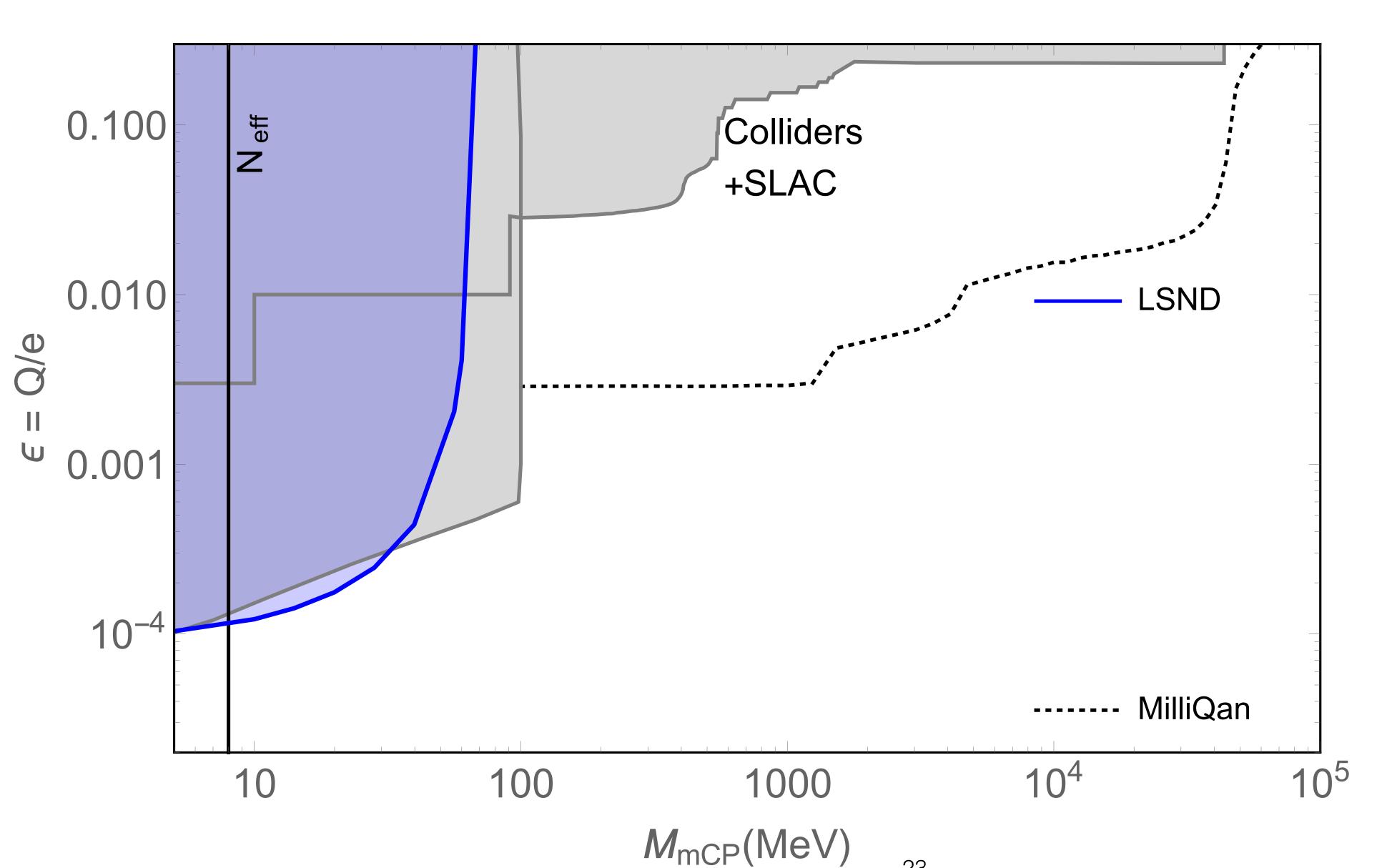
TABLE I. Summary of the lifetime meson rates (N), mCP detector acceptances  $(A_{\text{geo}})$ , electron recoil energy cuts, and backgrounds at each of the experiments considered in this paper. In all experiments a cut of  $\cos \theta > 0$  is imposed in our analysis (\*except for MiniBooNE's dark matter run where a cut of  $\cos \theta > 0.99$  effectively reduces backgrounds to zero [44, 45]). For the SHiP and DUNE experiments, we also include  $J/\psi$  and  $\Upsilon$  mesons as well as Drell-Yan production which are discussed in the text. We use an efficiency of  $\mathcal{E} = 0.2$  for Cherenkov detectors,  $\mathcal{E} = 0.5$  for nuclear emulsion detectors, and  $\mathcal{E} = 0.8$  for liquid argon time projection chambers. The data at LSND and MiniBooNE is taken from [46] and [24, 44] respectively. Projections at MicroBooNE [47], SBND [26], DUNE [27] and SHiP [48] are based on expected detector performance.

lar

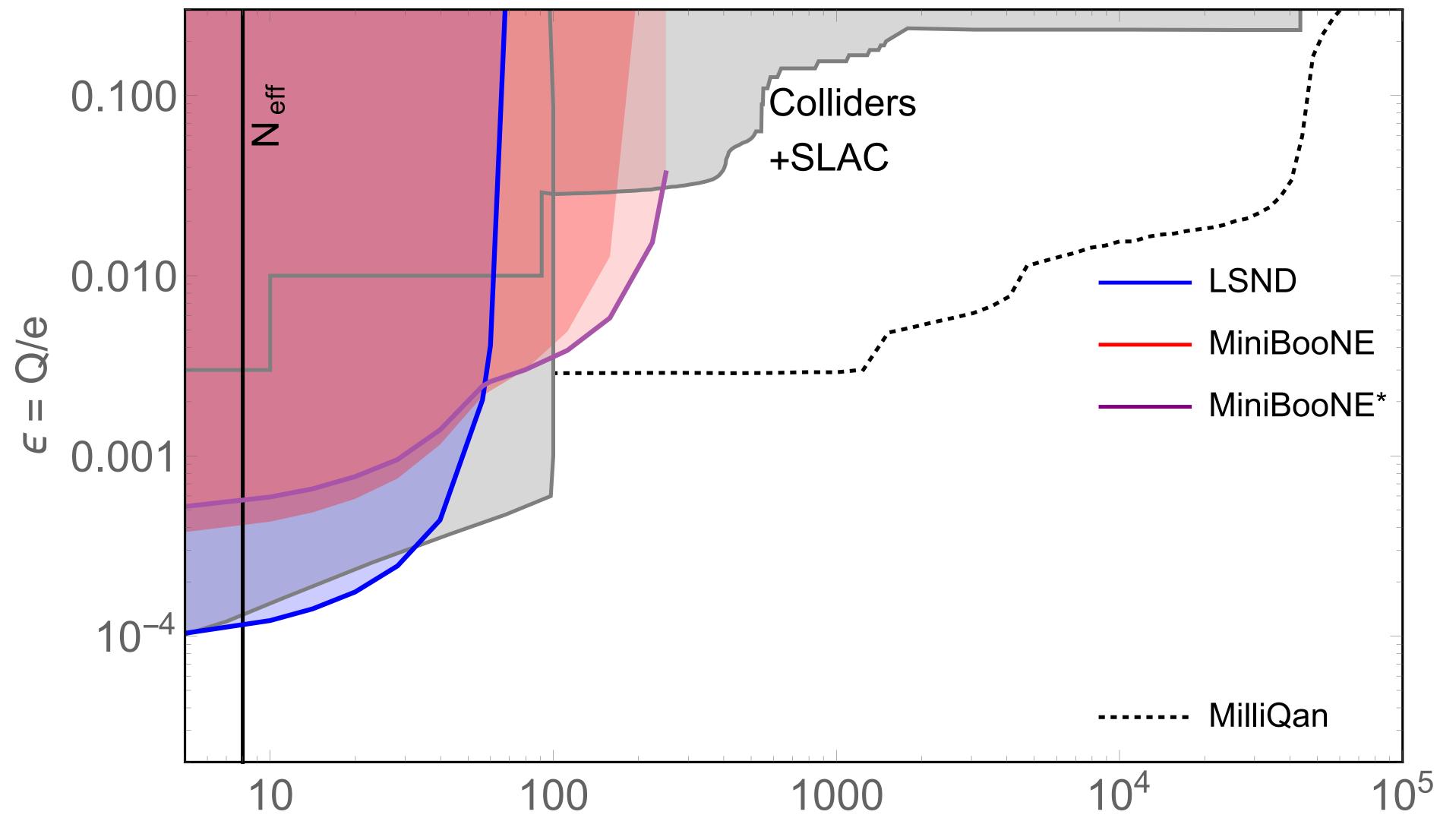






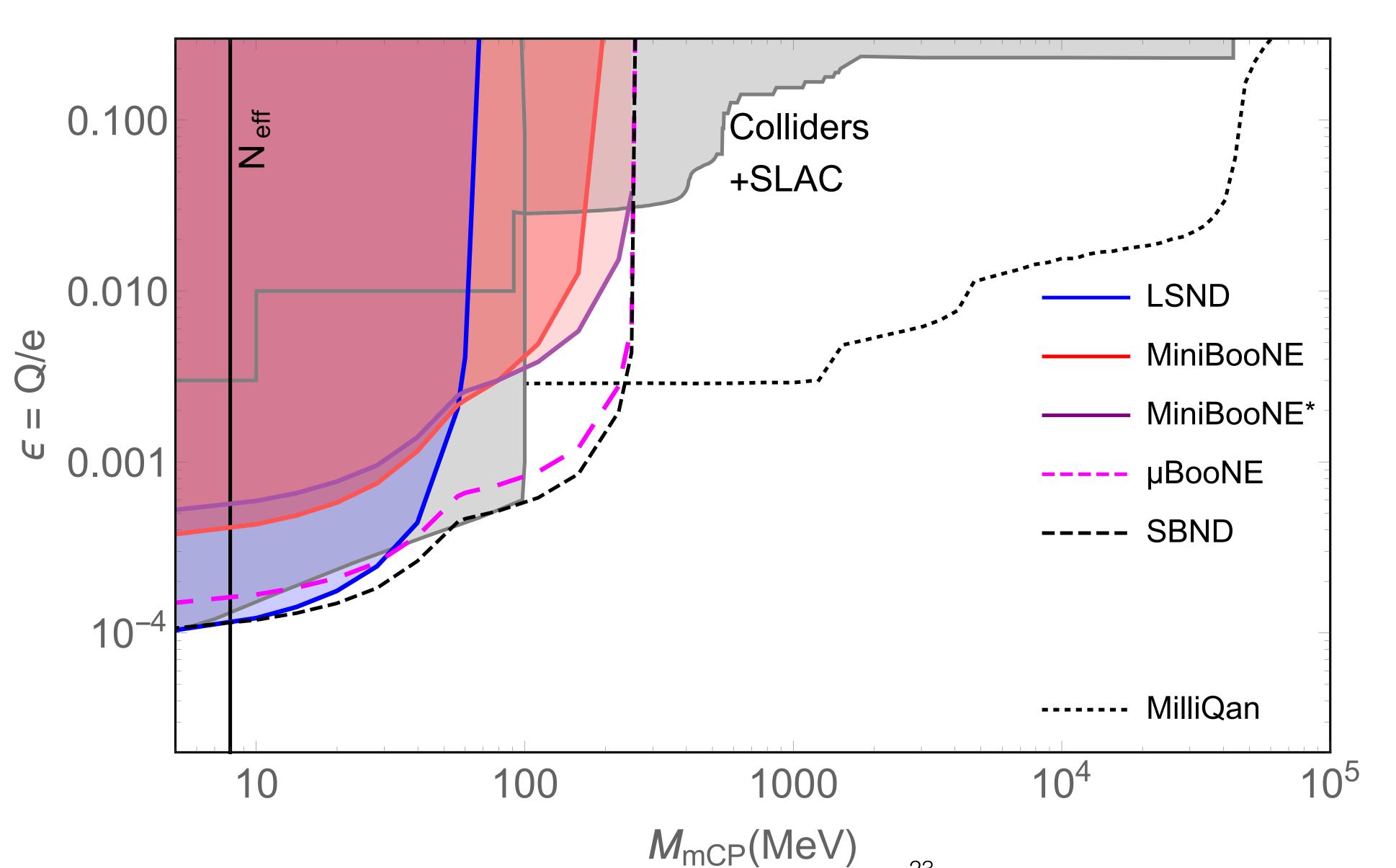




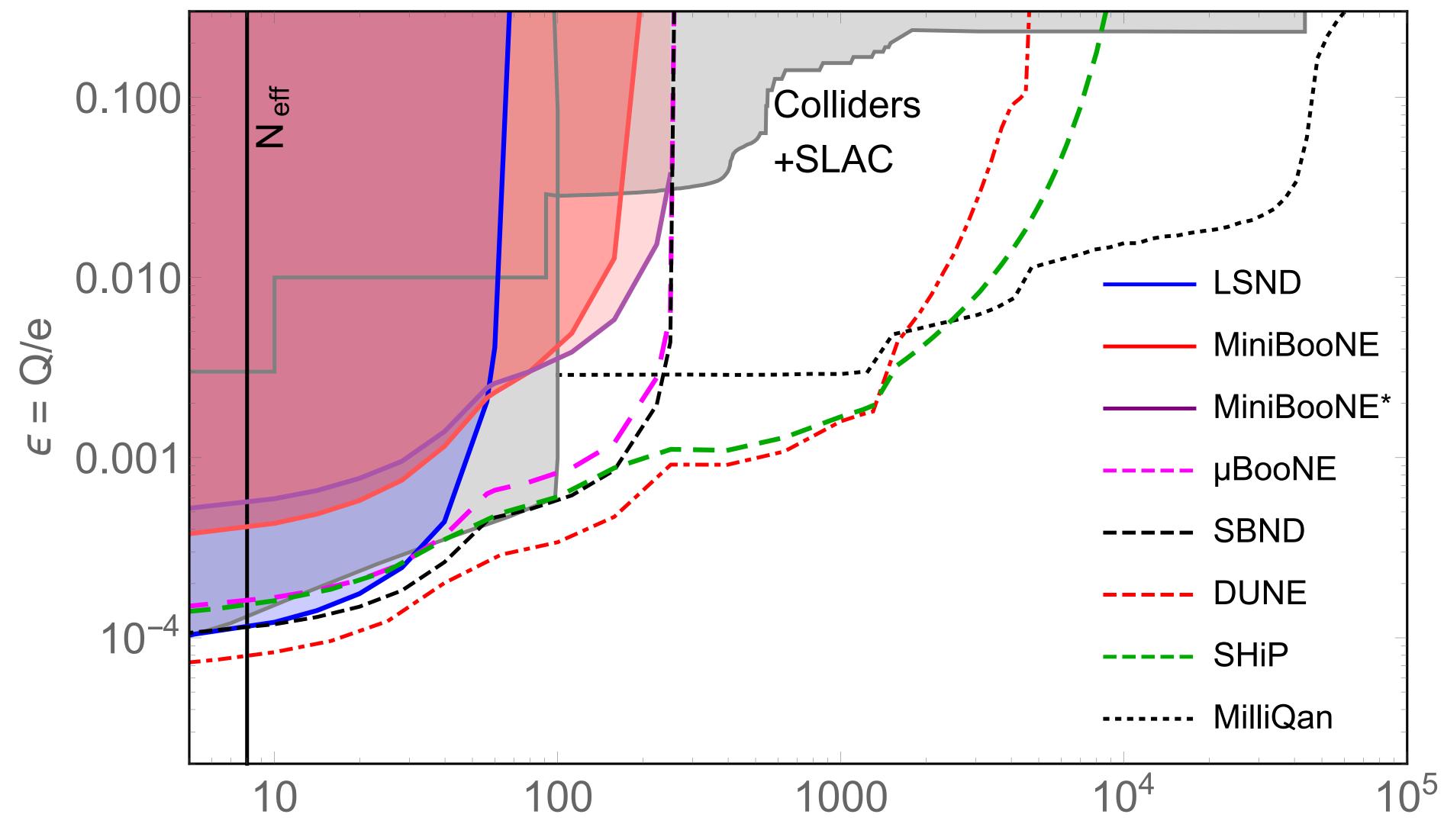


M<sub>mCP</sub>(MeV)



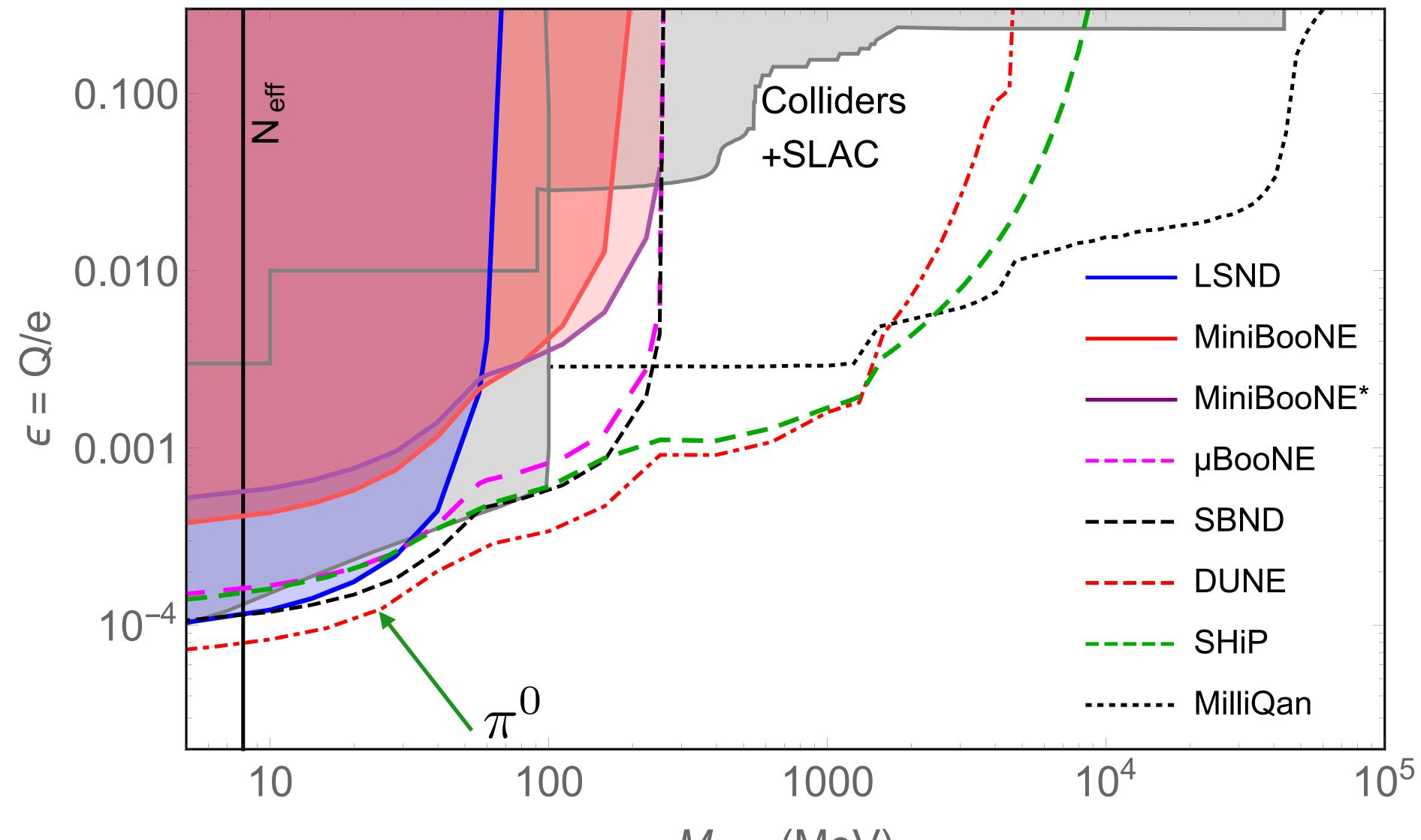






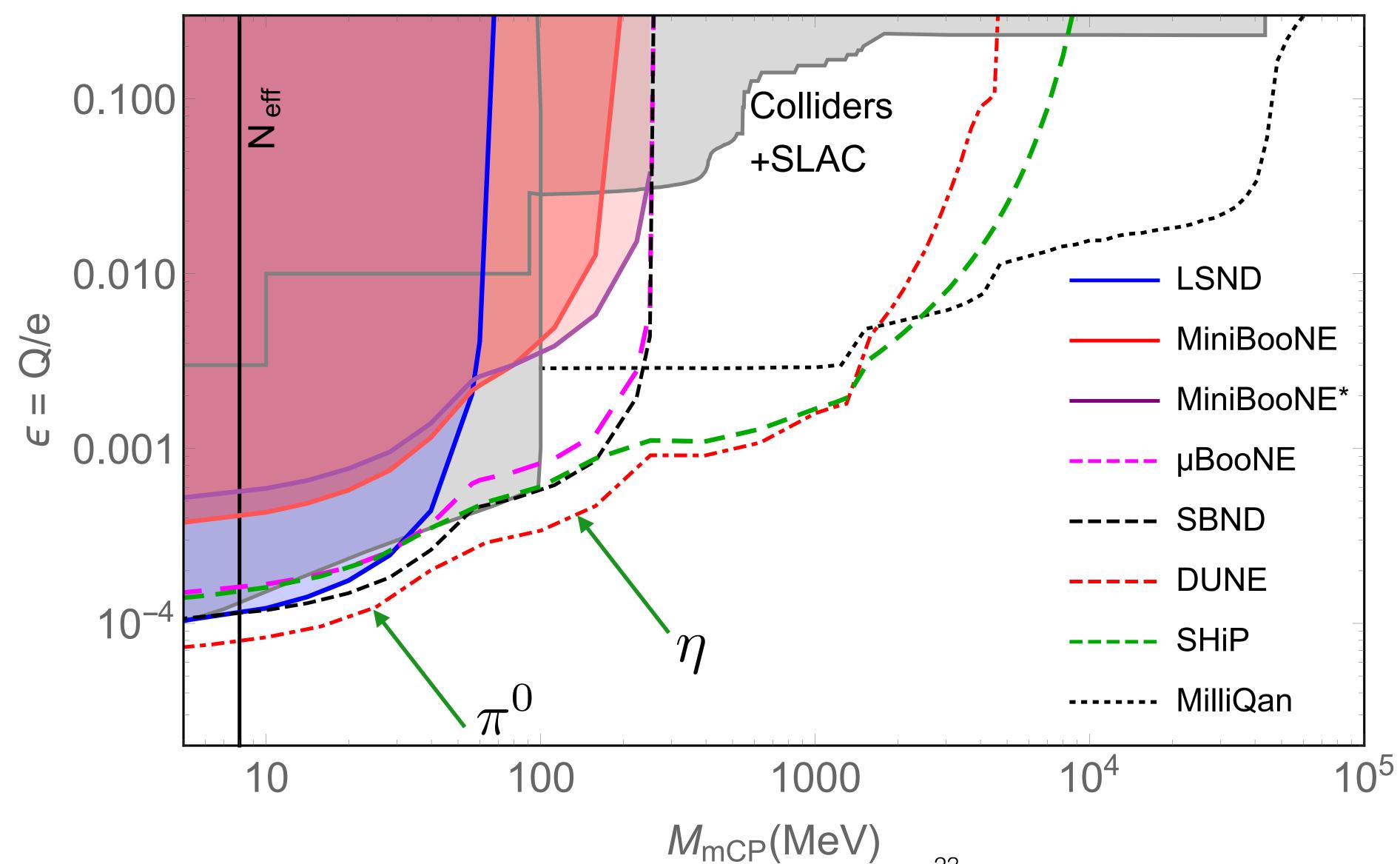
M<sub>mCP</sub>(MeV)





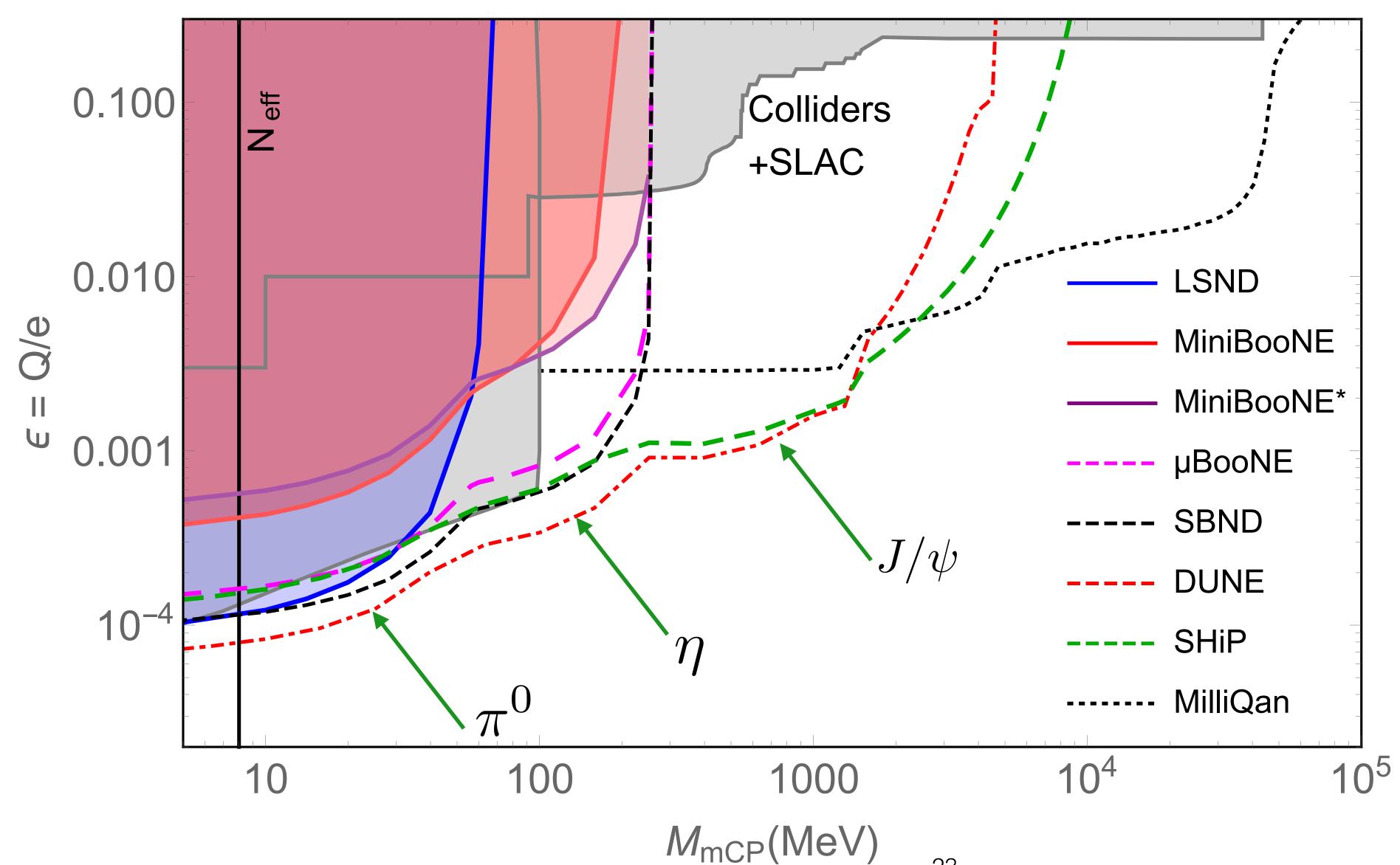
M<sub>mCP</sub>(MeV)





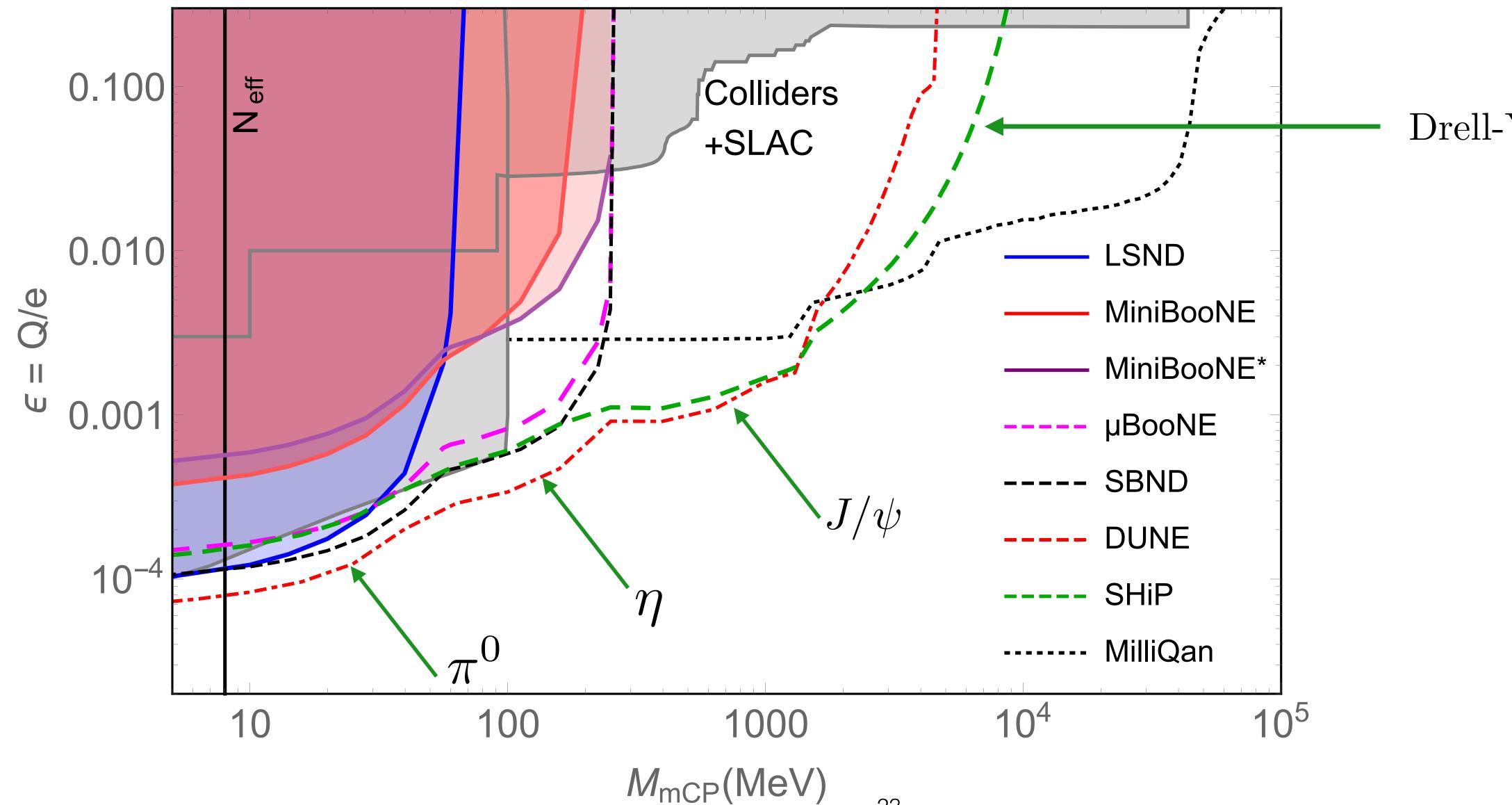


### Results



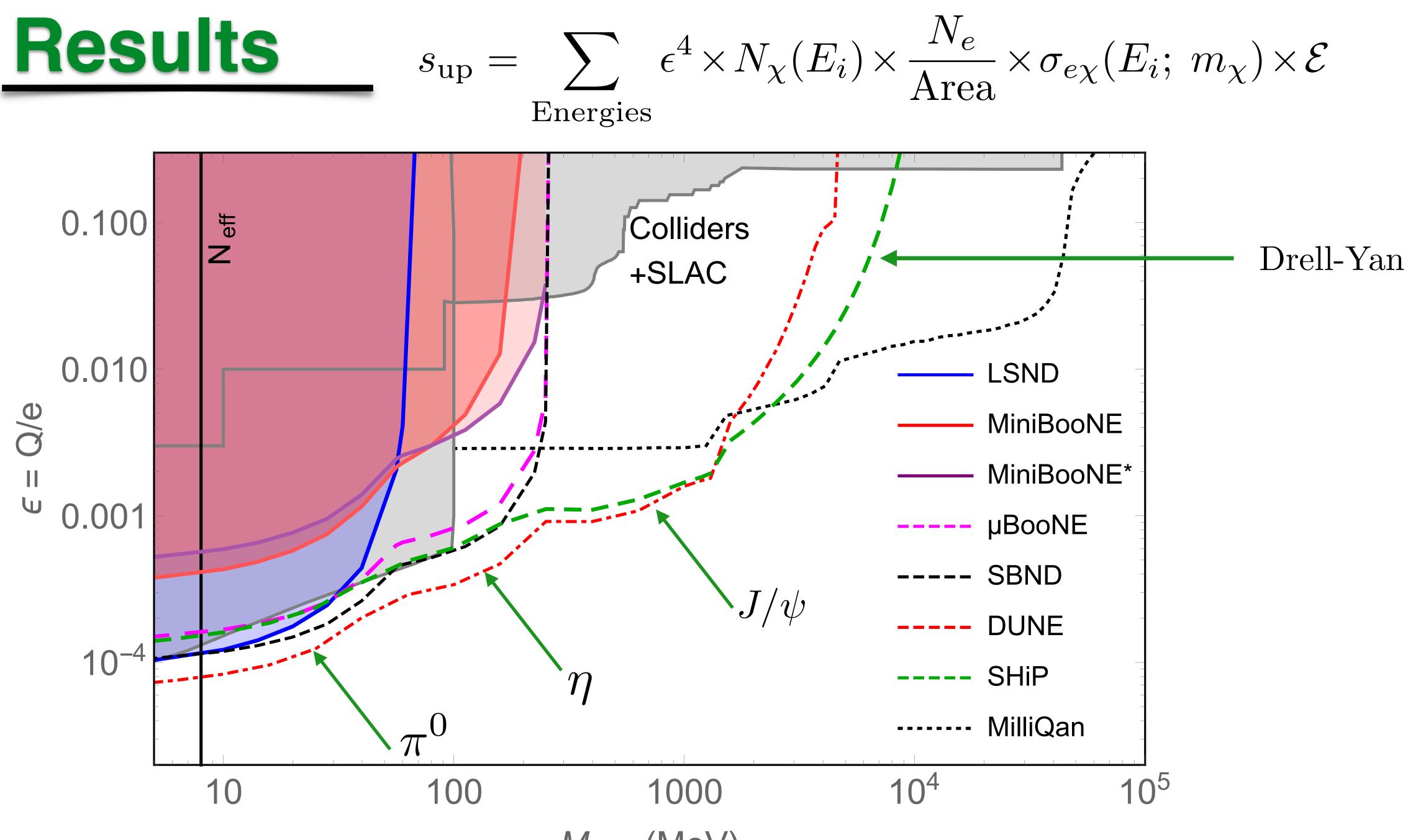


### Results



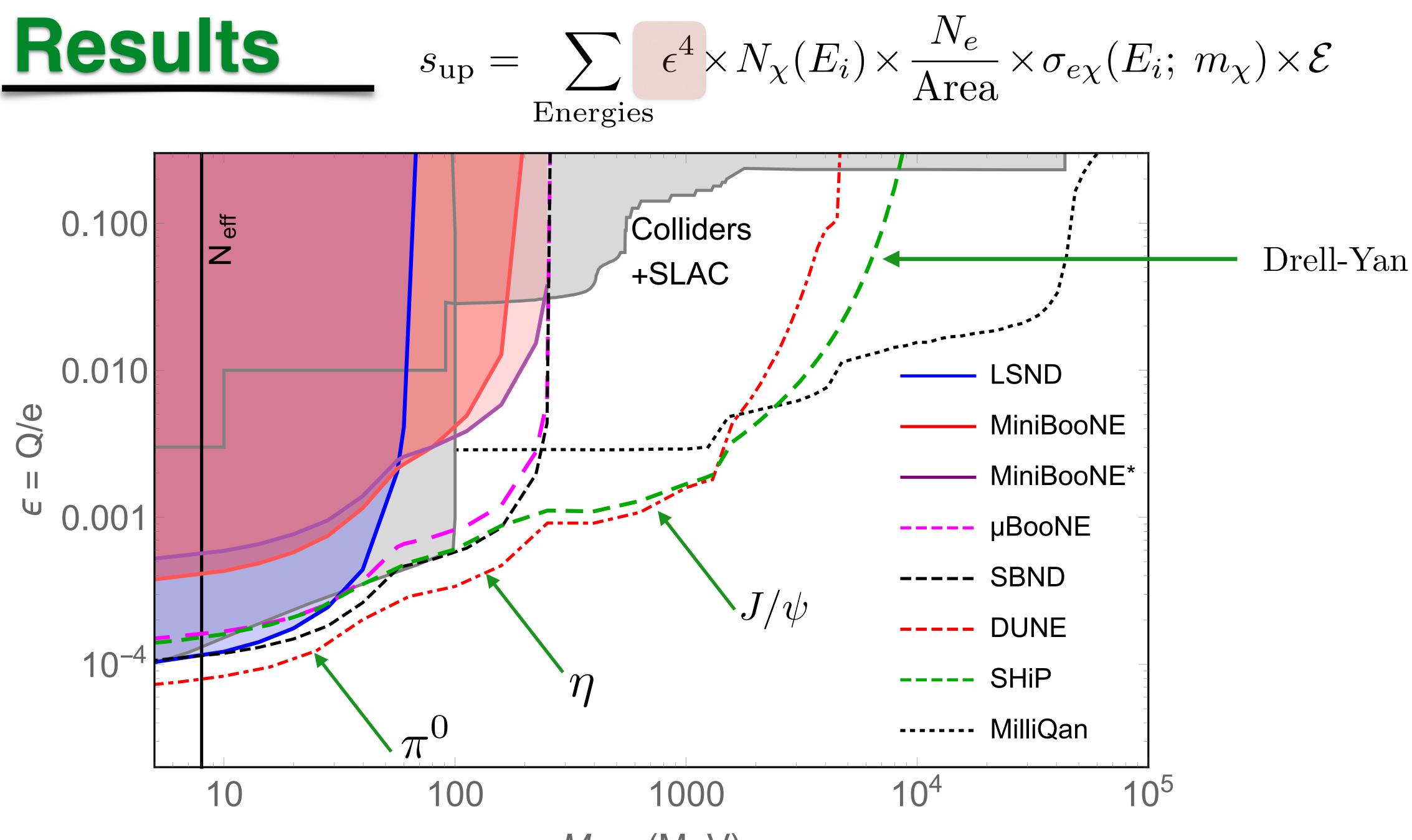
Drell-Yan





M <sub>mCP</sub>	(Me	(V)
------------------	-----	-----





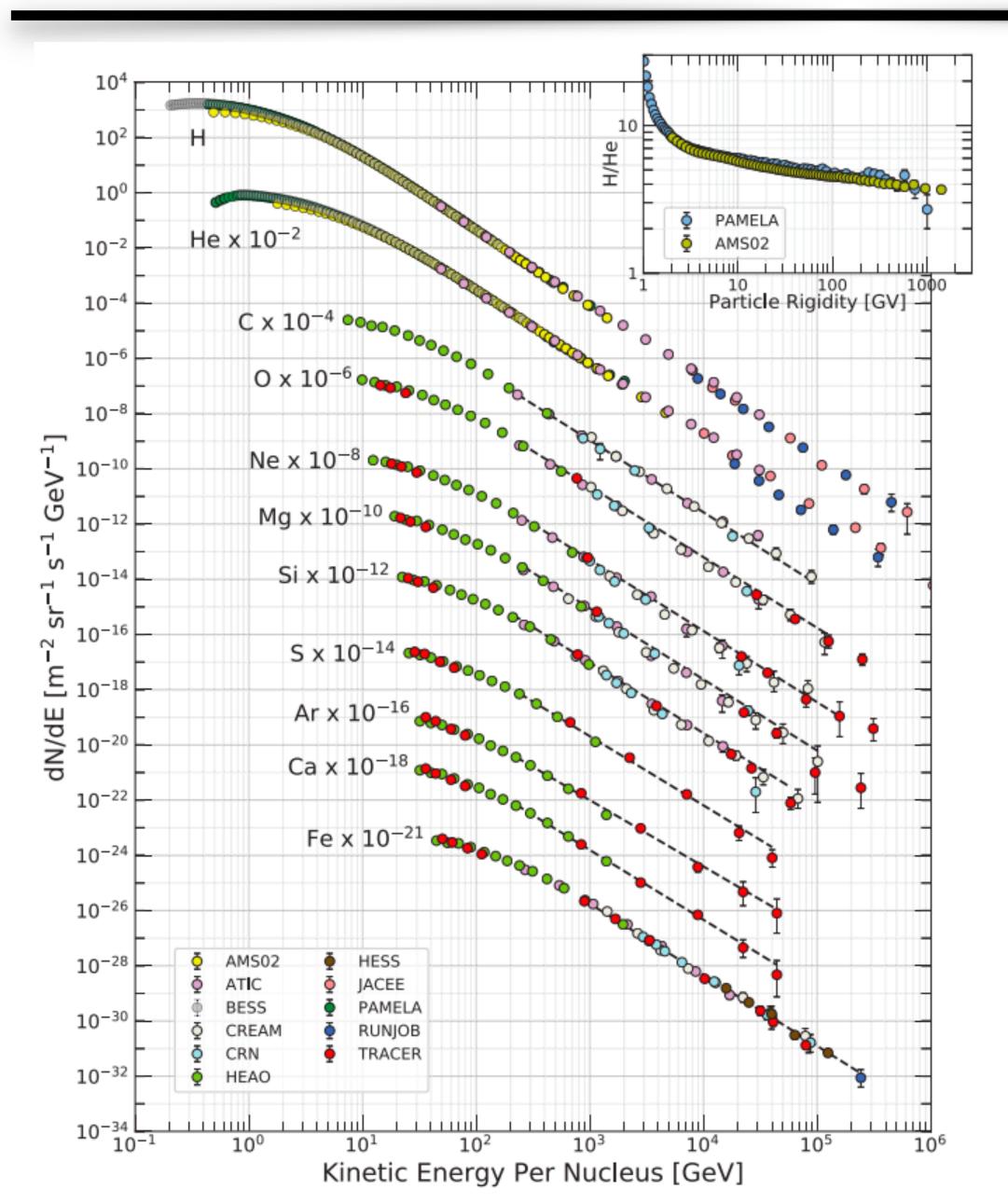
 $M_{mCP}(MeV)$ 



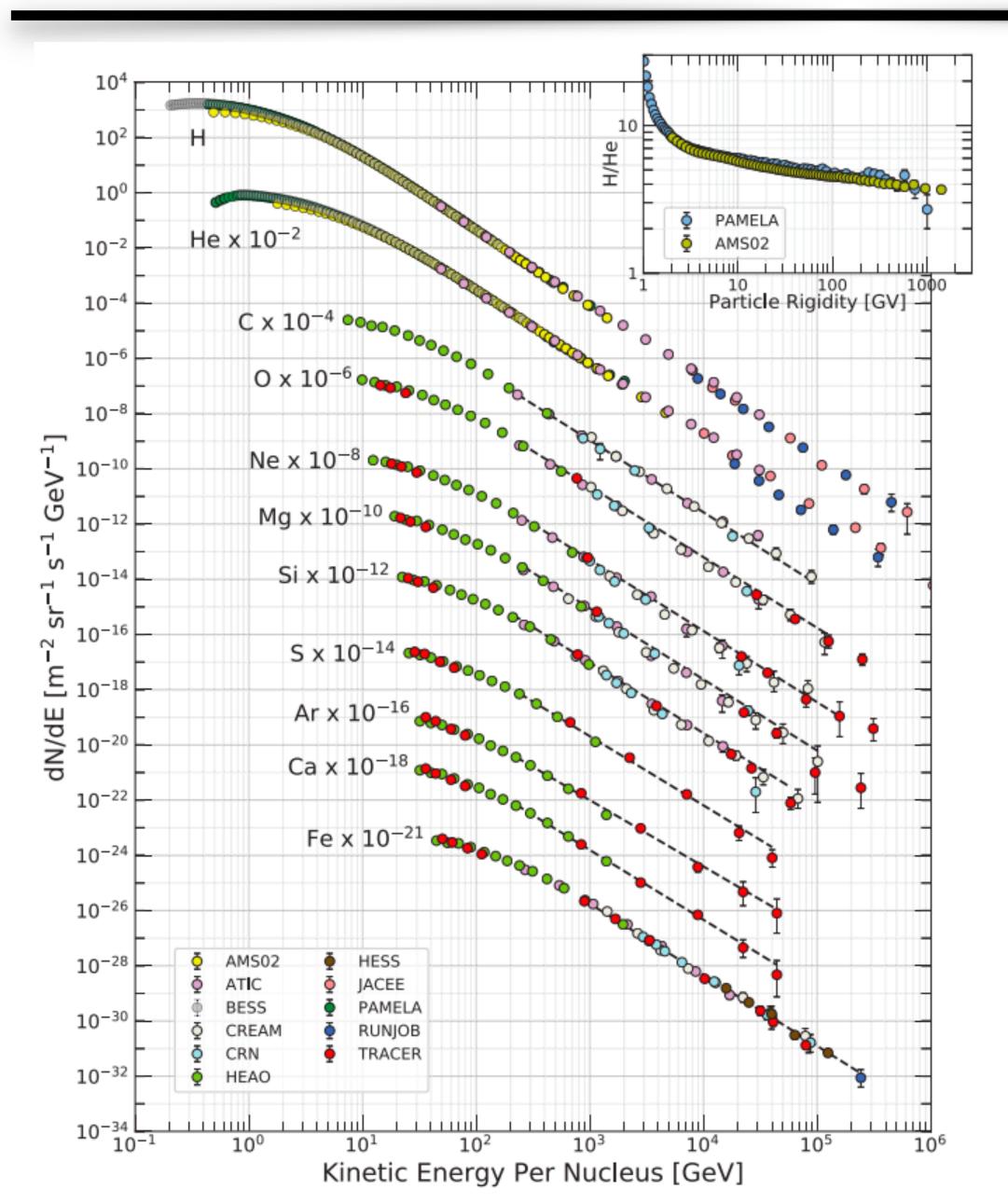






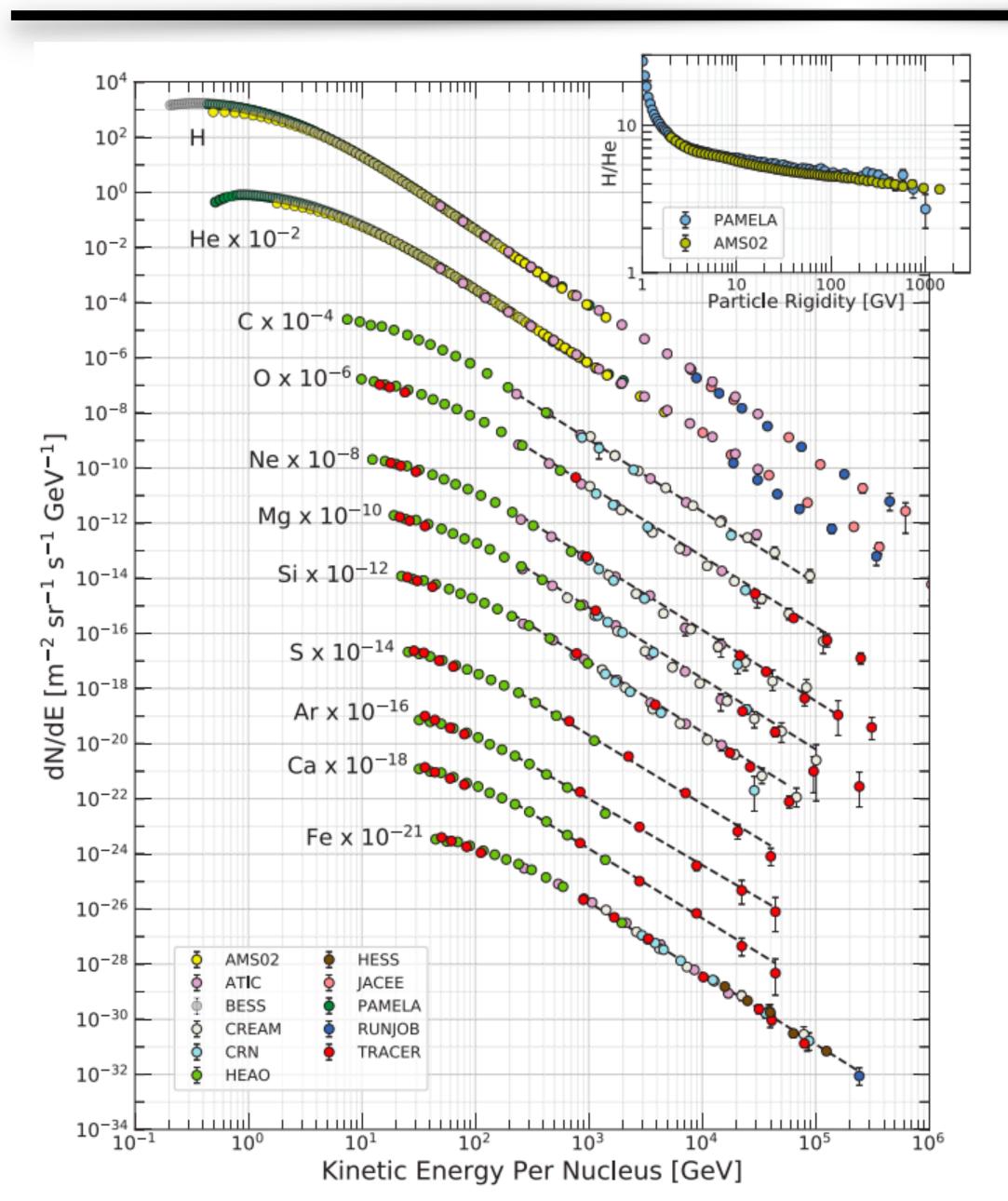






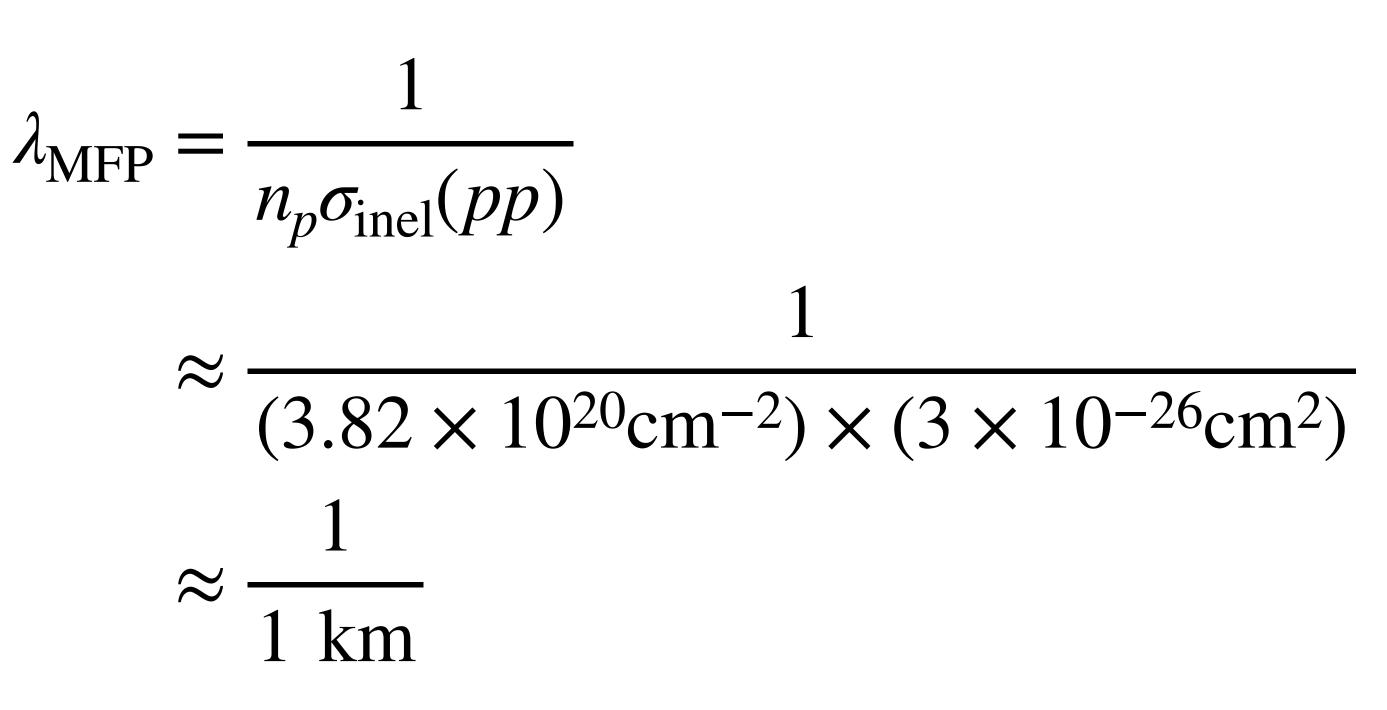


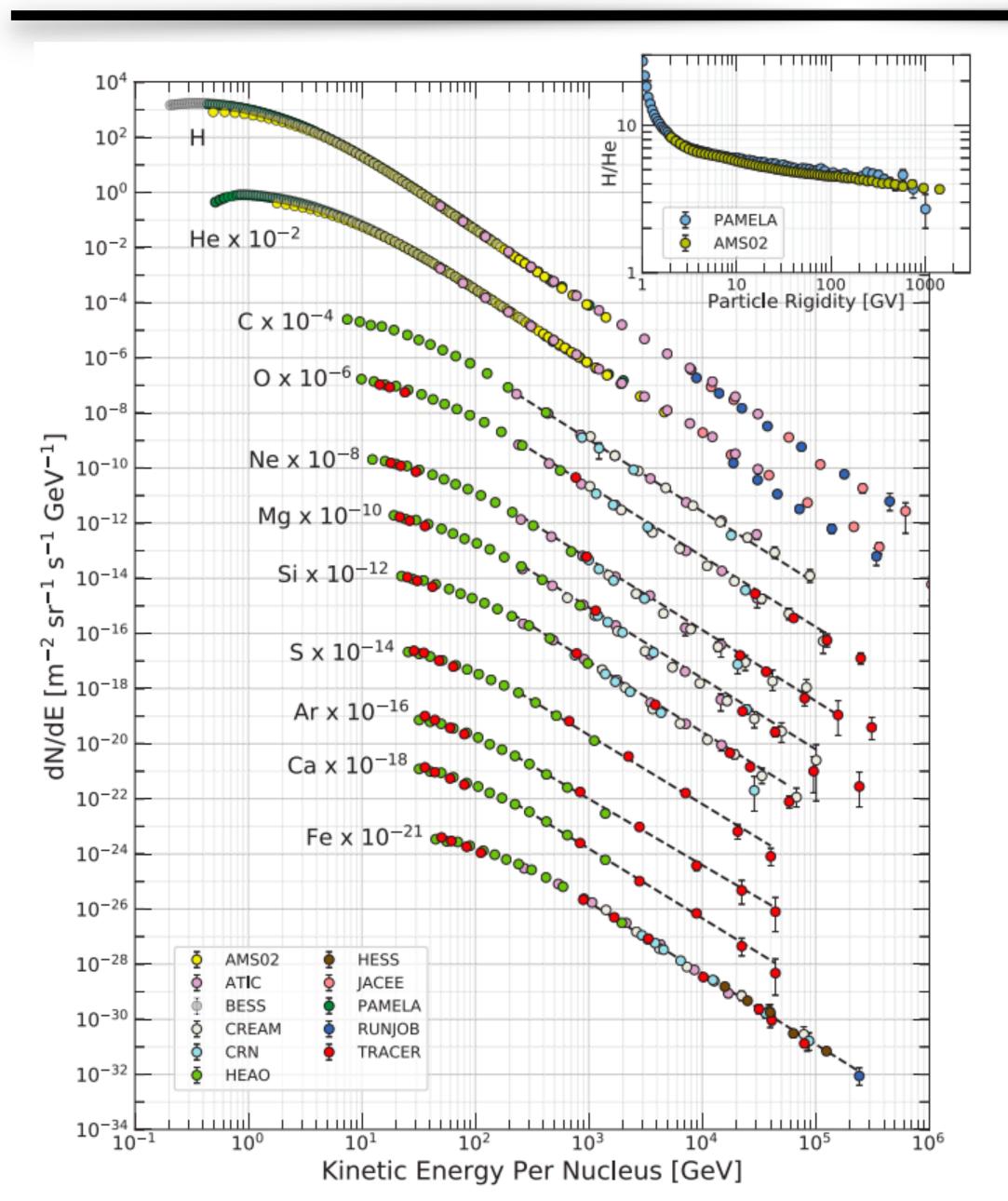
#### Flux of H >> Flux of He







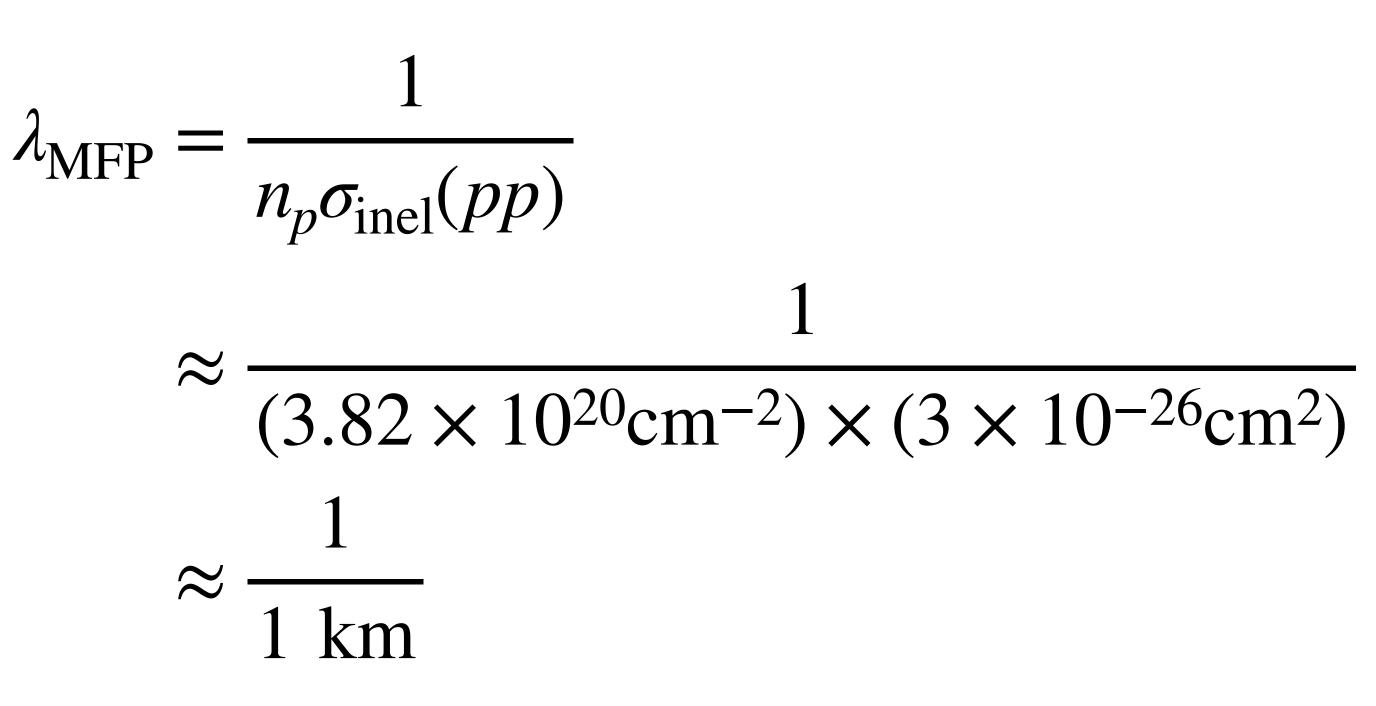




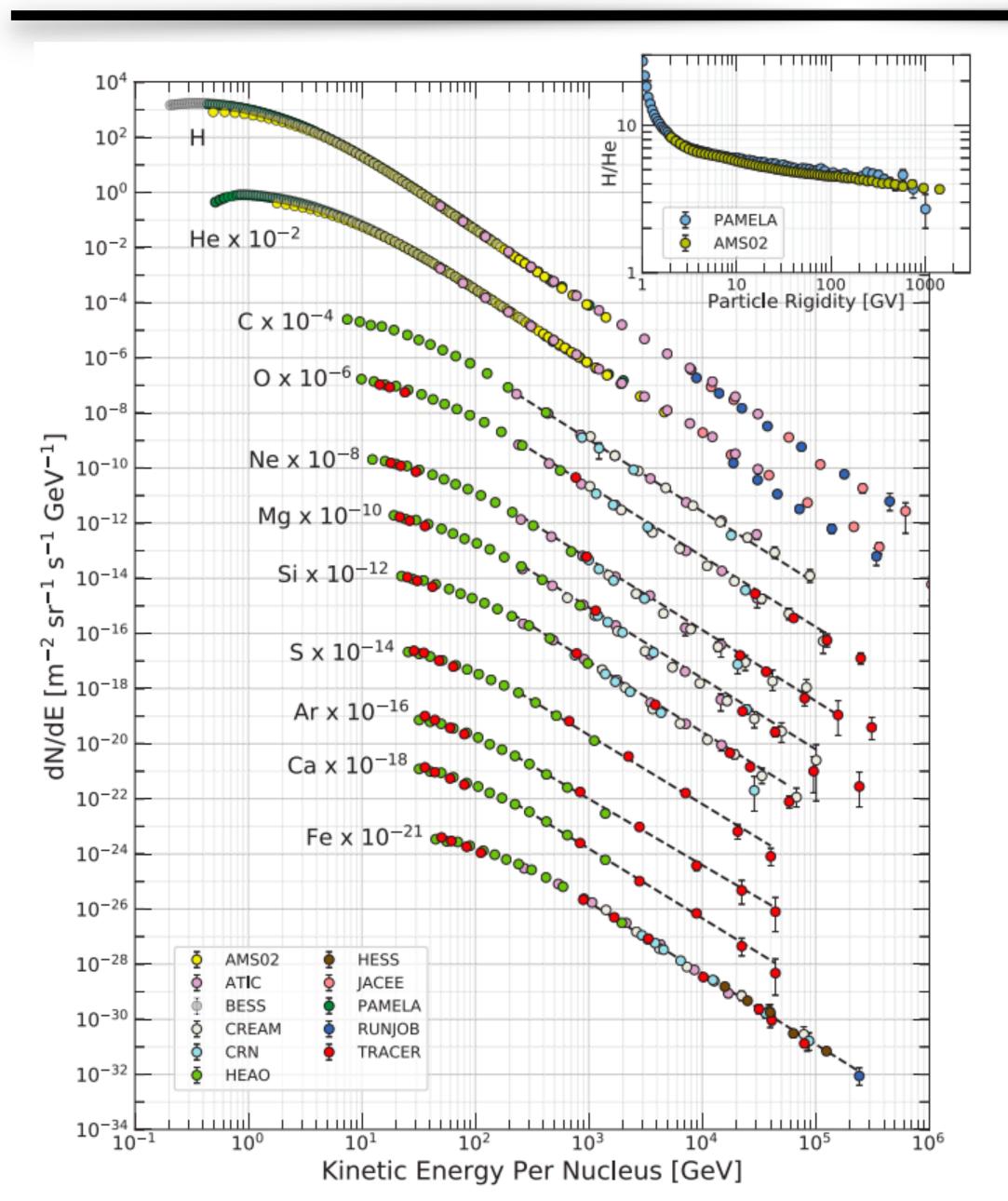
P(s





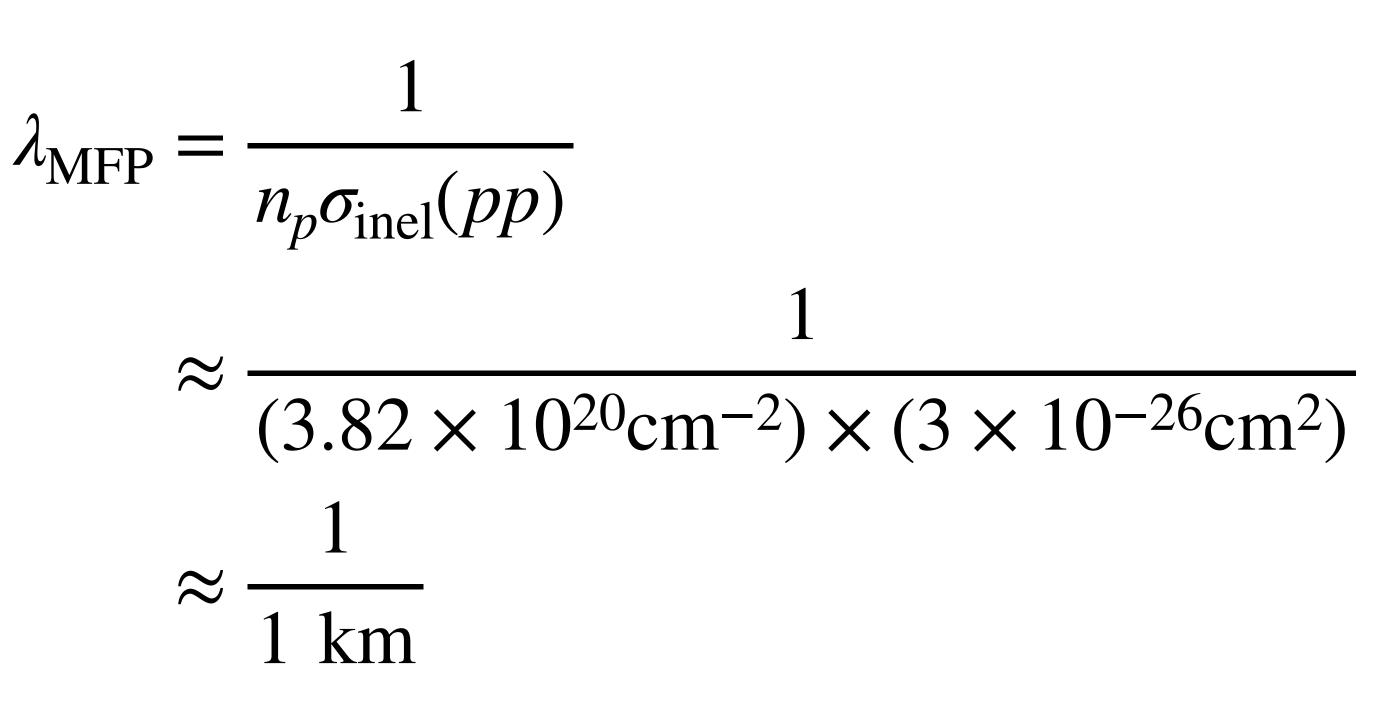


survival) = 1 - exp 
$$\left[ -\int_{0}^{50 \text{ km}} \frac{dz}{\lambda_{\text{MFP}}} \right]$$

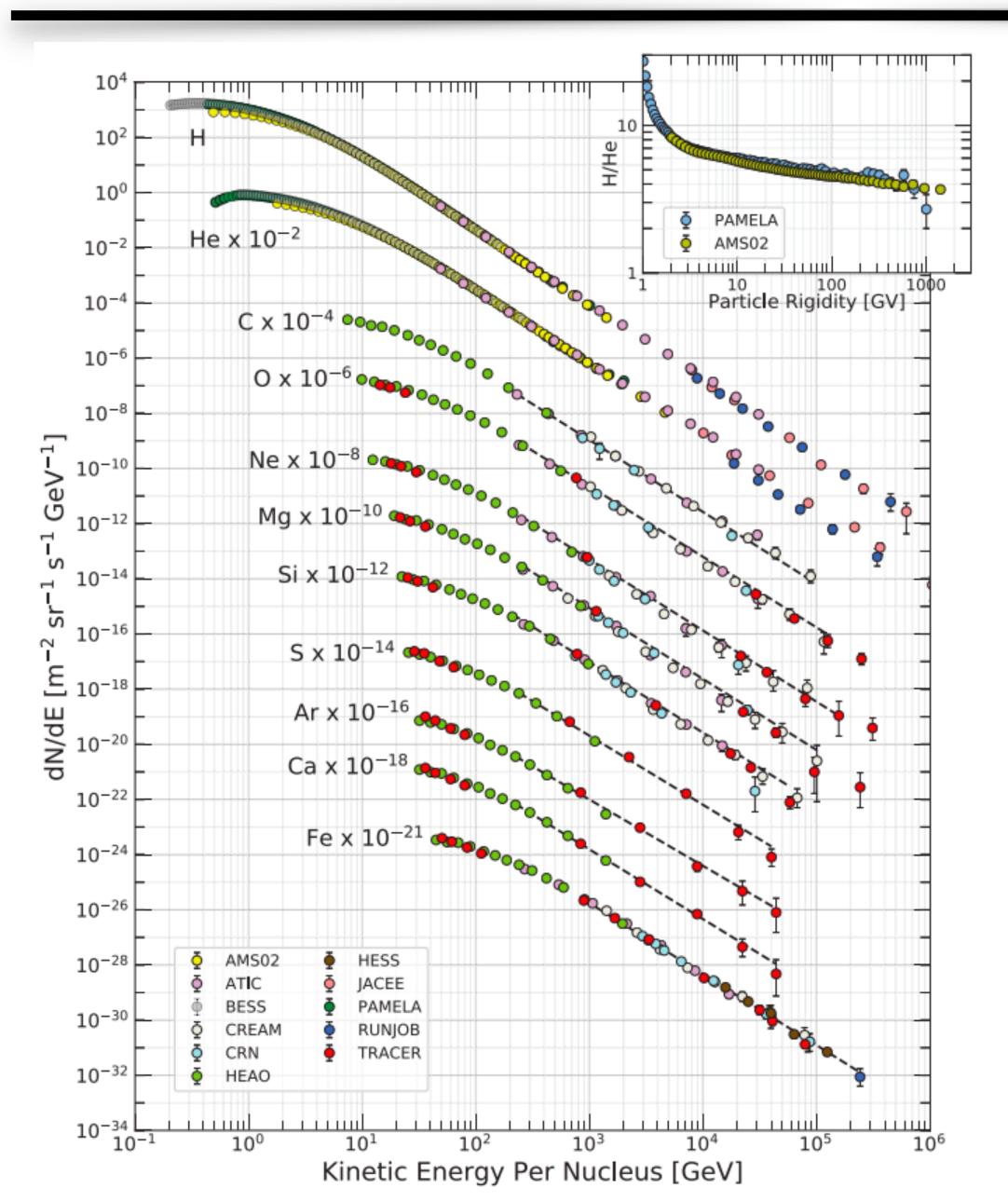








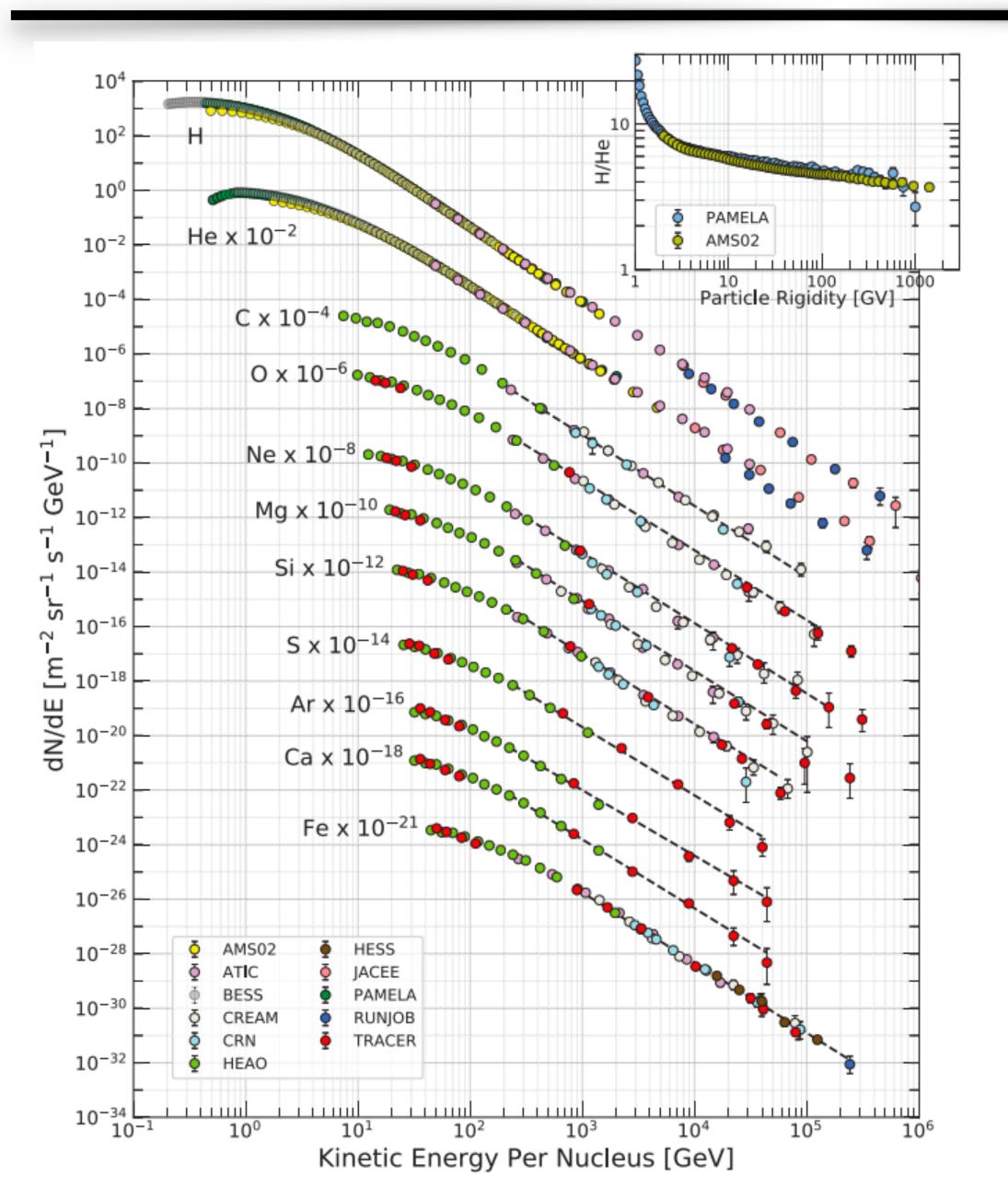
### $P(\text{survival}) \approx 0$





### Flux of H >> Flux of He

### $P(\text{survival}) \approx 0$

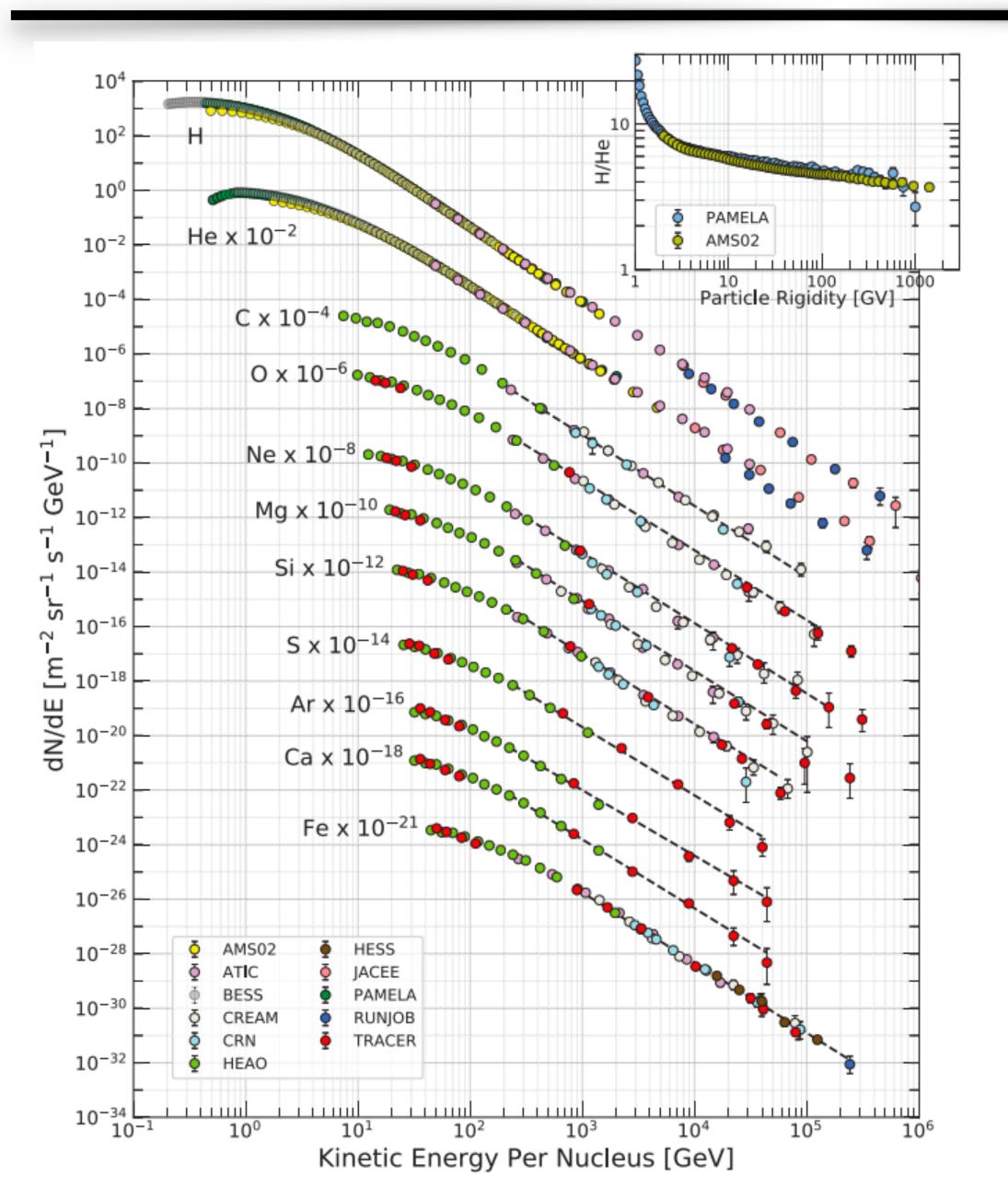




#### Flux of H >> Flux of He

### $P(\text{survival}) \approx 0$

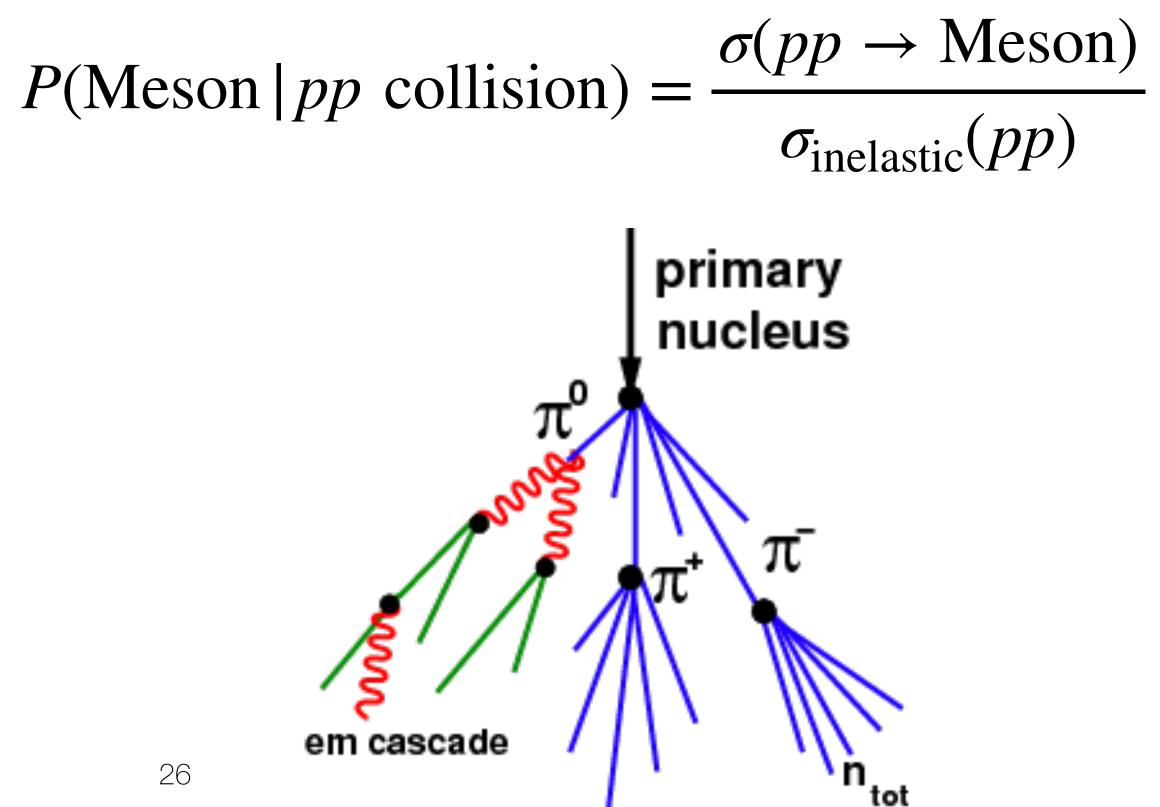
# $P(\text{Meson} | pp \text{ collision}) = \frac{\sigma(pp \rightarrow \text{Meson})}{\sigma_{\text{inelastic}}(pp)}$

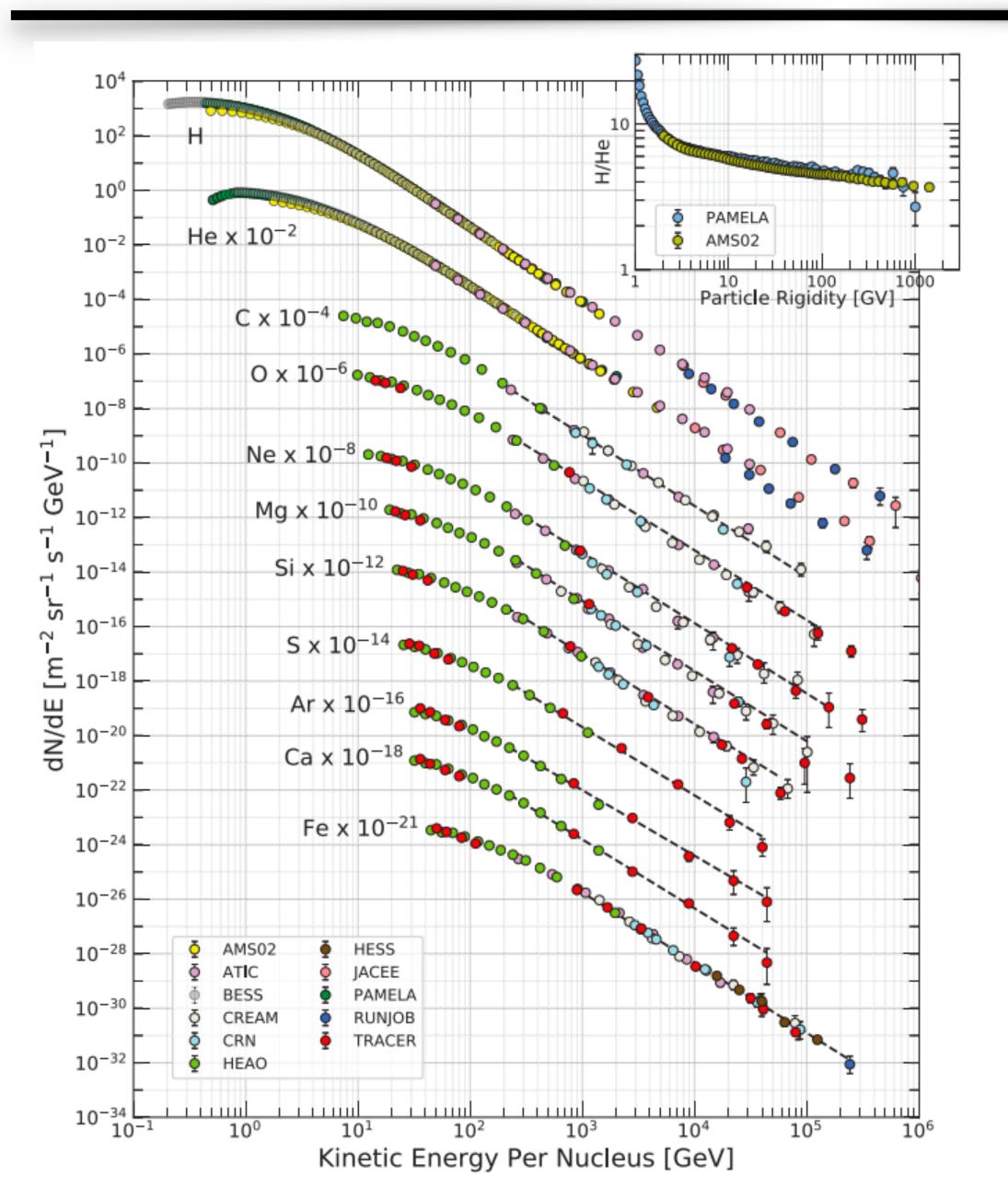




#### Flux of H >> Flux of He

 $P(\text{survival}) \approx 0$ 

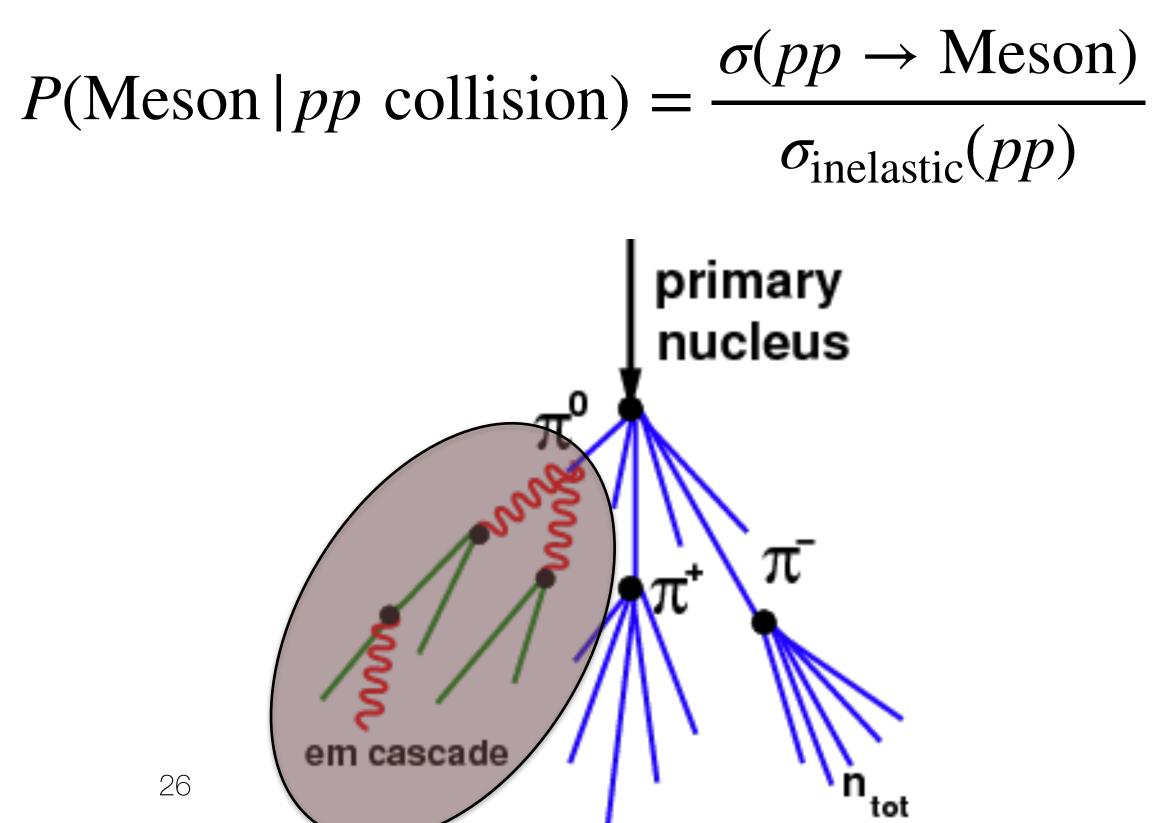


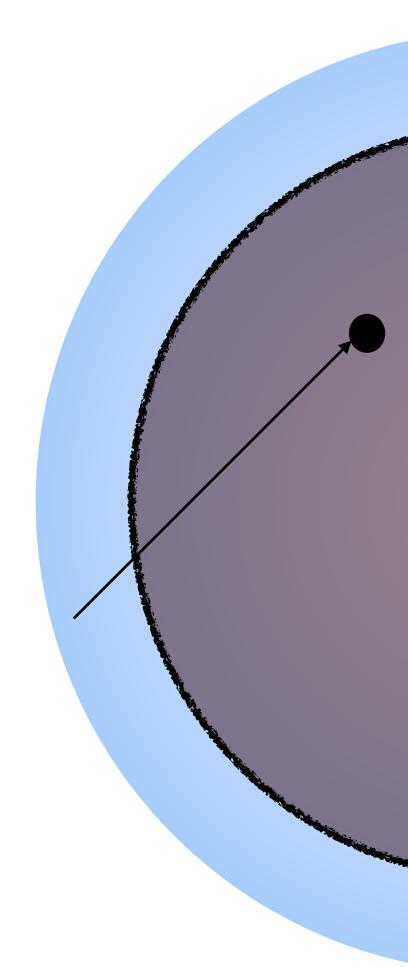


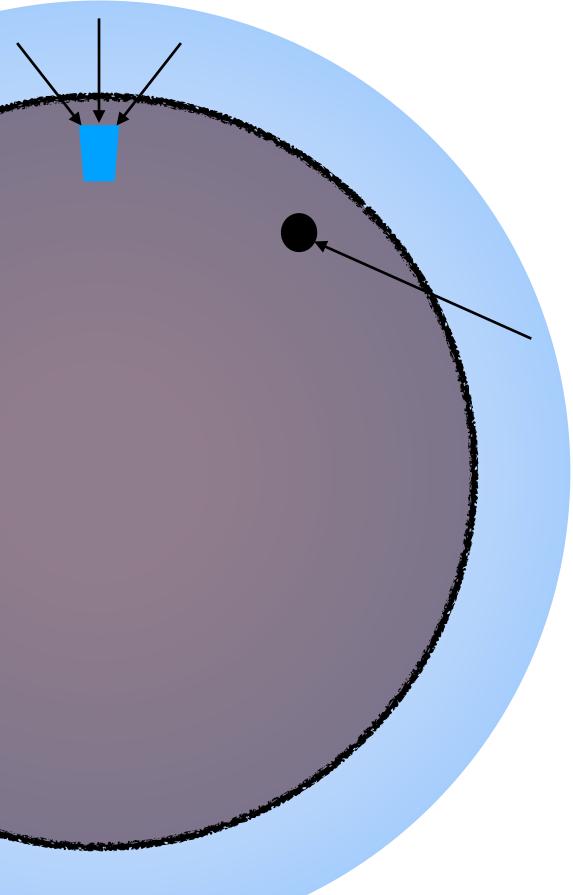


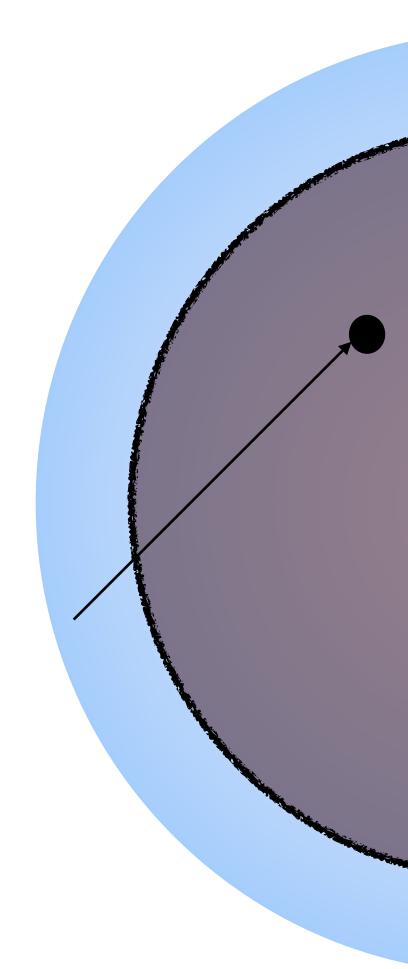
#### Flux of H >> Flux of He

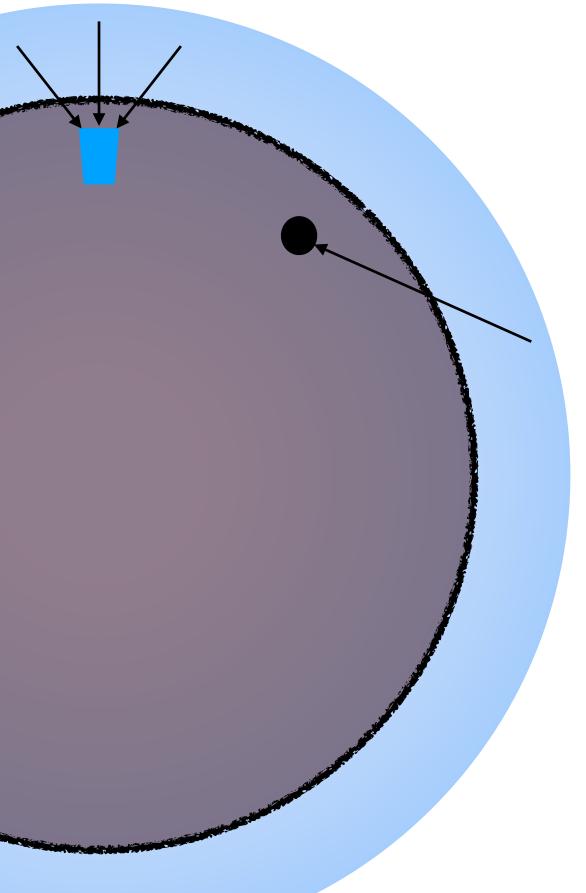
 $P(\text{survival}) \approx 0$ 



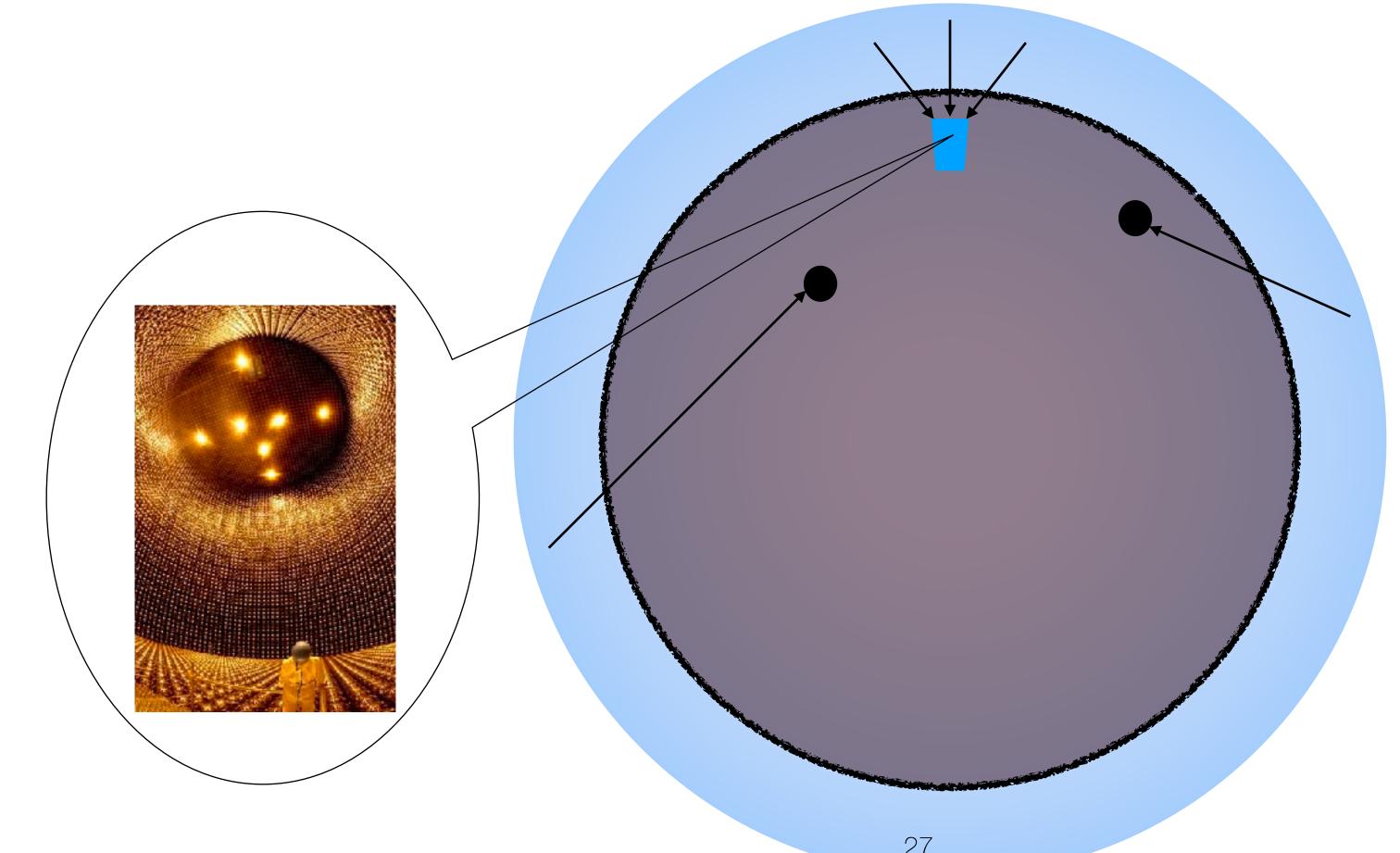




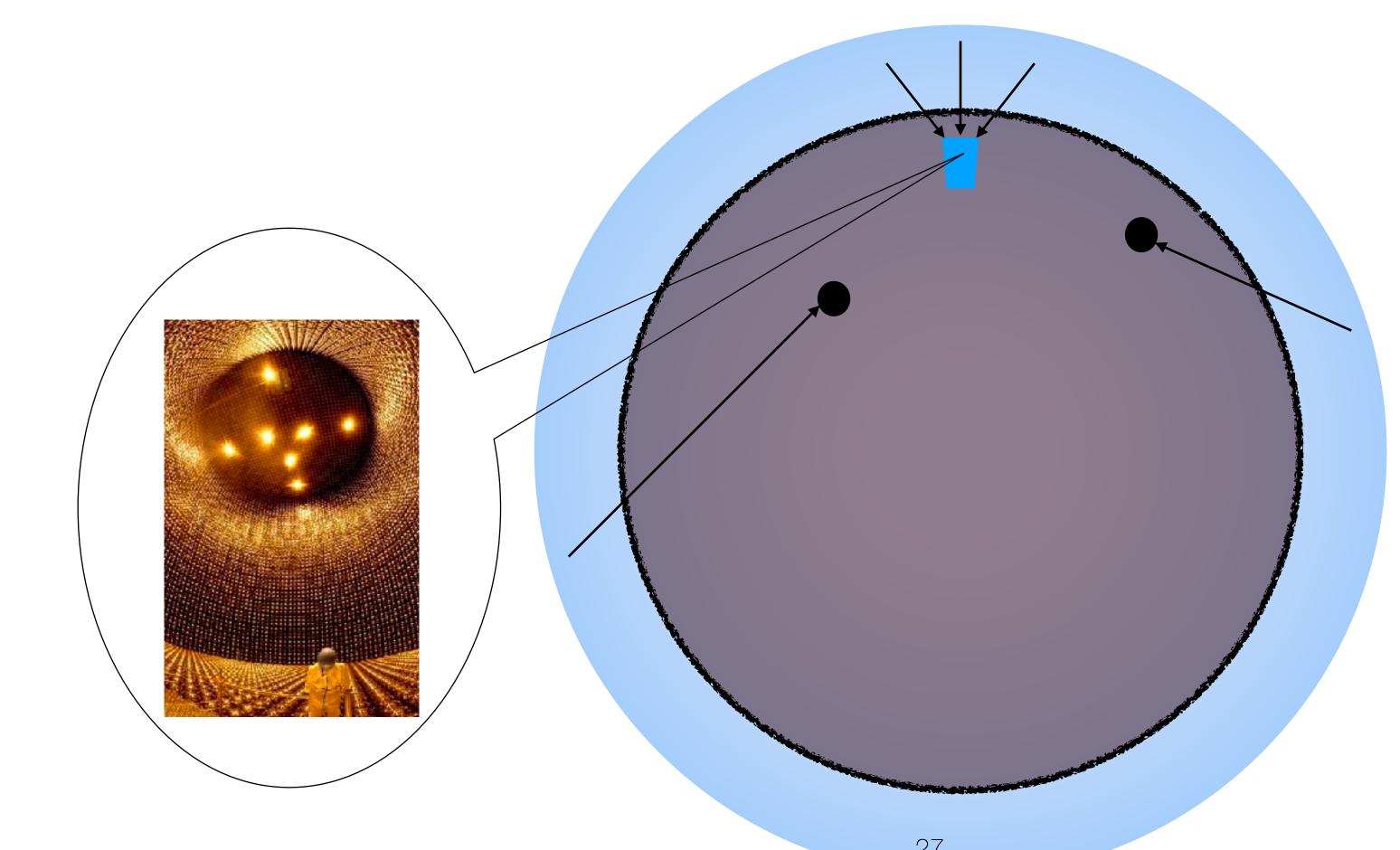


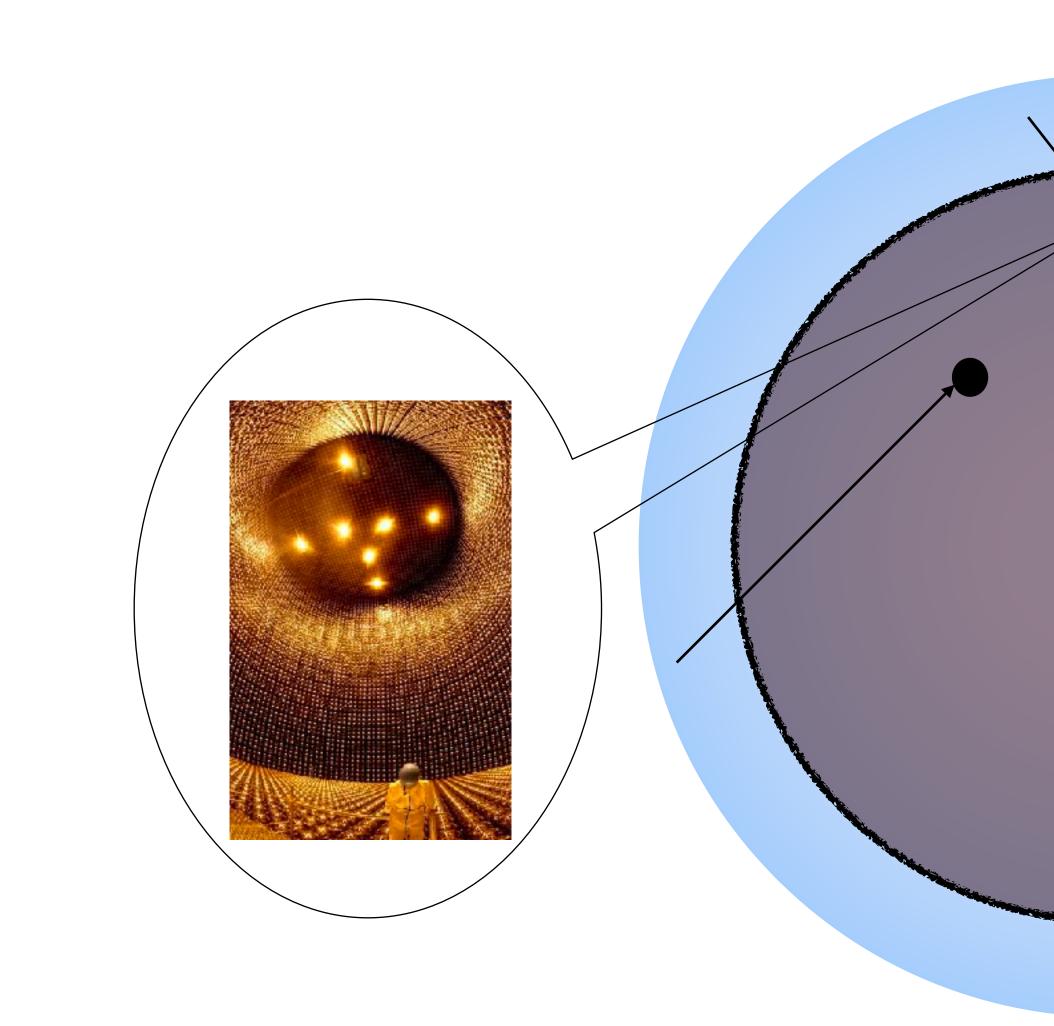


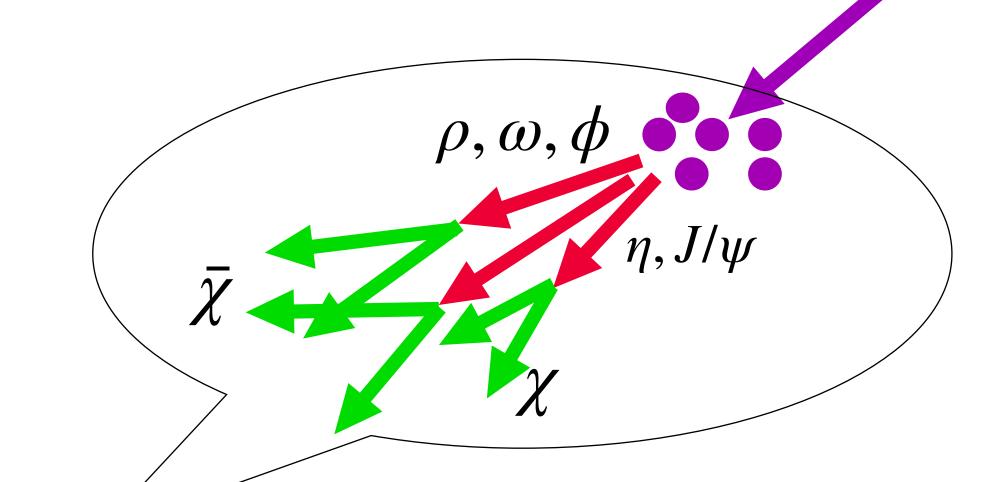
MCPs impinge from all angles

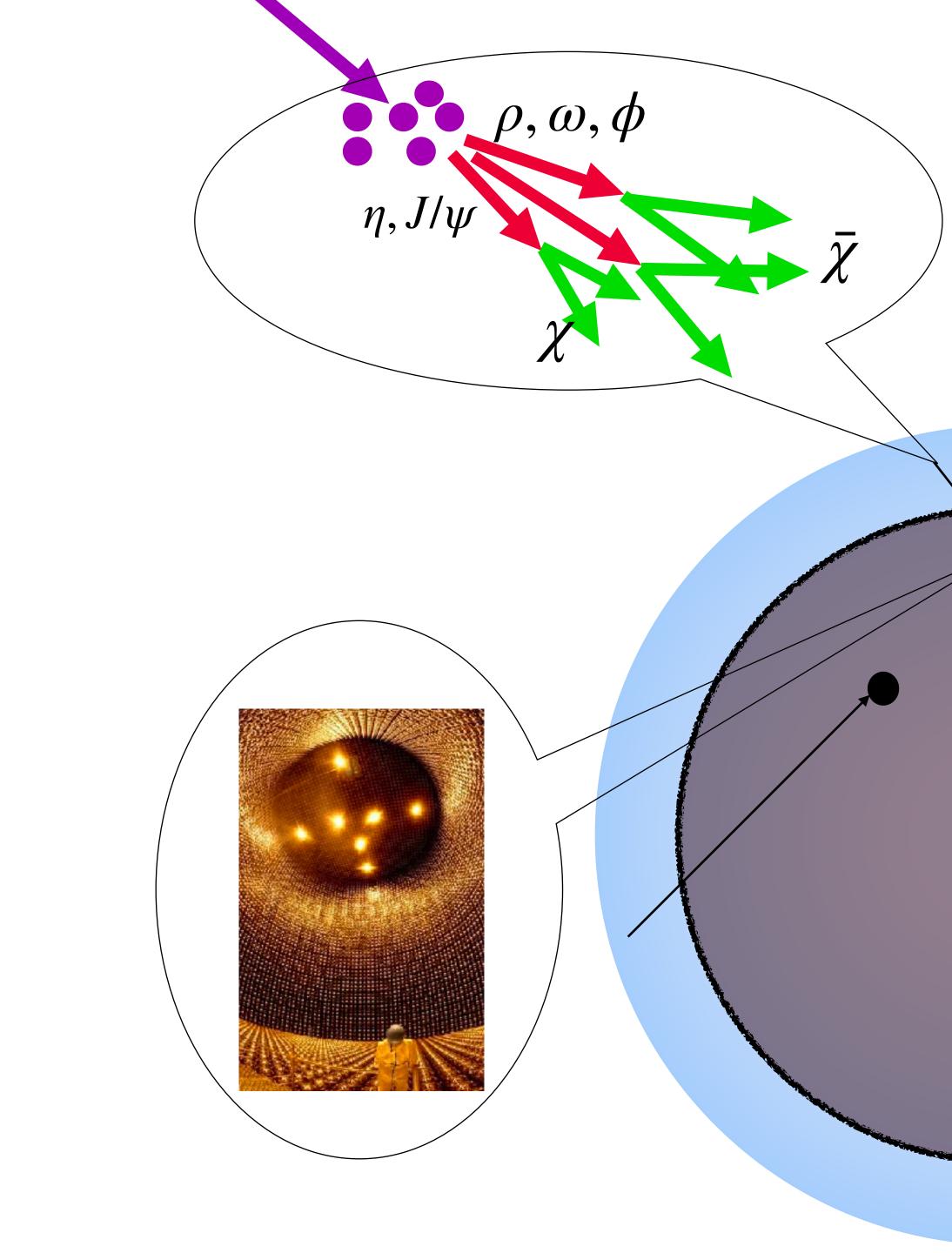


**MCPs** impinge from all angles





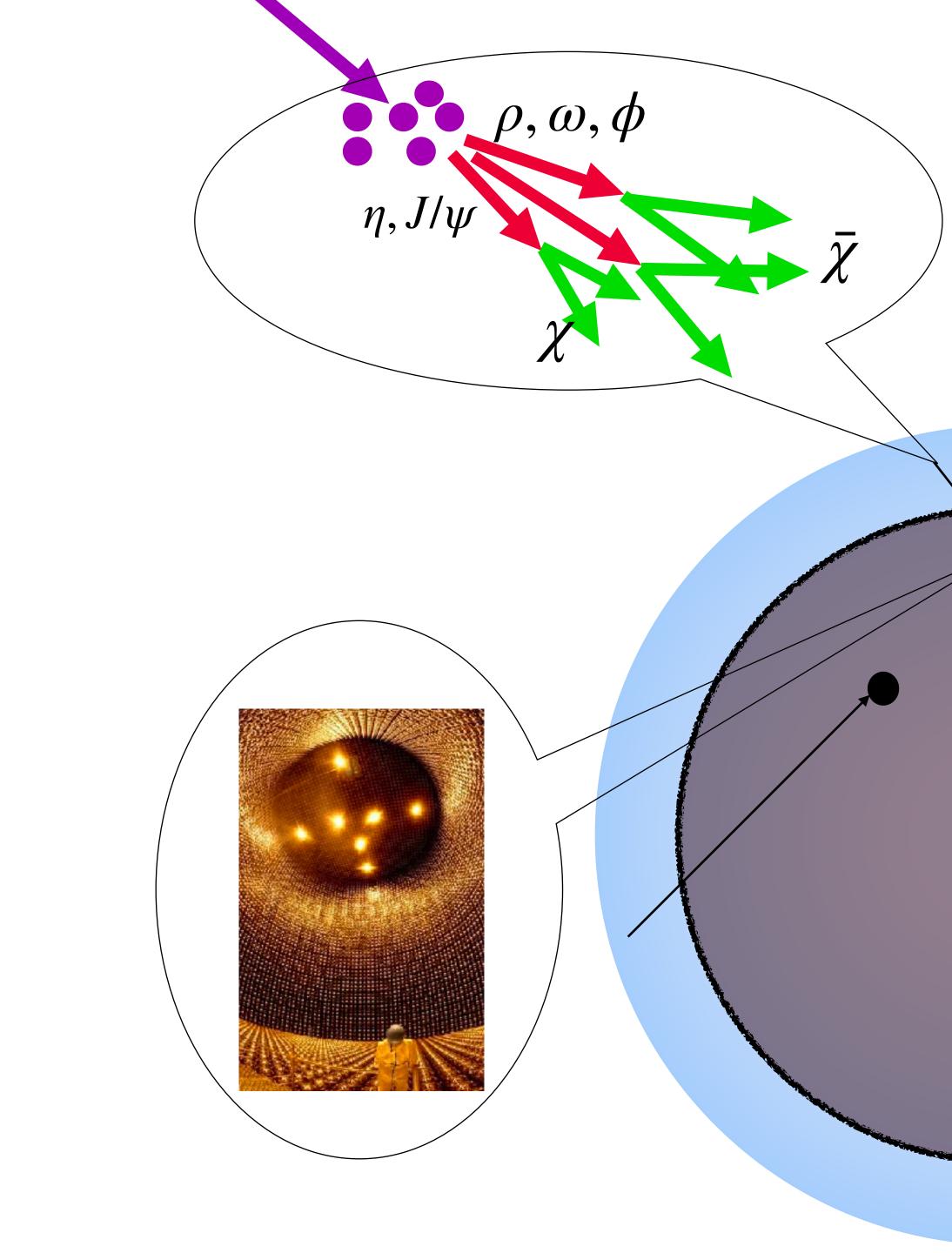






 $\rho, \omega, \phi$ 

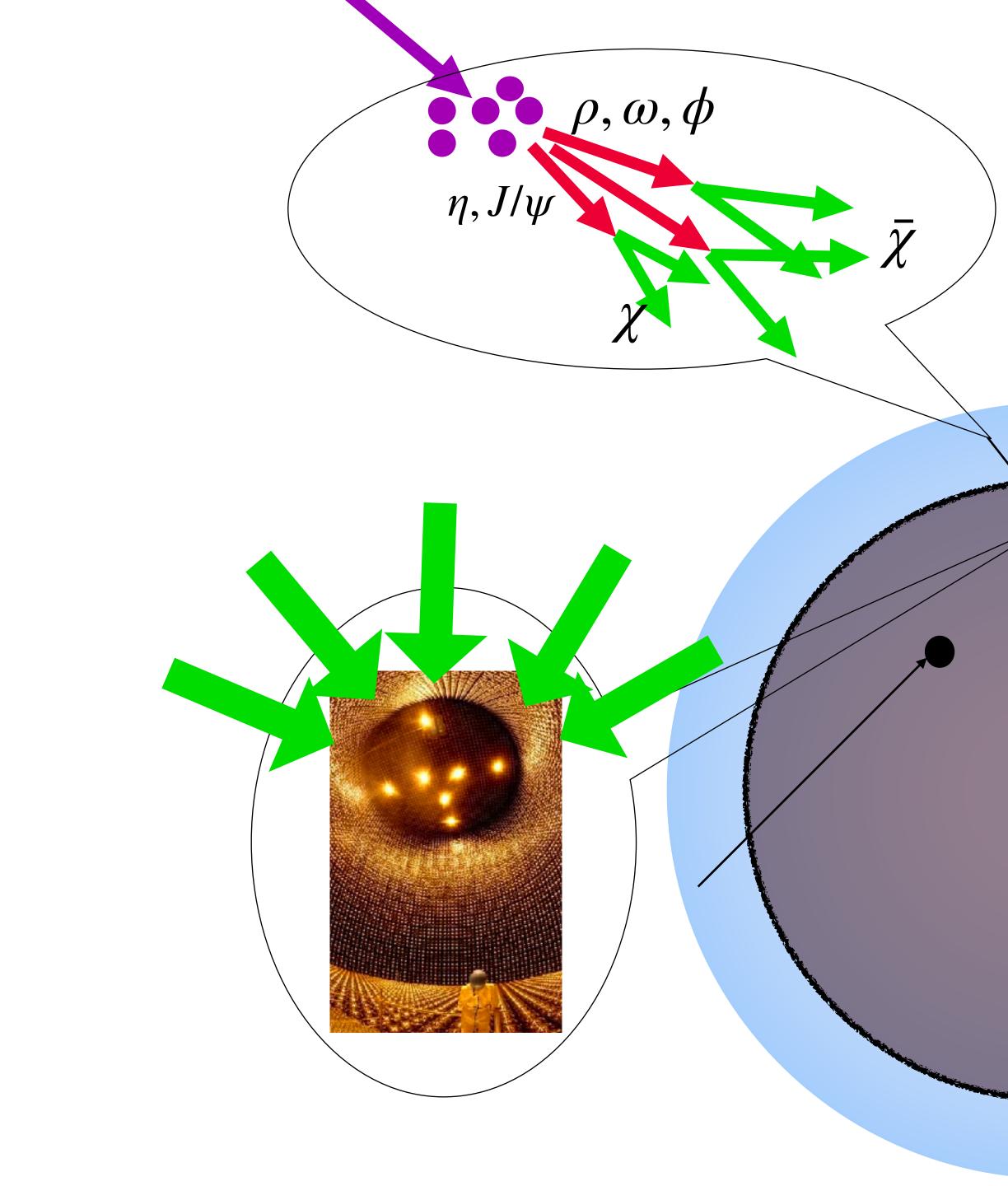
 $\eta, J/\psi$ 



 $, J/\psi$ 

 $\rho, \omega,$ 

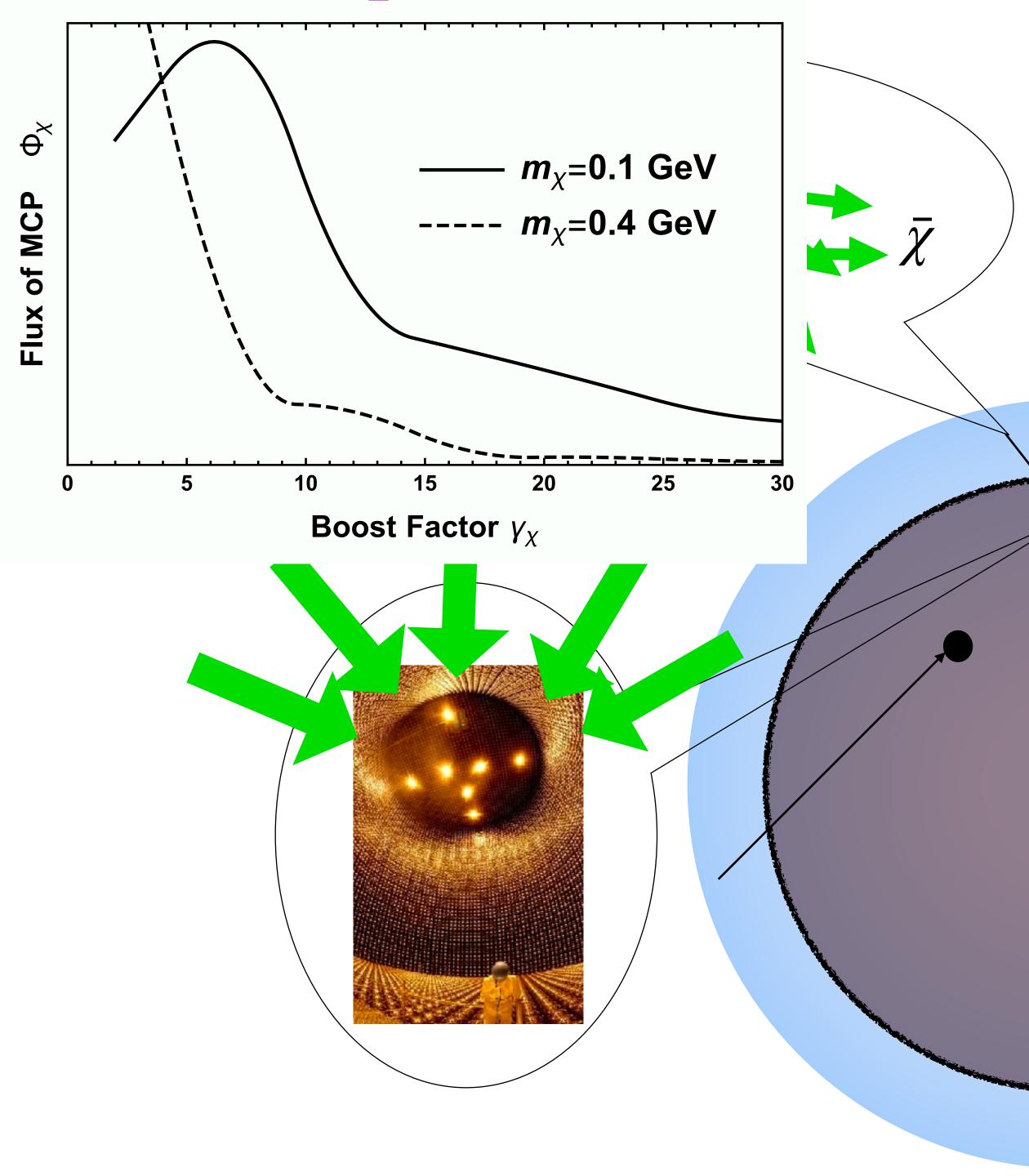




 $,J/\psi$ 

 $\rho, \omega,$ 

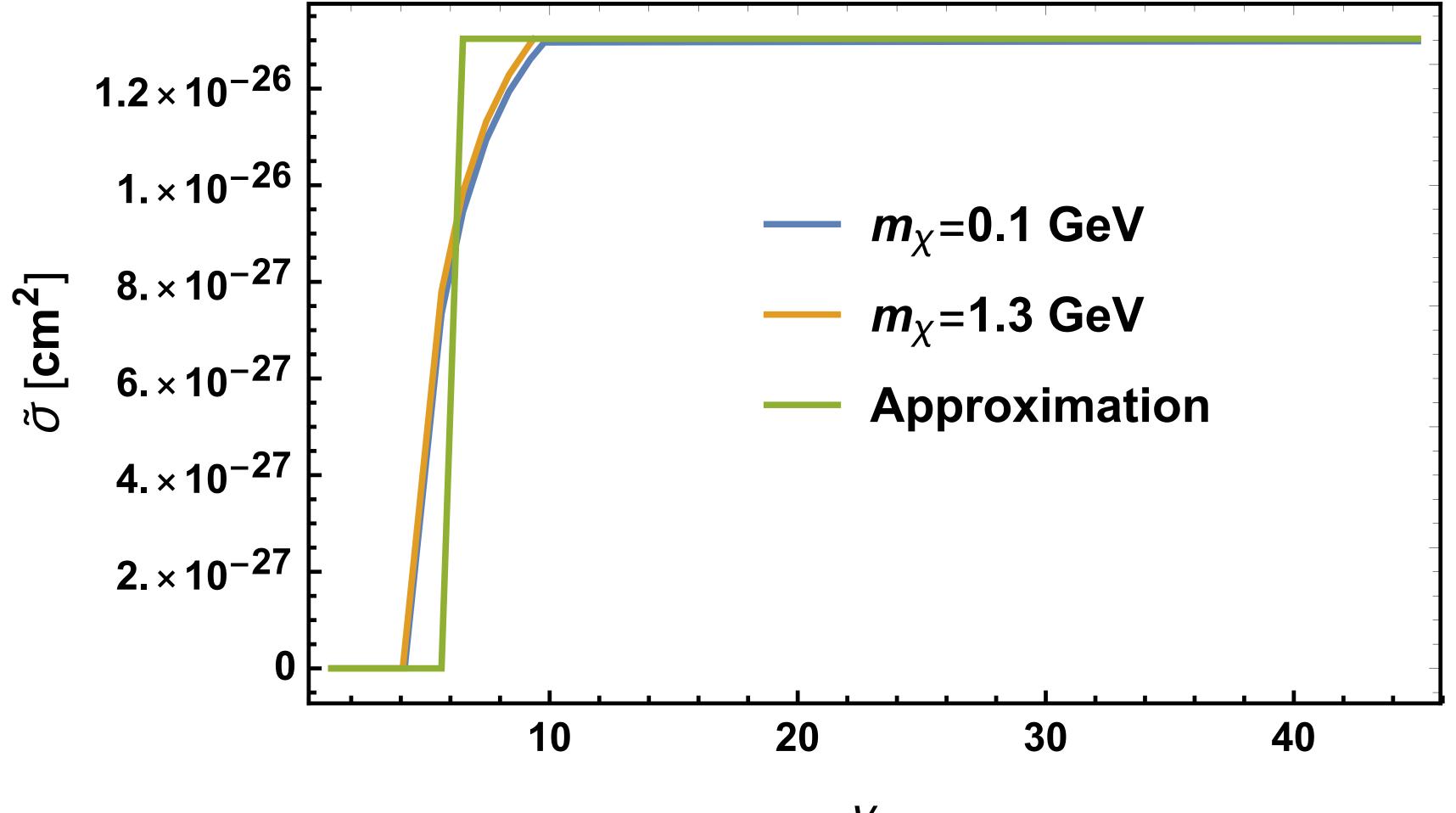




 $, J/\psi$ 

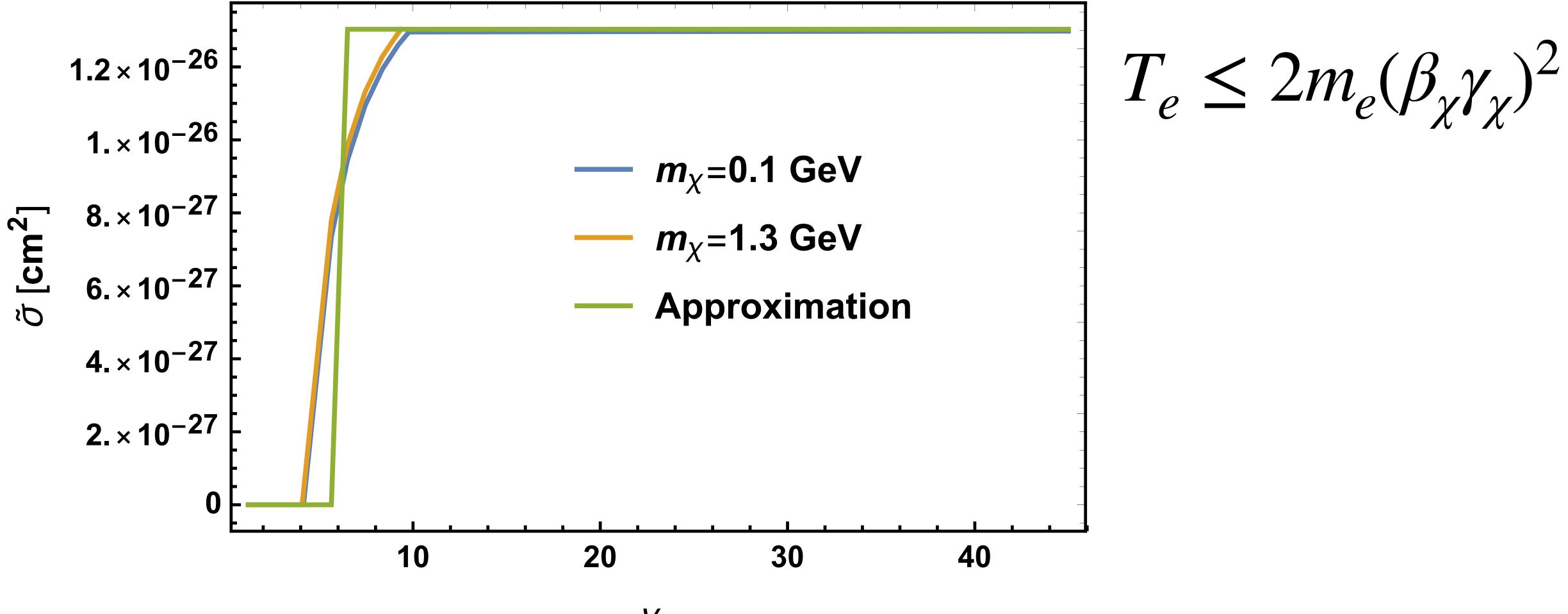
 $\rho, \omega,$ 





 $Y_{\chi}$ 

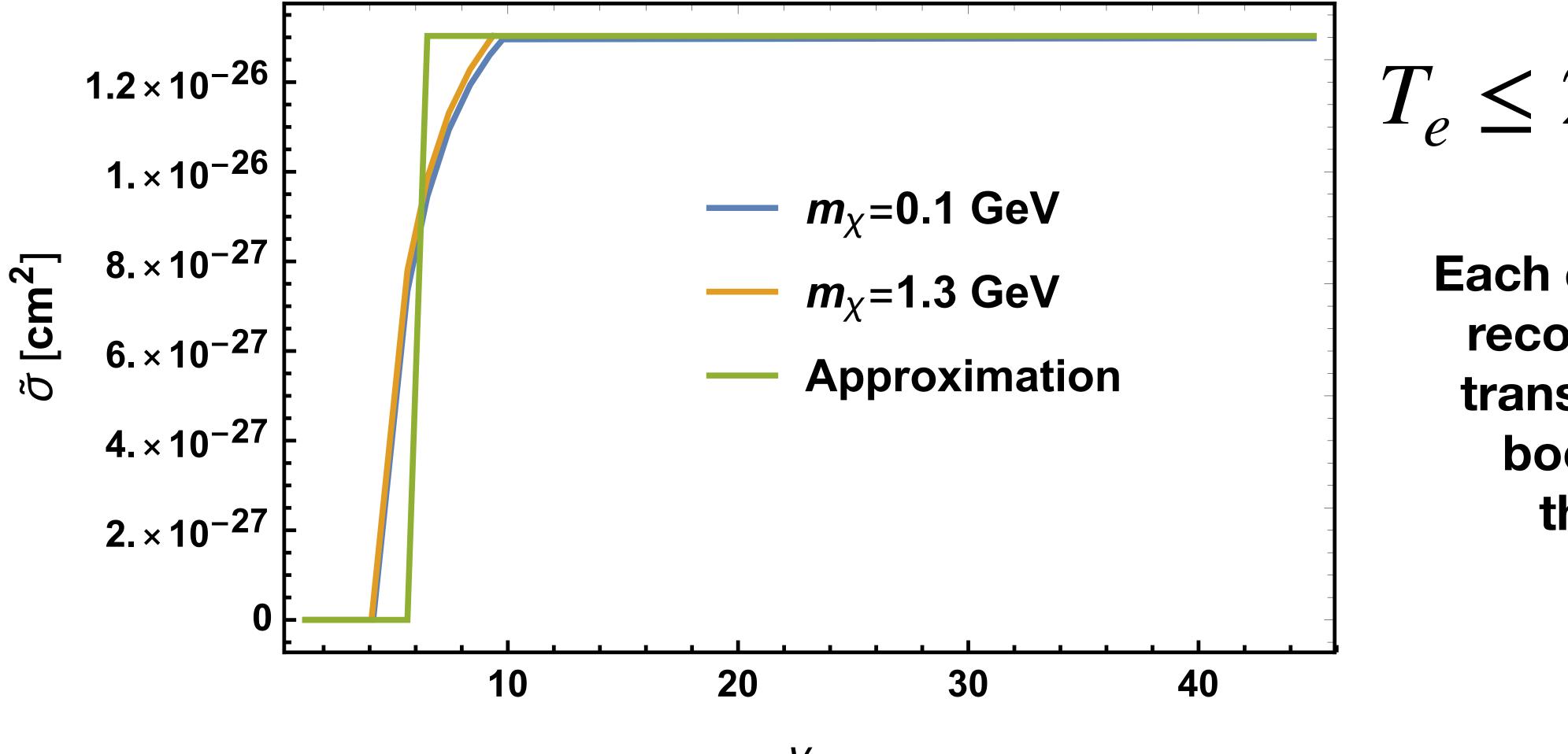




 $V_{\chi}$ 







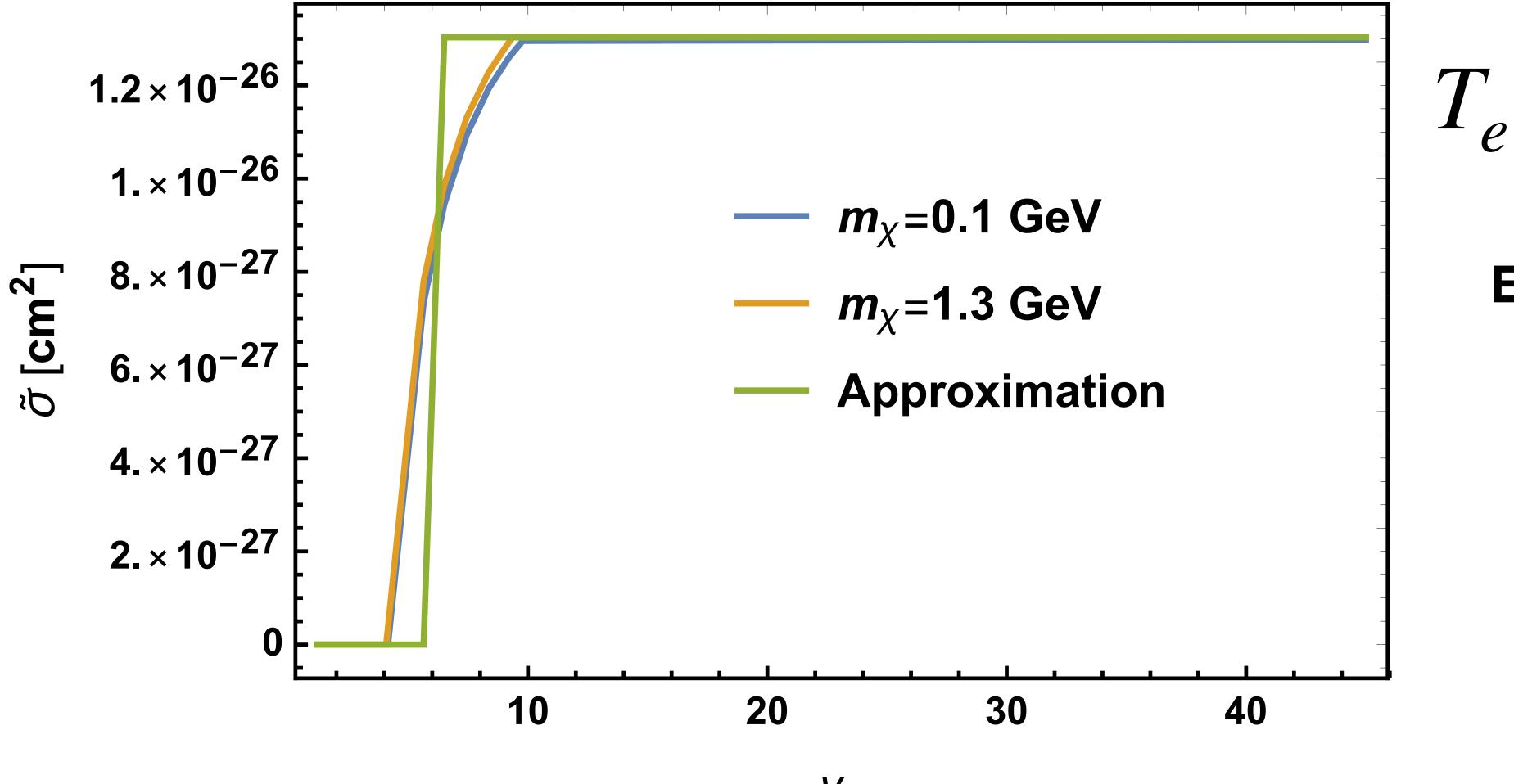
 $V_{\chi}$ 

 $T_e \leq 2m_e(\beta_{\gamma}\gamma_{\gamma})^2$ 

**Each experiment's** recoil threshold translates into a **boost-factor** threshold



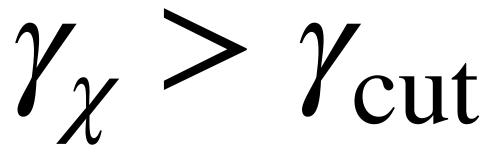




 $V_{\chi}$ 

 $T_e \leq 2m_e(\beta_{\gamma}\gamma_{\gamma})^2$ 

**Each experiment's** recoil threshold translates into a **boost-factor** threshold





1. Cosmic rays act as a ``broad band" proton beam.

- 2. Because cosmic rays come from every direction on the sky, angular losses are less important.
- 3. Broadband = broad MCP spectrum. **Detector thresholds place a cut on the kinematics of** the incident MCP

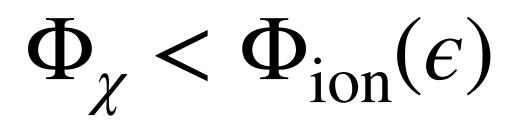
# The atmosphere acts like a (very thick) fixed target.

### 1. Cosmic rays act as a ``broad band" proton beam. The atmosphere acts like a (very thick) fixed target.

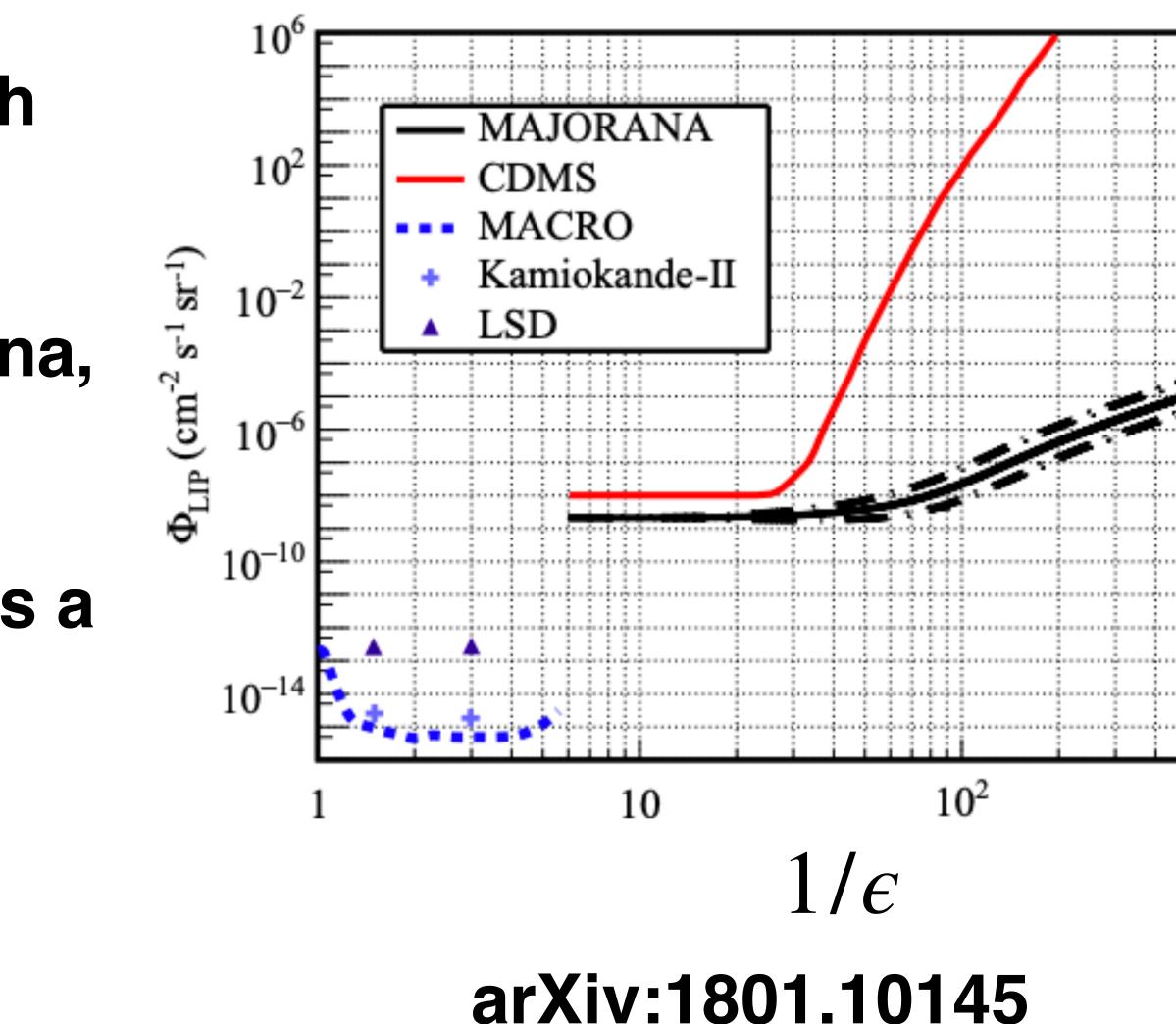
- 2. Because cosmic rays come from every direction on the sky, angular losses are less important.
- 3. Broadband = broad MCP spectrum. **Detector thresholds place a cut on the kinematics of** the incident MCP

## **Old Ionization Experiments**

- Underground experiments with low thresholds have long published bounds on "light ionizing particles" e.g. Majorana, MACRO etc.
- Bounds are quoted as a flux as a function of charge



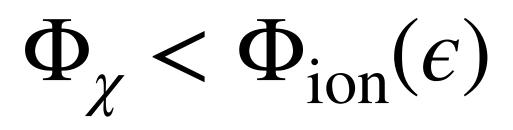
How does this translate to charge vs mass?



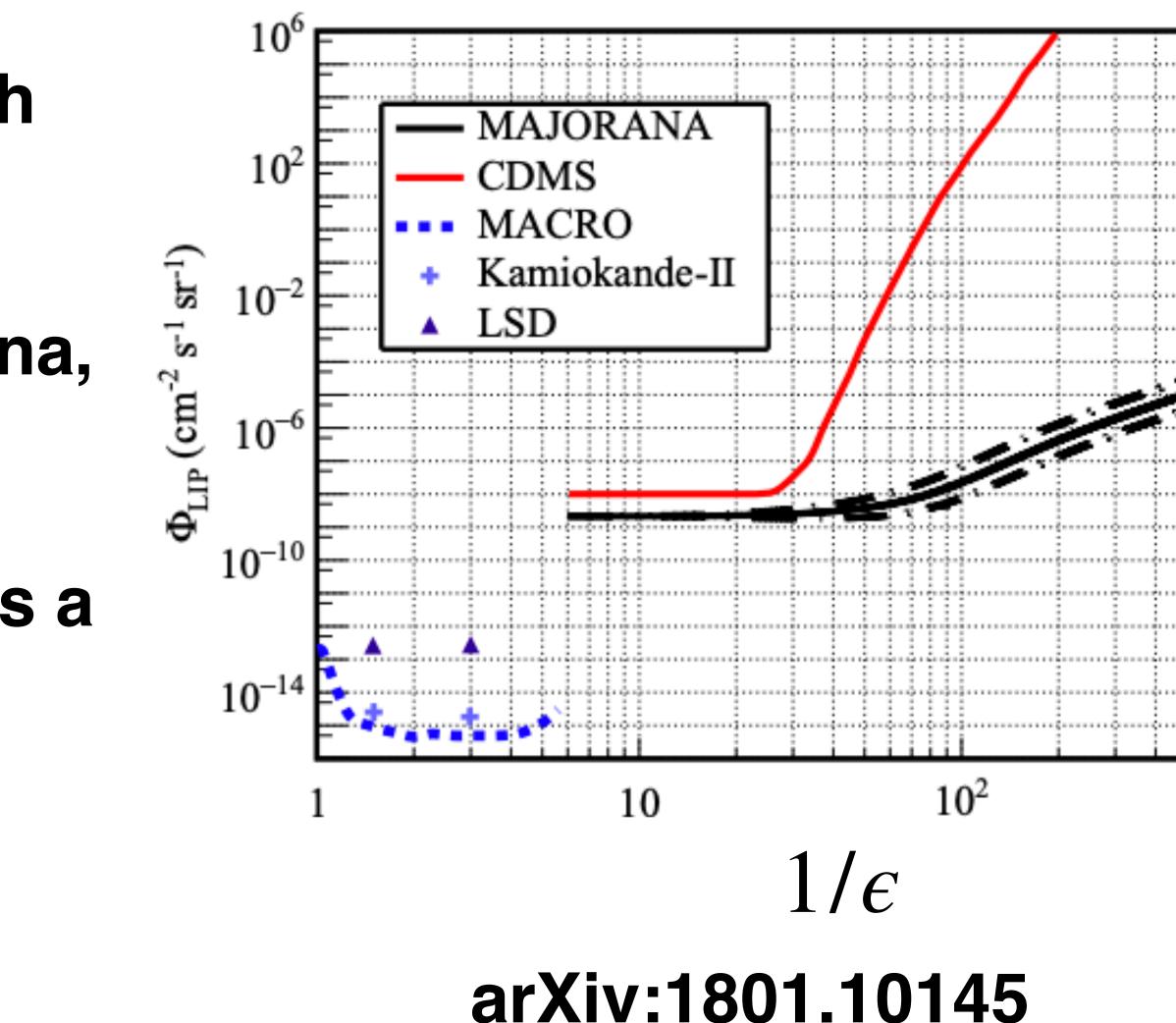
	ž					2				1
	i			÷		j,		÷	5	
,	i			ŝ	,	,ŝ		÷	÷.	,
	i			÷		1		÷		
	ŝ					3				
	1	-		ģ	'	2		Ŷ	1	•
	:			÷		ŝ		÷	3	
					,			÷		
				÷		1		÷	1	
	i		_							
	i		1	3	1	3		Ť	1	1
	i			÷		5		÷	3	
				18		11		181	1.1	4
	i			÷		1		÷	1	
	i			÷		Ĵ,		÷	.3	J
ľ	Ē		1	Ξ	•	1		Ŧ	13	1
	i			÷		3		÷	3	
	ŝ	-	-	÷	•	-3			- 4	4
	i			÷		1		÷	1	
	i		a.	å		Ĵ,		÷	d,	J
Ĩ	:			ĩ	Ĩ	1				1
	i			i		1		÷	1	
-	ŧ	-	-	÷	•	-3	•	÷	- 1	•
	;			;		1		:	÷	-
	ï	_		å	•	÷	į,		~	-
	1	1	j	j,		2		ø		
	1	2	í	1	ļ			2	۰,	
	1	5	1	2	ſ	4		÷		•
,	:	1		7				:		
•	:	-			•			÷		
	÷			;		1			1	
	ł			1		1		5	1	
	:	1	1	1	1	1		~		1
	:			:		2		:	5	
•	ì	-		÷	•	-3		÷	÷	•
	ŝ			1					1	
	ŝ			Å						.
	÷	1	1	Y	1	2	1	:		1
	:			:		1		:	1	
•	ż	-			,	1			-1	•
	i			1		1		÷	1	
	٠			4				÷		,
ľ	i	1	1	3	1	13		÷	1	1
	i			÷		1		÷	1	
		-	1	÷	1	÷			÷	•
	i			÷		1		÷	3	
	i			å		, ŝ			d,	J
Ĩ	i			1	Ĩ	÷.		:	1	1
	i			ŝ		Ĵ		2	1	
	٠	-	-	- 1	•	• •			- *	•
	÷			÷		ŝ		÷	5	
	i		a.	å		ŝ		÷	÷	
	٠				Ĩ					1
	i			i		i		i	i	
	f			-		-		-	-	



- Underground experiments with low thresholds have long published bounds on "light ionizing particles" e.g. Majorana, MACRO etc.
- Bounds are quoted as a flux as a function of charge



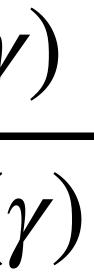
How does this translate to charge vs mass?

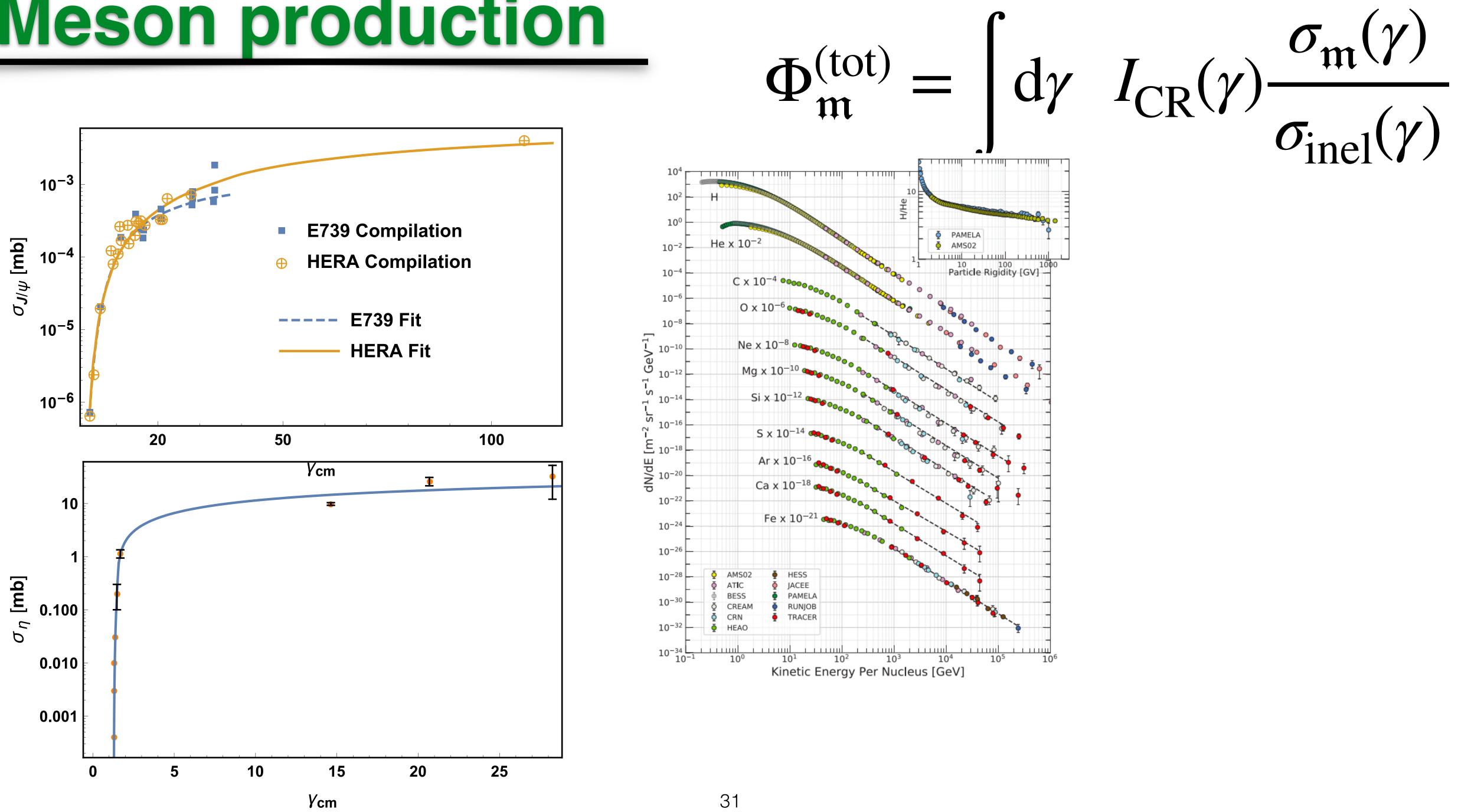


	ž					2				1
	i			÷		j,		÷	5	
,	i			ŝ	,	,ŝ		÷	÷.	,
	i			÷		1		÷		
	ŝ					3				
	1	-		ģ	'	2		Ŷ	1	•
	:			÷		ŝ		÷	3	
					,			÷		
				÷		1		÷	1	
	i		_							
	i		1	3	1	3		Ť	1	1
	i			÷		5		÷	3	
				18		11		181	1.1	4
	i			÷		1		÷	1	
	i			÷		Ĵ,		÷	.3	J
ľ	Ē		1	Ξ	•	1		Ŧ	13	1
	i			÷		3		÷	3	
	ŝ	-	-	÷	•	-3			- 4	4
	i			÷		1		÷	1	
	i		a.	å		Ĵ,		÷	d,	J
Ĩ	:			ĩ	Ĩ	1				1
	i			i		1		÷	1	
-	ŧ	-	-	÷	•	-3	•	÷	- 1	•
	;			;		1		:	÷	-
	ï	_		å		÷	į,		~	-
	1	1	j	j,		2		ø		
	1	2	í	1	ļ			2	۰,	
	1	5	1	2	ſ	4		÷		•
,	:	1		7				:		
•	:	-			•			÷		
	÷			1		1			1	
	ł			1		1		5	1	
	:	1	1	1	1	1		~		1
	:			:		2		:	5	
•	ì	-		÷	•	-3		÷	÷	•
	ŝ			1					1	
	ŝ			Å						.
	÷	1	1	Y	1	2	1	:		1
	:			:		1		:	1	
•	ż	-			,	1			-1	•
	i			1		1		÷	1	
	٠			4				÷		,
ľ	i	1	1	3	1	13		÷	1	1
	i			÷		1		÷	1	
		-	1	÷	1	÷			÷	•
	i			÷		1		÷	3	
	i			å		, ŝ			d,	J
Ĩ	i			1	Ĩ	÷.		:	1	1
	i			ŝ		Ĵ		2	1	
	٠	-	-	- 1	•	• •			- *	•
	÷			÷		ŝ		÷	5	
	i		a.	å		ŝ		÷	÷	
	٠				Ĩ					1
	i			i		i		i	i	
	f			-		-		-	-	



 $\Phi_{\mathfrak{m}}^{(\text{tot})} = \int d\gamma \ I_{\text{CR}}(\gamma) \frac{\sigma_{\mathfrak{m}}(\gamma)}{\sigma_{\text{inel}}(\gamma)}$ 

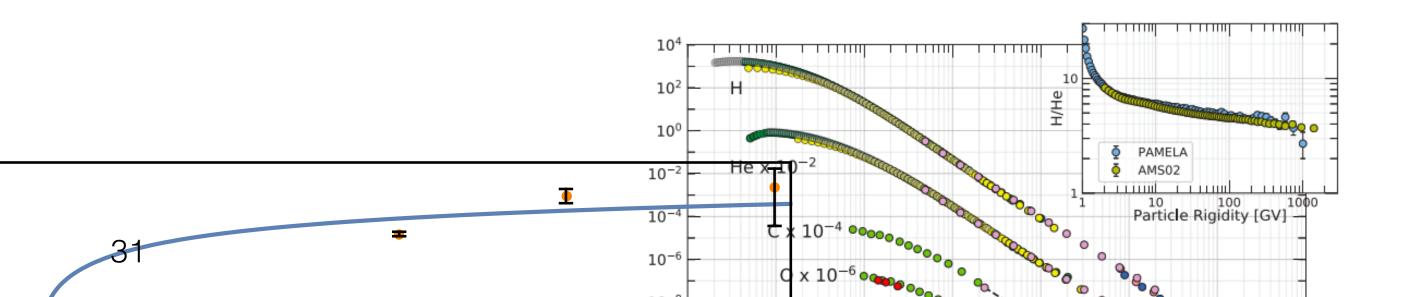


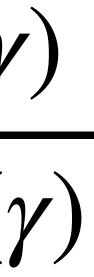


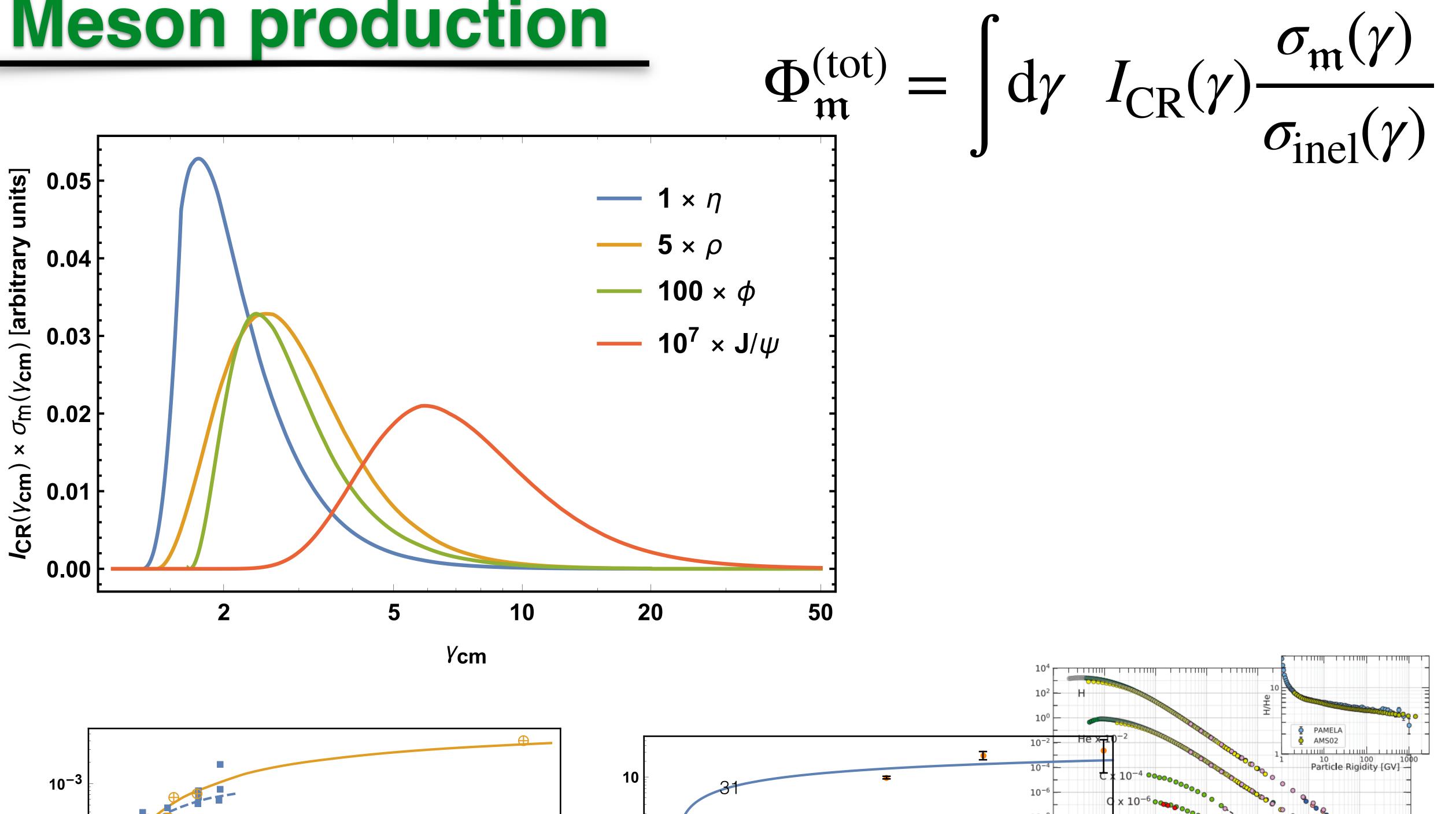


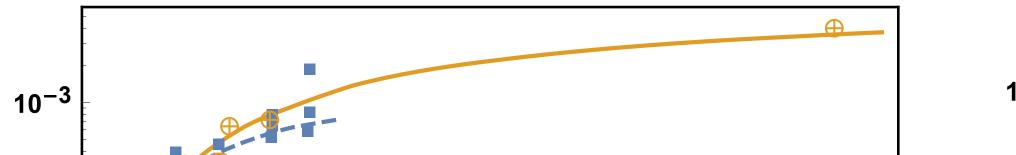
10

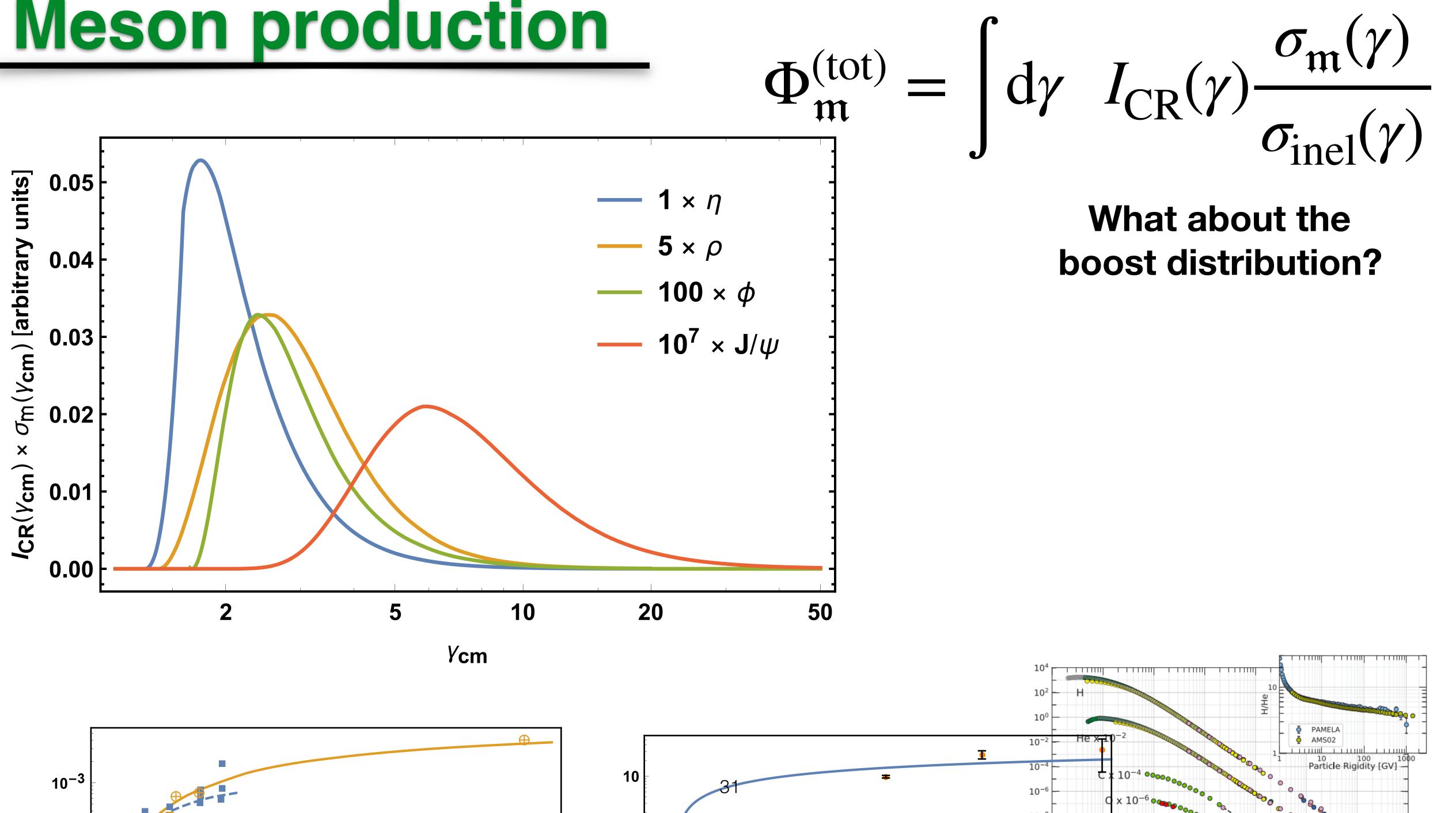
 $\Phi_{\mathfrak{m}}^{(\text{tot})} = \int d\gamma \ I_{\text{CR}}(\gamma) \frac{\sigma_{\mathfrak{m}}(\gamma)}{\sigma_{\text{inel}}(\gamma)}$ 

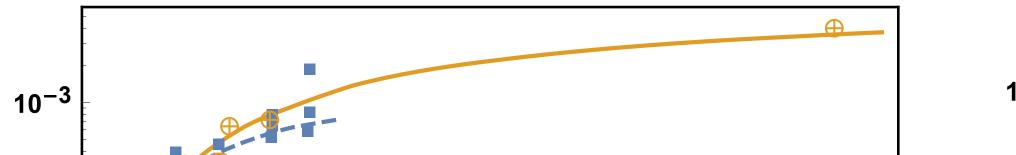


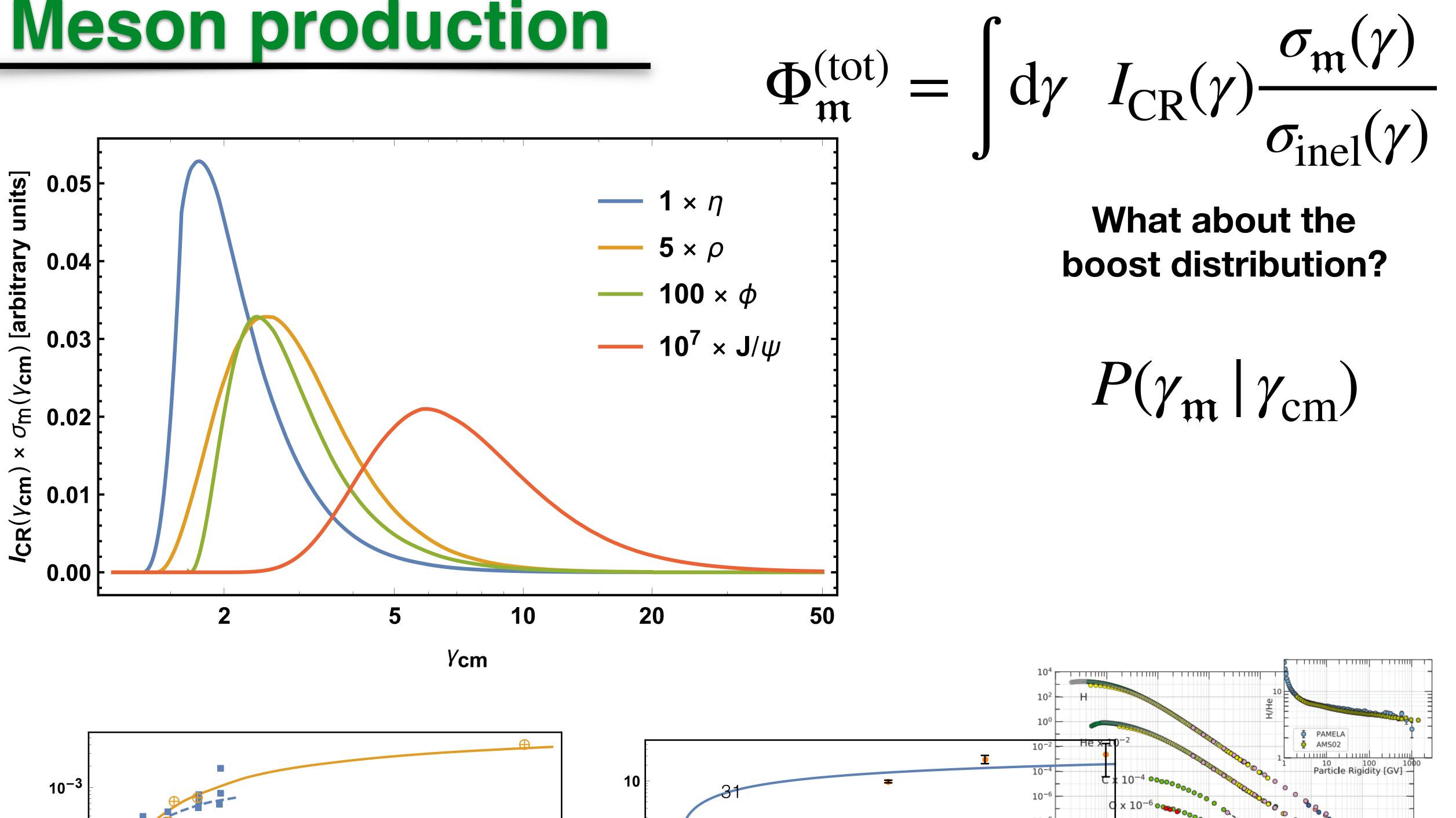


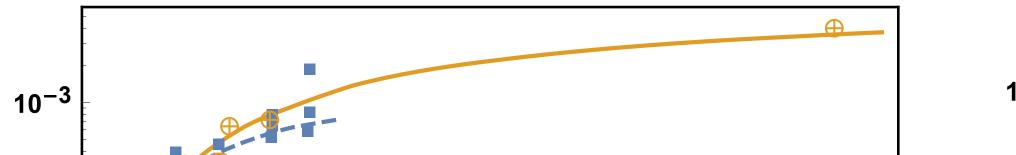












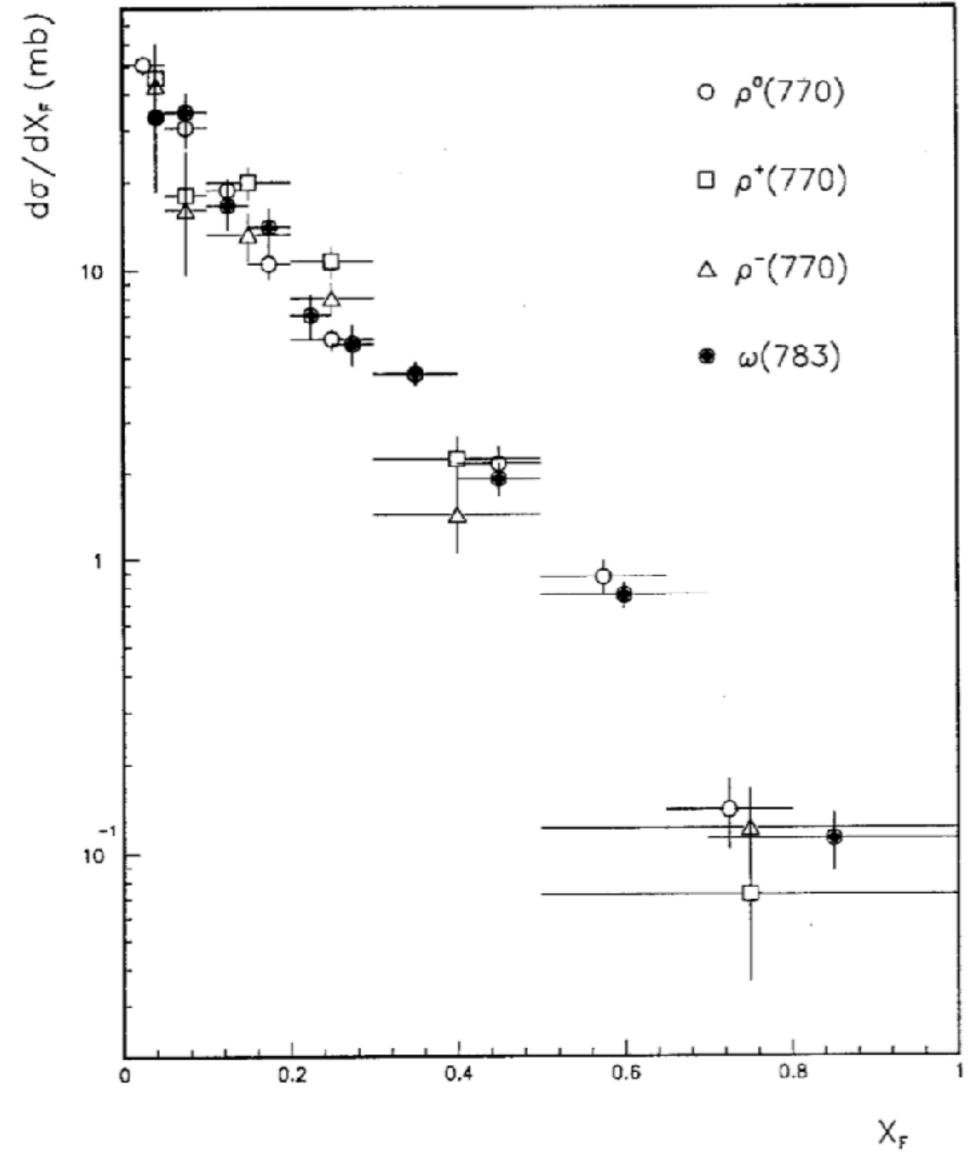


Fig. 22. The  $d\sigma/dx_F$  distributions for  $\rho(770)$  and  $\omega(783)$  mesons

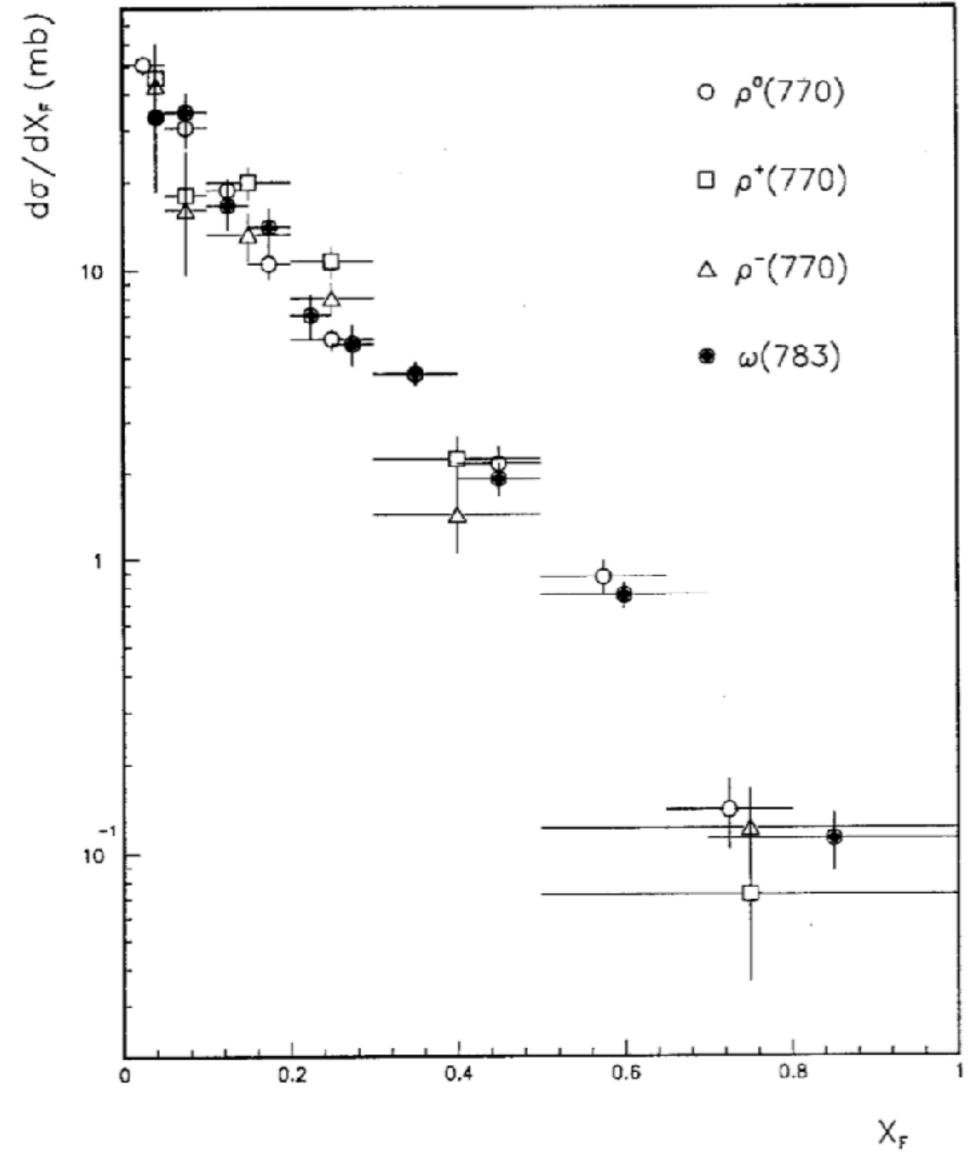


Fig. 22. The  $d\sigma/dx_F$  distributions for  $\rho(770)$  and  $\omega(783)$  mesons

#### $p_{\parallel} \gg p_{\perp}$

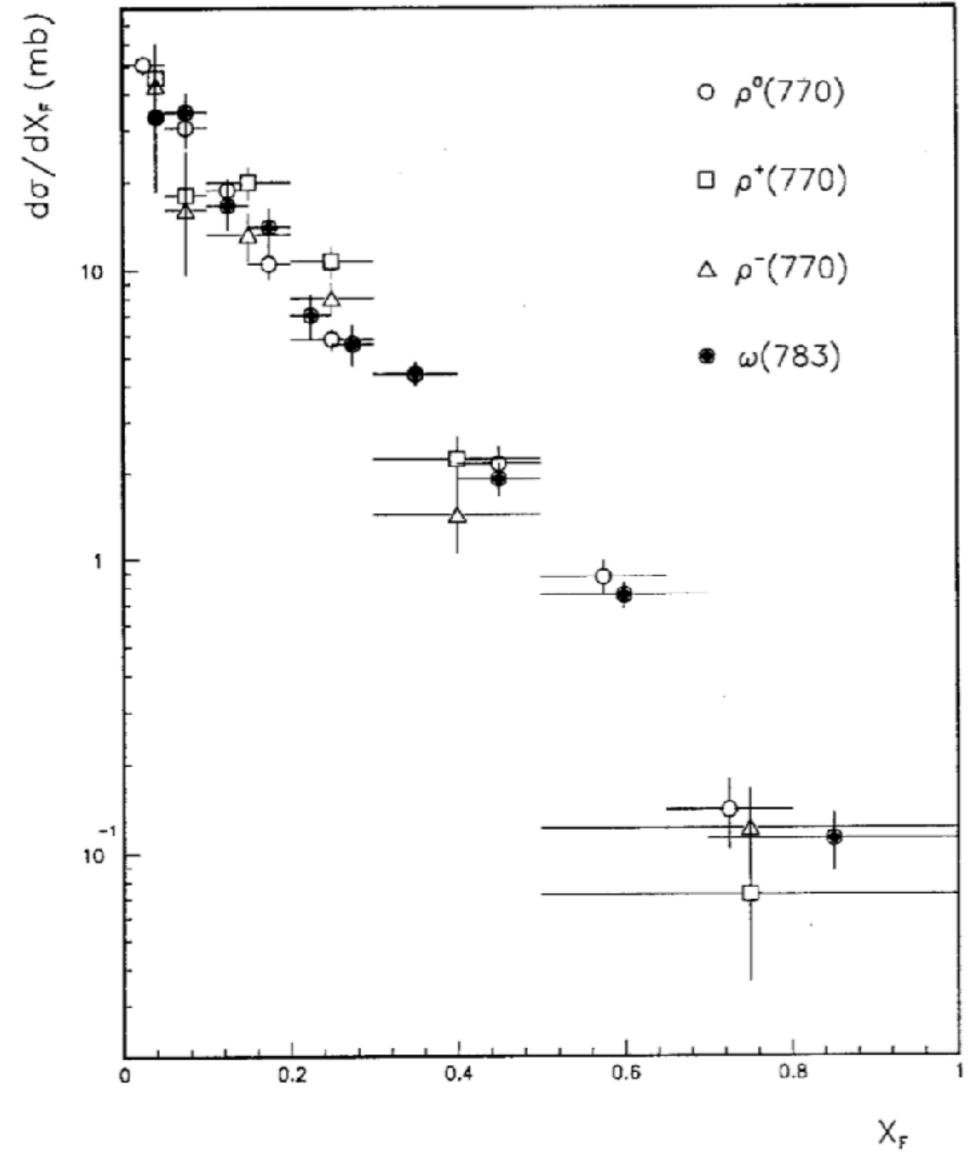


Fig. 22. The  $d\sigma/dx_F$  distributions for  $\rho(770)$  and  $\omega(783)$  mesons

 $p_{\parallel} \gg p_{\perp}$ 

# $x_F = \frac{p_{\parallel}}{p_{\max}}$

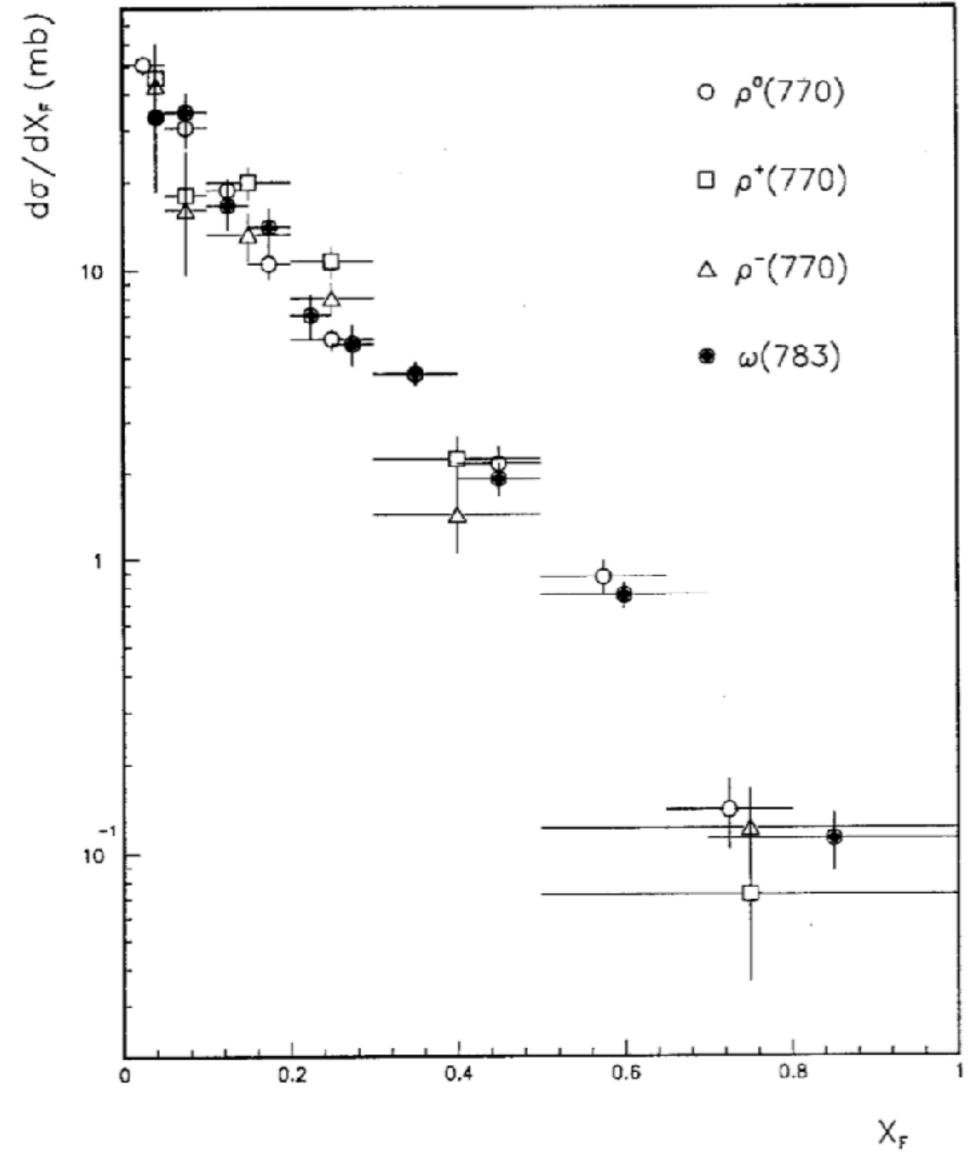


Fig. 22. The  $d\sigma/dx_F$  distributions for  $\rho(770)$  and  $\omega(783)$  mesons

 $p_{\parallel} \gg p_{\perp}$  $X_F$  $p_{\rm max}$  $\gamma_{\mathfrak{m}} = f(\gamma_{\mathrm{cm}}, x_F)$ 

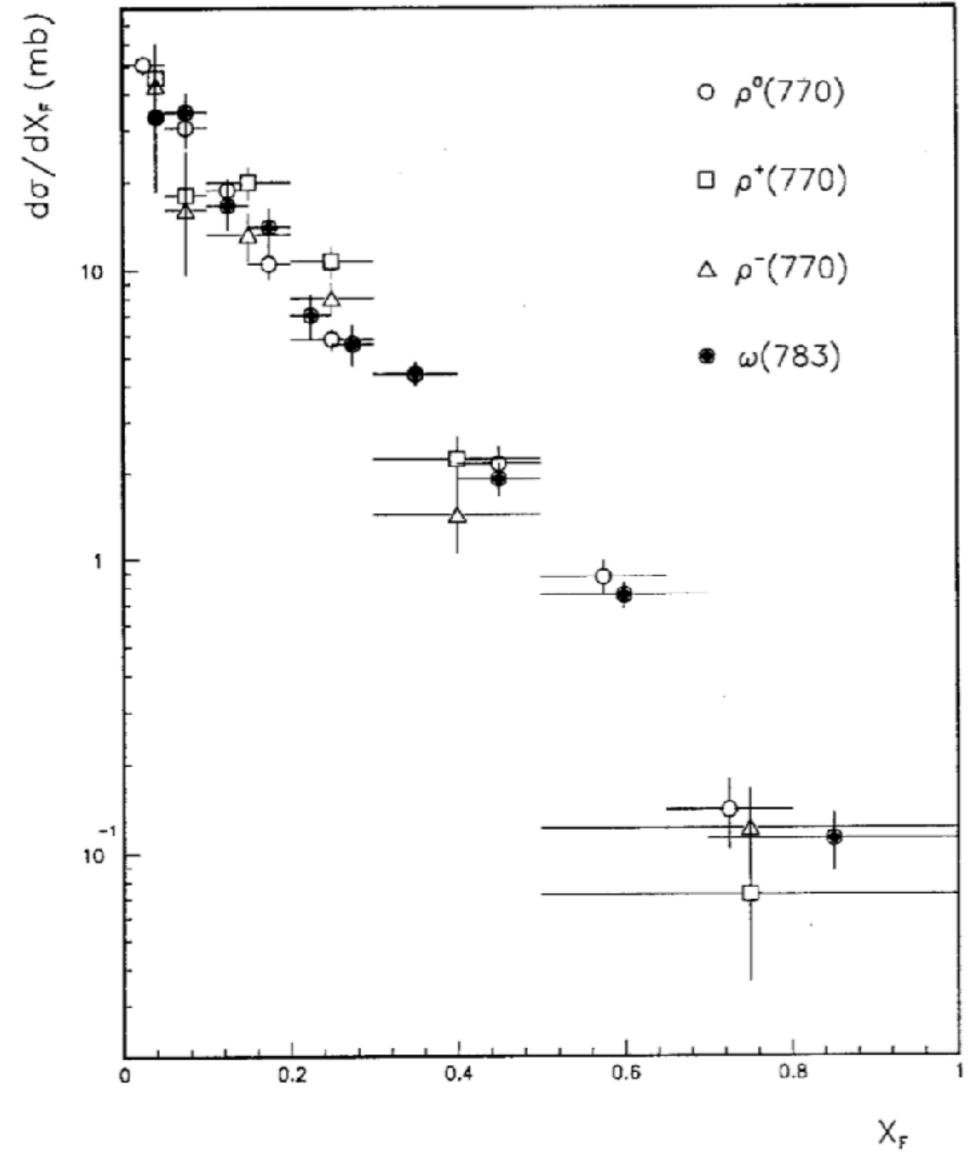


Fig. 22. The  $d\sigma/dx_F$  distributions for  $\rho(770)$  and  $\omega(783)$  mesons

 $p_{\parallel} \gg p_{\perp}$  $X_F$  $p_{\rm max}$  $\gamma_{\mathfrak{m}} = f(\gamma_{\mathrm{cm}}, x_F)$ 

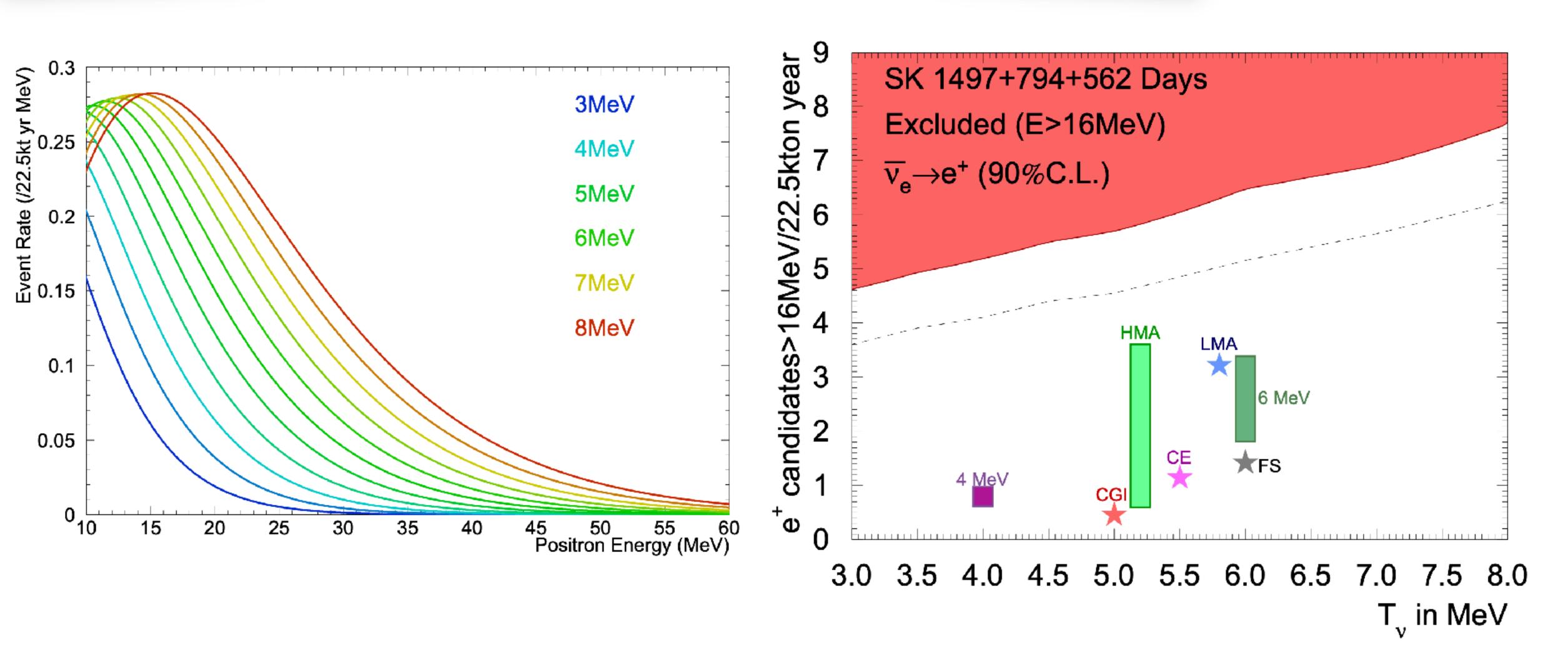
 $d\sigma(\gamma_{\rm cm})$  $P(x_F | \gamma_{\rm cm})$  $\sigma(\gamma_{\rm cm})$  $dx_F$ 

- particle produced in meson decays.
- mesons. Other new particles might need e.g. D-meson or Kaon distributions
- 3. We are only including primary mesons (no cascades).

## 1. Everything I have told you applies to any stable

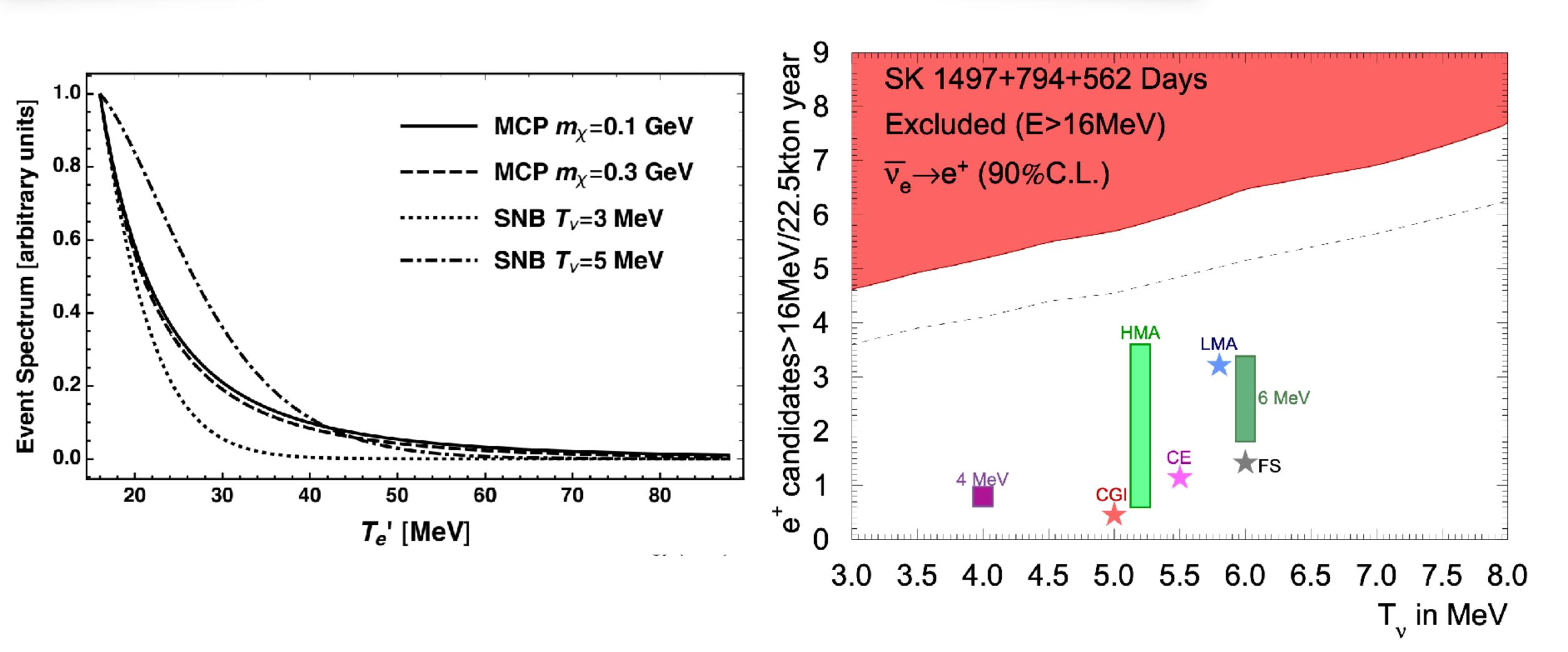
# 2. We compiled data for electromagnetic decaying

#### Super Kamiokande search for SNB



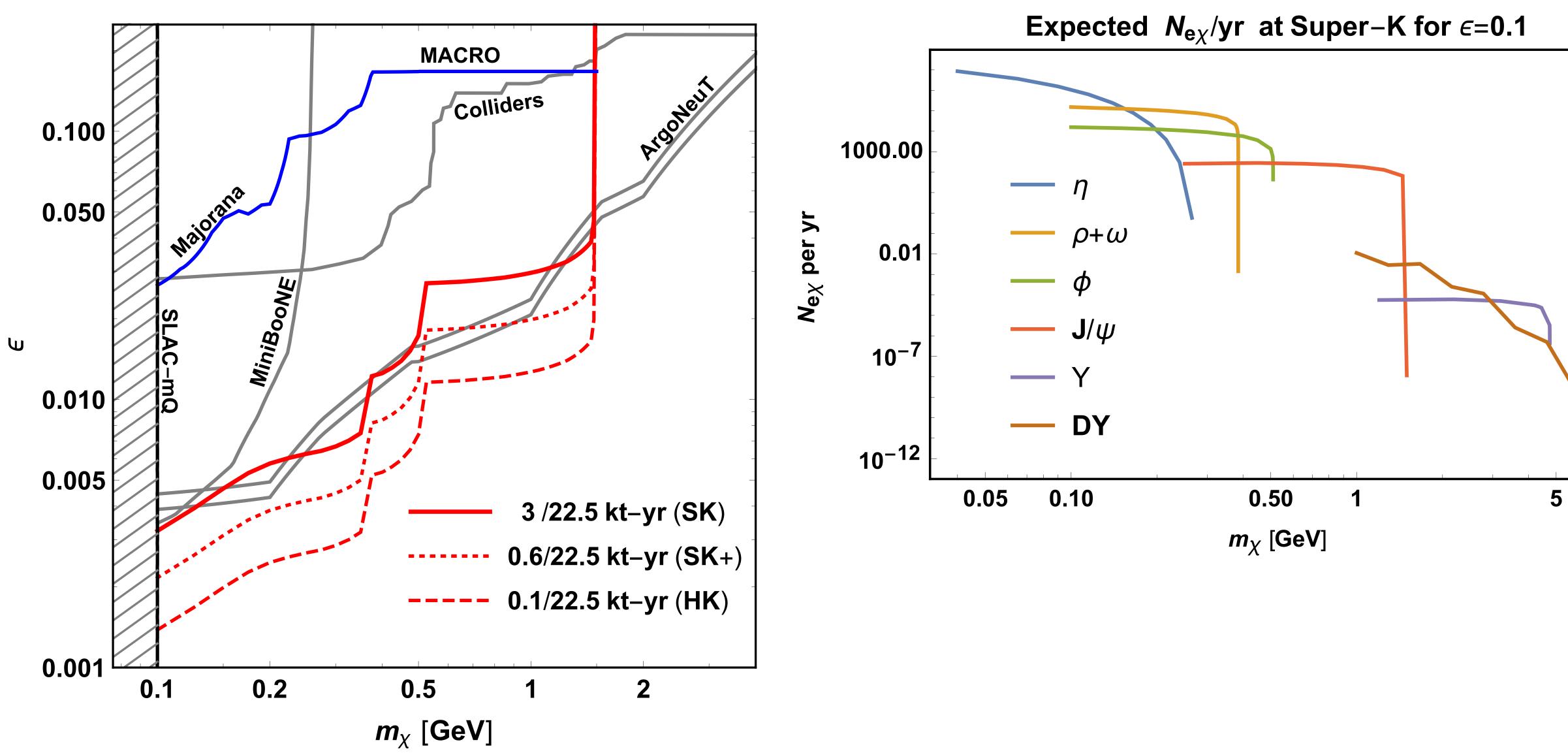


#### **Super Kamiokande search for SNB**





#### **Results from cosmic rays**

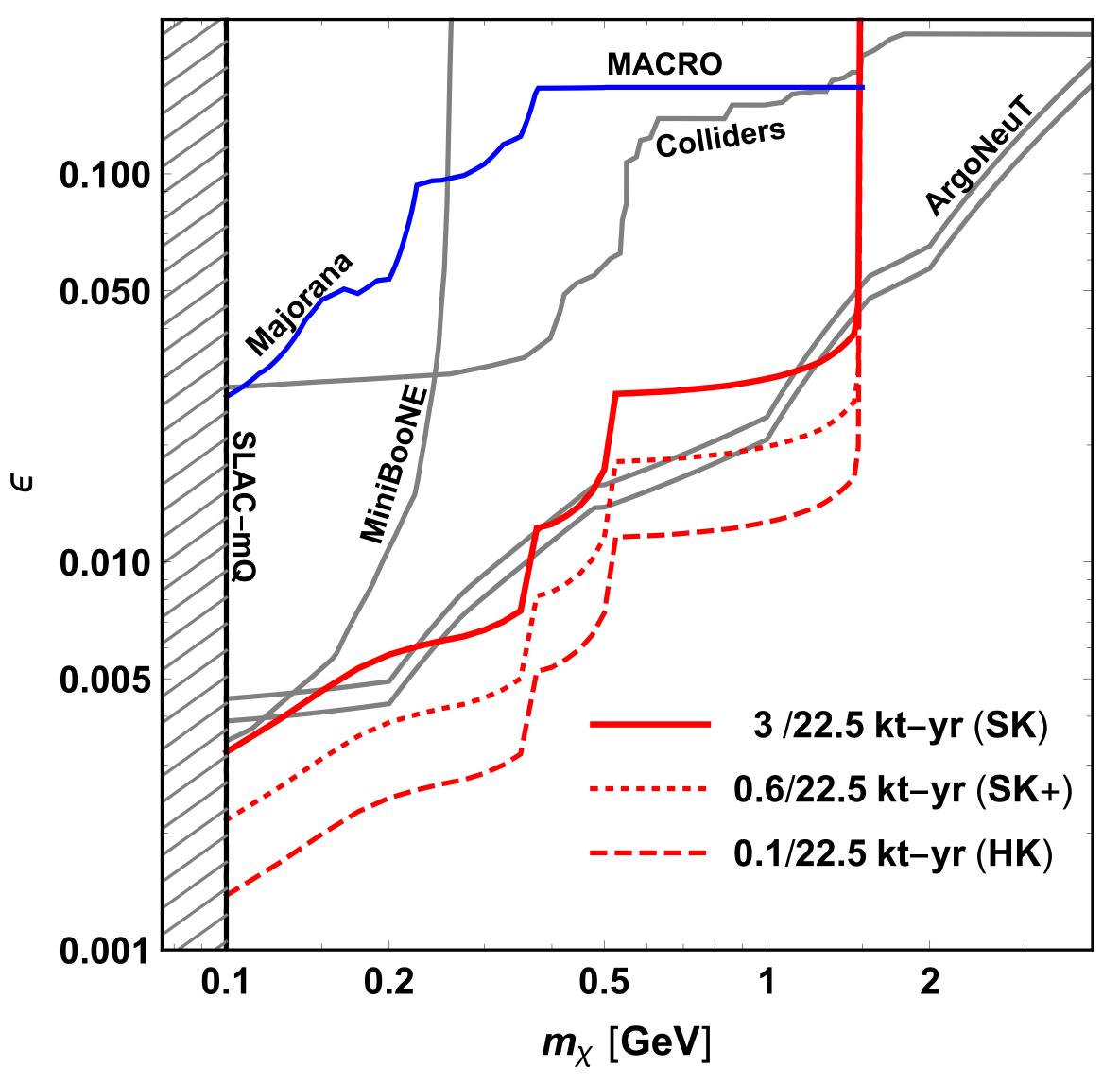






### Conclusions

- Fixed target experiments and cosmic ray induced ``beams" can provide model independent bounds on millicharged darksector models.
- Cosmic rays + neutrino telescopes are competitive with (and surpass) fixed target experiments.
- MCPs are kind of case study in the impact of neutrino detectors for low-recoil signals.



#### **Outlook and Ongoing Work**

#### **Radiative Corrections to charged current scattering**

#### **Requisite error budget for e.g. DUNE is ~1-3 %**

#### What Standard Model physics is important at this level of precision?

 $\alpha/4\pi \sim 0.1\%$ 

 $\times Z \sim \text{few \%}$ 

#### **Coulomb field of nucleus**

Work ongoing with RHJ Hill, and O Tomalak

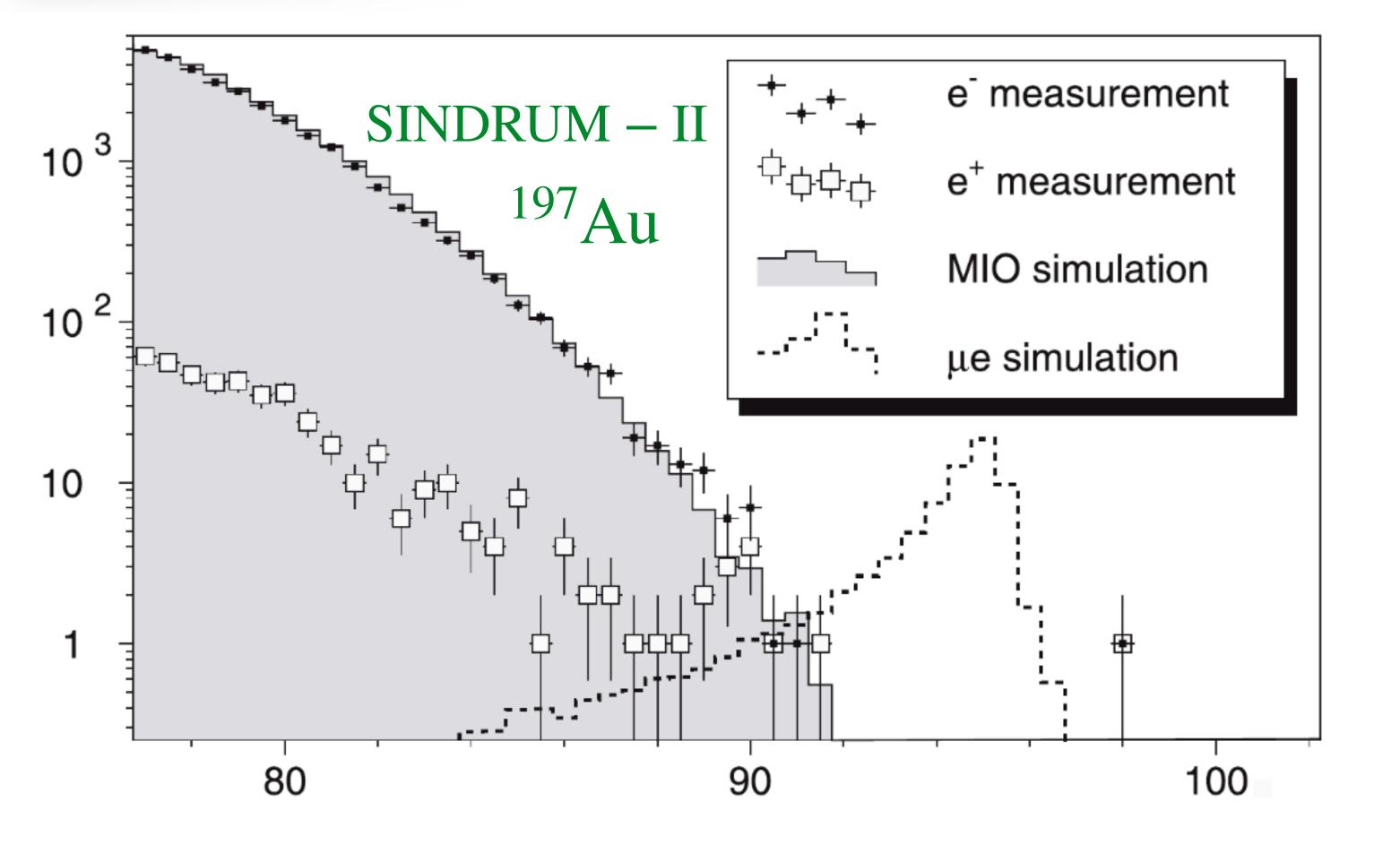
## $X \log(Q_{max}/m_{e}) \sim \text{few }\%$

#### Large logs from radiative corrections

See e.g. Day and McFarland arXiv:1206.6745 Hill and Tomalak, arXiv:1907.03379



#### **Mu2e Backgrounds from Radiative Muon Capture**



Search for  $\mu^- \rightarrow e^{\pm}$ 

Background  $\mu^{-27}Al \rightarrow {}^{27}Mg \gamma \nu_{\mu}$  $\gamma \rightarrow e^+ e^-$ 

#### Study RMC spectrum near endpoint



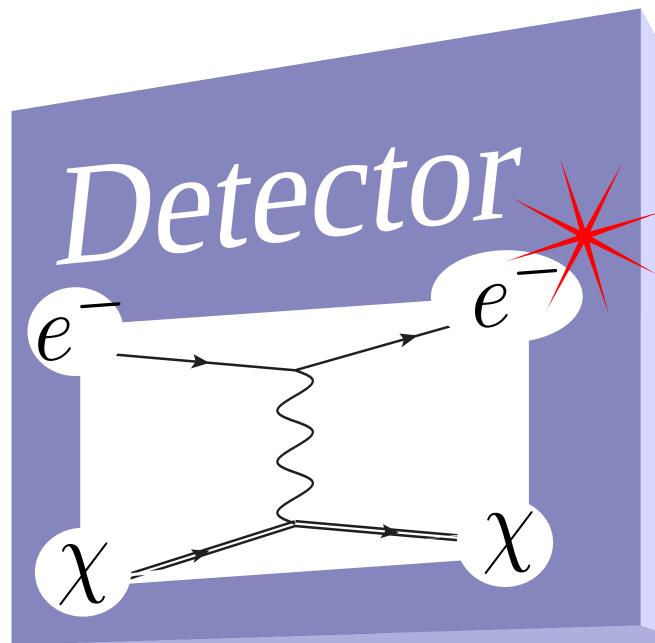
#### **Summary and Conclusions**



- 1. High intensity neutrino experiments are a fertile testing ground for SM and BSM physics.
- 2. Cosmic rays + Neutrino telescopes can function like a fixed target facility offering competitive reach.
- 3. "New" SM physics can be impactful across a range of communities
  - Neturino flux determination
     Expected background for CLFV & LNV searches
- 4. Studying alpha-suppressed SM physics teaches us how to use new detectors to cut down backgrounds.

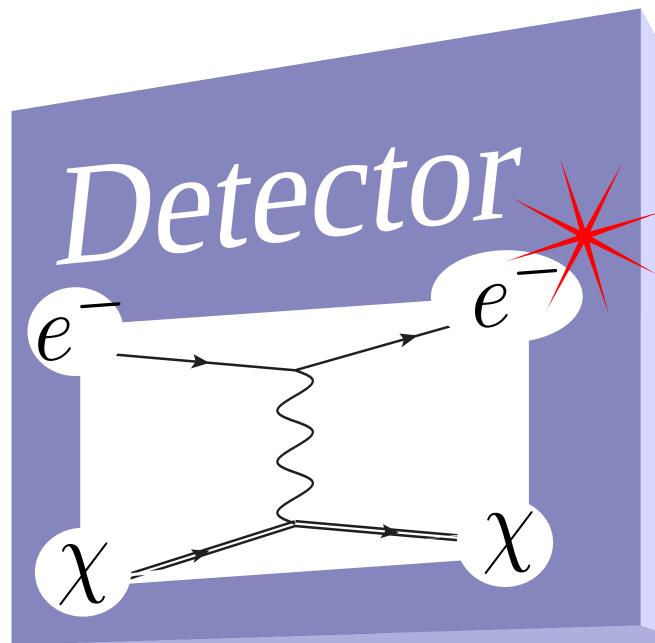
#### Thank you for your attention

#### **Details and Extras**



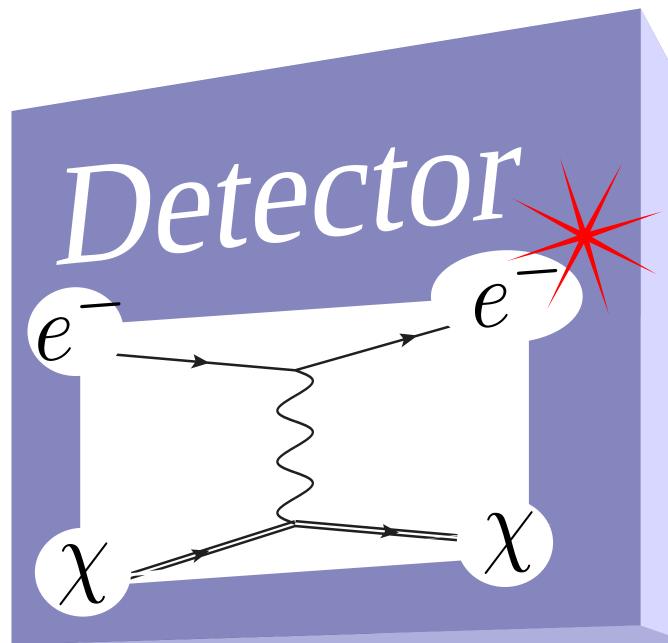


 $Q_{\rm max}^2 = 4P_{\rm cm}^2$ 



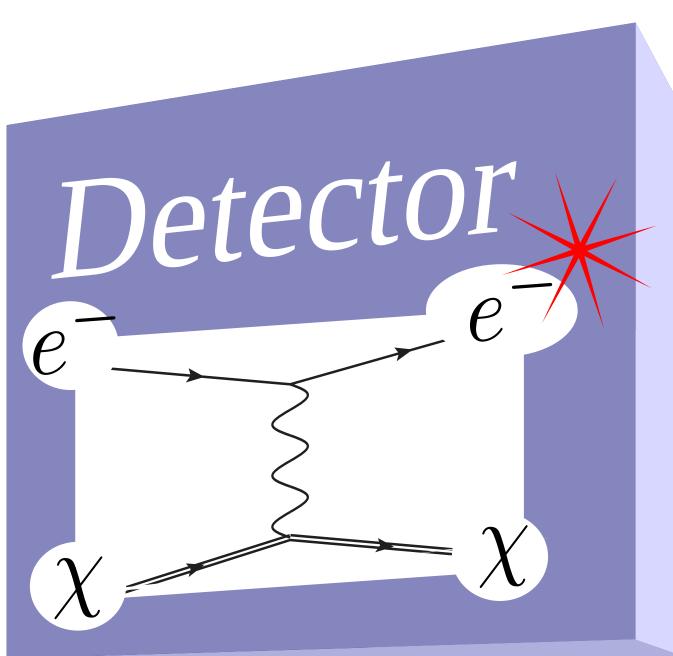


 $Q_{\rm max}^2 = 4P_{\rm cm}^2 \approx 2m_e^2 \left(\frac{P_{\chi}}{m_{\gamma}}\right)^2$ 





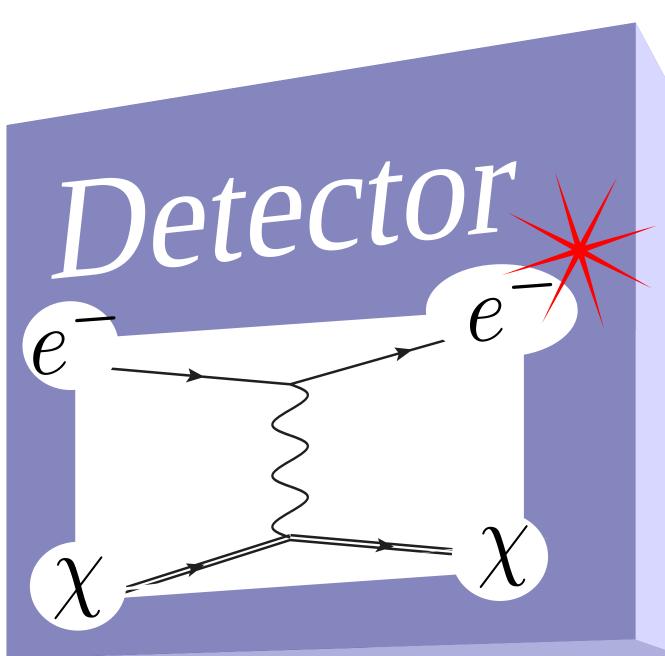
 $Q_{\rm max}^2 = 4P_{\rm cm}^2 \approx 2m_e^2 \left(\frac{P_{\chi}}{m_{\gamma}}\right)^2 = 4m_e^2 (\beta_{\chi}\gamma_{\chi})^2$ 





 $Q_{\rm max}^2 = 4P_{\rm cm}^2 \approx 2m_e^2 \left(\frac{P_{\chi}}{m_{\gamma}}\right)^2 = 4m_e^2 (\beta_{\chi}\gamma_{\chi})^2$ 

#### $Q^2 = 2m_e T_e$

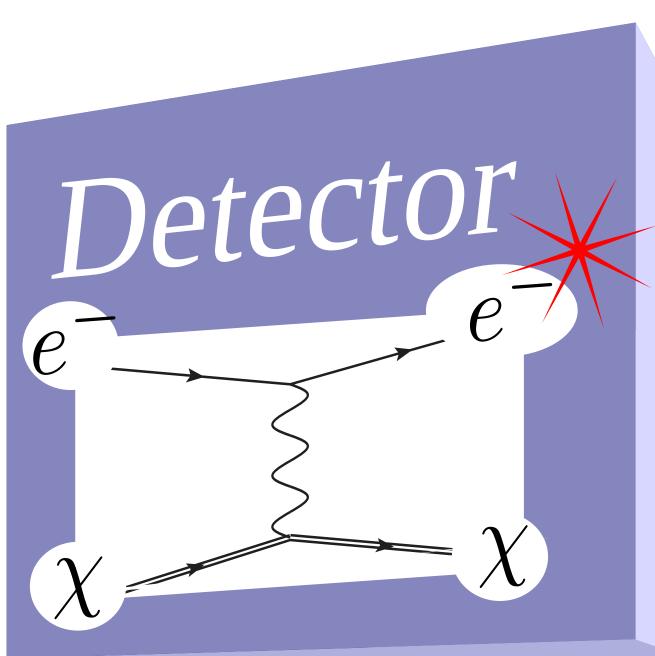




 $Q_{\rm max}^2 = 4P_{\rm cm}^2 \approx 2m_e^2 \left(\frac{P_{\chi}}{m_{\gamma}}\right)^2 = 4m_e^2 (\beta_{\chi}\gamma_{\chi})^2$ 

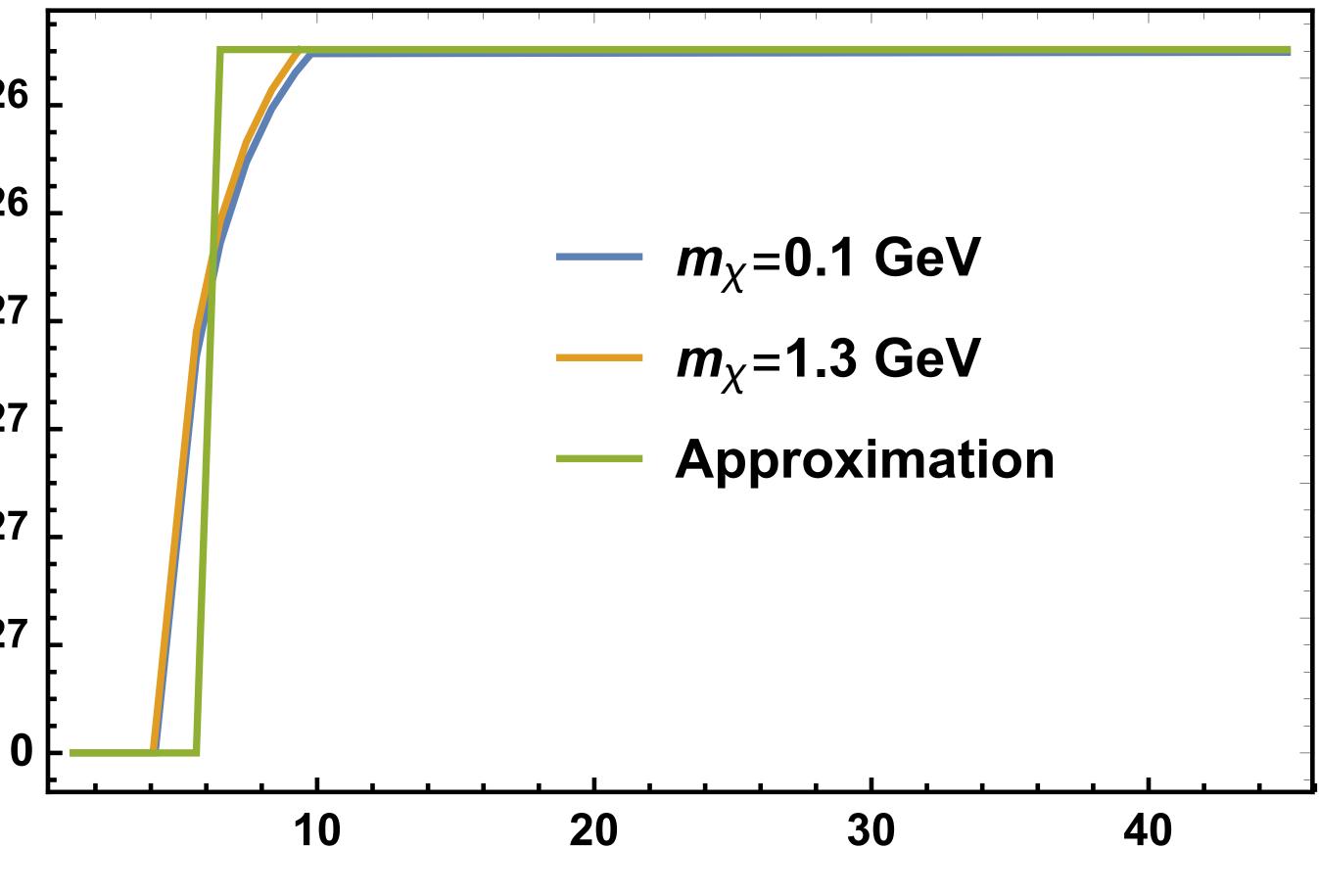
 $Q^2 = 2m_\rho T_\rho$ 

 $T_e \leq 2m_e(\beta_{\gamma}\gamma_{\gamma})^2$ 





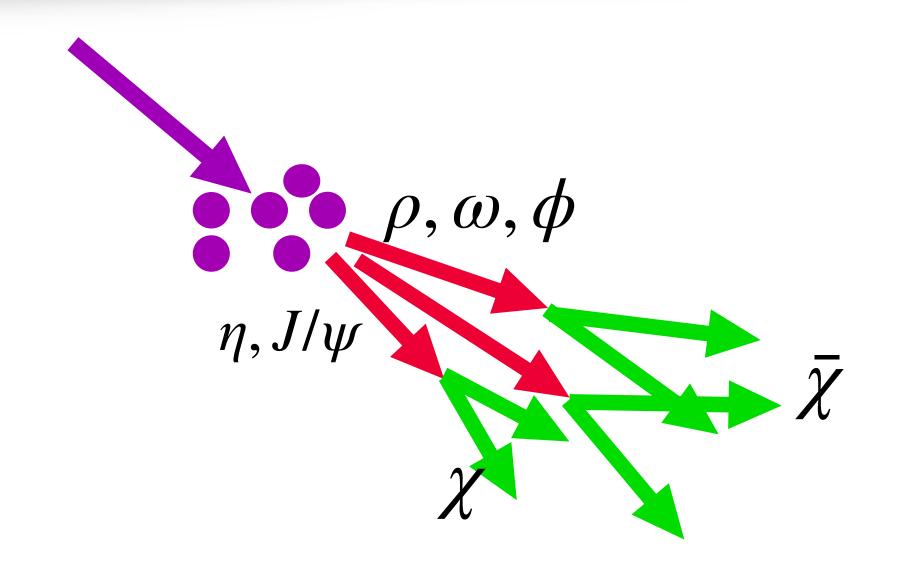
**Detecting MCPs with Neutrino Telescopes**  $Q_{\rm max}^2 = 4P_{\rm cm}^2 \approx 2m_e^2 \left(\frac{P_{\chi}}{m_{\chi}}\right)^2 = 4m_e^2 (\beta_{\chi}\gamma_{\chi})^2$  $1.2 \times 10^{-26}$  $Q^2 = 2m_{\rho}T_{\rho}$ 1.×10<sup>-26</sup>  $T_e \le 2m_e(\beta_{\gamma}\gamma_{\gamma})^2$  $4. \times 10^{-27}$  $2. \times 10^{-27}$ U



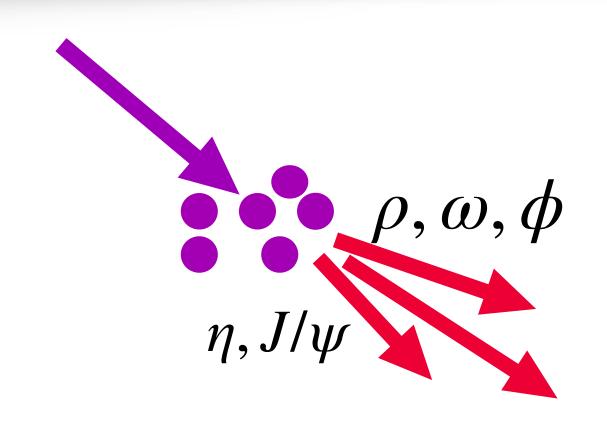
 $V_{\chi}$ 

44

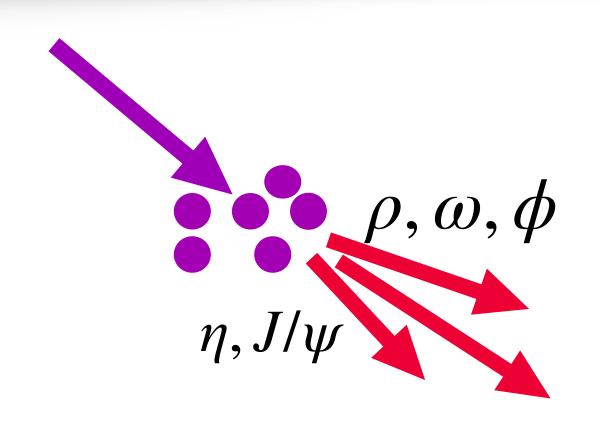








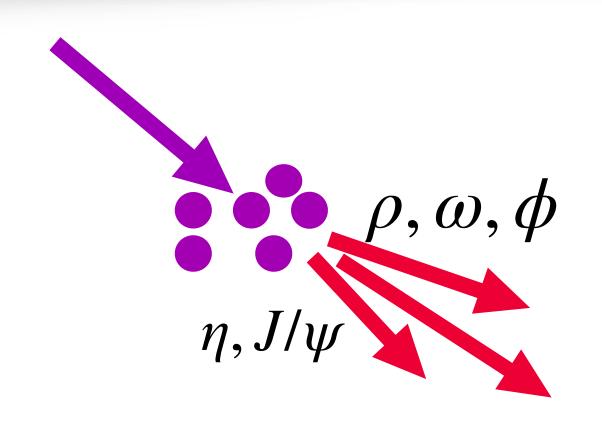




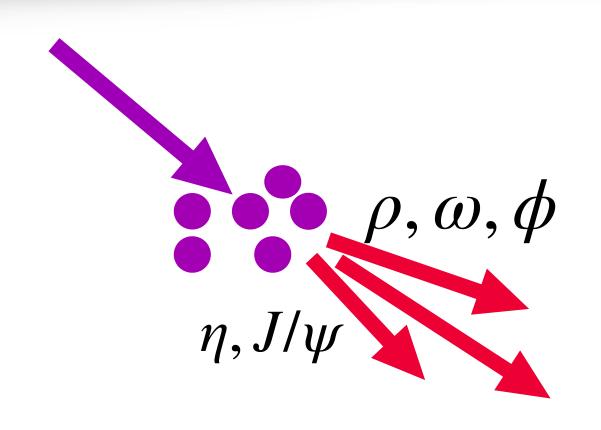
### $P(\gamma_{\rm m} | E_{\rm cosmic}) + I_{\rm CR}(E_{\rm cosmic})$







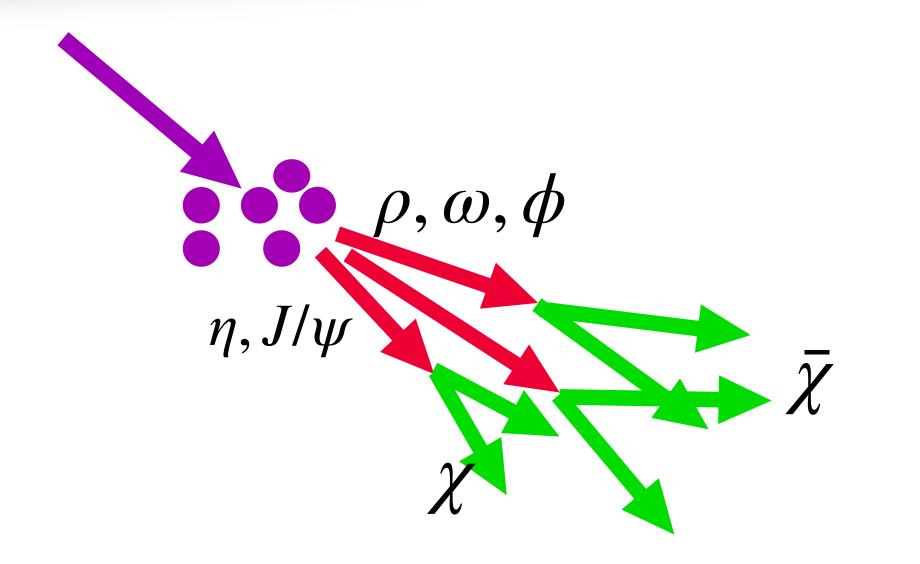




## $P(\gamma_{\rm m} | \gamma_{\rm cm}) + I_{\rm CR}(\gamma_{\rm cm})$

 $\Phi_{\mathfrak{m}}(\gamma_{\mathfrak{m}})$ 

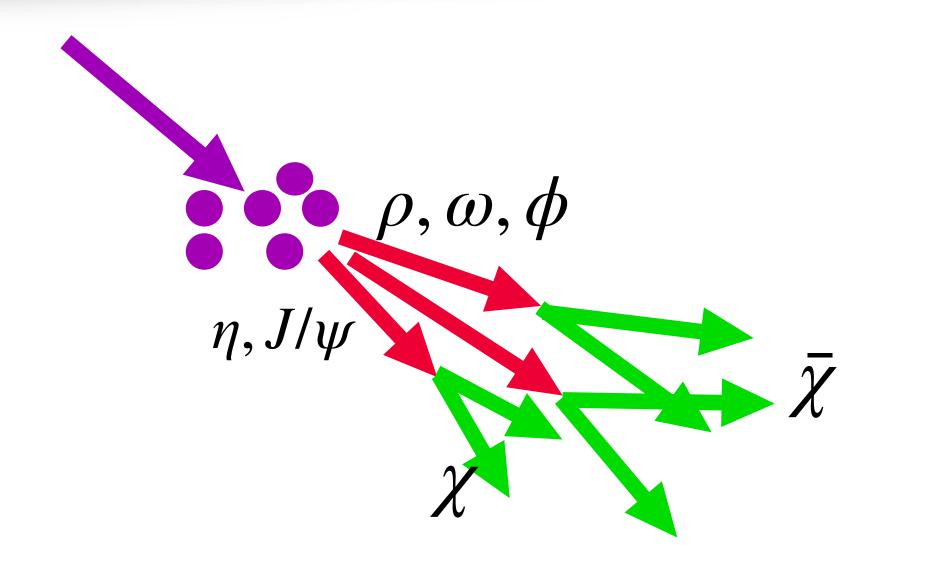


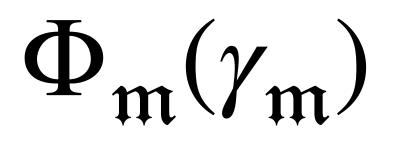


### $P(\gamma_{\rm m} | \gamma_{\rm cm}) + I_{\rm CR}(\gamma_{\rm cm})$

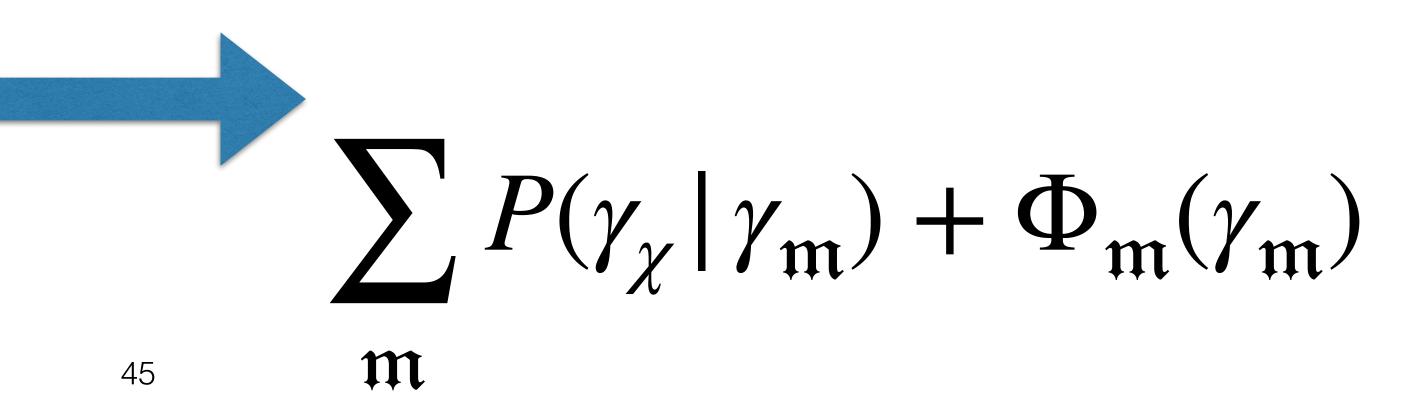
 $\Phi_{\mathfrak{m}}(\gamma_{\mathfrak{m}})$ 

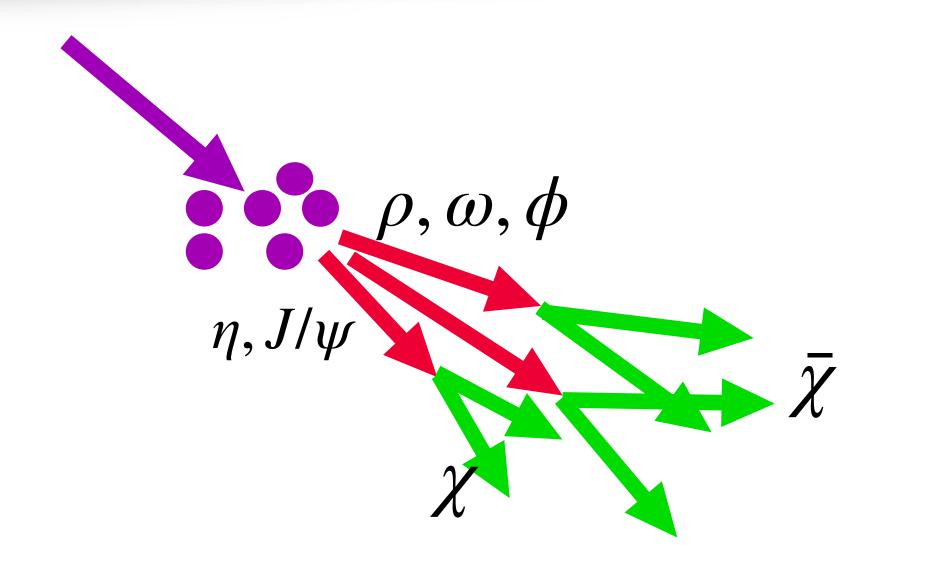


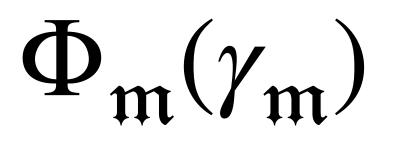








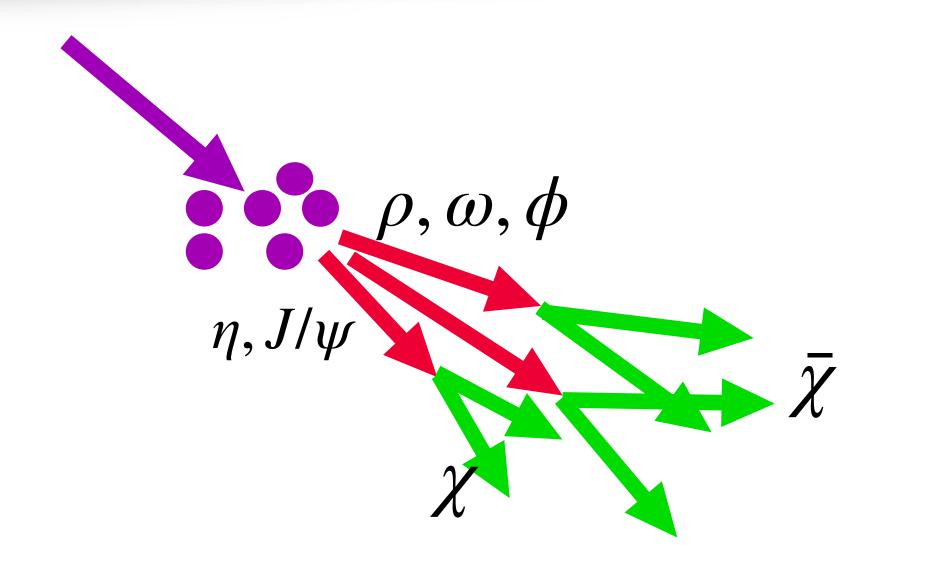


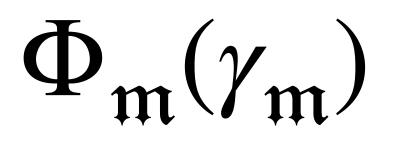




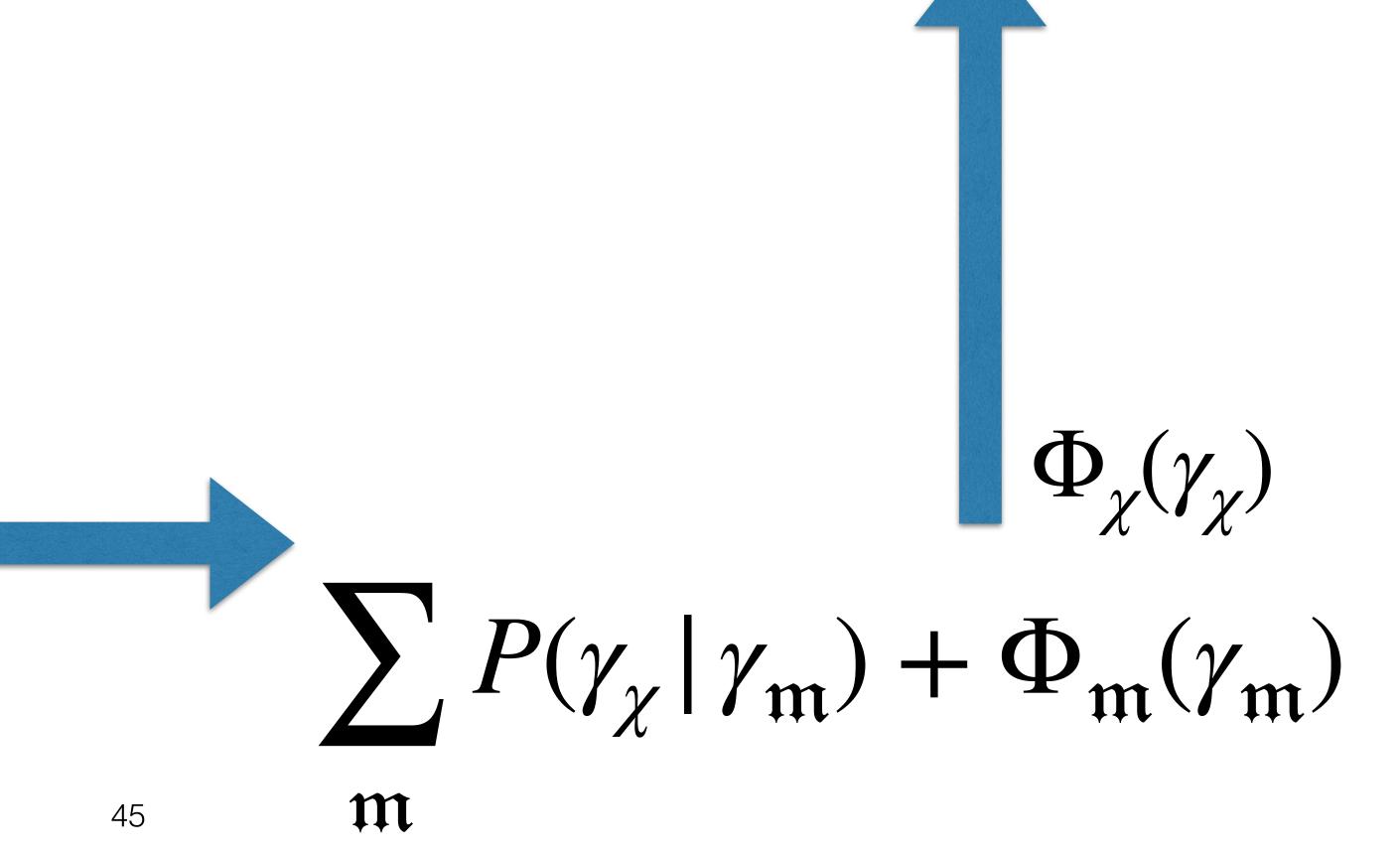
 $\Phi_{\gamma}(\gamma_{\chi})$  $\sum P(\gamma_{\chi} | \gamma_{\mathfrak{m}}) + \Phi_{\mathfrak{m}}(\gamma_{\mathfrak{m}})$ m

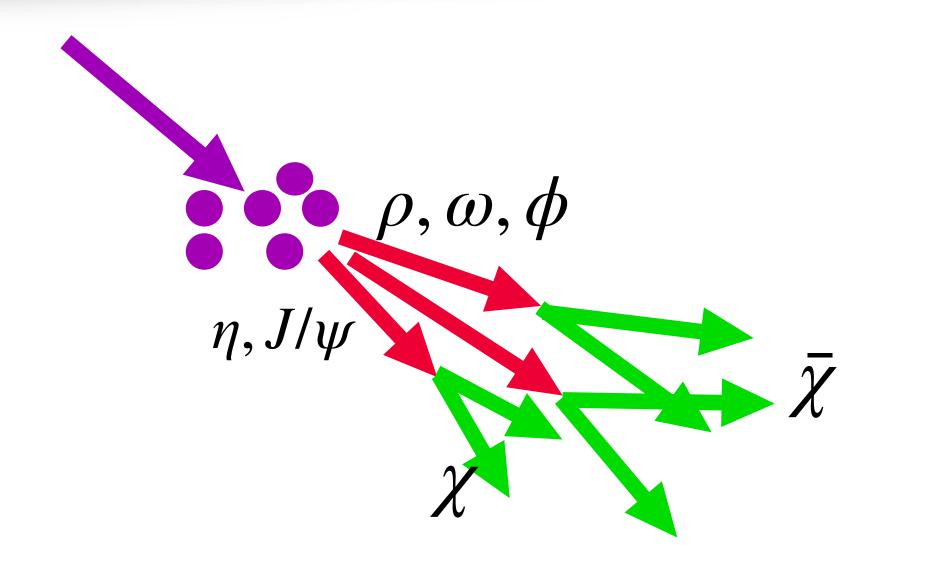


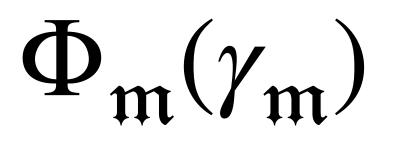




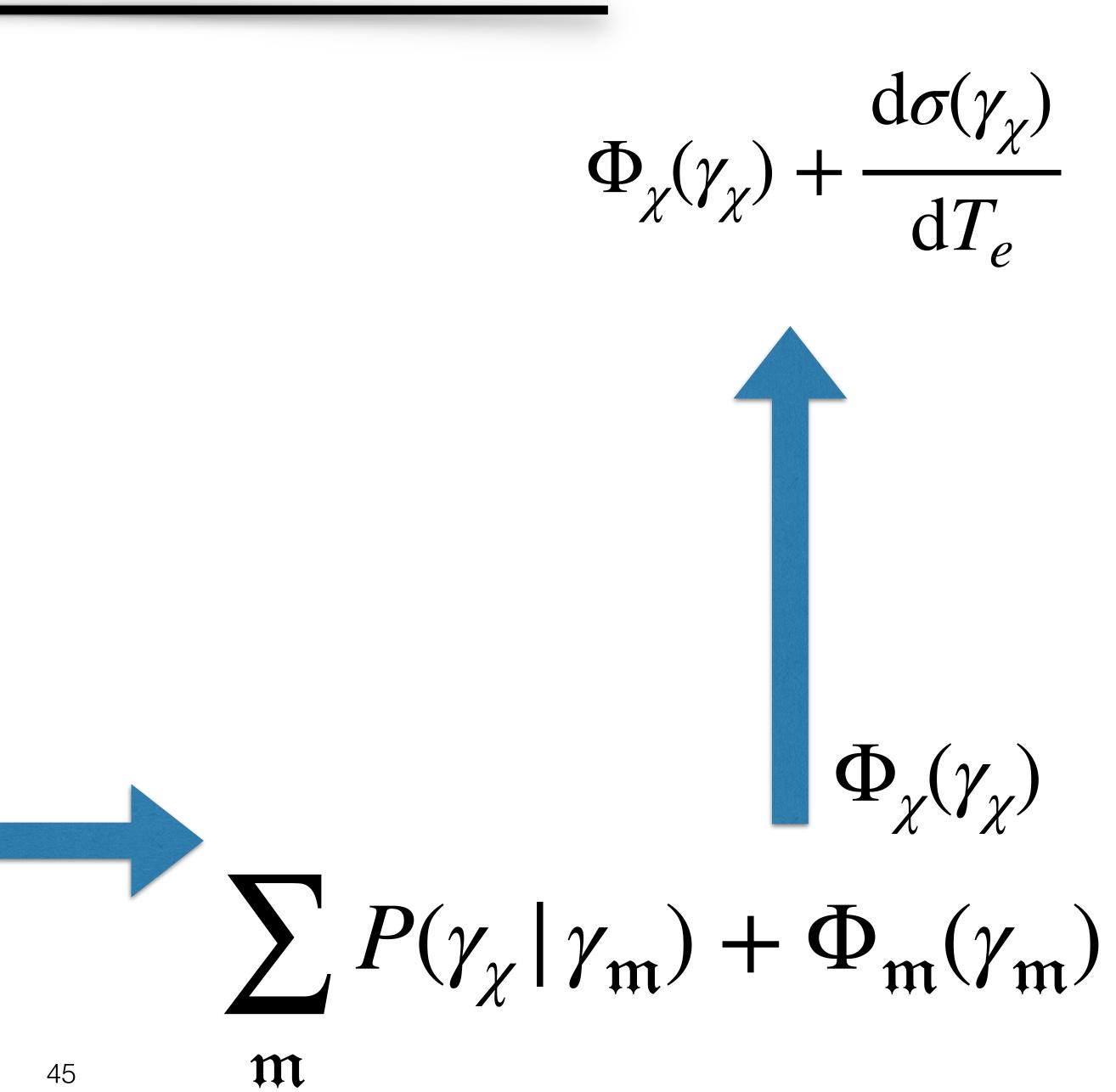






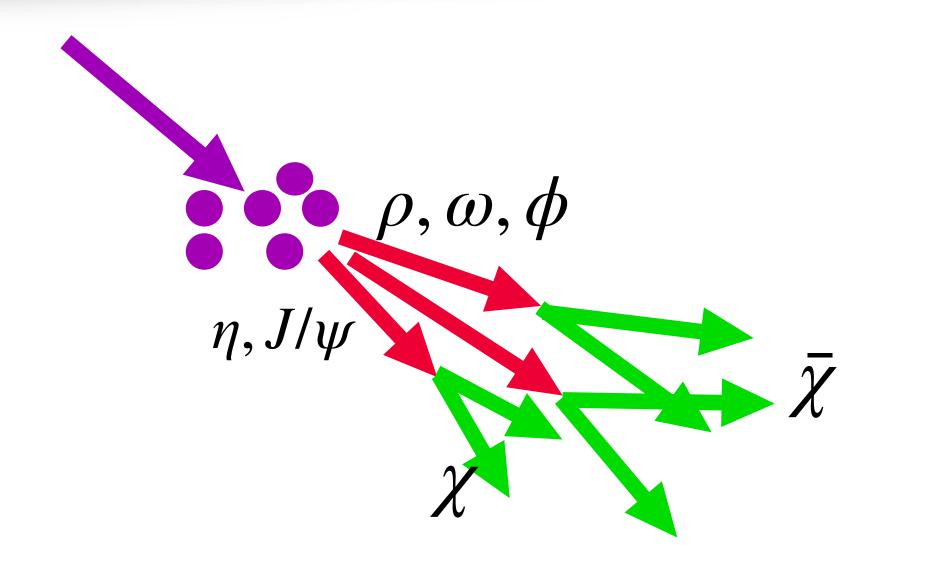




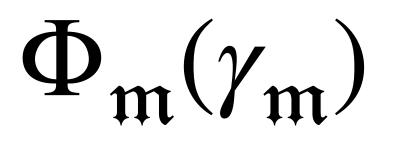




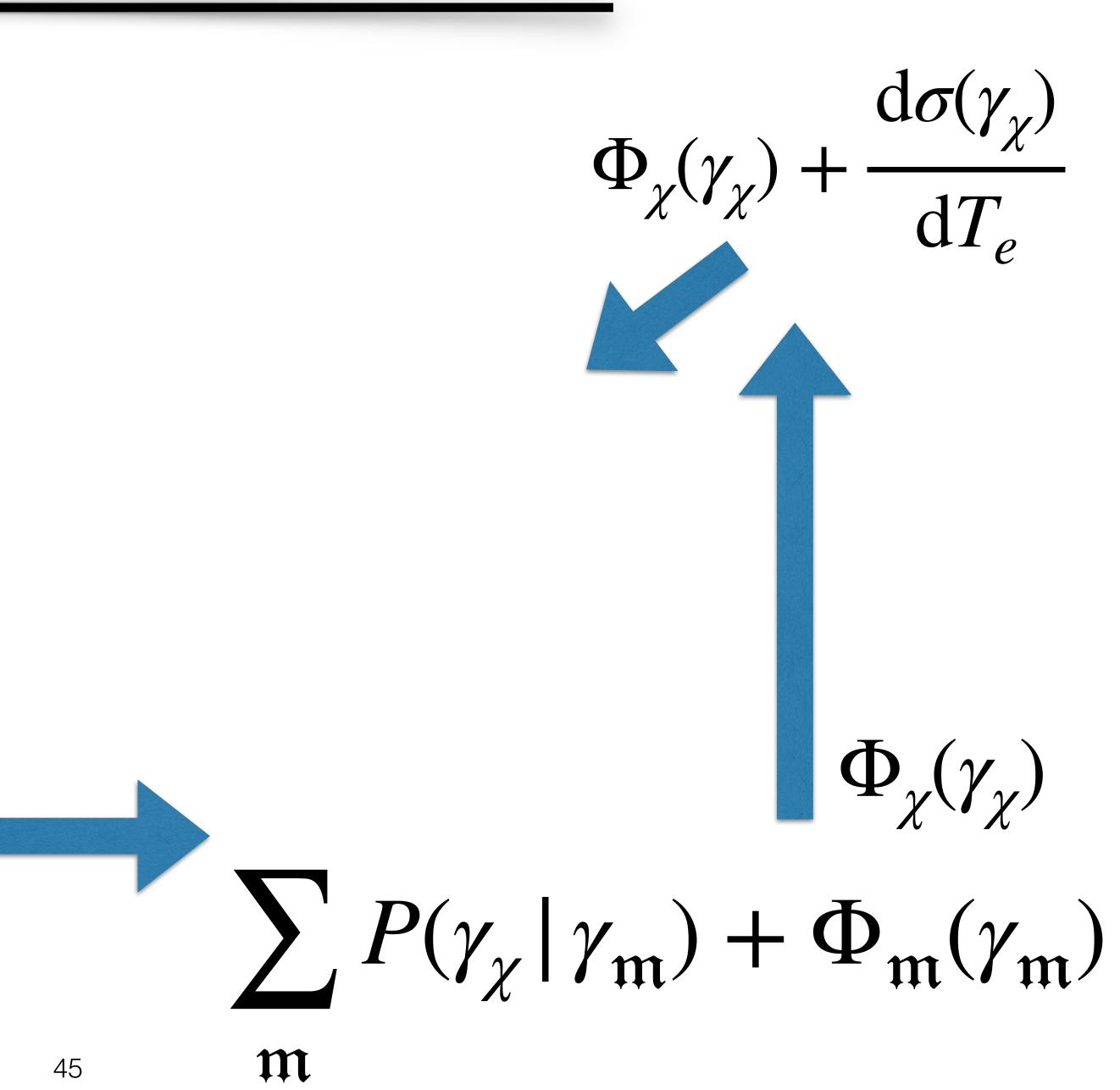
# **Calculating MCP flux**



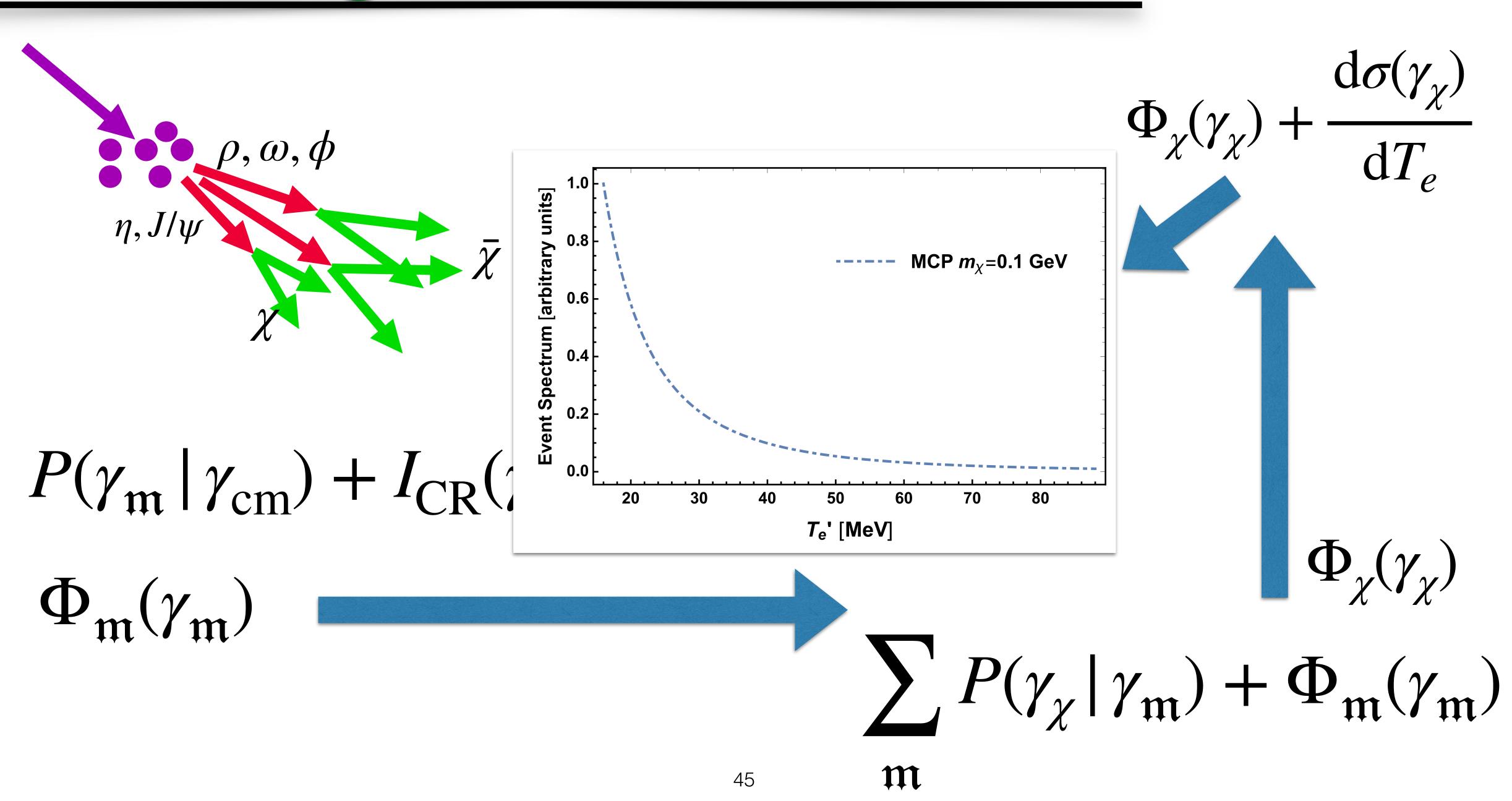
# $P(\gamma_{\rm m} | \gamma_{\rm cm}) + I_{\rm CR}(\gamma_{\rm cm})$



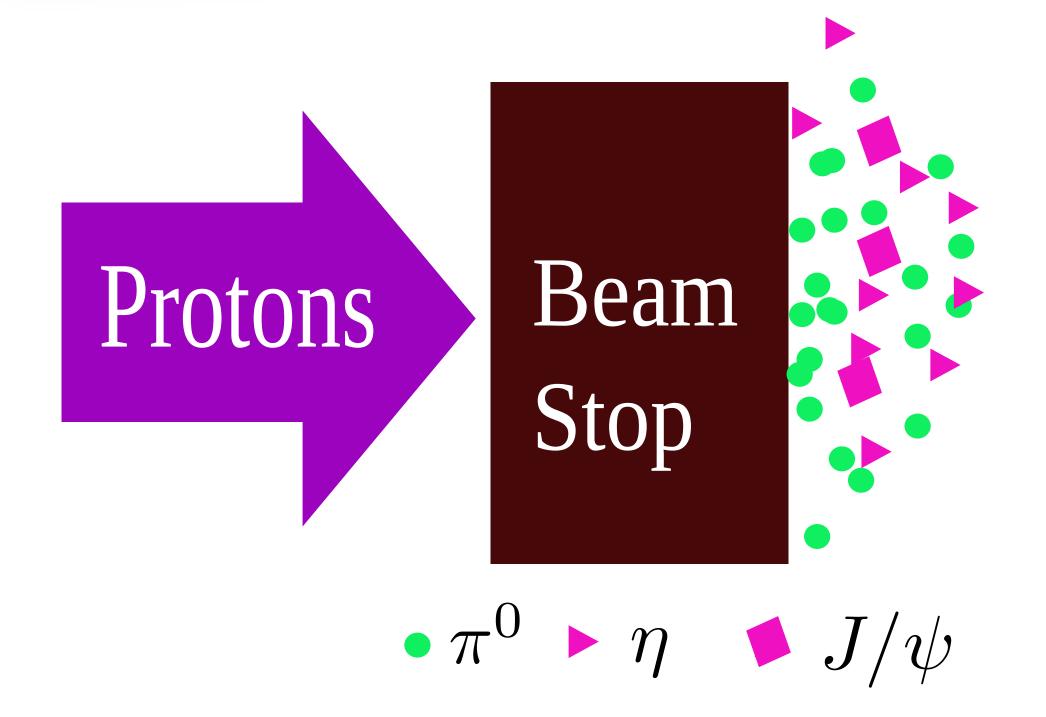




# **Calculating MCP flux**

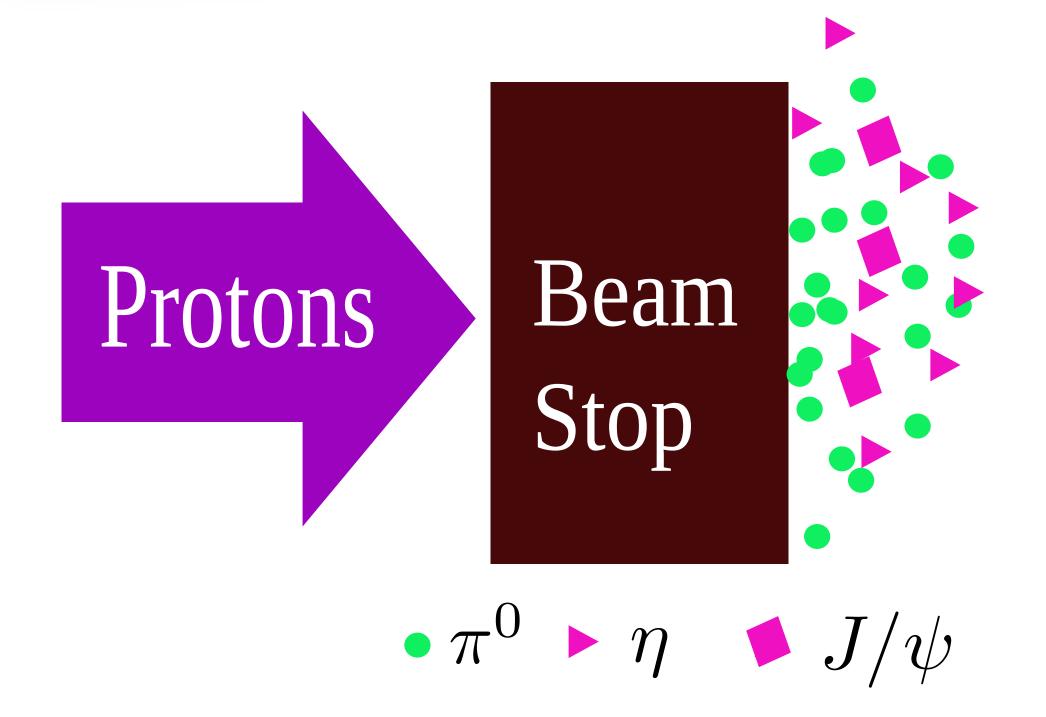










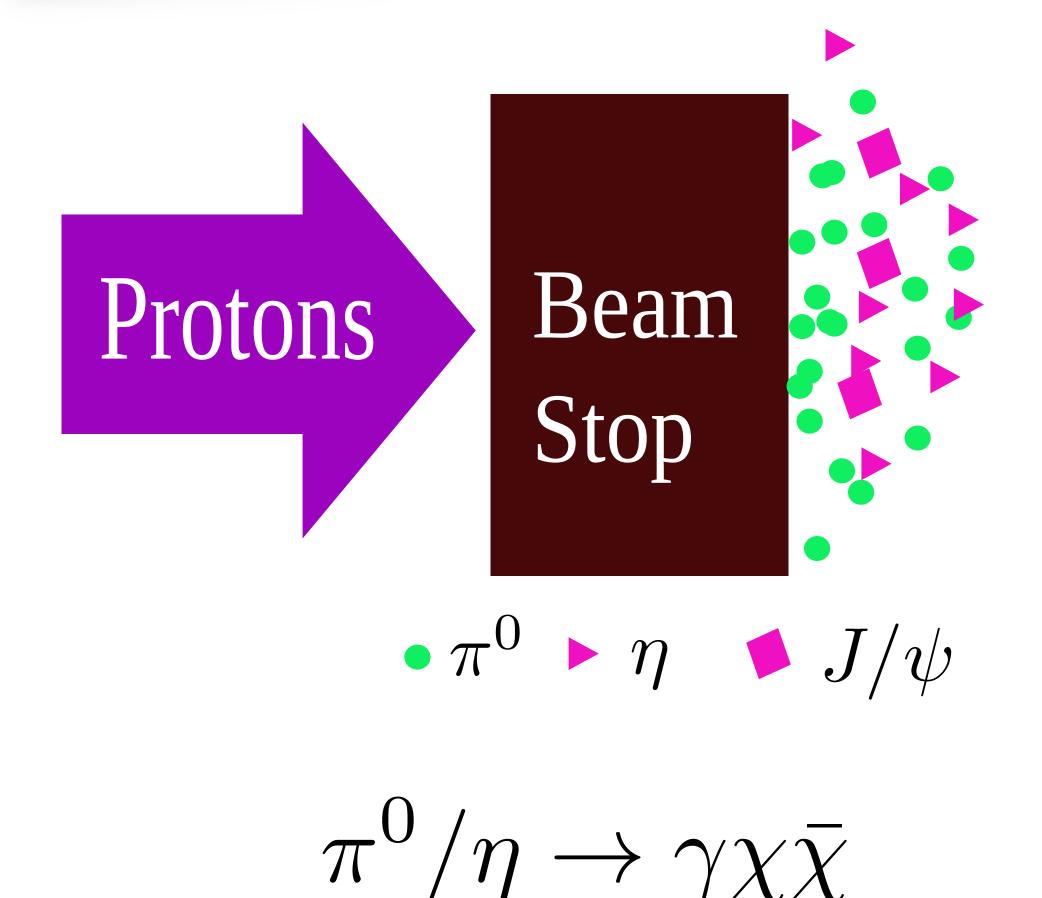




- Unlike dipole portal there is no upscattering production.
- Consequently meson decays are the only major source of mCPs.
- Need to include heavy mesons to get high-mass MCPs.
- Dalitz-decays dominate production for pseudo-scalar mesons





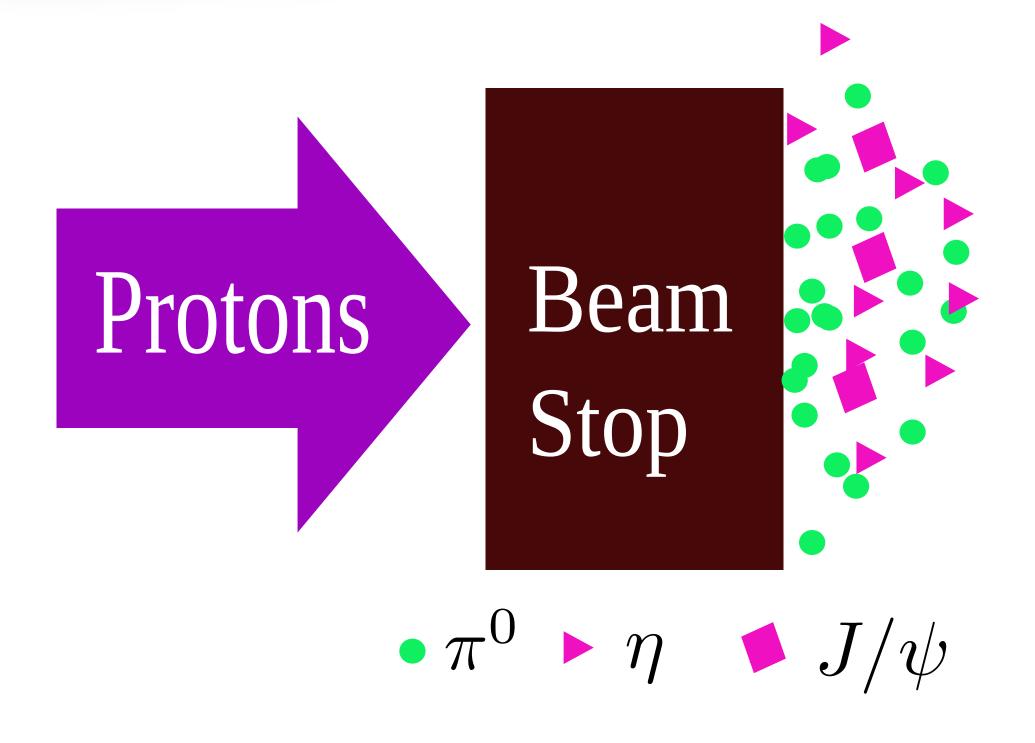


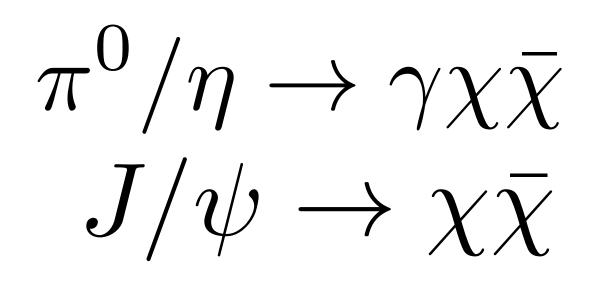


- Unlike dipole portal there is no upscattering production.
- Consequently meson decays are the only major source of mCPs.
- Need to include heavy mesons to get high-mass MCPs.
- Dalitz-decays dominate production for pseudo-scalar mesons







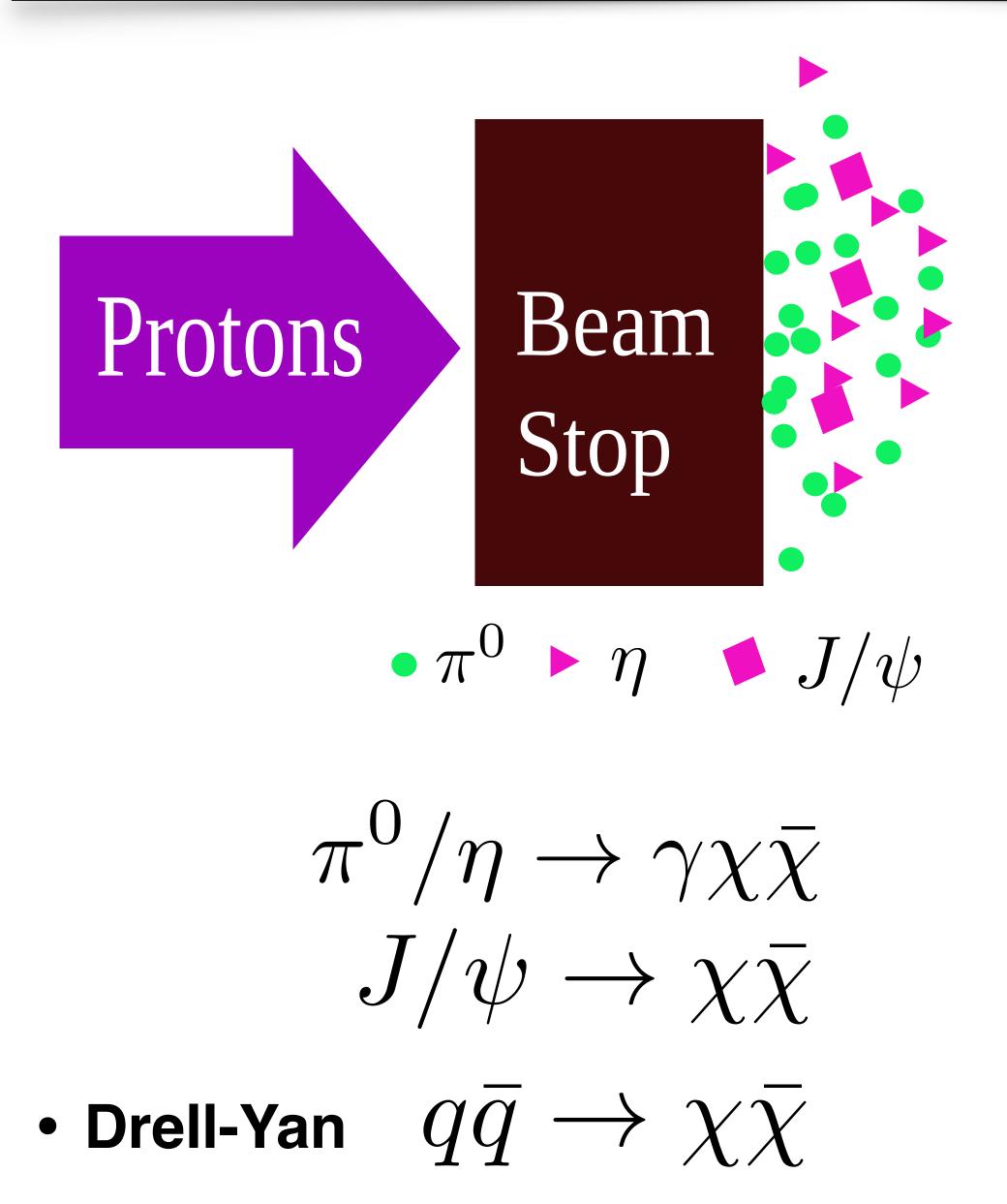




- Unlike dipole portal there is no upscattering production.
- Consequently meson decays are the only major source of mCPs.
- Need to include heavy mesons to get high-mass MCPs.
- Dalitz-decays dominate production for pseudo-scalar mesons





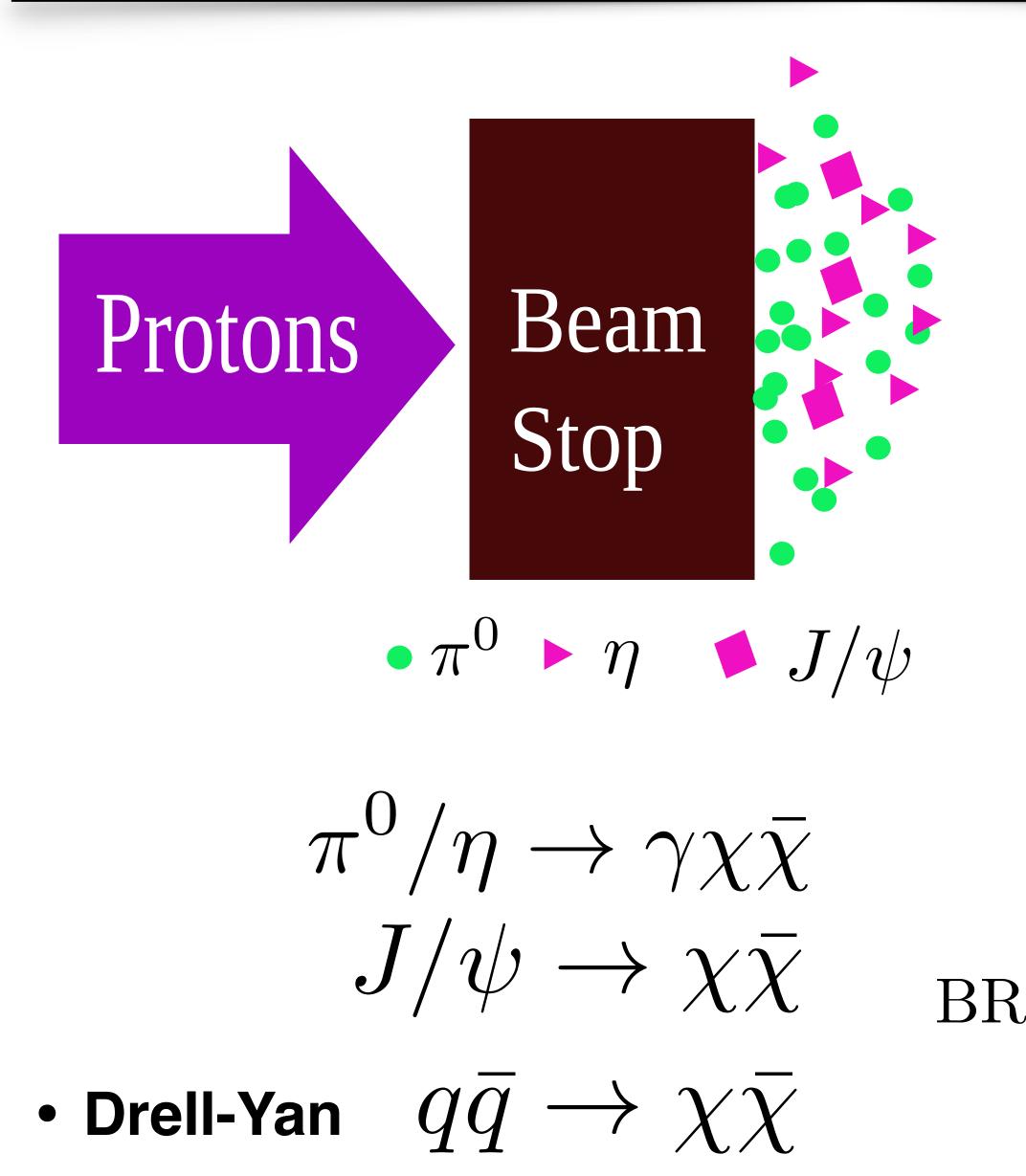




- Unlike dipole portal there is no upscattering production.
- Consequently meson decays are the only major source of mCPs.
- Need to include heavy mesons to get high-mass MCPs.
- Dalitz-decays dominate production for pseudo-scalar mesons





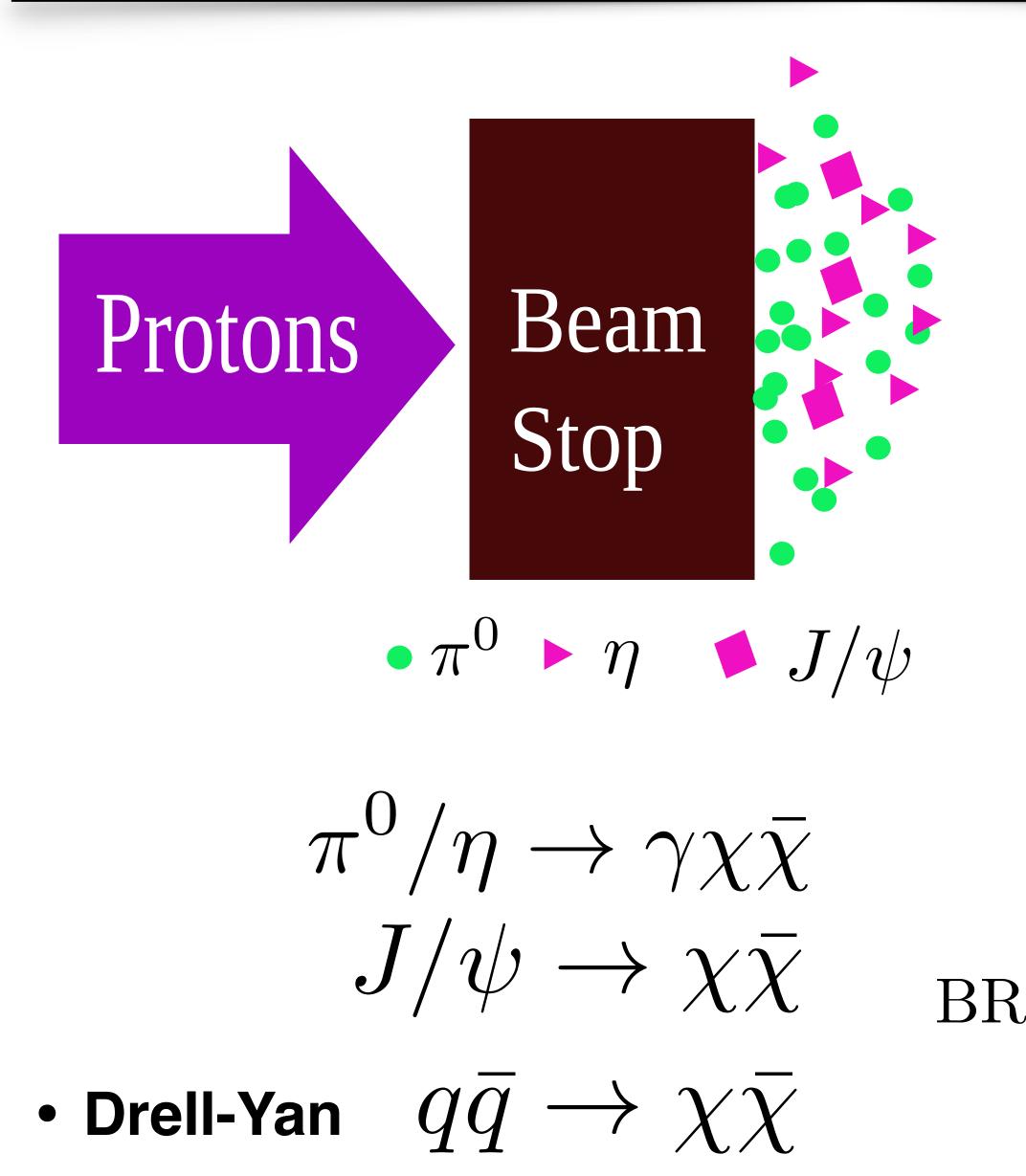




- Unlike dipole portal there is no upscattering production.
- Consequently meson decays are the only major source of mCPs.
- Need to include heavy mesons to get high-mass MCPs.
- Dalitz-decays dominate production for pseudo-scalar mesons

 $BR(\mathcal{M} \to \chi \bar{\chi}) \approx \epsilon^2 \times BR(\mathcal{M} \to X e^+ e^-) \times f\left(\frac{m_{\chi}}{M}\right)$ 



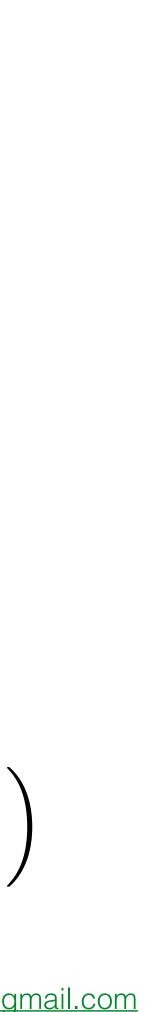




### **Production Chanels**

- Unlike dipole portal there is no upscattering production.
- Consequently meson decays are the only major source of mCPs.
- Need to include heavy mesons to get high-mass MCPs.
- Dalitz-decays dominate production for pseudo-scalar mesons

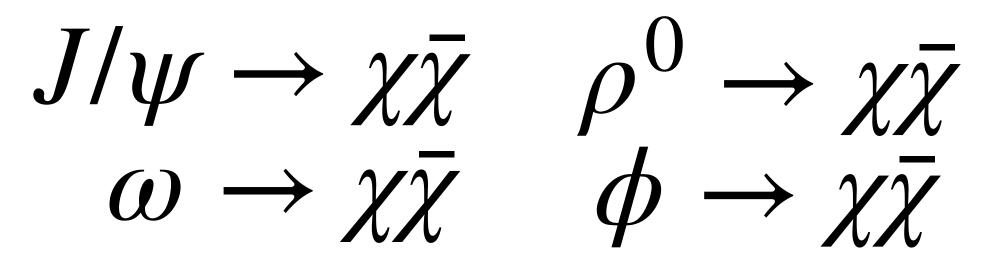
# $\operatorname{BR}(\mathcal{M} \to \chi \bar{\chi}) \approx \epsilon^2 \times \operatorname{BR}(\mathcal{M} \to X e^+ e^-) \times f\left(\frac{m_{\chi}}{M}\right)$



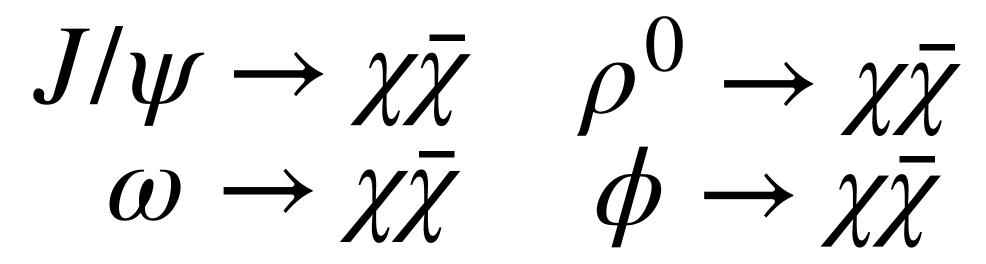






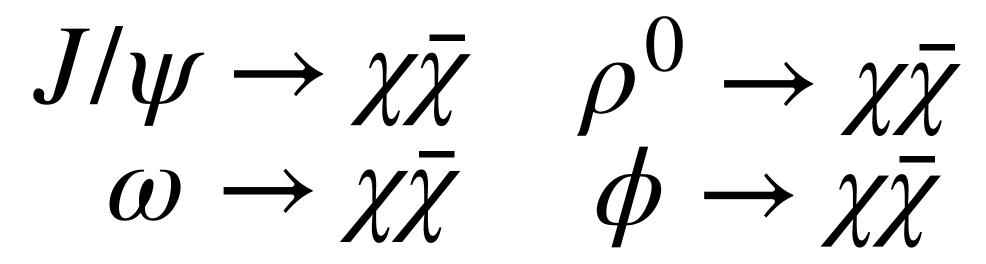






### **Three-body final state**

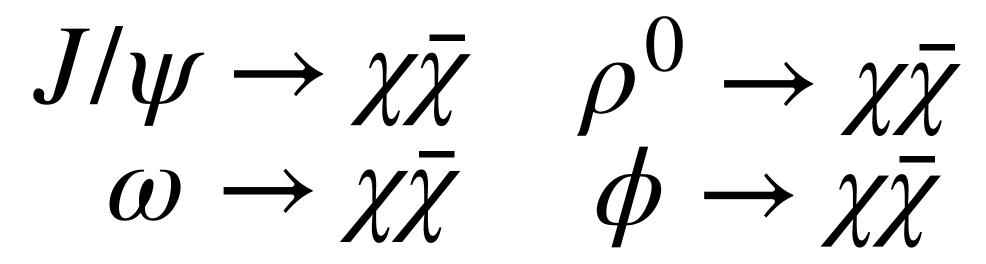




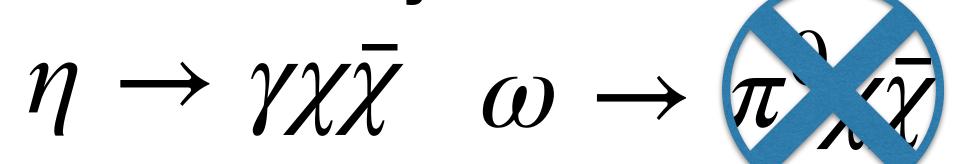
# **Three-body final state** $\eta \to \gamma \chi \bar{\chi} \quad \omega \to \pi^0 \chi \bar{\chi}$







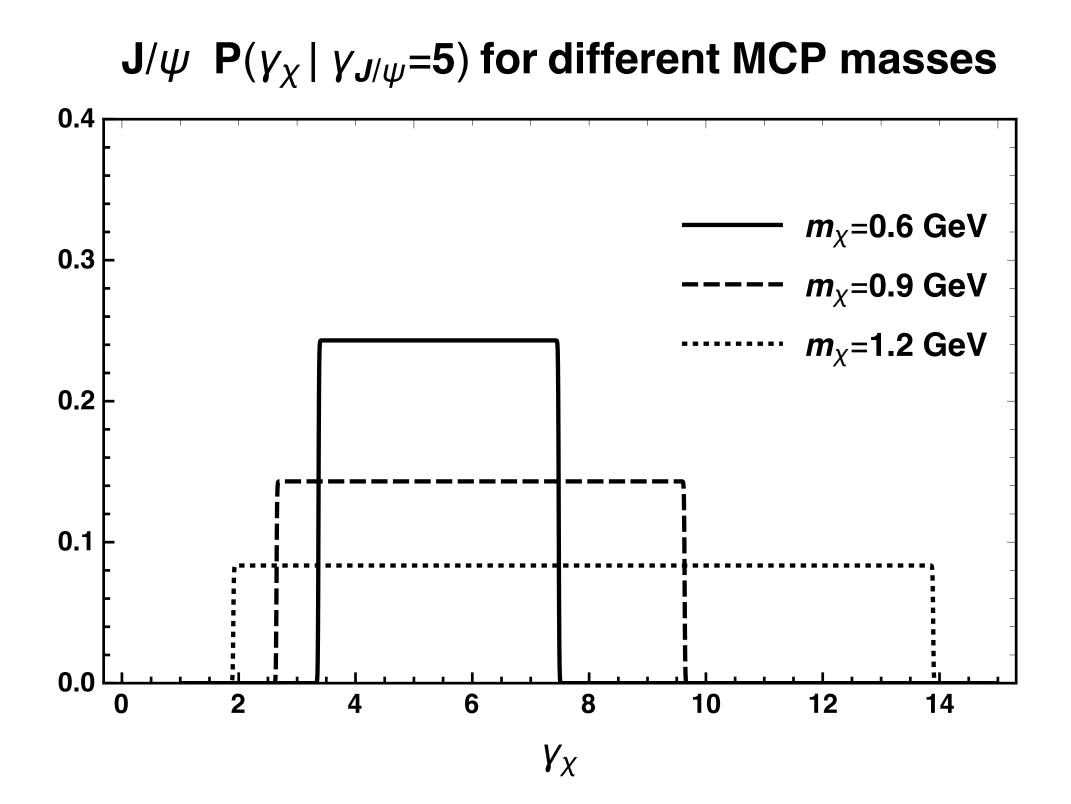
# Three-body final state



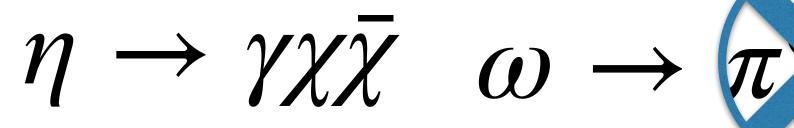




# Two-body final state $J/\psi \rightarrow \chi \bar{\chi} \quad \rho^0 \rightarrow \chi \bar{\chi}$ $\omega \rightarrow \chi \bar{\chi} \quad \phi \rightarrow \chi \bar{\chi}$



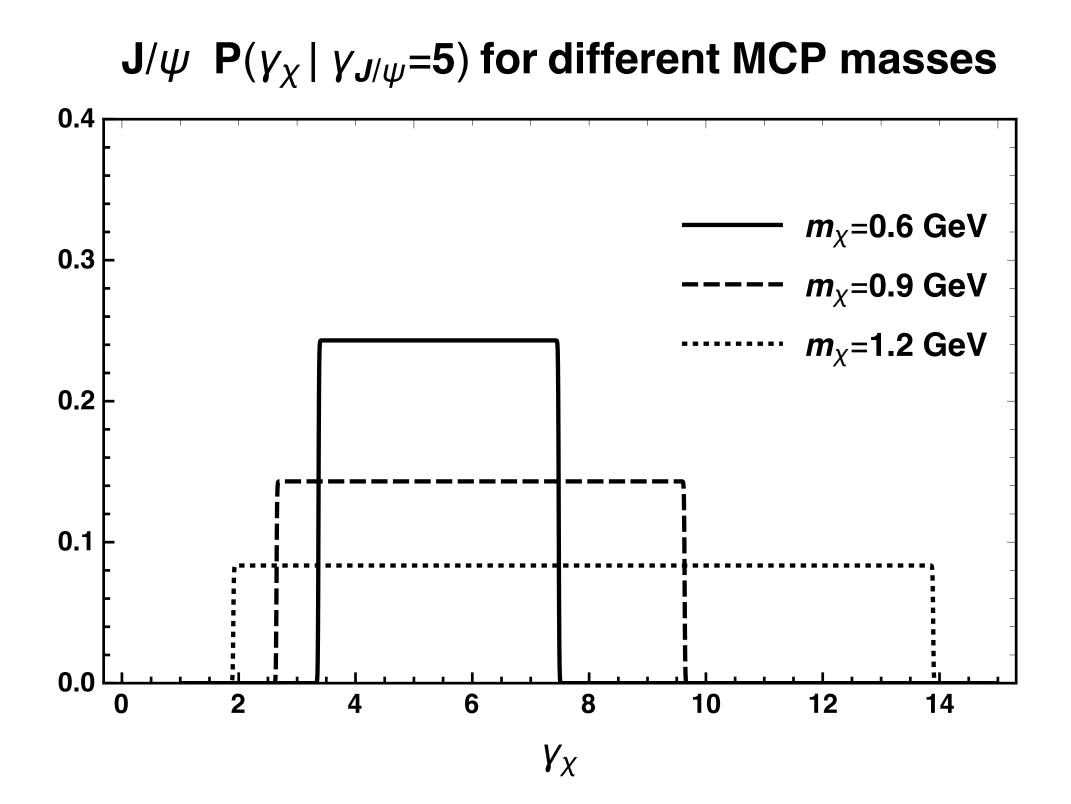
# Three-body final state

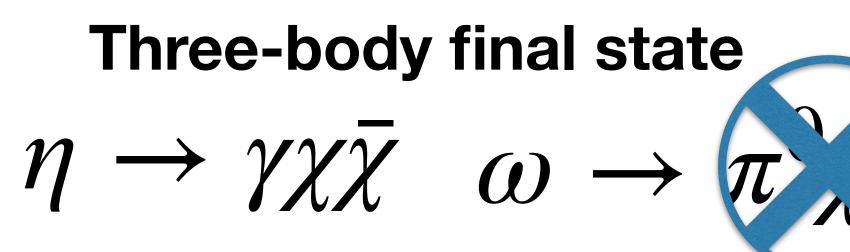


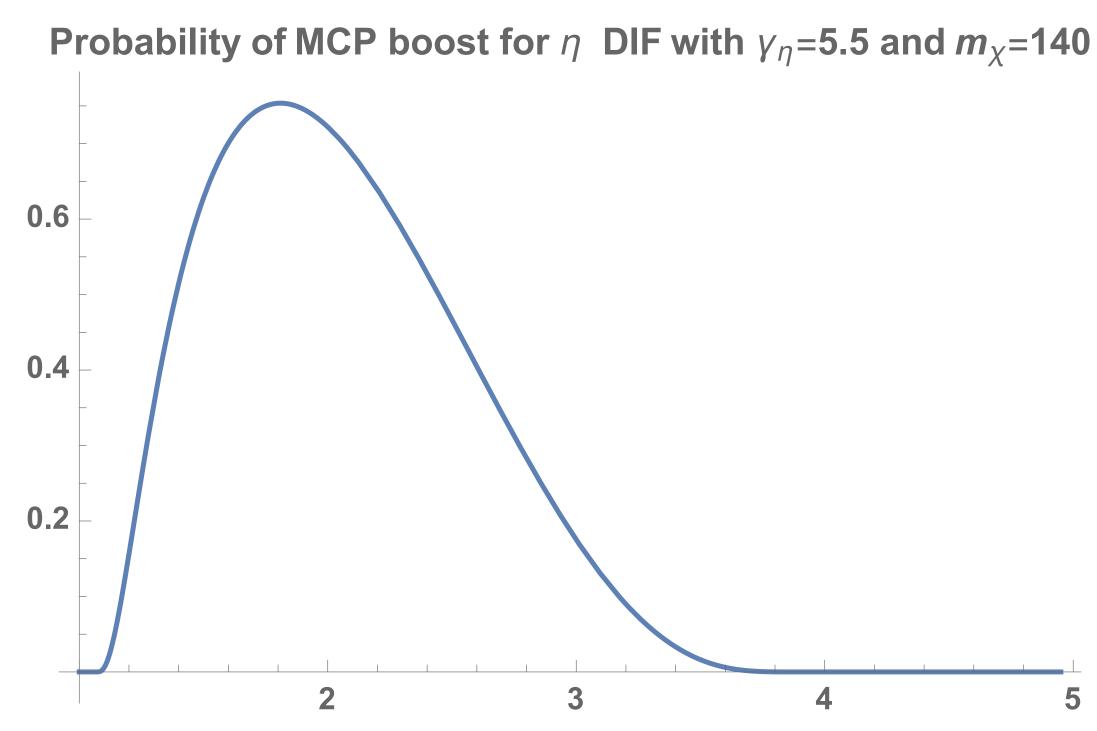




# **Two-body final state** $J/\psi \to \chi \bar{\chi} \quad \rho^0 \to \chi \bar{\chi} \\ \omega \to \chi \bar{\chi} \quad \phi^0 \to \chi \bar{\chi}$





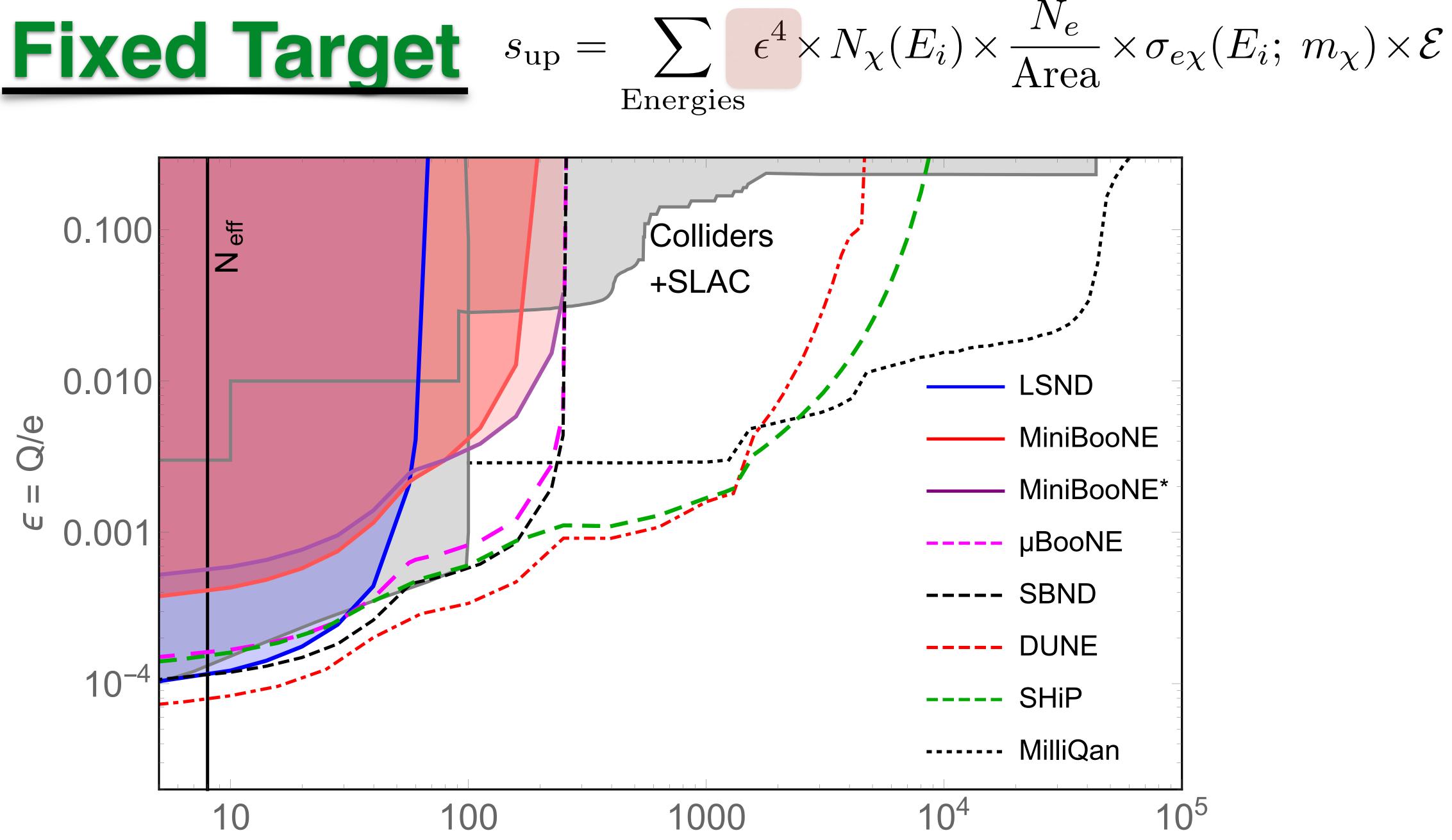






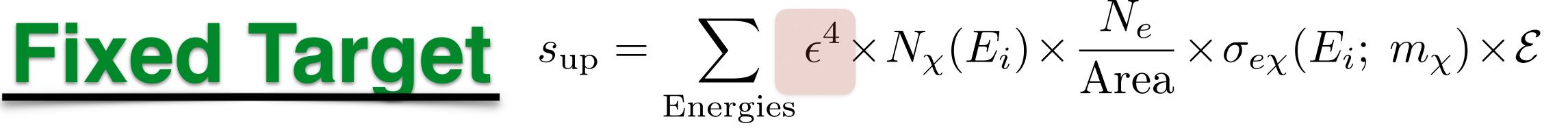


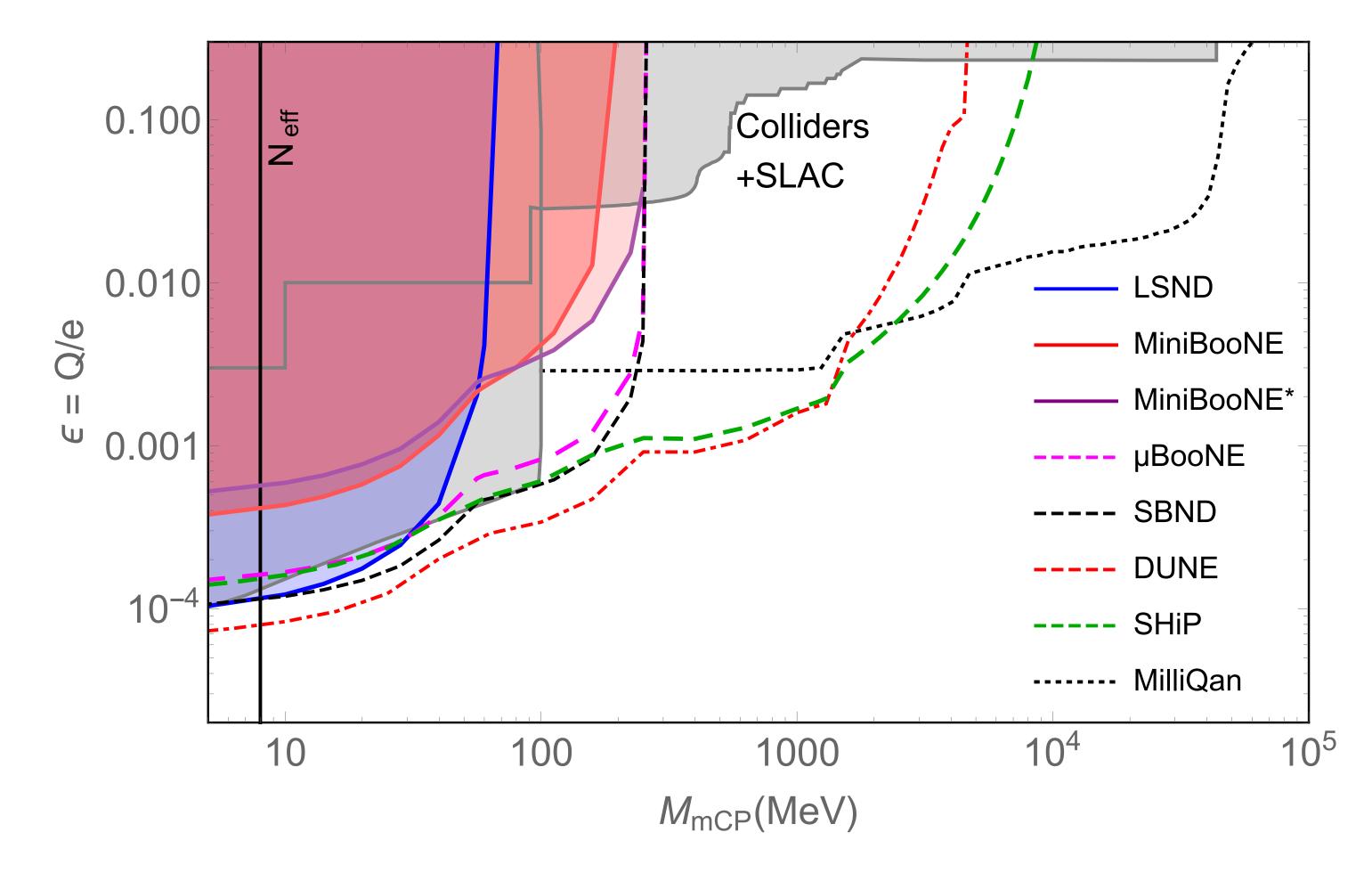




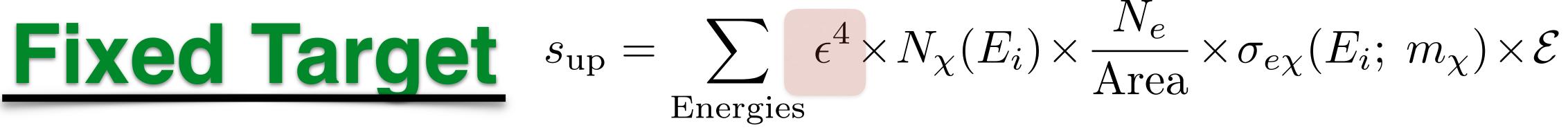
 $M_{mCP}(MeV)$ 

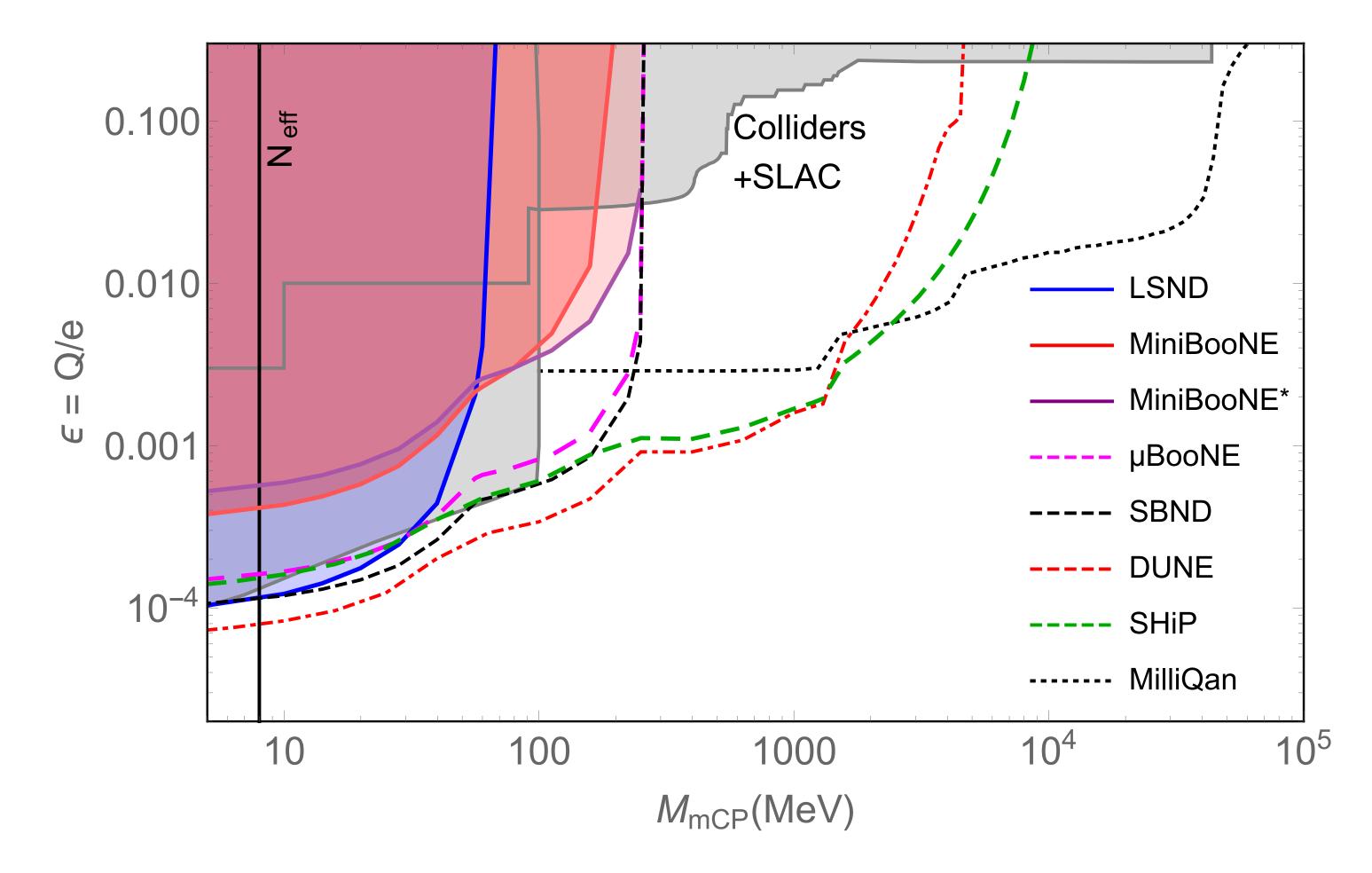








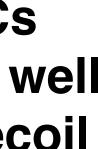




### **Conclusions**

- LSND (secretly) had some of the best bounds on MCPs for 25 years!
- New experiments with LArTPCs (e.g. ArgoNeuT) are extremely well suited to these kinds of low-recoil events.
- Our analysis used some slightly extremely-generous background assumptions.
- Main ingredients are mesons produced, recoil threshold and the geometric acceptance of the detector.











					LILEI		
	N [>	$< 10^{20}$ ]	<sup>20</sup> ] $A_{\text{geo}}(m_{\chi})[\times 10^{-3}]$ Cuts [MeV		[MeV]		
Exp.	$\pi^0$	$\eta$	$1 { m MeV}$	$100 { m MeV}$	$E_e^{\min}$	$E_e^{\max}$	Bkg
LSND	130		20		18	52	300
mBooNE	17	0.56	1.2	0.68	130	530	2k
mBooNE*	1.3	0.04	1.2	0.68	75	850	$0^*$
$\mu \mathrm{BooNE}$	9.2	0.31	0.09	0.05	2	40	16
SBND	4.6	0.15	4.6	2.6	2	40	230
DUNE	830	16	3.3	5.1	2	40	19k
SHiP	4.7	0.11	130	220	100	300	140

Energies

48

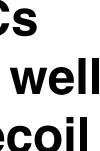
TABLE I. Summary of the lifetime meson rates (N), mCP detector acceptances  $(A_{\text{geo}})$ , electron recoil energy cuts, and backgrounds at each of the experiments considered in this paper. In all experiments a cut of  $\cos \theta > 0$  is imposed in our analysis (\*except for MiniBooNE's dark matter run where a cut of  $\cos \theta > 0.99$  effectively reduces backgrounds to zero [44, 45]). For the SHiP and DUNE experiments, we also include  $J/\psi$  and  $\Upsilon$  mesons as well as Drell-Yan production which are discussed in the text. We use an efficiency of  $\mathcal{E} = 0.2$  for Cherenkov detectors,  $\mathcal{E} = 0.5$  for nuclear emulsion detectors, and  $\mathcal{E} = 0.8$  for liquid argon time projection chambers. The data at LSND and MiniBooNE is taken from [46] and [24, 44] respectively. Projections at MicroBooNE [47], SBND [26], DUNE [27] and SHiP [48] are based on expected detector performance.



### **Conclusions**

- LSND (secretly) had some of the best bounds on MCPs for 25 years!
- New experiments with LArTPCs (e.g. ArgoNeuT) are extremely well suited to these kinds of low-recoil events.
- Our analysis used some slightly extremely-generous background assumptions.
- Main ingredients are mesons produced, recoil threshold and the geometric acceptance of the detector.



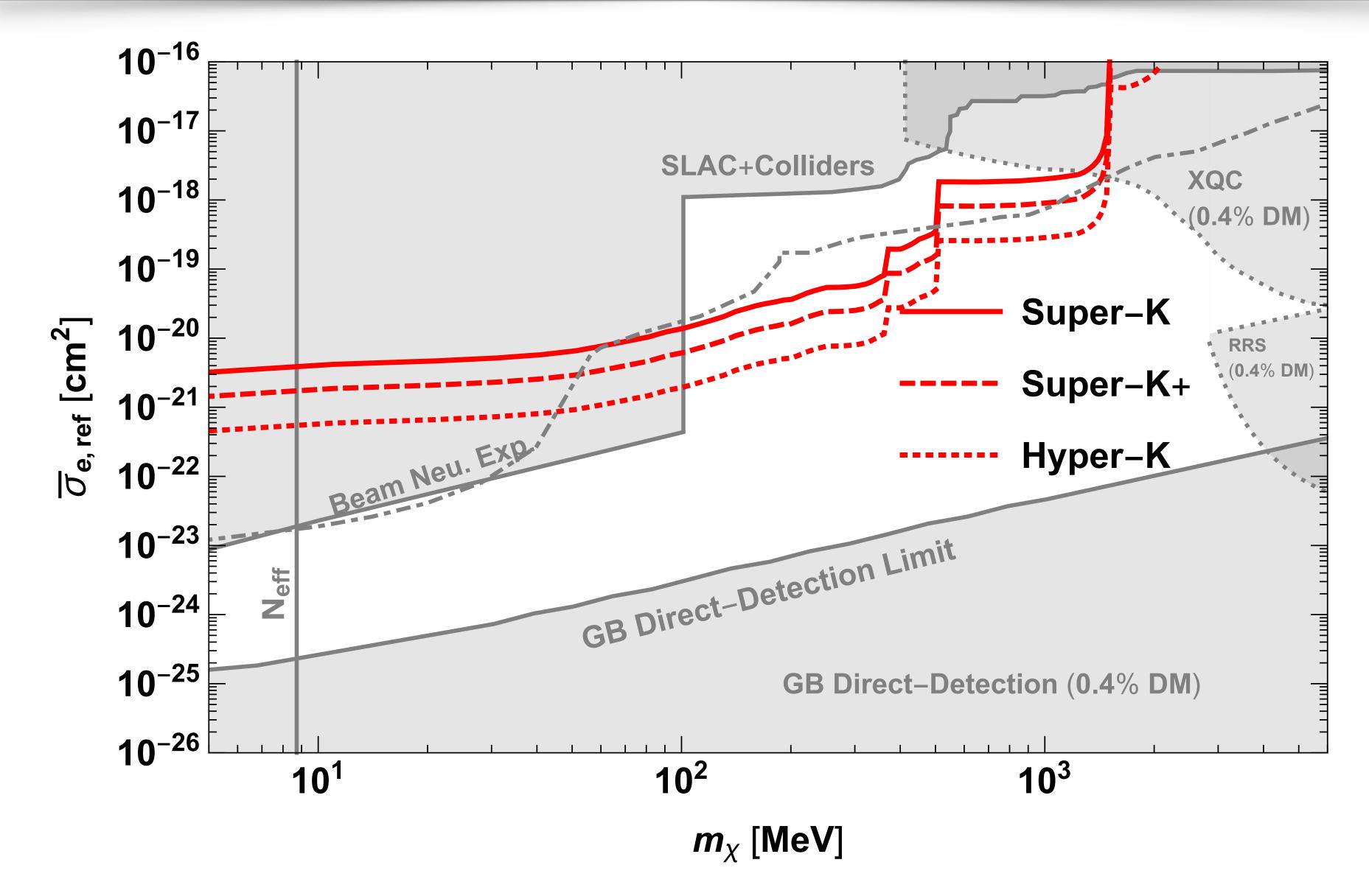








# **Results from cosmic rays**



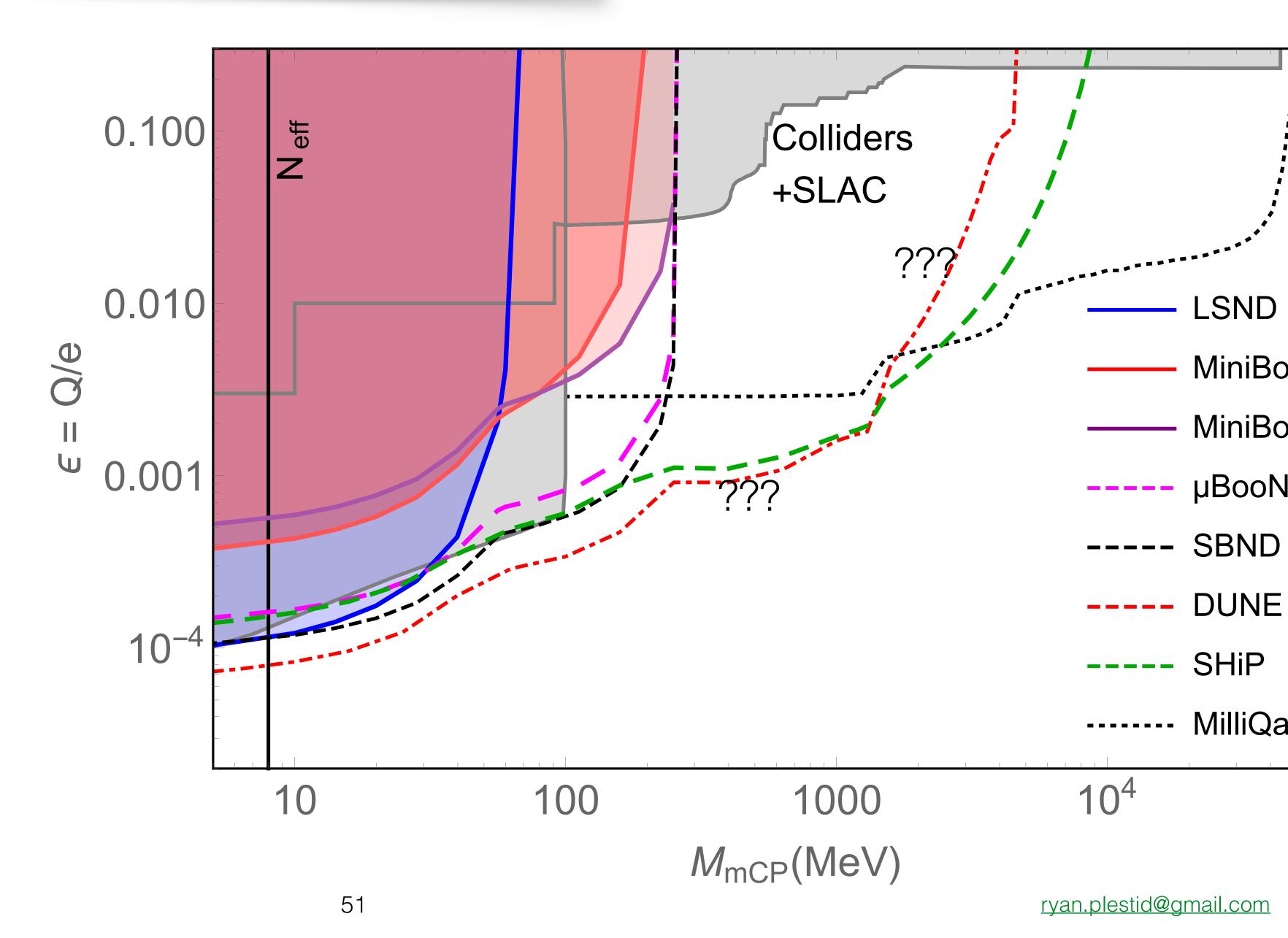


49

# **Backgrounds and Multiple Hits**

### **Insider Knowledge**

- ArgoNeuT saw very large backgrounds that the collaboration believes to be beam-related
- Worse yet, these backgrounds are not necessarily under control.



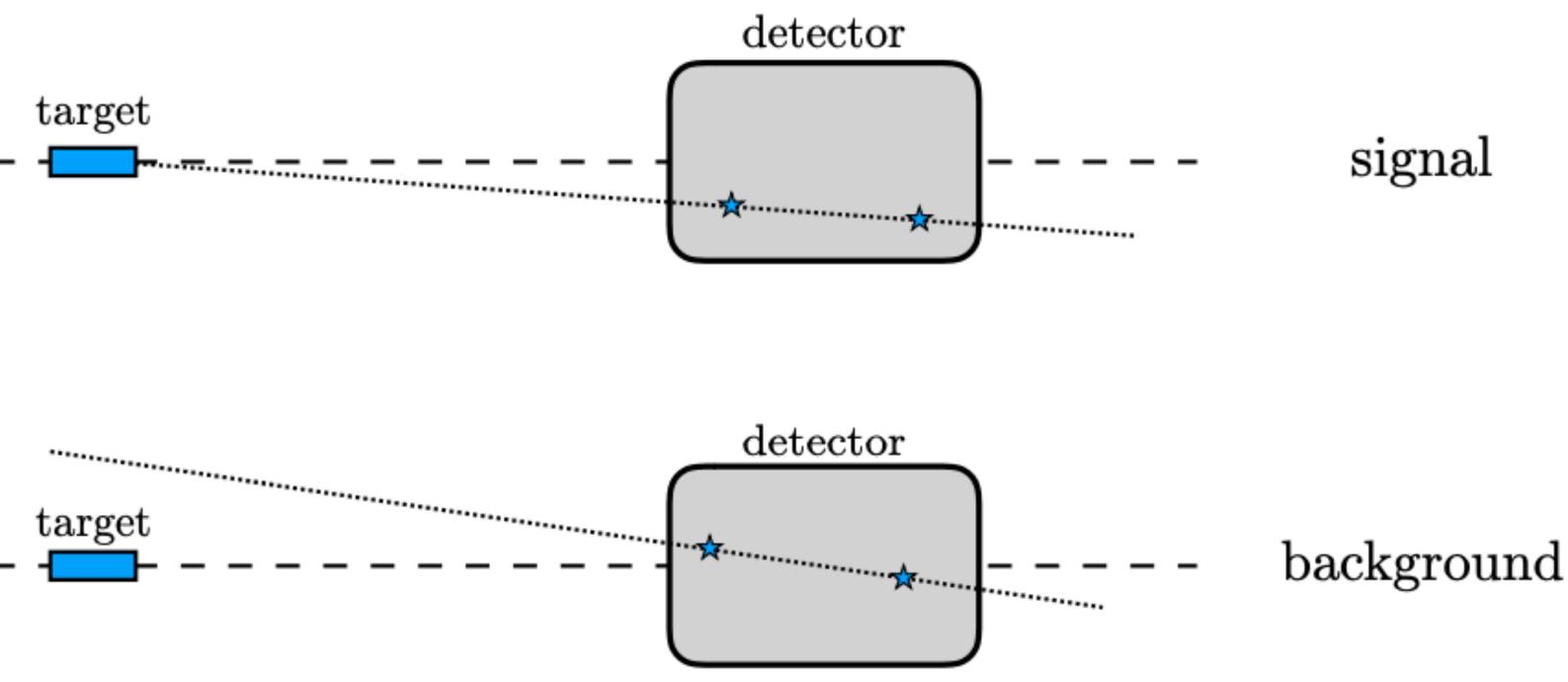


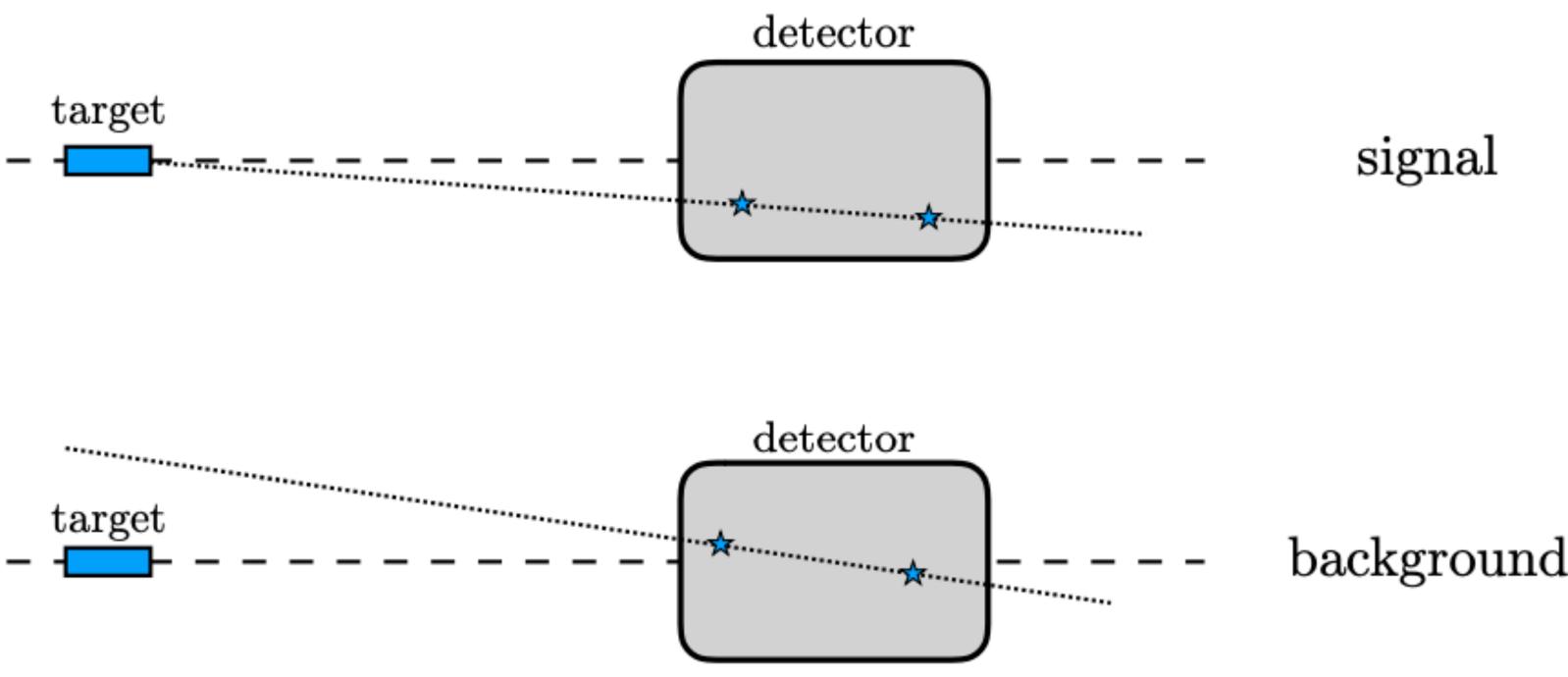
### **Insider Knowledge**

- ArgoNeuT saw very large backgrounds that the collaboration believes to be beam-related
- Worse yet, these backgrounds are not necessarily under control.

### **Background Reduction**

- Can use multiple hits, and require track points back to detector.
- Using the raw background as a prior lets you understand the background after cuts very well.







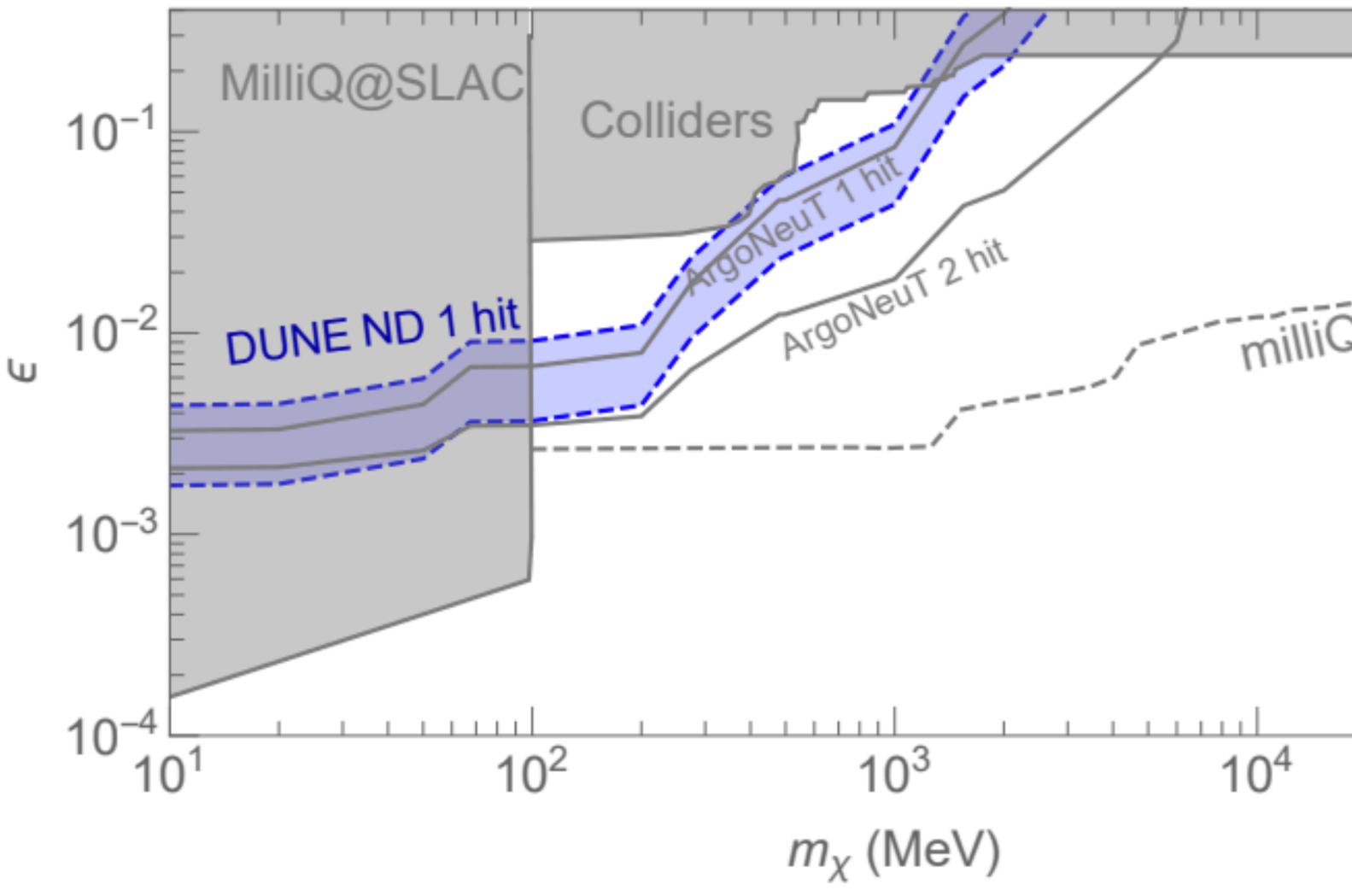


### **Insider Knowledge**

- ArgoNeuT saw very large backgrounds that the collaboration believes to be beam-related
- Worse yet, these backgrounds are not necessarily under control.

## **Background Reduction**

- Can use multiple hits, and require track points back to detector.
- Using the raw background as a prior lets you understand the background after cuts very well.





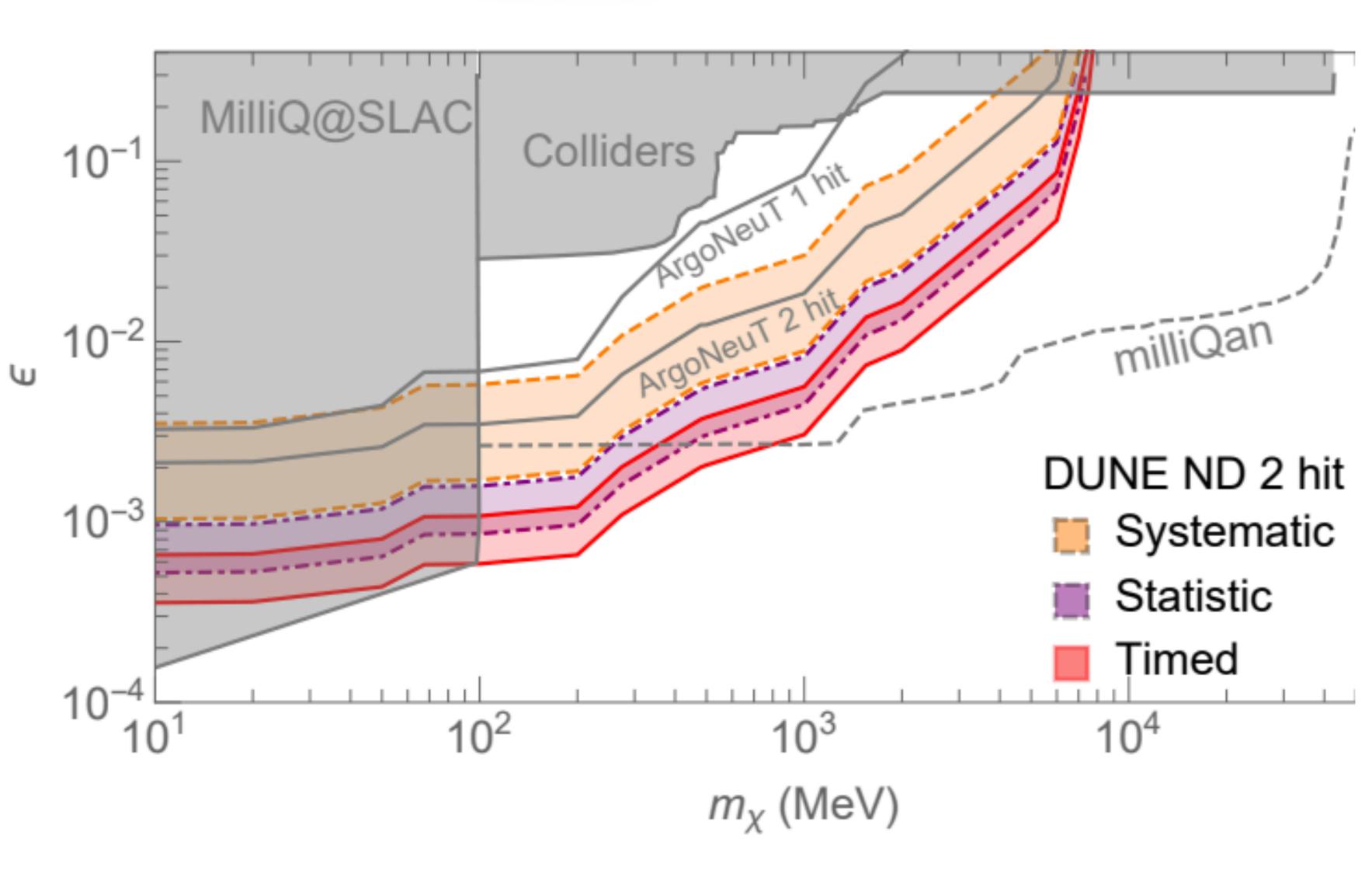
1		1	
	_		
jai	n		
1		1	

### **Insider Knowledge**

- ArgoNeuT saw very large backgrounds that the collaboration believes to be beam-related
- Worse yet, these backgrounds are not necessarily under control.

## **Background Reduction**

- Can use multiple hits, and require track points back to detector.
- Using the raw background as a prior lets you understand the background after cuts very well.







- 1. Neutrino trident production will be observable at upcoming intensity frontier experiments. As of yet unobserved SM physics Probe of new physics.
- (both new and old).
- broadband beam and huge downstream detectors.
- 4. flux

## 2. Millicharged particles are testable at neutrino experiments

# 3. Cosmic rays can serve as a fixed target ``facility" with a

We outline a simple procedure for generating cosmic ray